

*Solutions Manual to Accompany*

# Inorganic Chemistry

Alen Hadzovic

SIXTH EDITION



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*June 2010*

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# Inorganic Chemistry

*Sixth Edition*

Alen Hadzovic  
*University of Toronto*



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## PREFACE

This *Solutions Manual* accompanies *Inorganic Chemistry*, Sixth Edition by Duward Shriver, Mark Weller, Tina Overton, Jonathan Rourke, and Fraser Armstrong. Within its covers, you will find the detailed solutions for all self-tests and end of chapter exercises. New to this edition of the Solutions Manual is the inclusion of guidelines for the selected tutorial problems—those problems for which the literature reference is not provided—for the majority of chapters. Many solutions include figures specifically prepared for the solution, and not found in the main text. As you master each chapter in *Inorganic Chemistry*, this manual will help you not only to confirm your answers and understanding but also to expand the material covered in the textbook.

The Solutions Manual is a learning aid—its primary goal is to provide you with means to ensure that your own understanding and your own answers are correct. If you see that your solution differs from the one offered in the Solutions Manual, do not simply read over the provided answer. Go back to the main text, reexamine and reread the important concepts required to solve that problem, and then, with this fresh insight, try solving the same problem again. The self-tests are closely related to the examples that precede them. Thus, if you had a problem with a self-test, read the preceding text and analyze the worked example. The solutions to the end of chapter exercises direct you to the relevant sections of the textbook, which you should reexamine if the exercise proves challenging to you.

Inorganic chemistry is a beautiful, rich, and exciting discipline, but it also has its challenges. The self-tests, exercises, and tutorial problems have been designed to help you test your knowledge and meet the challenges of inorganic chemistry. The Solutions Manual is here to help you on your way, provide guidance through the world of chemical elements and their compounds and, together with the text it accompanies, take you to the very frontiers of this world.

With a hope you will find this manual useful,  
Alen Hadzovic





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I would like to thank the authors Duward Shriver, Mark Weller, Tina Overton, Jonathan Rourke, and Fraser Armstrong for their insightful comments, discussions, and valuable assistance during the preparation of the sixth edition of the Solutions Manual. I would also like to express my gratitude to Heidi Bamatter, Editor for W. H. Freeman and Company, and Alice Mumford, Editor for Oxford University Press, for all of their efforts and dedication to the project.



## Chapter 1 Atomic Structure

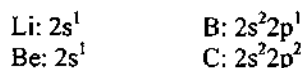
### Self-Test Exercises

- S1.1** For the Paschen series  $n_1 = 3$  and  $n_2 = 4, 5, 6, \dots$ . The second line in the Paschen series is observed when  $n_2 = 5$ . Hence, starting from equation 1.1, we have

$$\frac{1}{\lambda} = R \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right) = 1.097 \times 10^7 \text{ m}^{-1} \left( \frac{1}{3^2} - \frac{1}{5^2} \right) = 1.097 \times 10^7 \text{ m}^{-1} \times 0.071 = 779967 \text{ m}^{-1}.$$

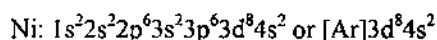
The wavelength is the reciprocal value of the above-calculated wavenumber:  $\frac{1}{779967 \text{ m}^{-1}} = 1.28 \times 10^{-6} \text{ m}$  or 1280 nm.

- S1.2** The third shell is given by  $n = 3$ , and the subshell for  $l = 2$  consists of the d orbitals. Therefore, the quantum numbers  $n = 3, l = 2$  define a 3d set of orbitals. For  $l = 2$ ,  $m_l$  can have the following values:  $-2, -1, 0, 1, 2$ . Thus, there are five orbitals in the given set. Figure 1.15 shows the electron density maps for 3d orbitals.
- S1.3** The number of radial nodes is given by the expression:  $n - l - 1$ . For the 5s orbital,  $n = 5$  and  $l = 0$ . Therefore:  $5 - 0 - 1 = 4$ . So there are four radial nodes in a 5s orbital. Remember, the first occurrence of a radial node for an s orbital is the 2s orbital, which has one radial node, the 3s has two, the 4s has three, and finally the 5s has four. If you forget the expression for determining radial nodes, just count by a unit of one from the first occurrence of a radial node for that particular "shape" of orbital. Figure 1.9 shows the radial wavefunctions of 1s, 2s, and 3s hydrogenic orbitals. The radial nodes are located where the radial wavefunction has a value of zero (i.e., it intersects the x-axis).
- S1.4** There is no figure showing the radial distribution functions for 3p and 3d orbitals, so you must reason by analogy. In the example, you saw that an electron in a p orbital has a smaller probability of close approach to the nucleus than in an s orbital, because an electron in a p orbital has a greater angular momentum than in an s orbital. Visually, Figure 1.12 shows this. The area under the graph represents where the electron has the highest probability of being found. The origin of the graph is the nucleus, so one can see that the 2s orbital, on average, spends more time closer to the nucleus than a 2p orbital. Similarly, an electron in a d orbital has a greater angular momentum than in a p orbital. In other words,  $l(d) > l(p) > l(s)$ . Therefore, an electron in a p orbital has a greater probability than in a d orbital of close approach to the nucleus.
- S1.5** The configuration of the valence electrons, called the valence configuration, is as follows for the four atoms in question:



When an electron is added to the 2s orbital on going from Li to Be,  $Z_{\text{eff}}$  increases by 0.63, but when an electron is added to an empty p orbital on going from B to C,  $Z_{\text{eff}}$  increases by 0.72. The s electron already present in Li repels the incoming electron more strongly than the p electron already present in B repels the incoming p electron, because the incoming p electron goes into a new orbital. Therefore,  $Z_{\text{eff}}$  increases by a smaller amount on going from Li to Be than from B to C. However, extreme caution must be exercised with arguments like this because the effects of electron–electron repulsions are very subtle. This is illustrated in period 3, where the effect is opposite to that just described for period 2.

- S1.6** Following the example, for an atom of Ni with  $Z = 28$  the electron configuration is:



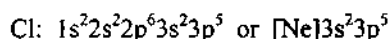
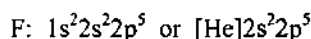
## 2 Part 1: Foundations

Once again, the 4s electrons are listed last because the energy of the 4s orbital is higher than the energy of the 3d orbitals. Despite this ordering of the individual 3d and 4s energy levels for elements past Ca (see Figure 1.19), interelectronic repulsions prevent the configuration of an Ni atom from being  $[\text{Ar}]3d^{10}$ . For an  $\text{Ni}^{2+}$  ion, with two fewer electrons than an Ni atom but with the same  $Z$  as an Ni atom, interelectronic repulsions are less important. Because of the higher energy 4s electrons as well as smaller  $Z_{\text{eff}}$  than the 3d electrons, the 4s electrons are removed from Ni to form  $\text{Ni}^{2+}$ , and the electron configuration of the ion is:



**S1.7** The valence electrons are in the  $n = 4$  shell. Therefore the element is in period 4 of the periodic table. It has two valence electrons that are in a 4s orbital, indicating that it is in Group 2. Therefore the element is calcium, Ca.

**S1.8** When considering questions like these, it is always best to begin by writing down the electron configurations of the atoms or ions in question. If you do this routinely, a confusing comparison may become more understandable. In this case the relevant configurations are:

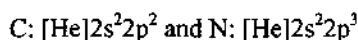


The electron removed during the ionization process is a 2p electron for F and a 3p electron for Cl. The principal quantum number,  $n$ , is lower for the electron removed from F ( $n = 2$  for a 2p electron), so this electron is bound more strongly by the F nucleus than a 3p electron in Cl is bound by its nucleus.

A general trend: within a group, the first ionization energy decreases down the group because in the same direction the atomic radii and principal quantum number  $n$  increase. There are only a few exceptions to this trend, and they are found in Groups 13 and 14.

**S1.9** When considering questions like these, look for the highest jump in energies. This occurs for the fifth ionization energy of this element:  $I_4 = 6229 \text{ kJ mol}^{-1}$ , while  $I_5 = 37838 \text{ kJ mol}^{-1}$ , indicating breaking into a complete subshell after the removal of the fourth electron. Therefore the element is in the Group 14 (C, Si, Ge, etc.).

**S1.10** The electron configurations of these two atoms are:



An additional electron can be added to the empty 2p orbital of C, and this is a favourable process ( $A_e = 122 \text{ kJ/mol}$ ). However, all of the 2p orbitals of N are already half occupied, so an additional electron added to N would experience sufficiently strong interelectronic repulsions. Therefore, the electron-gain process for N is unfavourable ( $A_e = -8 \text{ kJ/mol}$ ). This is despite the fact that the 2p  $Z_{\text{eff}}$  for N is larger than the 2p  $Z_{\text{eff}}$  for C (see Table 1.2). This tells you that attraction to the nucleus is not the only force that determines electron affinities (or, for that matter, ionization energies). Interelectronic repulsions are also important.

**S1.11** According to Fajan's rules, small, highly charged cations have polarizing ability.  $\text{Cs}^+$  has a larger ionic radius than  $\text{Na}^+$ . Both cations have the same charge, but because  $\text{Na}^+$  is smaller than  $\text{Cs}^+$ ,  $\text{Na}^+$  is more polarizing.

### End-of-Chapter Exercises

**E1.1** The energy of a hydrogenic ion, like  $\text{He}^+$  or  $\text{Be}^{3+}$ , is defined by equation 1.3:

$$E_n = -\frac{Z^2 R h c}{n^2}$$

Both  $\text{He}^+$  and  $\text{Be}^{3+}$  have ground state electronic configuration  $1s^1$ ; thus for both, the principal quantum number  $n$  in the above equation equals 1. For the ratio  $E(\text{He}^+)/E(\text{Be}^{3+})$ , after cancelling all constants, we obtain:

$$E(\text{He}^+)/E(\text{Be}^{3+}) = Z^2(\text{He}^+)/Z^2(\text{Be}^{3+}) = 2^2/4^2 = 0.25$$

**E1.2** (a) The ground state of hydrogen atom is  $1s^1$ . The wavefunction describing  $1s$  orbital in H atom is given with  $\psi = \frac{1}{(\pi a_0^3)^{1/2}} e^{-r/a_0}$ . The values of this function for various values of  $r/a_0$  are plotted on Figure 1.8. From the plot we can see that the most probable location of an electron in this orbital is at nucleus because that is where this function has its maximum.

(b) The most probable distance from the nucleus for a  $1s$  electron in H atom can be determined from the radial distribution function,  $P(r)$ , for  $1s$  orbital. The radial distribution function for  $1s$  orbital is given by  $P(r) = 4\pi r^2 R(r)^2 = 4\pi r^2 \times \frac{1}{\pi a_0^3} e^{-2r/a_0} = \frac{4r^2}{a_0^3} e^{-2r/a_0}$ . Remember that the wavefunction for  $1s$  orbitals depends only on radius, not on angles, thus  $R_{1s}(r) = \psi_{1s}$ . To find the most probable distance we must find the value of  $r$  where the value for the radial distribution function is maximum. This can be done by finding the first derivative of  $P(r)$  by  $r$ , making this derivative equal to zero and solving the equation for  $r$ :

$$\frac{P(r)}{dr} = \frac{8r}{a_0^3} e^{-2r/a_0} - \frac{8r^2}{a_0^4} e^{-2r/a_0} = \frac{8}{a_0^3} \left( 2r - \frac{2r^2}{a_0} \right) e^{-2r/a_0} = 0$$

The exponential part of this derivative is never zero, so we can take the part in the brackets, make it equal to zero, and solve it for  $r$ :

$$\left( 2r - \frac{2r^2}{a_0} \right) = 0$$

$$2r = \frac{2r^2}{a_0} \Rightarrow r = a_0$$

Thus, the most probable distance from the nucleus is exactly at Bohr radius,  $a_0$ . This value and the value determined in part (a) of this question are different because the radial distribution function gives the probability of finding an electron anywhere in a shell of thickness  $dr$  at radius  $r$  regardless of the direction, whereas the wavefunction simply describes the behaviour of electron.

(c) Similar procedure is followed as in (b) but using the  $R(r)$  function for  $2s$  electron. The final result is  $3 + \sqrt{5} a_0$ .

**E1.3** The expression for  $E$  given in Equations 1.3 and 1.4 (see above) can be used for a hydrogen atom as well as for hydrogenic ions. For the ratio  $E(\text{H}, n=1)/E(\text{H}, n=6)$ , after canceling all constants, we obtain:

$$E(\text{H}, n=1)/E(\text{H}, n=6) = (1/1^2)/(1/6^2) = 36$$

The value for  $E(\text{H}, n=1)$  has been given in the problem (13.6 eV). From this value and above ratio we can find  $E(\text{H}, n=6)$  as:  $E(\text{H}, n=6) = (E(\text{H}, n=1))/36 = 13.6\text{eV}/36 = 0.378\text{ eV}$ , and the difference is:

$$E(\text{H}, n=1) - E(\text{H}, n=6) = 13.6\text{ eV} - 0.378\text{ eV} = 13.2\text{ eV}.$$

**E1.4** Both rubidium and silver are in period 5; hence their valence electrons are in their respective  $5s$  atomic orbitals. If we place hydrogen's valence electron in  $5s$  orbital, the ionization energy would be:

$$I = -E_{5s} = \frac{hcRZ^2}{n^2} = \frac{13.6\text{eV}}{5^2} = 0.544\text{eV}$$

This is significantly lower value than for either Rb or Ag. First the difference for H atom only: the energy of an electron in a hydrogenic atom is inversely proportional to the square of the principal quantum number  $n$ . Hence we can expect a sharp decrease in  $I$  with an increase in  $n$  (i.e. from 13.6eV for  $n=1$  to 0.544eV for  $n=6$ ). The difference between  $\text{H}(5s^1)$  on one side and Rb and Ag on the other lies in  $Z$  (atomic number or nuclear charge; or

## 4 Part 1: Foundations

better  $Z_{\text{eff}}$  – effective nuclear charge); as we increase  $Z$  (or  $Z_{\text{eff}}$ ) the ionization energy is exponentially increasing ( $Z(\text{Rb}) = 37$  and  $Z(\text{Ag}) = 47$ ). And finally, the difference in ionization energies for Rb and Ag is less than expected on the basis of difference in their nuclear charges; we would expect significantly higher  $I$  value for Ag than is actually observed. The discrepancy is due to the shielding effect and  $Z_{\text{eff}}$ ; in comparison to Rb, silver has an additional ten 4d electrons placed between the nucleus and its 5s valence electron. These 4d electrons shield the 5s electron from the nucleus (although, being d electrons, not very efficiently).

- E1.5** When a photon emitted from the helium lamp collides with an electron in an atom, one part of its energy is used to ionize the atom while the rest is converted to the kinetic energy of the electron ejected in the ionization process. Thus, the total energy of a photon ( $h\nu$ ) is equal to the sum of the first ionization energy ( $I_1$ ) and the kinetic energy of an electron ( $m_e v_e^2/2$ ):

$$h\nu = I_1 + \frac{m_e v_e^2}{2}$$

From here the ionization energy is:

$$I_1 = h\nu - \frac{m_e v_e^2}{2}$$

Since both krypton and rubidium atoms are ionized with the same radiation, we can calculate the energy of one photon emitted from the helium discharge lamp:

$$h\nu = h \times \frac{c}{\lambda} = 6.626 \times 10^{-34} \text{ Js} \times \frac{2.998 \times 10^8 \text{ ms}^{-1}}{58.4 \times 10^{-9} \text{ m}} = 3.40 \times 10^{-18} \text{ J}$$

Now we can calculate the first ionization energies using given velocities of respective electrons:

$$I_1^{\text{Kr}} = h\nu - \frac{m_e v_{e,\text{Kr}}^2}{2} = 3.40 \times 10^{-18} \text{ J} - \frac{9.109 \times 10^{-31} \text{ kg} \times (1.59 \times 10^6 \text{ ms}^{-1})^2}{2} = 2.25 \times 10^{-18} \text{ J}$$

$$I_1^{\text{Rb}} = h\nu - \frac{m_e v_{e,\text{Rb}}^2}{2} = 3.40 \times 10^{-18} \text{ J} - \frac{9.109 \times 10^{-31} \text{ kg} \times (2.45 \times 10^6 \text{ ms}^{-1})^2}{2} = 6.68 \times 10^{-18} \text{ J}$$

Note that calculated energies are the first ionization energies per one atom because we used only one photon. To calculate the first ionization energies in eV as asked in the exercise, the above energies must be multiplied by the Avogadro's constant (to obtain the energies in  $\text{J mol}^{-1}$ ) and then divided by the conversion factor  $96485 \text{ J mol}^{-1} \text{ eV}^{-1}$  to obtain the values in eV:

$$I_{1,\text{eV}}^{\text{Kr}} = 2.25 \times 10^{-18} \text{ J} \times \frac{6.022 \times 10^{23} \text{ mol}^{-1}}{96485 \text{ J mol}^{-1} \text{ eV}^{-1}} = 14.0 \text{ eV}$$

$$I_{1,\text{eV}}^{\text{Rb}} = 6.68 \times 10^{-18} \text{ J} \times \frac{6.022 \times 10^{23} \text{ mol}^{-1}}{96485 \text{ J mol}^{-1} \text{ eV}^{-1}} = 4.16 \text{ eV}$$

- E1.6** To solve this exercise we are going to recall equation 1.1 and substitute the given values for  $n_1$  and  $n_2$ :

$$\frac{1}{\lambda} = R \left( \frac{1}{n_1^2} - \frac{1}{n_2^2} \right) = 1.097 \times 10^7 \text{ m}^{-1} \left( \frac{1}{1^2} - \frac{1}{3^2} \right) = 1.097 \times 10^7 \text{ m}^{-1} \times 0.899 = 9752330 \text{ m}^{-1}$$

The corresponding wavelength is  $(9752330 \text{ m}^{-1})^{-1} = 102.5 \text{ nm}$ .

The energy is:  $h\nu = h \times \frac{c}{\lambda} = 6.626 \times 10^{-34} \text{ Js} \times 2.998 \times 10^8 \text{ ms}^{-1} \times 9752330 \text{ m}^{-1} = 1.937 \times 10^{-18} \text{ J}$

- E1.7** The visible region starts when  $n_1 = 2$ . The next transition is where  $n_2$  equals 3. This can be determined using the Rydberg equation (Equation 1.1).

$$\frac{1}{\lambda} = R \left( \frac{1}{2^2} - \frac{1}{3^2} \right) = 1.524 \times 10^{-3} \text{ nm}^{-1}$$

And from the above result,  $\lambda = 656.3 \text{ nm}$ .

- E1.8** The version of the Rydberg equation which generates the Lyman series is:

$$\frac{1}{\lambda} = R \left( \frac{1}{1^2} - \frac{1}{n^2} \right) \quad R = 1.097 \times 10^7 \text{ m}^{-1}$$

Where  $n$  is a natural number greater than or equal to  $n = 2$  (i.e.,  $n = 2, 3, 4, \dots, \infty$ ). There are infinitely many spectral lines, but they become very dense as they approach  $\infty$ , so only some of the first lines and the last one appear. If we let  $n = \infty$ , we get an approximation for the first line:

$$\frac{1}{\lambda} = R \left( \frac{1}{1^2} - \frac{1}{\infty^2} \right) = 1.0974 \times 10^7 \text{ m}^{-1}$$

and  $\lambda = 91.124 \text{ nm}$

The next line is for  $n = 4$ :

$$\frac{1}{\lambda} = R \left( \frac{1}{1^2} - \frac{1}{4^2} \right) = 1.0288 \times 10^7 \text{ m}^{-1}$$

and  $\lambda = 97.199 \text{ nm}$

The next line is for  $n = 3$ :

$$\frac{1}{\lambda} = R \left( \frac{1}{1^2} - \frac{1}{3^2} \right) = 9.7547 \times 10^6 \text{ m}^{-1}$$

$\lambda = 102.52 \text{ nm}$

The final line is for  $n = 2$ :

$$\frac{1}{\lambda} = R \left( \frac{1}{1^2} - \frac{1}{2^2} \right) = 8.2305 \times 10^6 \text{ m}^{-1}$$

$\lambda = 121.499 \text{ nm}$

So all of these numbers predict the Lyman series within a few significant figures.

- E1.9** The principal quantum number  $n$  labels one of the shells of an atom. For a hydrogen atom or a hydrogenic ion,  $n$  alone determines the energy of all of the orbitals contained in a given shell (since there are  $n^2$  orbitals in a shell, these would be  $n^2$ -fold degenerate). For a given value of  $n$ , the angular momentum quantum number  $l$  can assume all integer values from 0 to  $n - 1$ .
- E1.10** For the first shell ( $n = 1$ ), there is only one orbital, the 1s orbital. For the second shell ( $n = 2$ ), there are four orbitals, the 2s orbital and the three 2p orbitals. For  $n = 3$ , there are 9 orbitals, the 3s orbital, three 3p orbitals, and five 3d orbitals. The progression of the number of orbitals so far is 1, 4, 9, which is the same as  $n^2$  (e.g.,  $n^2 = 1$  for  $n = 1$ ,  $n^2 = 4$  for  $n = 2$ , etc.). As a further verification, consider the fourth shell ( $n = 4$ ), which, according to the analysis so far, should contain  $4^2 = 16$  orbitals. Does it? Yes; the fourth shell contains the 4s orbital, three 4p orbitals, five 4d orbitals, and seven 4f orbitals, and  $1 + 3 + 5 + 7 = 16$ .

6 Part 1: Foundations

E1.11 Completed the table:

<i>n</i>	<i>l</i>	<i>m<sub>l</sub></i>	Orbital designation	Number of orbitals
<b>2</b>	<b>1</b>	<b>+1, 0, -1</b>	<b>2p</b>	<b>3</b>
3	2	+2, +1, ..., -2	3d	5
4	<b>0</b>	<b>0</b>	4s	1
4	<b>3</b>	<b>+3, +2, ..., -3</b>	<b>4f</b>	<b>7</b>

(Note: the table entries in bold are the sought solutions.)

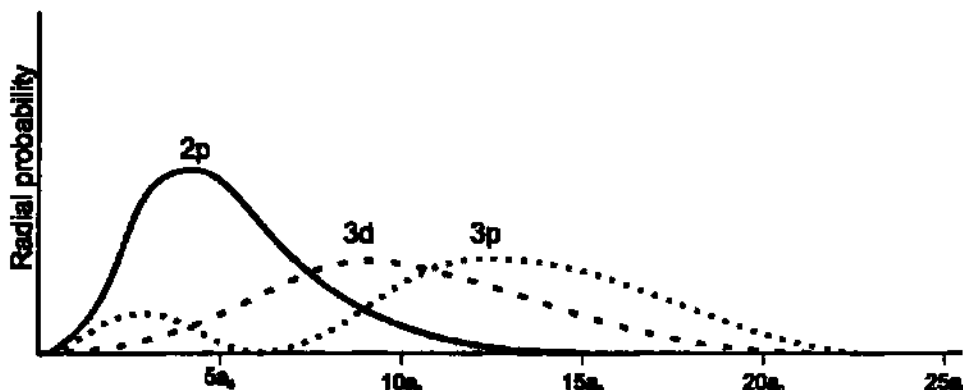
E1.12 When  $n = 5$ ,  $l = 3$  (for the f orbitals) and  $m_l = -3, -2, -1, 0, 1, 2, 3$ , which represent the seven orbitals that complete the 5f subshell. The 5f orbitals represent the start of the actinoids, starting with Th and ending with Lr.

E1.13 The plots of  $R$  (the radial part of the wavefunction  $\psi$ ) vs.  $r$  shown in Figures 1.8 and 1.9 are plots of the radial parts of the total wavefunctions for the indicated orbitals. Notice that the plot of  $R(2s)$  vs.  $r$  (Figure 1.8) takes on both positive (small  $r$ ) and negative (larger  $r$ ) values, requiring that for some value of  $r$  the wavefunction  $R(2s) = 0$  (i.e., the wavefunction has a node at this value of  $r$ ; for a hydrogen atom or a hydrogenic ion,  $R(2s) = 0$  when  $r = 2a_0/Z$ ). Notice also that the plot of  $R(2p)$  vs.  $r$  is positive for all values of  $r$  (Figure 1.9). Although a 2p orbital does have a node, it is not due to the radial wavefunction (the radial part of the total wavefunction) but rather due to the angular part,  $Y$ .

The radial distribution function is  $P(r) = r^2 R^2$  (for the s orbitals this expression is the same as  $4\pi r^2 \psi^2$ ). The plot of  $r^2 R^2$  vs.  $r$  for a 1s orbital in Figure 1.10 is a radial distribution function. Figure 1.12 provides plots of the radial distribution functions for the hydrogenic 2s and 2p orbitals.

Comparing the plots for 1s (Figure 1.10) and 2s (Figure 1.12) orbitals we should note that the radial distribution function for a 1s orbital has a single maximum, and that for a 2s orbital has two maxima and a minimum (at  $r = 2a_0/Z$  for hydrogenic 2s orbitals). The presence of the node at  $r = 2a_0/Z$  for  $R(2s)$  requires the presence of the two maxima and the minimum in the 2s radial distribution function. Using the same reasoning, the absence of a radial node for  $R(2p)$  requires that the 2p radial distribution function has only a single maximum, as shown in Figure 1.12.

E1.14 Your sketch should be similar to the one shown below:





An important feature to note is that a 3p orbital has a maximum closer to the nucleus (i.e., to the origin of the plot). That indicates that 3p electrons can approach the atomic nucleus closer than 3d electrons. As a consequence, 3p electrons are better stabilized by a positive nuclear charge and thus have lower energy than 3d electrons.

E1.15 An orbital defined with the quantum number  $l$  has  $l$  nodal planes (or angular nodes). For a 4p set of atomic orbitals  $l = 1$ , and each 4p orbital has one nodal plane. The number of radial nodes is given by  $n - l - 1$ ; and 4p orbitals have  $4 - 1 - 1 = 2$  radial nodes. The total number of nodes is thus 3. (Note that the total number of nodes, angular and radial, is given by  $n - 1$ .)



**E1.16** The two orbitals are  $d_{xy}$  and  $d_{x^2-y^2}$ . The sketches, mathematical functions, and labelled pairs of Cartesian coordinates are provided below.

Orbital	Sketch	Function	Label
$d_{xy}$		$xyR(r)$	$xy$
$d_{x^2-y^2}$		$\frac{1}{2}(x^2 - y^2)R(r)$	$x^2 - y^2$

Note:  $R(r)$  for 3d orbitals is  $\frac{1}{81\sqrt{30}}\left(\frac{Z}{a_0}\right)^{3/2}\frac{4Z^2r^2}{a_0^2}e^{-Zr/3a_0}$

**E1.17** In an atom with many electrons like beryllium, the outer electrons (the 2s electrons in this case) are simultaneously attracted to the positive nucleus (the protons in the nucleus) and repelled by the negatively charged electrons occupying the same orbital (in this case, the 2s orbital). The two electrons in the 1s orbital on average are statically closer to the nucleus than the 2s electrons, thus the 1s electrons “feel” more positive charge than the 2s electrons. The 1s electrons also shield that positive charge from the 2s electrons, which are further out from the nucleus than the 1s electrons. Consequently, the 2s electrons “feel” less positive charge than the 1s electrons for beryllium.

**E1.18** Follow Slater’s rules outlined in the text to calculate the values for shielding constants,  $\sigma$ .

$$\text{Li: } 1s^2 2s^1; (1s^2)(2s^1), \sigma = 2 \times 0.85 = 1.70$$

$$\text{Be: } 1s^2 2s^2; (1s^2)(2s^2), \sigma = (2 \times 0.85) + (1 \times 0.35) = 2.05$$

$$\text{B: } 1s^2 2s^2 2p^1; (1s^2)(2s^2 2p^1), \sigma = (2 \times 0.85) + (2 \times 0.35) = 2.40$$

$$\text{C: } 1s^2 2s^2 2p^2; (1s^2)(2s^2 2p^2), \sigma = (2 \times 0.85) + (3 \times 0.35) = 2.75$$

$$\text{N: } 1s^2 2s^2 2p^3; (1s^2)(2s^2 2p^3), \sigma = (2 \times 0.85) + (4 \times 0.35) = 3.10$$

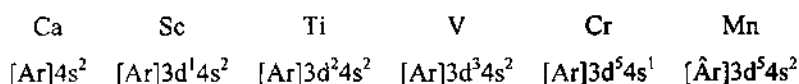
$$\text{O: } 1s^2 2s^2 2p^4; (1s^2)(2s^2 2p^4), \sigma = (2 \times 0.85) + (5 \times 0.35) = 3.45$$

$$\text{F: } 1s^2 2s^2 2p^5; (1s^2)(2s^2 2p^5), \sigma = (2 \times 0.85) + (6 \times 0.35) = 3.80$$

## 8 Part 1: Foundations

The trend is as expected, the shielding constant increases going across a period as a consequence of increased number of electrons entering the same shell. For example, the one 2s electron in Li atom is shielded by two 1s electrons; but one valence electron in Be atom is shielded by both 1s electrons as well as the second 2s electron.

- E1.19** The second ionization energies of the elements calcium through manganese increase from left to right in the periodic table with the exception that  $I_2(\text{Cr}) > I_2(\text{Mn})$ . The electron configurations of the elements are:

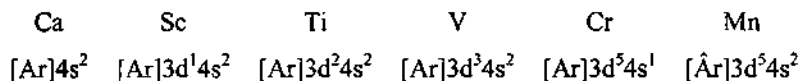


Both the first and the second ionization processes remove electrons from the 4s orbital of these atoms, with the exception of Cr. In general, the 4s electrons are poorly shielded by the 3d electrons, so  $Z_{\text{eff}}(4s)$  increases from left to right and  $I_2$  also increases from left to right. While the  $I_1$  process removes the sole 4s electron for Cr, the  $I_2$  process must remove a 3d electron. The higher value of  $I_2$  for Cr relative to Mn is a consequence of the special stability of half-filled subshell configurations and the higher  $Z_{\text{eff}}$  of a 3d electron vs. a 4s electron.

- E1.20** The first ionization energies of calcium and zinc are 6.11 and 9.39 eV, respectively (these values can be found in the Resource Section 2 of your textbook). Both of these atoms have an electron configuration that ends with  $4s^2$ : Ca is  $[\text{Ar}]4s^2$  and Zn is  $[\text{Ar}]3d^{10}4s^2$ . An atom of zinc has 30 protons in its nucleus and an atom of calcium has 20, so clearly zinc has a higher nuclear charge than calcium. Remember, though, that it is *effective* nuclear charge ( $Z_{\text{eff}}$ ) that directly affects the ionization energy of an atom. Since  $I(\text{Zn}) > I(\text{Ca})$ , it would seem that  $Z_{\text{eff}}(\text{Zn}) > Z_{\text{eff}}(\text{Ca})$ . How can you demonstrate that this is as it should be? The actual nuclear charge can always be readily determined by looking at the periodic table and noting the atomic number of an atom. The effective nuclear charge cannot be directly determined, that is, it requires some interpretation on your part. Read Section 1.6 *Penetration and shielding* again and pay attention to the orbital shielding trends. Also, study the trend in  $Z_{\text{eff}}$  for the period 2 p-block elements in Table 1.2. The pattern that emerges is that not only  $Z$  but also  $Z_{\text{eff}}$  rises from boron to neon. Each successive element has one additional proton in its nucleus and one additional electron to balance the charge. However, the additional electron never completely shields the other electrons in the atom. Therefore,  $Z_{\text{eff}}$  rises from B to Ne. Similarly,  $Z_{\text{eff}}$  rises through the d block from Sc to Zn, and that is why  $Z_{\text{eff}}(\text{Zn}) > Z_{\text{eff}}(\text{Ca})$ . As a consequence,  $I_1(\text{Zn}) > I_1(\text{Ca})$ .

- E1.21** The first ionization energies of strontium, barium, and radium are 5.69, 5.21, and 5.28 eV. Normally, atomic radius increases and ionization energy decreases down a group in the periodic table. However, in this case  $I(\text{Ba}) < I(\text{Ra})$ . Study the periodic table, especially the elements of Group 2 (the alkaline earth elements). Notice that Ba is 18 elements past Sr, but Ra is 32 elements past Ba. The difference between the two corresponds to the fourteen 4f elements (the lanthanoids) between Ba and Lu. Therefore, radium has a higher first ionization energy because it has such a large  $Z_{\text{eff}}$  due to the insertion of the lanthanides.

- E1.22** The second ionization energies of the elements calcium through manganese increase from left to right in the periodic table with the exception that  $I_2(\text{Cr}) > I_2(\text{Mn})$ . The electron configurations of the elements are:



Both the first and the second ionization processes remove electrons from the 4s orbital of these atoms, with the exception of Cr. In general, the 4s electrons are poorly shielded by the 3d electrons, so  $Z_{\text{eff}}(4s)$  increases from left to right and  $I_2$  also increases from left to right. While the  $I_1$  process removes the sole 4s electron for Cr, the  $I_2$  process must remove a 3d electron. The higher value of  $I_2$  for Cr relative to Mn is a consequence of the special stability of half-filled subshell configurations.

- E1.23** See Example and Self-Test 1.6 in your textbook.

(a) **C?** Carbon is four elements past He. Therefore carbon has a core electronic configuration of helium plus four additional electrons. These additional electrons must fill the next shell with  $n = 2$ . Two of these four electrons fill the 2s orbital. The other two must be placed in the 2p, each in one p orbital with parallel spins. The final ground-state electronic configuration for C is  $[\text{He}]2s^2 2p^2$ . Follow the same principle for questions (b)–(f).

(b) **F?** Seven elements past He; therefore  $[\text{He}]2s^2 2p^5$ .

(c) **Ca?** Two elements past Ar, which ends period 3, leaving the 3d subshell empty; therefore  $[\text{Ar}]4s^2$ .

(d) **Ga<sup>3+</sup>?** Thirteen elements, but only 10 electrons (because it is a 3+ cation) past Ar; therefore  $[\text{Ar}]3d^{10}$ .

(e) **Bi?** Twenty-nine elements past Xe, which ends period 5, leaving the 5d and the 4f subshells empty; therefore  $[\text{Xe}]4f^{14} 5d^{10} 6s^2 6p^3$ .

(f) **Pb<sup>2+</sup>?** Twenty-eight elements, but only 26 electrons (because it is a 2+ cation) past Xe, which ends period 5, leaving the 5d and the 4f subshells empty; therefore  $[\text{Xe}]4f^{14} 5d^{10} 6s^2$ .

**E1.24** Following instructions for Question 1.23:

(a) **Sc?** Three elements past Ar; therefore  $[\text{Ar}]3d^1 4s^2$ .

(b) **V<sup>3+</sup>?** Five elements, but only two electrons past Ar; therefore  $[\text{Ar}]3d^2$ .

(c) **Mn<sup>2+</sup>?** Seven elements, but only five electrons past Ar; therefore  $[\text{Ar}]3d^5$ .

(d) **Cr<sup>2+</sup>?** Six elements, but only four electrons past Ar; therefore  $[\text{Ar}]3d^4$ .

(e) **Co<sup>3+</sup>?** Nine elements, but only six electrons past Ar; therefore  $[\text{Ar}]3d^6$ .

(f) **Cr<sup>6+</sup>?** Six elements past Ar, but with a +6 charge it has the *same* electron configuration as Ar, which is written as  $[\text{Ar}]$ . Sometimes inorganic chemists will write the electron configuration as  $[\text{Ar}]3d^0$  to emphasize that there are no d electrons for this d-block metal ion in its highest oxidation state.

(g) **Cu?** Eleven elements past Ar, but its electron configuration is not  $[\text{Ar}]3d^9 4s^2$ . The special stability experienced by completely filled subshells causes the actual electron configuration of Cu to be  $[\text{Ar}]3d^{10} 4s^1$ .

(h) **Gd<sup>3+</sup>?** Ten elements, but only seven electrons, past Xe, which ends period 5 leaving the 5d and the 4f subshells empty; therefore  $[\text{Xe}]4f^7$ .

**E1.25** Following instructions for Question 1.23:

(a) **W?** Twenty elements past Xe, 14 of which are the 4f elements. If you assumed that the configuration would resemble that of chromium, you would write  $[\text{Xe}]4f^{14} 5d^3 6s^1$ . It turns out that the actual configuration is  $[\text{Xe}]4f^{14} 5d^4 6s^2$ . The configurations of the heavier d- and f-block elements show some exceptions to the trends for the lighter d-block elements.

(b) **Rh<sup>3+</sup>?** Nine elements, but only six electrons, past Kr; therefore  $[\text{Kr}]4d^6$ .

(c) **Eu<sup>3+</sup>?** Nine elements, but only six electrons, past Xe, which ends period 5, leaving the 5d and the 4f subshells empty; therefore  $[\text{Xe}]4f^6$ .

(d) **Eu<sup>2+</sup>?** This will have one more electron than  $\text{Eu}^{3+}$ . Therefore, the ground-state electron configuration of  $\text{Eu}^{2+}$  is  $[\text{Xe}]4f^7$ .

(e) **V<sup>5+</sup>?** Five elements past Ar, but with a 5+ charge it has the *same* electron configuration as Ar, which is written as  $[\text{Ar}]$  or  $[\text{Ar}]3d^0$ .

(f) **Mo<sup>4+</sup>?** Six elements, but only two electrons, past Kr; therefore  $[\text{Kr}]4d^2$ .

**E1.26** See Example and Self-Test 1.7 in your textbook.

(a) S

(b) Sr

(c) V

(d) Tc

(e) In

(f) Sm

**E1.27** See Figure 1.22 and the inside front cover of this book. You should start learning the names and positions of elements that you do not know. Start with the alkali metals and the alkaline earths. Then learn the elements in the p block. A blank periodic table can be found on the inside back cover of this book. You should make several photocopies of it and should test yourself from time to time, especially after studying each chapter.

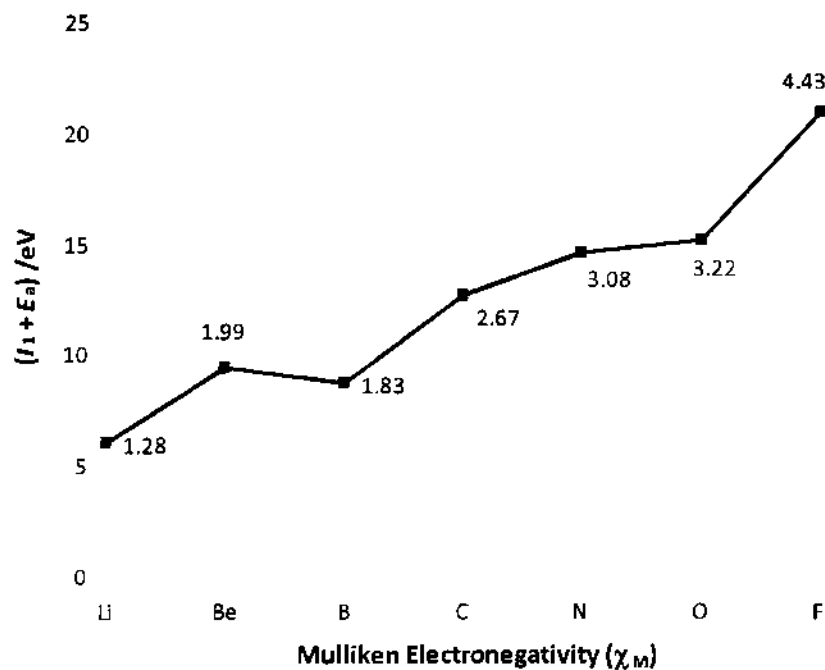
**E1.28** The following values were taken from Tables 1.5, 1.6, and 1.7:

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Element	Electron configuration	$I_1$ (eV)	$A_e$ (eV)	$\chi$
Na	[Ne]3s <sup>1</sup>	5.14	0.548	0.93
Mg	[Ne]3s <sup>2</sup>	7.64	-0.4	1.31
Al	[Ne]3s <sup>2</sup> 3p <sup>1</sup>	5.98	0.441	1.61
Si	[Ne]3s <sup>2</sup> 3p <sup>2</sup>	8.15	1.385	1.90
P	[Ne]3s <sup>2</sup> 3p <sup>3</sup>	11.0	0.747	2.19
S	[Ne]3s <sup>2</sup> 3p <sup>4</sup>	10.36	2.077	2.58
Cl	[Ne]3s <sup>2</sup> 3p <sup>5</sup>	13.10	3.617	3.16
Ar	[Ne]3s <sup>2</sup> 3p <sup>6</sup>	15.76	-1.0	

In general,  $I_1$ ,  $A_e$ , and  $\chi$  all increase from left to right across period 3 (or from top to bottom in the table above). All three quantities reflect how tightly an atom holds on to its electrons, or how tightly it holds on to additional electrons. The cause of the general increase across the period is the gradual increase in  $Z_{\text{eff}}$ , which itself is caused by the incomplete shielding of electrons of a given value of  $n$  by electrons with the same  $n$ . The exceptions are explained as follows:  $I_1(\text{Mg}) > I_1(\text{Al})$  and  $A_e(\text{Na}) > A_e(\text{Al})$ —both of these are due to the greater stability of 3s electrons relative to 3p electrons;  $A_e(\text{Mg})$  and  $A_e(\text{Ar}) < 0$ —filled subshells impart a special stability to an atom or ion (in these two cases the additional electron must be added to a higher energy subshell (for Mg) or shell (for Ar));  $I_1(\text{P}) > I_1(\text{S})$  and  $A_e(\text{Si}) > A_e(\text{P})$ —the loss of an electron from S and the gain of an additional electron by Si both result in an ion with a half-filled p subshell, which, like filled subshells, imparts a special stability to an atom or ion.

- E1.29** To follow the answer for this question you should have a copy of the periodic table of elements in front of you. If you look at the elements just before these two in Table 1.3, you will see that this is a general trend. Normally, the period 6 elements would be expected to have larger metallic radii than their period 5 vertical neighbours; only Cs and Ba follow this trend; Cs is larger than Rb and Ba is larger than Sr. Lutetium, Lu, is significantly smaller than yttrium, Y, and Hf is just barely the same size as Zr. The same similarity in radii between the period 5 and period 6 vertical neighbours can be observed for the rest of the d-block. This phenomenon can be explained as follows. There are no intervening elements between Sr and Y, but there are 14 intervening elements, the lanthanides, between Ba and Lu. A contraction of the radii of the elements starting with Lu is due to incomplete shielding by the 4f electrons. By the time we pass the lanthanides and reach Hf and Ta, the atomic radii have been contracted so much that the d-block period 6 elements have almost identical radii to their vertical neighbours in the period 5.
- E1.30** **Frontier orbitals of Be?** Recall from Section 1.9(c) *Electron affinity*, that the frontier orbitals are the highest occupied and the lowest unoccupied orbitals of a chemical species (atom, molecule, or ion). Since the ground-state electron configuration of a beryllium atom is 1s<sup>2</sup>2s<sup>2</sup>, the frontier orbitals are the 2s orbital (highest occupied) and three 2p orbitals (lowest unoccupied). Note that there can be more than two frontier orbitals if either the highest occupied and/or lowest unoccupied energy levels are degenerate. In the case of beryllium we have four frontier orbitals (one 2s and three 2p).
- E1.31** Mulliken defined electronegativity as an average value of the ionization energy ( $I$ ) and electron affinity ( $E_a$ ) of the element, that is,  $\chi_M = \frac{1}{2}(I + E_a)$ , thus making electronegativity an atomic property (just like atomic radius or ionization energy). Since both  $I$  and  $E_a$  should have units eV for Mulliken electronegativity scale, the data in Tables 1.6 and 1.7 have to be converted from J/mol to eV (these can also be found in the Resource Section 2 of your textbook). The graph below plots variation of  $I_1 + E_a$  (vertical axis) across the second row of the periodic table. The numbers next to the data points are the values of Mulliken electronegativity for the element shown on the x-axis. As we can see, the trend is almost linear, supporting Mulliken's proposition that electronegativity values are proportional to  $I + E_a$ . There are, however, two points on the plot, namely for B and O, that significantly deviate from linearity. Boron (B) should have significantly higher electronegativity than lithium (Li) because: (1) its  $I_1$  is higher than that for Li and (2) B's  $E_a$  is more negative than Li's. This discrepancy is due to the fact that Mulliken's electronegativity scale does not use  $I$  and  $E_a$  values for the atomic ground-states (which are the values of  $I_1$  and  $E_a$  used to construct the above graph). It rather uses the values for valence states; for boron this state is 2s<sup>1</sup>2p<sup>1</sup> 2p<sup>1</sup> (an electronic state that allows B atom to have its normal valency 3). It is to remove the electron from B's valence configuration and the  $I_1$  drops resulting in lower-than-expected electronegativity for B. Similarly, the graph uses  $E_{a1}$  for oxygen (which is positive). Oxygen's normal valency, however, is 2, and its  $E_{a2}$  (which should also be taken in consideration) has negative value.



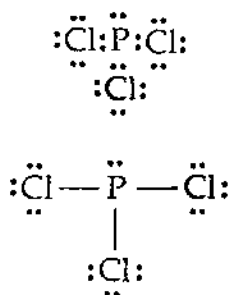
### Guidelines for Selected Tutorial Problems

- T1.2** Your coverage of early proposals for the periodic table should at least include Döbereiner's triads, Newlands' Law of Octaves, and Meyer's and Mendeleev's tables. From the modern designs (post-Mendeleev) you should consider Hinrichs' spiral periodic table, Benfey's oval table, Janet's left-step periodic table, and Dufour's Periodic Tree. A good starting reference for this exploration is Eric R. Scerri. (1998). The Evolution of the Periodic System. *Scientific American*, 279, 78–83 and references provided at the end of this article. The website "The Internet Database of Periodic Tables" ([http://www.meta-synthesis.com/webbook/35\\_pt/pt\\_database.php](http://www.meta-synthesis.com/webbook/35_pt/pt_database.php)) is also useful.
- T1.5** The variation of atomic radii is one of the periodic trends, and as such could be used to group the elements. Look up the atomic radii of the six elements and see which grouping, (a) or (b), better follows the expected trends in atomic radii. After that you should extend your discussion to the chemical properties of the elements in question and see if your choice makes chemical sense as well.

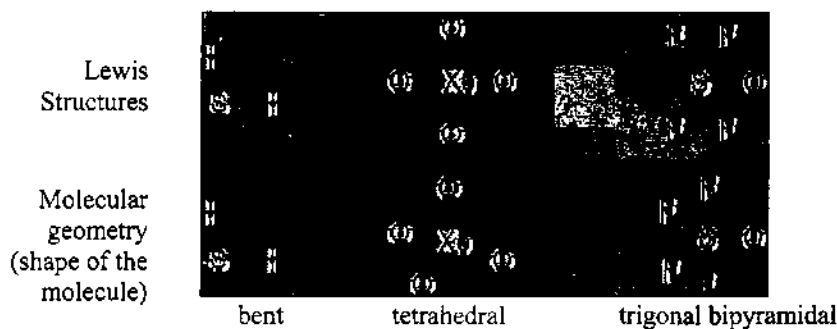
## Chapter 2 Molecular Structure and Bonding

### Self-Test Exercises

- S2.1 One phosphorus and three chlorine atoms supply  $5 + (3 \times 7) = 26$  valence electrons. Since P is less electronegative than Cl, it is likely to be the central atom, so the 13 pairs of electrons are distributed as shown below. In this case, each atom obeys the octet rule. Whenever it is possible to follow the octet rule without violating other electron counting rules, you should do so.



- S2.2 The Lewis structures and the shapes of  $\text{H}_2\text{S}$ ,  $\text{XeO}_4$ , and  $\text{SOF}_4$  are shown below. According to the VSEPR model, electrons in bonds and in lone pairs can be thought of as charge clouds that repel one another and stay as far apart as possible. First, write a Lewis structure for the molecule, and then arrange the lone pairs and atoms around the central atom, such that the lone pairs are as far away from each other as possible.



All atoms in both structures have formal charges of zero. Note that  $\text{H}_2\text{O}$  is bent with an angle of about  $109^\circ$ , while  $\text{H}_2\text{S}$  is angular with an angle of about  $90^\circ$ , indicating more p character in bonding. The actual structure of  $\text{XeO}_4$  is tetrahedral; it is a highly unstable colourless gas. Note that the oxygen atom in  $\text{SOF}_4$  molecules lies in one plane with two fluorine atoms. This is because the double bonds contain higher density of negative charge and cause higher repulsion in comparison to single bonds. Placing O atom and four electrons forming  $\text{S}=\text{O}$  bond in equatorial plane reduces repulsion.

- S2.3 The Lewis structures and molecular shapes for  $\text{XeF}_2$  and  $\text{ICl}_2^+$  are shown below. The  $\text{XeF}_2$  Lewis structure has an octet for the 4 F atoms and an expanded valence shell of 10 electrons for the Xe atom, with the  $8 + (2 \times 7) = 22$  valence electrons provided by the three atoms. The five electron pairs around the central Xe atom will arrange themselves at the corners of a trigonal bipyramid (as in  $\text{PF}_5$ ). The three lone pairs will be in the equatorial plane, to minimize lone pair–lone pair repulsions. The resulting shape of the molecule, shown at the right, is linear (i.e., the  $\text{F}-\text{Xe}-\text{F}$  bond angle is  $180^\circ$ ).

Two chlorine atoms and one iodine atom in total have 21 electrons. However, we have a cationic species at hand, so we have to remove one electron and start with a total of 20 valence electrons for  $\text{ICl}_2^+$ . That gives a Lewis structure in which iodine is a central atom (being the more electropositive of the two) and is bonded to two chlorines with a single bond to each. All atoms have a precise octet. Looking at iodine, there are two bonding

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electron pairs and two lone electron pairs making overall tetrahedral electron pair geometry. The lone pair–bonding pair repulsion is going to distort the ideal tetrahedral geometry lowering the Cl – I – Cl angle to less than 109.5°, resulting in bent molecular geometry.



**S2.4** (a) Figure 2.17 gives the distribution of electrons in molecular orbitals of O<sub>2</sub> molecule. We see that 1π<sub>g</sub> level is a set of two degenerate (of same energy) molecular orbitals. Thus, following the Hund's rule, we obtain the 1π<sub>g</sub><sup>2</sup> electronic configuration of O<sub>2</sub> molecule by placing one electron in each 1π<sub>g</sub> orbital with spins parallel. This gives two unpaired electrons in O<sub>2</sub> molecule.

If we add one electron to O<sub>2</sub> we obtain the next species, anion O<sub>2</sub><sup>-</sup>. This extra electron continues to fill 1π<sub>g</sub> level but it has to have an antiparallel spin with respect to already present electron. Thus, after O<sub>2</sub> molecule receives an electron, one electron pair is formed and only one unpaired electron is left.

Addition of second electron fills 1π<sub>g</sub> set, and O<sub>2</sub><sup>2-</sup> anion has no unpaired electrons.

(b) The first of these two anions, S<sub>2</sub><sup>2-</sup>, has the same Lewis structure as peroxide, O<sub>2</sub><sup>2-</sup>. It also has a similar electron configuration to that of peroxide, except for the use of sulfur atom valence 3s and 3p atomic orbitals instead of oxygen atom 2s and 2p orbitals. There is no need to use sulfur atom 3d atomic orbitals, which are higher in energy than the 3s and 3p orbitals, because the 2(6) + 2 = 14 valence electrons of S<sub>2</sub><sup>2-</sup> will not completely fill the stack of molecular orbitals constructed from sulfur atom 3s and 3p atomic orbitals. Thus, the electron configuration of S<sub>2</sub><sup>2-</sup> is 1σ<sub>g</sub><sup>2</sup>2σ<sub>u</sub><sup>2</sup>3σ<sub>g</sub><sup>2</sup>1π<sub>u</sub><sup>4</sup>2π<sub>g</sub><sup>4</sup>. The Cl<sub>2</sub><sup>-</sup> anion contains one more electron than S<sub>2</sub><sup>2-</sup>, so its electron configuration is 1σ<sub>g</sub><sup>2</sup>2σ<sub>u</sub><sup>2</sup>3σ<sub>g</sub><sup>2</sup>1π<sub>u</sub><sup>4</sup>2π<sub>g</sub><sup>4</sup>4σ<sub>u</sub><sup>1</sup>.

**S2.5** ClO<sup>-</sup> anion is isoelectronic (same number of electrons) with ICl. The orbitals to be used are chlorine's 3s and 3p valence shell orbitals and the oxygen's 2s and 2p valence shell orbitals. The bonding orbitals will be predominantly O in character being that O is more electronegative. So even the MO diagram of ClO<sup>-</sup> will be similar to ICl. We have a total of 7 + 6 + 1(for charge) valence electrons giving us 14. Therefore the ground-state electron configuration is 1σ<sup>2</sup>2σ<sup>2</sup>3σ<sup>2</sup>1π<sup>4</sup>2π<sup>4</sup>, same as ICl.

**S2.6** The number of valence electrons for C<sub>2</sub><sup>2-</sup> is equal to 10 (4 + 4 + 2 (for charge)). Thus C<sub>2</sub><sup>2-</sup> is isoelectronic with N<sub>2</sub> (which has 10 valence electrons as well). The configuration of C<sub>2</sub><sup>2-</sup> would be 1σ<sub>g</sub><sup>2</sup>1σ<sub>u</sub><sup>2</sup>1π<sub>u</sub><sup>4</sup>2σ<sub>u</sub><sup>2</sup>. The bond order would be ½[2-2+4+2] = 3. So C<sub>2</sub><sup>2-</sup> has a triple bond.

**S2.7** In general, the more bonds you have between two atoms, the shorter the bond length and the stronger the bond. Therefore, the ordering for bond length going from shortest to longest is C≡N, C=N, and C–N. For bond strength, going from strongest to weakest, the order is C≡N > C=N > C–N.

**S2.8** You can prepare H<sub>2</sub>S from H<sub>2</sub> and S<sub>8</sub> in the following reaction:



On the left side, you must break one H–H bond and also produce one sulfur atom from cyclic S<sub>8</sub>. Since there are eight S–S bonds holding eight S atoms together, you must supply the mean S–S bond enthalpy *per S atom*. On the right side, you form two H–S bonds. From the values given in Table 2.8, you can estimate:

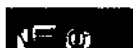
$$\Delta_r H = (436 \text{ kJ mol}^{-1}) + (264 \text{ kJ mol}^{-1}) - 2(338 \text{ kJ mol}^{-1}) = 24 \text{ kJ mol}^{-1}$$

This estimate indicates a slightly endothermic enthalpy of formation, but the experimental value,  $-21 \text{ kJ mol}^{-1}$ , is slightly exothermic.

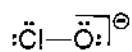
- S2.9** (a)  $\text{O}_2^+$ ? The charge on the oxygenyl ion is +1, and that charge is shared by two oxygen atoms. Therefore,  $\text{O.N.}(\text{O}) = +1/2$ . This is an unusual oxidation number for oxygen.  
 (b) **P in  $\text{PO}_4^{3-}$** ? The charge on the phosphate ion is -3, so  $\text{O.N.}(\text{P}) + 4 \times \text{O.N.}(\text{O}) = -3$ . Oxygen is normally given an oxidation number of -2. Therefore,  $\text{O.N.}(\text{P}) = -3 - (4)(-2) = +5$ . The central phosphorus atom in the phosphate ion has the maximum oxidation number for group 15.

### End-of-Chapter Exercises

- E2.1** (a)  $\text{NO}^+$  has in total 10 valence electrons (5 from N + 6 from O and -1 for a positive charge). The most feasible Lewis structure is the one shown below with a triple bond between the atoms and an octet of electrons on each atom.



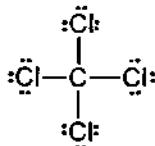
- (b)  $\text{ClO}^-$  has in total 16 valence electrons (7 from Cl + 6 from O + 1 for a negative charge). The most feasible Lewis structure is the one shown below with a single Cl-O bond and an octet of electrons on both atoms.



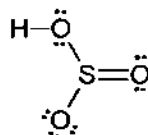
- (c)  $\text{H}_2\text{O}_2$  has 14 valence electrons and the most feasible Lewis structure is shown below. Note that the structure requires O-O bond.



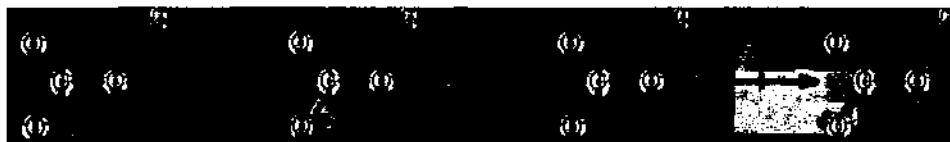
- (d) The most feasible Lewis structure for  $\text{CCl}_4$  is shown below. Each element has a precise octet.



- (e) The most feasible Lewis structure for  $\text{HSO}_3^-$  is shown below. Being the most electropositive of the three elements, sulfur is the central atom.



- E2.2** The resonance structures for  $\text{CO}_3^{2-}$  are shown below. Keep in mind that the resonance structures differ only in allocation of electrons while the connectivity remains the same.

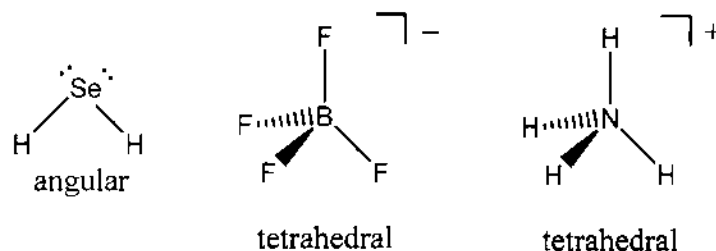


- E2.3** (a)  $\text{H}_2\text{Se}$ ? The Lewis structure for hydrogen selenide is shown below. The shape would be expected to be bent with the H-S-H angle less than  $109^\circ$ . However, the angle is actually close to  $90^\circ$ , indicative of considerable p character in the bonding between S and H.



(b)  $\text{BF}_4^-$ ? The structure is shown below (for the Lewis structure see Example 2.1 of your textbook). The shape is tetrahedral with all angles  $109.5^\circ$ .

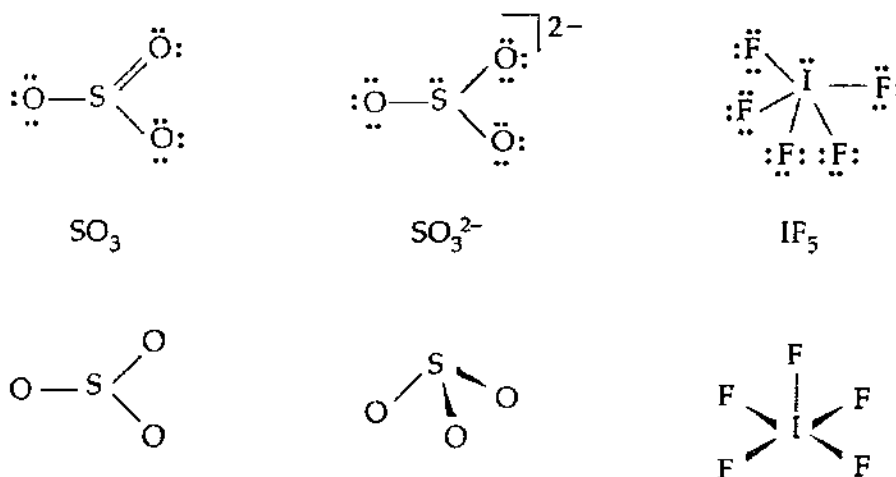
(c)  $\text{NH}_4^+$ ? The structure of the ammonium ion is shown below. Again, the shape is tetrahedral with all angles  $109.5^\circ$ .



**E2.4** (a)  $\text{SO}_3$ ? The Lewis structure of sulfur trioxide is shown below. With three  $\sigma$  bonds and no lone pairs, you should expect a trigonal-planar geometry (like  $\text{BF}_3$ ). The shape of  $\text{SO}_3$  is also shown below.

(b)  $\text{SO}_3^{2-}$ ? The Lewis structure of sulfite ion is shown below. With three  $\sigma$  bonds and one lone pair, you should expect a trigonal-pyramidal geometry such as  $\text{NH}_3$ . The shape of  $\text{SO}_3^{2-}$  is also shown below.

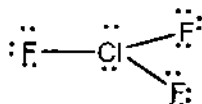
(c)  $\text{IF}_5$ ? The Lewis structure of iodine pentafluoride is shown below. With five  $\sigma$  bonds and one lone pair, you should expect a square-pyramidal geometry. The shape of  $\text{IF}_5$  is also shown below.



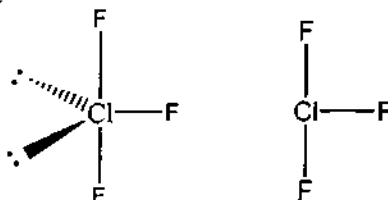
**E2.5** The Lewis structures and molecular shapes for each species a) – c) are summarized in the table below:

	$\text{IF}_6^+$	$\text{IF}_3$	$\text{XeOF}_4$
Lewis structure			
Molecular geometry (shape of the molecule)	Octahedral	T-shaped	Square pyramidal

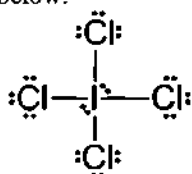
E2.6 (a) The Lewis structure of  $\text{ClF}_3$  is shown below.



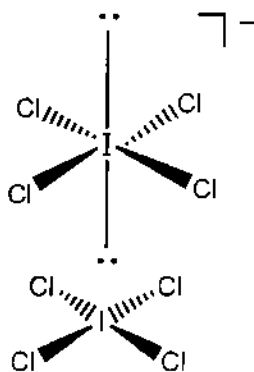
The chlorine atom in  $\text{ClF}_3$  is bonded to the three fluorine atoms through sigma bonds and has two nonbonding electron lone pairs. Both lone pairs occupy equatorial positions (the largest angles in a trigonal bipyramid), resulting in a T shape for the molecule.



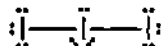
(b) The Lewis structure for  $\text{ICl}_4^-$  is shown below.



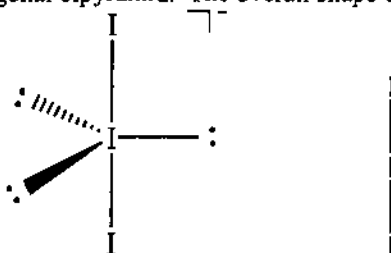
The iodine atom is bonded to the four chlorine atoms through sigma bonds and has two sets of lone pairs. The lone pairs are opposite each other, occupying the axial sites of an octahedron. The overall shape of the molecule is square planar.



(c) The Lewis structure for  $\text{I}_3^-$  is shown below.

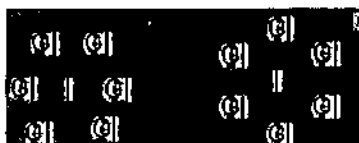


The iodine atom is bonded to two other iodine atoms through sigma bonds and has three sets of lone pairs. The lone pairs occupy the equatorial sites of a trigonal bipyramid. The overall shape of the molecule is linear.

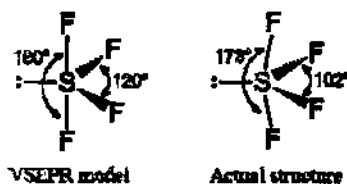


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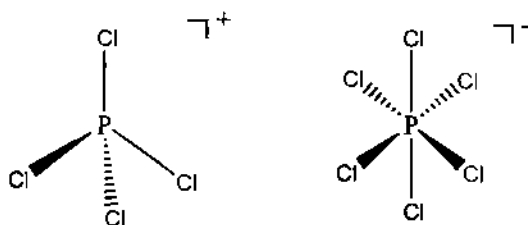
**E2.7** The Lewis structure of  $\text{ICl}_6^-$  and its geometry based on VSEPR theory is shown below. The central iodine atom is surrounded by six bonding and one lone pair. However, this lone pair in the case of  $\text{ICl}_6^-$  is a *stereochemically inert* lone electron pair. This is because of the size of iodine atom—large size of this atom spread around all seven electron pairs resulting in a minimum repulsion between electron pairs. As a consequence all bond angles are expected to be equal to  $90^\circ$  with overall octahedral geometry.



The VSEPR model and actual structure of  $\text{SF}_4$  are shown below. Remember, lone pairs repel bonding regions, read Section 2.3 (b). The VSEPR theory predicts a see-saw structure with a bond angle of  $120^\circ$  between the S and equatorial F's and a bond angle of  $180^\circ$  between the S and the axial F's. The bond angle is actually  $102^\circ$  for the S and equatorial F's and  $173^\circ$  for the S and the axial F's. This is due to the equatorial lone pair repelling the bonding S-F atoms.



**E2.8** The Lewis structures of  $\text{PCl}_4^+$  and  $\text{PCl}_6^-$  ions are shown below. With four  $\sigma$  bonds and no lone pairs for  $\text{PCl}_4^+$ , and six  $\sigma$  bonds and no lone pairs for  $\text{PCl}_6^-$ , the expected shapes are tetrahedral (like  $\text{CCl}_4$ ) and octahedral (like  $\text{SF}_6$ ), respectively. In the tetrahedral  $\text{PCl}_4^+$  ion, all P-Cl bonds are the same length and all Cl-P-Cl bond angles are  $109.5^\circ$ . In the octahedral  $\text{PCl}_6^-$  ion, all P-Cl bonds are the same length and all Cl-P-Cl bond angles are either  $90^\circ$  or  $180^\circ$ . The P-Cl bond distances in the two ions would not necessarily be the same length.



- E2.9**
- (a) From the covalent radii values given in Table 2.7, 77 pm for single-bonded C and 99 pm for Cl, the C-Cl bond length in  $\text{CCl}_4$  is predicted to be  $77 \text{ pm} + 99 \text{ pm} = 176 \text{ pm}$ . The agreement with the experimentally observed value of 177 pm is excellent.
- (b) The covalent radius for Si is 118 pm. Therefore, the Si-Cl bond length in  $\text{SiCl}_4$  is predicted to be  $118 \text{ pm} + 99 \text{ pm} = 217 \text{ pm}$ . This is 8% longer than the observed bond length, so the agreement is not as good as in the case of C-Cl.
- (c) The covalent radius for Ge is 122 pm. Therefore, the Ge-Cl bond length in  $\text{GeCl}_4$  is predicted to be 221 pm. This is 5% longer than the observed bond length.

**E2.10** Table 2.7 lists selected covalent radii of the main group elements. As we can see from the table, the trends in covalent radii follow closely the trends in atomic and ionic radii covered in Chapter 1 (Section 1.7(a)). Considering first the horizontal periodic trends we can see that the single bond covalent radii decrease if we move horizontally from left to right in the periodic table. Recall that the atomic radii decrease while the  $Z_{\text{eff}}$  increases in

the same direction. As a consequence of these two trends, the valence electrons are held tighter and closer to the atomic nucleus. This means that, as we move from left to right, the distance between two non-metallic atoms has to decrease in order for the covalent bond to be formed. This results in a shorter internuclear separation (i.e., shorter bond) and as a consequence smaller covalent radii in the same direction.

If we consider the vertical trends, that is, the trends within one group of the elements, we observe an increase in covalent radii. Recall again that the atomic radii increase in the same direction. As we go down a group the valence electrons are found in the atomic orbitals of higher principal quantum number. There are more core (or non-valence) electrons between the valence electrons and the nucleus that shield the valence electrons from the influence of the nucleus. As a consequence, the valence electrons are further away from the nucleus. This means that when a covalent bond is formed, two atomic nuclei are further apart as we go down the group and the covalent radii increase.

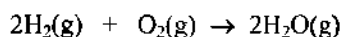
- E2.11** You need to consider the enthalpy difference between one mole of Si=O double bonds and two moles of Si-O single bonds. The difference is:

$$2(\text{Si-O}) - (\text{Si=O}) = 2(466 \text{ kJ}) - (640 \text{ kJ}) = 292 \text{ kJ}$$

Therefore, the two single bonds will always be better enthalpically than one double bond. If silicon atoms only have single bonds to oxygen atoms in silicon-oxygen compounds, the structure around each silicon atom will be tetrahedral: each silicon will have four single bonds to four different oxygen atoms.

- E2.12** Diatomic nitrogen has a triple bond holding the atoms together, whereas six P-P single bonds hold together a molecule of P<sub>4</sub>. If N<sub>2</sub> were to exist as N<sub>4</sub> molecules with the P<sub>4</sub> structure, then two N≡N triple bonds would be traded for six N-N single bonds, which are weak. The net enthalpy change can be estimated from the data in Table 2.8 to be 2(945 kJ) - 6(163 kJ) = 912 kJ, which indicates that the tetramerization of nitrogen is *very* unfavourable. On the other hand, multiple bonds between period 3 and larger atoms are not as strong as two times the analogous single bond, so P<sub>2</sub> molecules, each with a P≡P triple bond, would not be as stable as P<sub>4</sub> molecules, containing only P-P single bonds. In this case, the net enthalpy change for 2P<sub>2</sub> → P<sub>4</sub> can be estimated to be 2(481 kJ) - 6(201 kJ) = -244 kJ.

- E2.13** For the reaction:



Since you must break two moles of H-H bonds and one mole of O=O bonds on the left-hand side of the equation and form four moles of O-H bonds on the right-hand side, the enthalpy change for the reaction can be estimated as:

$$\Delta H = 2(436 \text{ kJ}) + 497 \text{ kJ} - 4(463 \text{ kJ}) = -483 \text{ kJ}$$

The experimental value is -484 kJ, which is in closer agreement with the estimated value than ordinarily expected. Since Table 2.8 contains average bond enthalpies, there is frequently a small error when comparing estimates to a specific reaction.

- E2.14** Recall from the Section 2.10(b) *Bond correlations* that bond enthalpy increases as bond order increases, and that bond length decreases as bond order increases. Thus, we have also to think about bond order to answer this question. As you can see from the table, C<sub>2</sub> molecule has the highest dissociation energy. The reason for this lies in the fact that C<sub>2</sub> molecule has a bond order of 3 and relatively short C-C distance. The next highest bond dissociation energy is found in O<sub>2</sub> molecule. There is significant difference in bond dissociation energies between C<sub>2</sub> and O<sub>2</sub>. This can be attributed to the lower bond order in O<sub>2</sub> (bond order 2) and C<sub>2</sub> (bond order 3), particularly considering that the O-O bond length is very similar to the C-C bond length. Following O<sub>2</sub> we have BeO as third in bond dissociation energy. The bond order in BeO is the same as in O<sub>2</sub>, that is, 2; thus the difference here lies in the bond length: significantly longer Be-O bond (133.1 pm vs. 120.7 pm in O<sub>2</sub>) makes this bond weaker than the one in O<sub>2</sub>. After BeO comes BN molecule. Considering that this bond is shorter than the one in BeO, we can safely suggest that the difference in the bond dissociation enthalpy is due to the lower bond order in B-N, that is, bond

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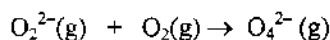
order of 1. The last molecule in the list is NF with a very similar bond length to BeO molecules but significantly lower bond dissociation energy. The reason for this difference again lies in the bond order: 1.

The atoms that obey the octet rule are O in BeO, F in NF, and O in O<sub>2</sub>. Keep in mind that this is only based on the Lewis structures, not on the results of more accurate MO theory.

**E2.15** Consider the first reaction:



Hypothetically, two S–S single bonds (of S<sub>8</sub>) are broken to produce two S atoms, which combine with S<sub>2</sub><sup>2-</sup> to form two new S–S single bonds in the product S<sub>4</sub><sup>2-</sup>. Since two S–S single bonds are broken and two are made, the net enthalpy change is zero. Now consider the second reaction:



Here there is a difference. A mole of O=O double bond of O<sub>2</sub> is broken, and two moles of O–O single bonds are made. The overall enthalpy change, based on the mean bond enthalpies in Table 2.8, is:

$$\text{O}=\text{O} - 2(\text{O}-\text{O}) = 497 \text{ kJ} - 2(146 \text{ kJ}) = 205 \text{ kJ}$$

The large positive value indicates that this is not a favourable process.

**E2.16** (a) Since we have an anion with overall –2 charge, the sum of oxidation numbers must equal –2. The oxidation number most commonly assigned to oxygen atom is –2 (SO<sub>3</sub><sup>2-</sup> does not belong to the classes in which oxygen has oxidation number different from –2). Thus, if we denote oxidation state of S atom as X, we have X + 3(–2) = –2. From here X = +4, that is, the oxidation number of sulfur in SO<sub>3</sub><sup>2-</sup> is +4.

(b) Following the same procedure as outlined above with X being oxidation number of nitrogen atom and overall charge being +1, we have X + (–2) = +1 and oxidation number of nitrogen is +3.

(c) In this case there are two chromium atoms each having oxidation state X. Thus we have 2X + 7(–2) = –2. The oxidation state of Cr atoms is +6.

(d) Again, there are two V atoms, but the species is neutral; thus the sum of oxidation numbers of all elements must equal zero. We have 2X + 5(–2) = 0. The oxidation state of vanadium atoms from here is +5.

(e) PCl<sub>5</sub> is neutral and we can assign –1 oxidation state to Cl because it is bound to an atom of lower electronegativity (phosphorus). We have X + 5(–1) = 0, X = 5. The oxidation state of phosphorus atom is +5.

**E2.17** The differences in electronegativities are AB 0.5, AD 2.5, BD 2.0, and AC 1.0. The increasing covalent character is AD < BD < AC < AB.

**E2.18** (a) Using the Pauling electronegativity values in Table 1.7 and the Ketelaar triangle in Figure 2.38, the Δχ for BCl<sub>3</sub> = 3.16 – 2.04 = 1.12 and χ<sub>mean</sub> = 2.60. This value places BCl<sub>3</sub> in the covalent region of the triangle.

(b) Δχ for KCl = 3.16 – 0.82 = 2.34 and χ<sub>mean</sub> = 1.99. This value places KCl in the ionic region of the triangle.

(c) Δχ for BeO = 3.44 – 1.57 = 1.87 and χ<sub>mean</sub> = 2.51. This value places BeO in the ionic region of the triangle.

**E2.19** (a) BCl<sub>3</sub> has a trigonal planar geometry, according to Table 2.4, the most likely hybridization would be sp<sup>2</sup>.

(b) NH<sub>4</sub><sup>+</sup> has a tetrahedral geometry, so the most likely hybridization would be sp<sup>3</sup>.

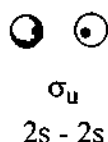
(c) SF<sub>4</sub> has distorted see-saw geometry, with the lone pair occupying one of the equatorial sites, see 2.4 above. Therefore it would be sp<sup>3</sup>d or spd<sup>3</sup>.

(d) XeF<sub>4</sub> has a square planar molecular geometry with two lone pairs on the central Xe atom, so its hybridization is sp<sup>3</sup>d<sup>2</sup>.

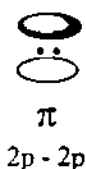
**E2.20** (a) O<sub>2</sub><sup>–</sup>? You must write the electron configurations for each species, using Figure 2.17, and then apply the Pauli exclusion principle to determine the situation for incompletely filled degenerate orbitals. In this case the electron configuration is 1σ<sub>g</sub><sup>2</sup>1σ<sub>u</sub><sup>2</sup>2σ<sub>g</sub><sup>2</sup>1π<sub>u</sub><sup>4</sup>1π<sub>g</sub><sup>3</sup>. With three electrons in the pair of 1π<sub>g</sub> molecular orbitals, one electron must be unpaired. Thus, the superoxide anion has a single unpaired electron.

- (b)  $O_2^+$ ? The configuration is  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^1$ , so the oxygenyl cation also has a single unpaired electron.
- (c)  $BN$ ? You can assume that the energy of the  $3\sigma$  molecular orbital is *higher* than the energy of the  $1\pi$  orbitals, because that is the case for CO (see Figures 2.22 and 2.23). Therefore, the configuration is  $1\sigma^2 1\sigma^2 1\pi^4$ , and, as observed, this diatomic molecule has no unpaired electrons.
- (d)  $NO^-$ ? The molecular orbitals of NO are based on the molecular orbitals of CO. Nitrogen atom, however, has one more valence electron than carbon and the total number of valence electrons in NO is 11. Thus, the electronic configuration of NO is  $1\sigma^2 2\sigma^2 1\pi^4 3\sigma^2 2\pi^1$ . An additional electron would go as unpaired electron in the second  $\pi$  orbital of the doubly degenerate  $2\pi$  set. As a consequence, this anion has two unpaired electrons. See figures 2.22 and 2.23.

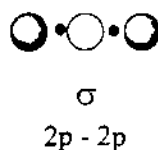
**E2.21** (a)  $Be_2$ ? Having only four valence electrons for two Be atoms gives the electron configuration  $1\sigma_g^2 1\sigma_u^2$ . The HOMO for  $Be_2$  is a  $\sigma$  antibonding orbital, shown below.



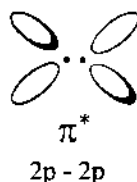
(b)  $B_2$ ? The electron configuration is  $1\sigma_g^2 1\sigma_u^2 1\pi_u^2$ . The HOMO for  $B_2$  is a  $\pi$  bonding MO, shown below.



(c)  $C_2^-$ ? The electron configuration is  $1\sigma_g^2 1\sigma_u^2 1\pi_u^4 2\sigma_g^1$ . The HOMO for  $C_2^-$  is a  $\sigma$  bonding MO formed from mixing two 2p atomic orbitals, shown below.



(d)  $F_2^+$ ? The electron configuration is  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^3$ . The HOMO for  $F_2^+$  is a  $\pi$  antibonding MO, shown below.



**E2.22** The configuration of  $C_2^{2-}$  would be  $1\sigma_g^2 1\sigma_u^2 1\pi_u^4 2\sigma_u^2$ . The bond order would be  $\frac{1}{2}[2-2+4+2] = 3$ . So  $C_2^{2-}$  has a triple bond, as discussed in the self test S2.6, above. The HOMO (highest occupied molecular orbital for  $C_2^{2-}$ ) is in a sigma bonding orbital.

The configuration for the neutral  $C_2$  would be  $1\sigma_g^2 1\sigma_u^2 1\pi_u^4$  (see figure 2.17). The bond order would be  $\frac{1}{2}[2-2+4] = 2$ .

**E2.23** Your molecular orbital diagram should look like figure 2.18 which shows the MO diagram for Period 2 homonuclear diatomic molecules from  $Li_2$  to  $N_2$ . Each carbon atom has four valence electrons, thus a total of 8 electrons has to be placed in the molecular orbitals on the diagram. Keep in mind that you still follow the Hund's rule and the Pauling exclusion principle when filling molecular orbitals with electrons. See the solution for E2.22

## 22 Part 1: Foundations

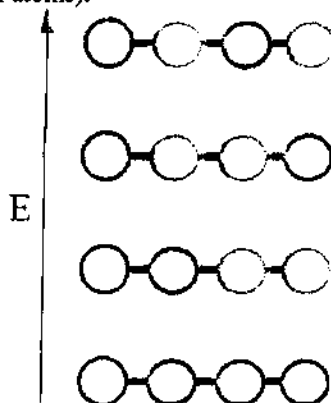
above for electronic configuration and bond order of this species. Figures 2.15 and 2.16 provide you with the appropriate sketches of each MO.

- E2.24** Your molecular orbital diagram should look like figure 2.22 showing the MO diagram for CO molecule. There are several important differences between this diagram and that for  $C_2$  from exercise 2.23. First, the energies of B and N atomic orbitals are different. The atomic orbitals on N atom are lower in energy than corresponding atomic orbitals on B atom. Recall from Chapter 1 that N should have lower atomic radius and higher  $Z_{\text{eff}}$  than B. These differences result in higher stability (lower energy) of N atomic orbitals. Also, nitrogen is more electronegative than boron. Thus, B atom should be on the left-hand side, and N should be on the right-hand side of your diagram. Second, as a consequence of this difference in the atomic orbital energies, the MO are localized differently. For example, while all MO orbitals in  $C_2$  molecule were equally localized over both nuclei (because the molecule is homonuclear), in the case of BN,  $1\sigma$  is more localized on N while  $2\sigma$  is more localized on B. BN molecule has a total of eight valence electrons (three from B atom and five from N atom). Thus, after we fill the MOs with electrons we should get the following electronic configuration  $1\sigma^2 2\sigma^2 1\pi^4$ . This means that a degenerate set of two  $1\pi$  molecular orbitals is HOMO of BN while empty  $3\sigma$  are LUMO of this molecule.
- E2.25** (a) The orbital that would be used to construct the M.O. diagram are the  $5p$  and  $5s$  of I, and the  $4p$  and  $4s$  of Br. IBr is isoelectronic to ICl, so the ground state configuration is the same,  $1\sigma^2 2\sigma^2 3\sigma^2 1\pi^4 2\pi^4$ .  
 (b) The bond order would be  $\frac{1}{2}[2+2-2+4-4] = 1$ ; there would be single bond between I and Br.  
 (c)  $IBr^-$  would have the ground state configuration of  $1\sigma^2 2\sigma^2 3\sigma^2 1\pi^4 2\pi^4 4\sigma^1$ , with a bond order of  $\frac{1}{2}[2+2-2+4-4-1] = \frac{1}{2}$ , it would not be very stable at all. While  $IBr^-$  would have the ground state configuration of  $1\sigma^2 2\sigma^2 3\sigma^2 1\pi^4 2\pi^4 4\sigma^2$ , with a bond order of  $\frac{1}{2}[2+2-2+4-4-2] = 0$ , it would not exist, there is no bond between the two atoms.
- E2.26** (a) The electron configuration of  $S_2$  molecule is  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^2$ . The bonding molecular orbitals are  $1\sigma_g$ ,  $1\pi_u$ , and  $2\sigma_g$ , while the antibonding molecular orbitals are  $1\sigma_u$ , and  $1\pi_g$ . Therefore, the bond order is  $(1/2)((2+4+2)-(2+2)) = 2$ , which is consistent with the double bond between the S atoms as predicted by Lewis theory.  
 (b) The electron configuration of  $Cl_2$  is  $1\sigma_g^2 2\sigma_u^2 3\sigma_g^2 1\pi_u^4 2\pi_g^4$ . The bonding and antibonding orbitals are the same as for  $S_2$ , above. Therefore, the bond order is  $(1/2)((2+4+2)-(2+4)) = 1$  again as predicted by Lewis theory.  
 (c) The electron configuration of  $NO^+$  is  $1\sigma^2 1\sigma^2 2\sigma^2 1\pi^4$ . The bond order for  $NO^+$  is  $(1/2)((2+2+4)-2) = 3$ , as predicted by the Lewis theory.
- E2.27** (a)  $O_2 \rightarrow O_2^+ + e^-$ ? The molecular orbital electron configuration of  $O_2$  is  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^2$ . The two  $1\pi_g$  orbitals are  $\pi$  antibonding molecular orbitals, so when one of the  $1\pi_g$  electrons is removed, the oxygen-oxygen bond order increases from 2 to 2.5. Since the bond in  $O_2^+$  becomes stronger, it should become shorter as well.  
 (b)  $N_2 + e^- \rightarrow N_2^-$ ? The molecular orbital electron configuration of  $N_2$  is  $1\sigma_g^2 1\sigma_u^2 1\pi_u^4 2\sigma_g^2$ . The next electron must go into the  $1\pi_g$  orbital, which is  $\pi$  antibonding (refer to Figures 2.17 and 2.18). This will decrease the nitrogen-nitrogen bond order from 3 to 2.5. Therefore,  $N_2^-$  has a weaker and longer bond than  $N_2$ .  
 (c)  $NO \rightarrow NO^+ + e^-$ ? NO has similar molecular orbitals as CO. Hence, the electronic configuration of NO molecule is  $1\sigma^2 2\sigma^2 1\pi^4 3\sigma^1 2\pi^1$ . Notice that NO has one electron more than CO because nitrogen atom has five valence electrons. Removal of one electron from  $2\pi$  antibonding orbital will increase the bond order from 2.5 to 3, making the bond in  $NO^+$  stronger.
- E2.28** Ultraviolet (UV) radiation is energetic enough to be able to ionize molecules in the gas phase (you can see this from the figure—the x-axis shows the ionization energies,  $I$ , of the molecule). Thus, the UV photoelectron spectra of a kind shown on Figure 2.39 can tell us a lot about the orbital energies. As you can see from the figure, the major regions of the spectra have been already assigned. The line at about 15.2 eV corresponds to excitation of the electrons from  $3\sigma$  molecular orbital (the HOMO of CO). The group of four peaks between 17 and about 17.8 eV correspond to the excitation of  $1\pi$  electrons, and finally the last peak (highest in energy) corresponds to the excitation of  $2\sigma$  electrons. Note that, as expected, the least energy is required to remove an electron from HOMO molecular orbital. Also, the fine structure seen for the  $1\pi$  is due to excitation of different vibrational modes in the cation formed by photoejection of the electrons.

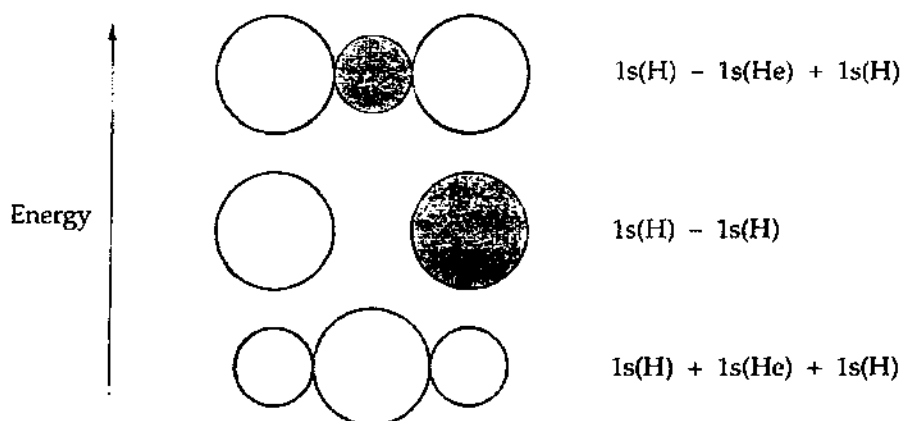
To predict the appearance of the UV photoelectron spectrum of SO we have to determine its electronic configuration. The MO diagram for this molecule would look somewhat similar to that of CO, but the electronic

configuration would be different because the total number of valence electrons is different: 10 for CO but 12 for SO. The electronic configuration of SO would then be  $1\sigma^2 1\sigma^* 2\sigma^2 1\pi^4 3\sigma^2 2\pi^2$ . As a consequence, the UV photoelectron spectrum should have one more line at even lower energies corresponding to the ionization from  $2\pi$  degenerate set of molecular orbitals.

- E2.29** Four atomic orbitals can yield four independent linear combinations. The four relevant ones in this case, for a hypothetical linear  $H_4$  molecule, are shown below with orbital energy increasing from bottom to top. The most stable orbital has the fewest nodes (i.e., the electrons in this orbital are not excluded from any internuclear regions), the next orbital in energy has only one node, and so on to the fourth and highest energy orbital, with three nodes (a node between each of the four H atoms).

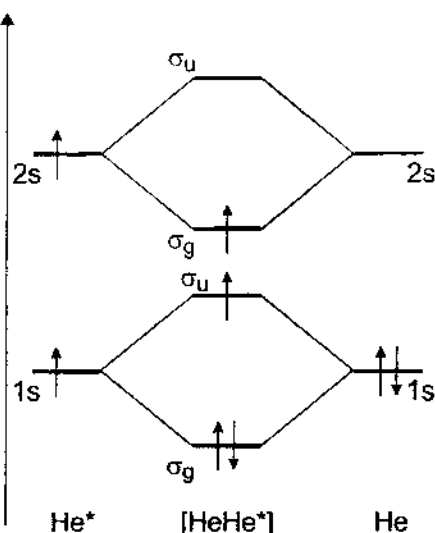


- E2.30** **Molecular orbitals of linear  $[HHeH]^{2+}$ ?** By analogy to linear  $H_3$ , the three atoms of  $[HHeH]^{2+}$  will form a set of three molecular orbitals; one bonding, one nonbonding, and one antibonding. They are shown below. The forms of the wavefunctions are also shown, without normalizing coefficients. You should note that He is more electronegative than H because the ionization energy of He is nearly twice that of H. Therefore, the bonding MO has a larger coefficient (larger sphere) for He than for H, and the antibonding MO has a larger coefficient for H than for He. The bonding MO is shown at lowest energy because it has no nodes. The nonbonding and antibonding orbitals follow at higher energies because they have one and two nodes, respectively. Since  $[HHeH]^{2+}$  has four electrons, only the bonding and nonbonding orbitals are filled. However, the species is probably not stable in isolation because of  $++$  repulsions. In solution it would be unstable with respect to proton transfer to another chemical species that can act as a base, such as the solvent or counterion. *Any* substance is more basic than helium. Also important the fact that He, being a noble gas and unreactive, holds tight to its electrons and is not keen on losing them or sharing them; thus it is unlikely that  $[HHeH]^{2+}$  would last long and would decompose to  $2H^+$  and He.



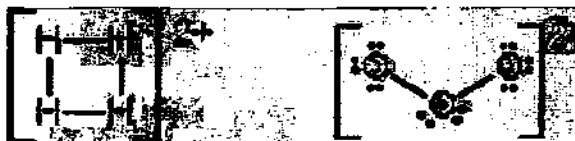
- E2.31** The molecular orbital diagram for  $HeHe^*$  is shown below.





Note that this molecule has a bond order 1:  $\frac{1}{2}(2 - 1 + 1) = 1$ .

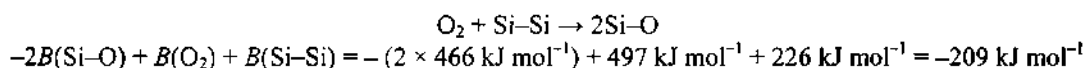
- E2.32** The molecular orbital energy diagram for ammonia is shown in Figure 2.30. The interpretation given in the text was that the  $2a_1$  molecular orbital is almost nonbonding, so the electron configuration  $1a_1^2 1e^4 2a_1^2$  results in only three bonds ( $((2 + 4)/2 = 3)$ ). Since there are three N–H bonds, the average N–H bond order is 1 ( $3/3 = 1$ ).
- E2.33** The molecular orbital energy diagram for sulfur hexafluoride is shown in Figure 2.31. The HOMO of  $SF_6$  is the nonbonding  $e$  set of MOs. These are pure F atom symmetry-adapted orbitals, and they do not have any S atom character whatsoever. On the other hand, the antibonding  $2t_1$  orbitals, a set of LUMO orbitals, have both a sulfur and a fluorine character. Since sulfur is less electronegative than fluorine, its valence orbitals lie at higher energy than the valence orbitals of fluorine (from which the  $t$  symmetry-adapted combinations were formed). Thus, the  $2t_1$  orbitals lie closer in energy to the S atomic orbitals and hence they contain more S character.
- E2.34** Your molecular orbital diagram for the  $N_2$  molecule should look like the one shown on Figure 2.18, whereas the diagrams for  $O_2$  and  $NO$  should be similar to those shown on Figures 2.12 and 2.22 respectively. The variation in bond lengths can be attributed to the differences in bond orders. The electronic configuration of  $N_2$  molecule is  $1\sigma_g^2 1\sigma_u^2 1\pi_u^4 2\sigma_g^2$ , and the bond order of  $N_2$  is  $b = \frac{1}{2}(2 - 2 + 4 + 2) = 3$ . The electronic configuration of  $O_2$  molecule is  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 2\pi_g^2$ , and the bond order is  $b = \frac{1}{2}(2 - 2 + 2 + 4 - 2) = 2$ . Thus, the lower bond order in  $O_2$  results in longer O–O bond in comparison to N–N bond. The electronic configuration of  $NO$  is  $1\sigma^2 2\sigma^2 1\pi^4 3\sigma^2 2\pi^1$  and the  $b = \frac{1}{2}(2 + 2 + 4 - 2 - 1) = 2.5$ . This intermediate bond order in  $NO$  is reflected in an intermediate bond distance.
- E2.35** (a) **Square  $H_4^{2+}$ ?** The drawing below shows a square array of four hydrogen atoms. Clearly, each line connecting any two of the atoms is not a  $(2c, 2e)$  bond because this molecular ion has only two electrons and is electron deficient. It is a hypothetical example of  $(4c, 2e)$  bonding. We cannot write a Lewis structure for this species. It is not likely to exist; it should be unstable with respect to two separate  $H_2^+$  diatomic species with  $(2c, 1e)$  bonds.



(b) **Angular  $O_3^{2-}$ ?** A proper Lewis structure for this 20-electron ion is shown above. Therefore, it is electron precise. It could very well exist.

### Guidelines to Selected Tutorial Problems

**T2.2** The substances common in the Earth's crust are silicate minerals. These contain Si–O bonds with no Si–Si bonds. On the other hand, biosphere contains living systems that are based on biologically important organic molecules that contain C–C and C–H bonds. To understand this “segregation” of Si and C (both elements of the Group 14) we have to analyse the mean bond enthalpies,  $B$ , for these bonds listed in Table 2.8. If we concentrate on silicon first, we see that the bond enthalpy for Si–Si bond is about  $\frac{1}{2}$  of the Si–O bond ( $226 \text{ kJ mol}^{-1}$  vs.  $466 \text{ kJ mol}^{-1}$ ). Also, Si–H bond enthalpy is about  $\frac{2}{3}$  of Si–O bond ( $318 \text{ kJ mol}^{-1}$  vs.  $466 \text{ kJ mol}^{-1}$ ). As a consequence, any Si–Si and Si–H bonds will be converted to Si–O bonds (and water in the case of Si–H). Although it appears that the bond enthalpy of  $\text{O}_2$  molecule is high ( $497 \text{ kJ mol}^{-1}$ ), keep in mind that two Si–O bonds are formed if we break one molecule of  $\text{O}_2$ . Thus, we are considering the following general reaction and associated changes in enthalpy:



Positive signs above indicate that the energy has to be used (i.e., we have to use up the energy to break O=O and Si–Si bonds) while the negative sign indicates energy released upon a bond formation (i.e., energy liberated when Si–O bond is formed). As we can see, the process is very exothermic and as long as there is  $\text{O}_2$ , Si will be bonded to O rather than to another silicon atom. Very similar calculations can be performed to show the preference of Si–O bond over Si–H bond, but in this case formation of very strong H–O bonds (about  $463 \text{ kJ mol}^{-1}$  per H–O bond) has to be taken into account. This would result in even more exothermic process.

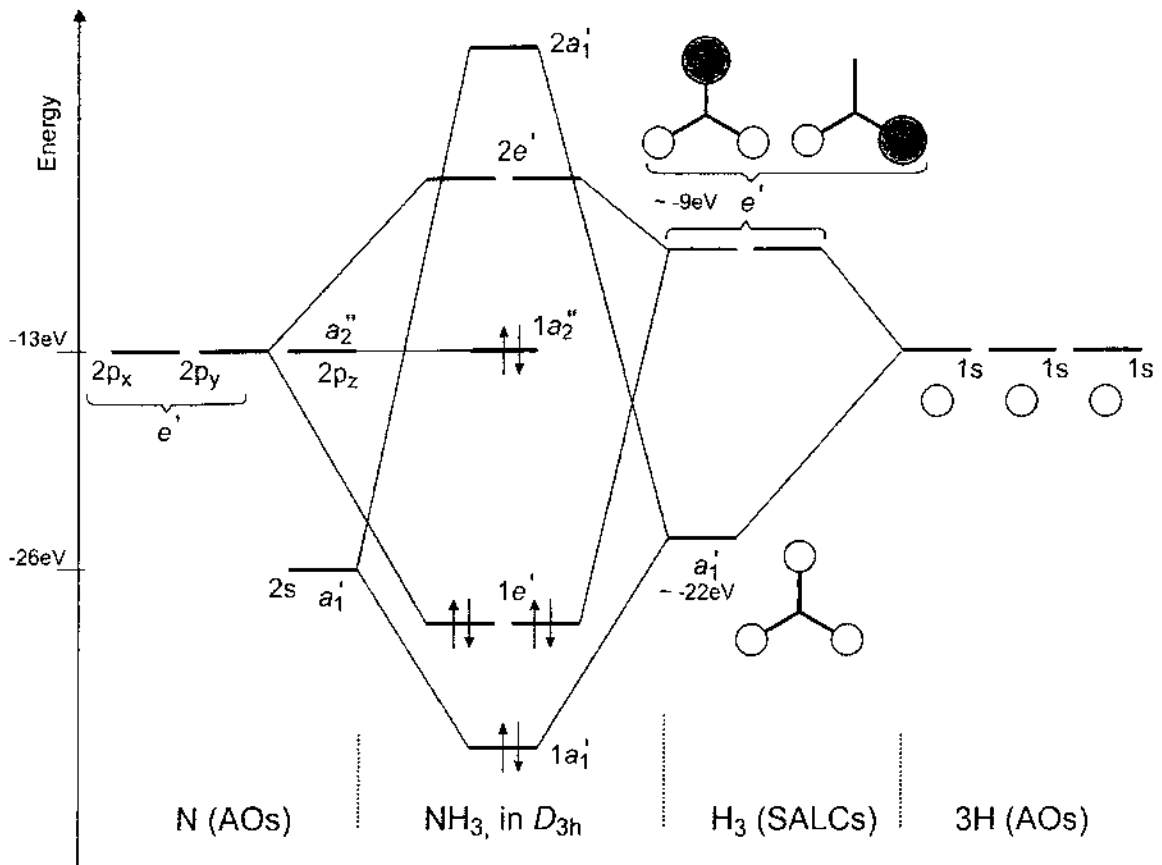
Carbon on the other hand, forms much stronger bonds with H and O in comparison to silicon. It also forms much stronger C–C double and triple bonds in comparison to Si–Si triple bonds. (Recall that as we descend a group the strength of  $\pi$  bonds decreases due to the increased atomic size and larger separation of p atomic orbitals in space. This larger separation prevents efficient orbital overlap.) You will note that the formation of C–O and O–H bonds from organic material (C–C bonds) is still somewhat exothermic, but a high bond enthalpy in  $\text{O}_2$  molecule presents a high activation barrier. Thus we do need a small input of energy to get the reaction going—a spark to light a piece of paper or burning flame to light camp fire.

**T2.6** The planar form of  $\text{NH}_3$  molecule would have a trigonal planar molecular geometry with the lone pair residing in nitrogen's p orbital that is perpendicular to the plane of the molecule. This structure belongs to a  $D_{3h}$  point group (for discussion of molecular symmetry and point groups refer to Chapter 6). Now we can consult Resource Section 5. Table RS5.1 proves us with *the symmetry classes* of atomic orbitals on a central atom of  $\text{AB}_n$  molecules. In our case, the central atom is N with its 2s and 2p valence orbitals. From the table we look at the symmetry classes of s and p orbitals (table rows) for the  $D_{3h}$  point group (in columns). We can see that the s orbital is in  $A_1'$  class (a non-degenerate orbital),  $p_x$  and  $p_y$  in  $E'$  class (a doubly degenerate orbital), and finally  $p_z$  is in  $A_2''$  class (again a single degenerate orbital).

Recall from Section 2.11(a) *Polyatomic molecular orbitals* that molecular orbitals are formed as linear combinations of atomic orbitals of the same symmetry and similar in energy. We find first a linear combination of atomic orbitals on peripheral atoms (in this case H) and the coefficient  $c$ , and then combine the combinations of appropriate symmetry with atomic orbitals on the central atom. The linear combinations of atomic orbitals of peripheral atoms (also called symmetry-adapted linear combinations—SALC) are given after Table RS5.1 in the Resource Section 5. Thus, we have to find linear combinations in  $D_{3h}$  point group that belong to symmetry classes  $A_1'$ ,  $A_2''$ , and  $E'$ . We also have to keep in mind that H atom has only one s orbital.

We can find one  $A_1'$  and two  $E'$  linear combinations that are based only on s orbitals (all other given combinations in the  $D_{3h}$  group with the same symmetry class are based on p orbitals—this can be concluded based on the orbital shape). This means that  $p_z$  atomic orbital on nitrogen atom (from  $A_2''$  class) does not have a symmetry match in the linear combinations of hydrogen's s orbitals and will remain essentially a non-bonding orbital in the planar  $\text{NH}_3$  molecule. The plot is given below. Keep in mind the relative energies of atomic orbitals given in the text of the problem. These are important because only orbitals of right symmetry and similar energies will combine to make molecular orbitals. Further note that  $A_1'$  linear combination of H atomic orbitals is lower in energy than  $E'$  combinations because there are no nodes in the case of  $A_1'$  combinations. (In the plot below AOs stands for

“atomic orbitals” and SALC stands for “symmetry-adapted linear combinations.” Both H atomic orbitals and SALCs formed from them are sketched.)

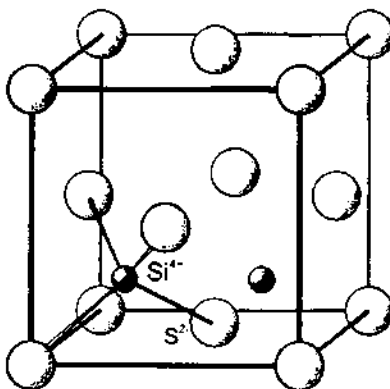


## Chapter 3 The Structures of Simple Solids

### Self-Test Exercises

**S3.1** By examining Figures 3.7 and 3.32, we note that the caesium cations sit on a primitive cubic unit cell (lattice type P) with chloride anion occupying the cubic hole in the body centre. Alternatively, one can view the structure as P-type lattice of chloride anions with caesium cation in cubic hole. Keep in mind that caesium chloride does not have a body centred cubic lattice although it might appear so at a first glance. The body centred lattice has all points identical, whereas in CsCl lattice the ion at the body centre is different from those at the corners.

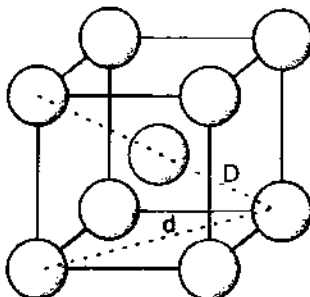
**S3.2** The 3D structure of  $\text{SiS}_2$  is shown below:



**S3.3** (i) Figures 3.3 and 3.23 show the primitive cubic unit cell. Each unit cell contains one sphere (equivalent to  $8 \times 1/8$  spheres on the vertices of the cell in contact along the edges). The volume of a sphere with radius  $r$  is  $\frac{4}{3} \pi r^3$ , whereas the volume of the cubic unit cell is  $a^3 = (2r)^3$  (where  $a$  is a length of the edge of the unit cell). Thus the fraction filled is  $\frac{\frac{4}{3} \pi r^3}{(2r)^3} = 0.52$  and 52% of the volume in the primitive cubic unit cell is filled.

(ii) Figures 3.8 and 3.29(a, the structure of iron) show the body-centred unit cell. Each unit cell contains two spheres (one in the middle of the cell and an equivalent of one sphere at eight corners of a cube, see part (i) above). The volume of a sphere is  $\frac{4}{3} \pi r^3$  (where  $r$  is the sphere radius), thus the total volume is  $2 \times \frac{4}{3} \pi r^3 = \frac{8}{3} \pi r^3$ . Now, we have to find a way to represent the length of the unit cell,  $a$ , in terms of  $r$ . In a body-centred cubic unit cell the spheres are in contact along the space diagonal of the cube (labelled D on the figure below). Thus

$$D = r + 2r + r = 4r \quad (1)$$



based on the same arguments as in Example 3.3.

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If we apply Pythagoras' theorem to this case, we obtain

$$D^2 = d^2 + a^2, \quad (2)$$

where  $d$  is the length of a face diagonal of the cube and  $a$  the length of cube's edge. As we have also seen in the Example 3.3, the face diagonal of the cube can be calculated from  $d^2 = 2a^2$ . Substituting this result in equation (1) above, we have:

$$D = 2a^2 + a^2 = 3a^2 \quad (3)$$

Finally, we can square the result in (1) and equate this to (3) to obtain the relationship between  $r$  and  $a$  in a body-centred unit cell as:

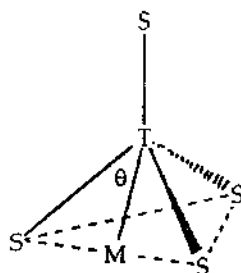
$$16r^2 = 3a^2, \text{ and } a = \frac{4r}{\sqrt{3}}.$$

From here the volume of the cell is  $a^3 = \frac{64r^3}{(\sqrt{3})^3}$ . Thus the fraction of space occupied by identical spheres in this unit cell is:

$$\frac{\frac{8}{3}\pi r^3}{\frac{64r^3}{(\sqrt{3})^3}} = \frac{8\pi(\sqrt{3})^3}{3 \times 64} = 0.68 \text{ or } 68\%$$

From these results and Example 3.3, it becomes clear that closed-packed cubic lattice has the best space economy (best packing, least empty space), followed by the body-centred lattice, whereas the simple cubic packing has the lowest space economy with the highest fraction of unoccupied space.

- S3.4** See Figure 3.19b for important distances and geometrical relations. Note that the distance  $S-T = r + r_h$ , by definition. Therefore, you must express  $S-T$  in terms of  $r$ . Note also that  $S-T$  is the hypotenuse of the right triangle  $STM$ , with sides  $S \dots M$ ,  $M-T$ , and  $T \dots S$ . Point  $M$  is at the midpoint of line  $S \dots S$ , and because  $S \dots S = 2r$ , so  $S \dots M = r$ . The angle  $\theta$  is  $54.74^\circ$ , one-half of the tetrahedral angle  $S-T-S$  ( $109.48^\circ$ ). Therefore,  $\sin 54.74^\circ = r/(r + r_h)$ , and  $r_h = 0.225r$ . This is the same as  $r_h = ((3/2)^{1/2} - 1)r$ .

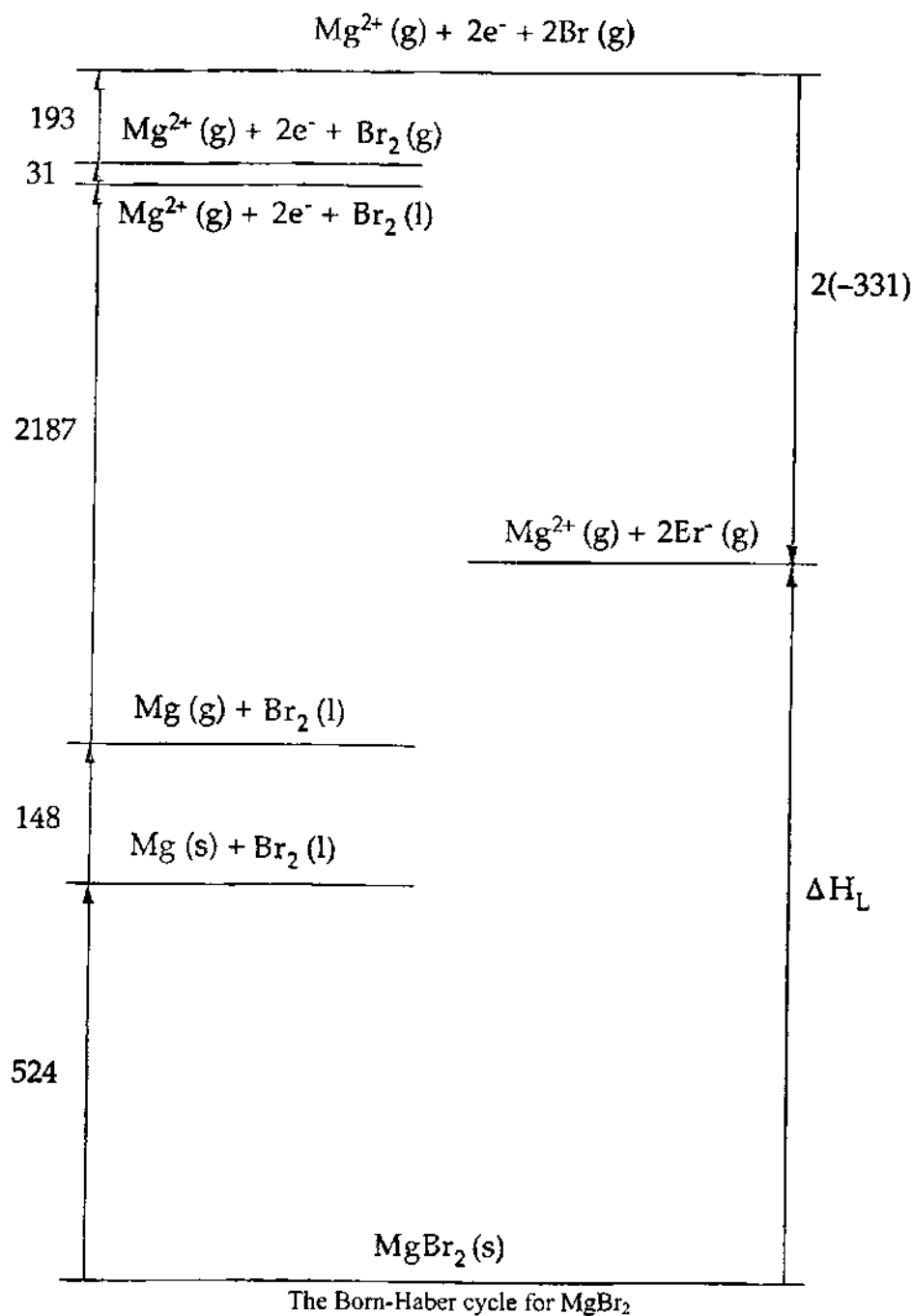


- S3.5** The position of tetrahedral holes in a ccp unit cell is shown in Figure 3.20(b). From the figure, it is obvious that each unit cell contains eight tetrahedral holes, each inside the unit cell. As outlined in Example 3.5, the ccp unit cell has four identical spheres. Thus, the spheres-to-tetrahedral holes ratio in this cell is 4 : 8 or 1 : 2.
- S3.6** The ccp unit cell contains four atoms that weigh together  $(4 \text{ mol Ag} \times 107.87 \text{ g/mol}) / (6.022 \times 10^{23} \text{ Ag/mol}) \text{ g}$  or  $7.165 \times 10^{-22} \text{ g}$ . The volume of the unit cell is  $a^3$ , where  $a$  is the length of the edge of the unit cell. The density equals mass divided by volume or:

$$10.5 \text{ g cm}^{-3} = 7.165 \times 10^{-22} \text{ g} / a^3 \text{ with } a \text{ in cm}$$

$$a = 4.09 \times 10^{-8} \text{ cm or } 409 \text{ pm}$$

- S3.7 For the bcc structure,  $a = 4r/\sqrt{3}$ . This relation can be derived simply by considering the right triangle formed from the body diagonal, face diagonal, and edge of the bcc unit cell (see also self test 3.3(ii) above). Using the Pythagorean theorem, we have  $(4r)^2 = a^2 + (a\sqrt{2})^2$ . Solving for  $a$  in terms of  $r$ , we have  $a = 4r/\sqrt{3}$ . From Example 3.6, we know that the metallic radius of Po is 174 pm. Therefore, using the derived relation we can calculate  $a = 401$  pm.
- S3.8 The lattice type of this Fe/Cr alloy is that of body-centred packing which can be deduced by comparing the unit cells shown in Figure 3.29(a) and (c). The stoichiometry is 1.5 Cr [ $4 \times (1/8)$  corners +  $1 \times (1)$  body] atoms and 0.5 Fe [ $4(1/8)$  corners] atoms per unit cell. This would give Cr-to-Fe ratio of 1.5 : 0.5 which when multiplied by 2 provides whole numbers required for the formula 3 : 1. The formula for the alloy is therefore  $\text{FeCr}_3$ .
- S3.9 For close-packed structures,  $N$  close-packed ions lead to  $N$  octahedral sites. Therefore, if we assume three close-packed anions (A), then there should also be three octahedral holes. Since only two thirds are filled with cations, there are two cations (X) in two octahedral sites and the stoichiometry for the solid is  $X_2A_3$ .
- S3.10 The perovskite,  $\text{CaTiO}_3$ , structure is shown in Figure 3.42. The large calcium cations occupy site A whereas smaller  $\text{Ti}^{4+}$  cations site B. The  $\text{O}^{2-}$  anions are located at site X. Thus, we can see two different coordination environments of  $\text{O}^{2-}$ : one with respect to  $\text{Ca}^{2+}$  (A site) and the other with respect to  $\text{Ti}^{4+}$  (B site).  $\text{Ti}^{4+}$  is located on the corners of the cube whereas  $\text{O}^{2-}$  anions are located on the middle of every edge. Thus, there are two  $\text{Ti}^{4+}$  surrounding each  $\text{O}^{2-}$ , which are oxygen's nearest neighbours. To see how many  $\text{Ca}^{2+}$  surround each  $\text{O}^{2-}$ , we have to add three unit cells horizontally, each sharing a common edge. Then we can see that there are four  $\text{Ca}^{2+}$  cations as next nearest neighbours. Thus, the coordination of  $\text{O}^{2-}$  is two  $\text{Ti}^{4+}$  and four  $\text{Ca}^{2+}$  and longer distances.
- S3.11  $\text{La}^{3+}$  would have to go on the larger A site, and to maintain charge balance it would be paired with the smaller  $\text{In}^{3+}$  and thus the composition would be  $\text{LaInO}_3$ .
- S3.12 Follow the procedure outlined in the example. From the Resource Section 1 we find the following radii for coordination number 6:  $r(\text{Ca}^{2+}) = 100\text{pm}$ ,  $r(\text{Bk}^{4+}) = 63\text{pm}$  and  $r(\text{O}^{2-}) = 140\text{pm}$ . From here we can calculate the ratios:
- For  $\text{CaO}$ :  $100\text{pm}/140\text{pm} = 0.714$ , within the 0.414–0.732 range for the AB structure type, and the most plausible structure is NaCl structure.
  - For  $\text{BkO}_2$ :  $63\text{pm}/140\text{pm} = 0.450$ , is also within the 0.414–0.732 range but this time we have to look under  $\text{AB}_2$  structure-type column; thus, we can predict  $\text{TiO}_2$  structure type. For this oxide, however, this is only a predicted structure— $\text{BkO}_2$  actually has a fluorite-type structure. Thus, this example shows a limitation of this method. Even if we were to use ionic radii for correct coordination numbers (8 for  $\text{Bk}^{4+}$  and 4 for  $\text{O}^{2-}$  in  $\text{CaF}_2$  structure type), the  $\gamma$  value would still fall within the  $\text{TiO}_2$  structure range.
- S3.13 You should proceed as in the example, calculating the total enthalpy change for the Born-Haber cycle and setting it equal to  $\Delta_f H$ . In this case, it is important to recognize that two  $\text{Br}^-$  ions are required, so the enthalpy changes for (i) vaporization of  $\text{Br}_2(\text{l})$  and (ii) breaking the Br–Br bond in  $\text{Br}_2(\text{g})$  are used without dividing by 2, as was done for  $\text{Cl}_2$  in the case of KCl described in Example 3.11. Furthermore, the first and second ionization enthalpies for  $\text{Mg}(\text{g})$  must be added together for the process  $\text{Mg}(\text{g}) \rightarrow \text{Mg}^{2+}(\text{g}) + 2\text{e}^-$ . The Born-Haber cycle for  $\text{MgBr}_2$  is shown below, with all of the enthalpy changes given in  $\text{kJ mol}^{-1}$ . These enthalpy changes are not to scale. The lattice enthalpy is equal to  $2421 \text{ kJ mol}^{-1}$ . Note that  $\text{MgBr}_2$  is a stable compound despite the enormous enthalpy of ionization of magnesium. This is because the very large lattice enthalpy more than compensates for this positive enthalpy term. Note the standard convention used; lattice enthalpies are positive enthalpy changes.



**S3.14** This compound is unlikely to exist owing to a large positive value for the heat of formation for  $\text{CsCl}_2$  that is mainly due to the large second ionization energy for Cs ( $I_1 = 375 \text{ kJ mol}^{-1}$  vs.  $I_2 = 2420 \text{ kJ mol}^{-1}$ ; the  $I_2$  alone for Cs is higher than the sum of  $I_1$  and  $I_2$  for Mg; see Self-Test 3.13.). The compound is predicted to be unstable with respect to its elements mainly because the large ionization enthalpy to form  $\text{Cs}^{2+}$  is not compensated by the lattice enthalpy.

**S3.15** The enthalpy change for the reaction



includes several terms, including the lattice enthalpy for  $\text{MSO}_4$ , the lattice enthalpy for  $\text{MO}$ , and the enthalpy change for removing  $\text{O}^{2-}$  from  $\text{SO}_4^{2-}$ . The last of these remains constant as you change  $\text{M}^{2+}$  from  $\text{Mg}^{2+}$  to  $\text{Ba}^{2+}$ , but the lattice enthalpies change considerably. The lattice enthalpies for  $\text{MgSO}_4$  and  $\text{MgO}$  are both larger than those for  $\text{BaSO}_4$  and  $\text{BaO}$ , simply because  $\text{Mg}^{2+}$  is a smaller cation than  $\text{Ba}^{2+}$ . However, the *difference* between the lattice enthalpies for  $\text{MgSO}_4$  and  $\text{BaSO}_4$  is a smaller number than the difference between the lattice enthalpies for  $\text{MgO}$  and  $\text{BaO}$  (the larger the anion, the less changing the size of the cation affects  $\Delta H_L$ ). Thus going from  $\text{MgSO}_4$  to  $\text{MgO}$  is thermodynamically more favourable than going from  $\text{BaSO}_4$  to  $\text{BaO}$  because the *change* in  $\Delta H_L$  is greater for the former than for the latter. Therefore, magnesium sulfate will have the lowest decomposition temperature and barium sulfate the highest, and the order will be  $\text{MgSO}_4 < \text{CaSO}_4 < \text{SrSO}_4 < \text{BaSO}_4$ .

- S3.16** The most important concept for this question from Section 3.15(c) *Solubility* is the general rule that compounds that contain ions with widely different radii are more soluble in water than compounds containing ions with similar radii. The six-coordinate radii of  $\text{Na}^+$  and  $\text{K}^+$  are 1.02 and 1.38 Å, respectively (see Table 1.4), whereas the thermochemical radius of the perchlorate ion is 2.36 Å (see Table 3.10). Therefore, because the radii of  $\text{Na}^+$  and  $\text{ClO}_4^-$  differ more than the radii of  $\text{K}^+$  and  $\text{ClO}_4^-$ , the salt  $\text{NaClO}_4$  should be more soluble in water than  $\text{KClO}_4$ .
- S3.17** (a)  $\text{HgS}$  has the sphalerite type structure and a high degree of covalency in the bonding, thus it would favour Frenkel defects.  
(b)  $\text{CsF}$  has the rock-salt structure and ionic bonding. This type of compound generally forms Schottky defects. Note that you can determine possible structures for both compounds using radius ratio  $\gamma$  and radii given in Resource Section 1. You can make a judgement on bonding type using the Ketelaar triangle. All of these have been covered in this chapter.
- S3.18** We need to identify ions of similar charge (+4) and size ( $r = 40$  pm) to silicon. Ionic radii are listed in Resource Section 1. Two obvious choices are phosphorus ( $r = 31$  pm, charge +3) and aluminium ( $r = 53$ , charge +3).
- S3.19** The  $d_{x^2-y^2}$  and  $d_{z^2}$  have lobes pointing along the cell edges to the nearest neighbour metals. See Figure 1.15 for review of the shape of 3d orbitals.
- S3.20** (a)  $\text{V}_2\text{O}_5$ : *n*-type is expected when a metal is in a high oxidation state, such as vanadium(V), and is likely to undergo reduction.  
(b)  $\text{CoO}$ : *p*-type is expected when a metal is in a lower oxidation state and is likely to undergo oxidation. Recall that upon oxidation, holes are created in the conduction band of the metal and the charge carriers are now positive, leading the classification.

### End-of-Chapter Exercises

- E3.1** By consulting Table 3.1 for the orthorhombic crystal system we have  $a \neq b \neq c$  and  $\alpha = 90^\circ$ ,  $\beta = 90^\circ$ ,  $\gamma = 90^\circ$ . See Figure 3.2 for a three-dimensional structure of this type of unit cell.
- E3.2** The drawings are shown on the Figure E3.2 below. Figure E3.2-A) represents only the outline of the tetragonal unit cell without lattice points. A face-centred tetragonal unit cell is shown on E3.2-B) whereas a body-centred lattice unit cell is shown on Figure E3.2-C). Two face-centred unit cells next to each other (along one *a* direction) are shown in Figure E3.2-D). The two face-centred unit cells are now outlined with dashed lines whereas the new, body-centred cell is outlined in solid lines. We can see that we can form the top of this new unit cell if we connect the lattice points in the middle of top faces of face-centred unit cells with the corner lattice points shared between two adjacent face-centred unit cells. The same applies to the bottom face of the new cell. On the left is shown the new body-centred lattice. It is clear that the length of *c* dimension remains the same; the length of new *a* direction (marked with X), however has to be determined.  
X can be determined easily if we look at the projection of two adjacent face-centred unit cells along *c* (Figure E3.2-E). Again, the dashed lines indicate the edges of two adjacent, face-centred unit cells, whereas the solid lines outline the new, body-centred unit cell. The fractional coordinates of selected, important lattice points have been indicated as well as original length *a*. You can see that the common lattice point (located at the centre of the two



shared faces) is now at the centre of the new body-centred unit cell. We can see that  $X$  is half of the face diagonal of the old unit cell. Using Pythagoras's theorem, we have:

$$X = \frac{d}{2} = \frac{\sqrt{a^2 + a^2}}{2} = \frac{a\sqrt{2}}{2} = \frac{a}{\sqrt{2}}$$

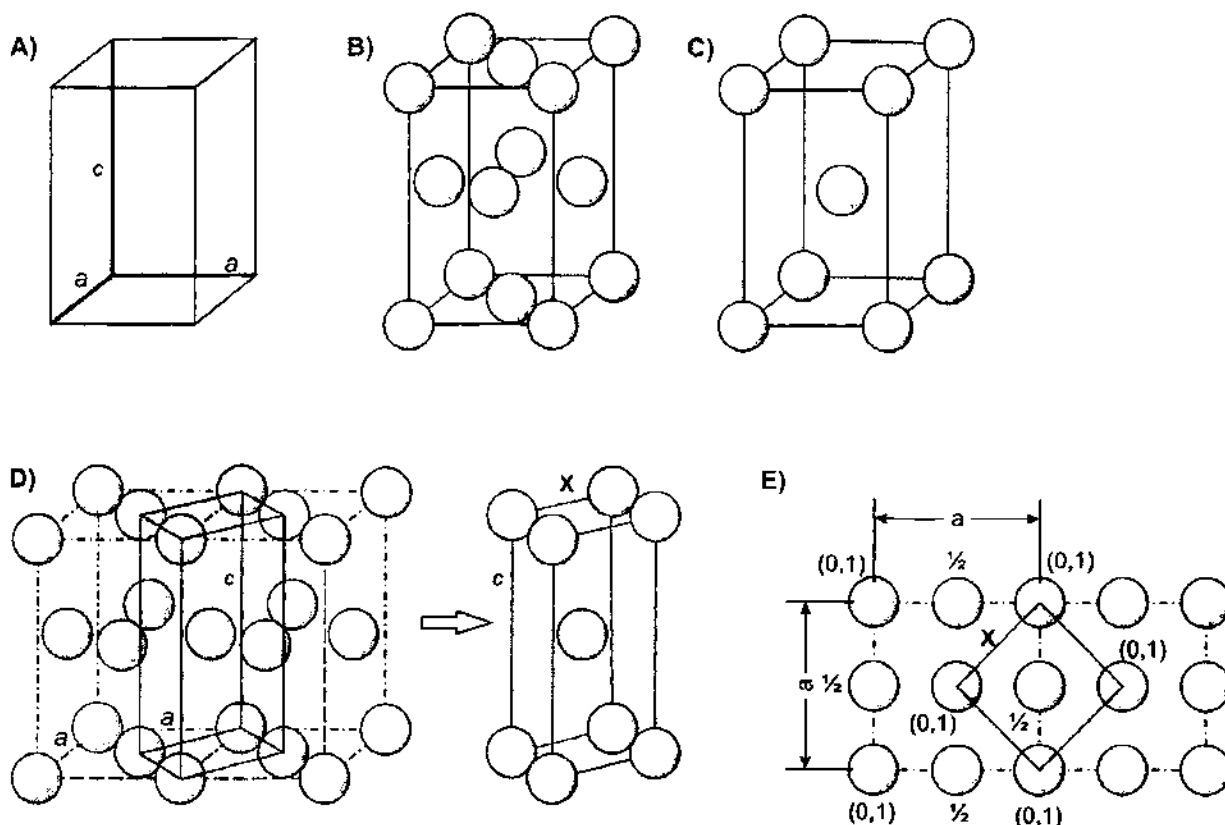


Figure E3.2

**E3.3** Points on the cell corners are  $(0,0,0)$ ,  $(1,0,0)$ ,  $(0,1,0)$ ,  $(0,0,1)$ ,  $(1,1,0)$ ,  $(1,0,1)$ ,  $(0,1,1)$ , and  $(1,1,1)$ ; the fractional coordinates for the points at the centre of each face are  $(\frac{1}{2}, \frac{1}{2}, 0)$ ,  $(\frac{1}{2}, \frac{1}{2}, 1)$ ,  $(0, \frac{1}{2}, \frac{1}{2})$ ,  $(\frac{1}{2}, 0, \frac{1}{2})$ ,  $(\frac{1}{2}, 1, \frac{1}{2})$ , and  $(1, \frac{1}{2}, \frac{1}{2})$ . See Figure 3.9 for insight on the projection representation of the fcc unit cell.

Look at the Example 3.8 and Self-Test 3.8 if you have problems determining the composition of the unit cells. Using the same approach as outlined in these, you can find that the cubic F lattice has indeed four points, and that body-centred has two.

**E3.4** If you had problems with this exercise, you should revise Example and Self-Test 3.1. The final graphical solution is provided below on Figure E3.4. Remember that the numbers in parentheses correspond to the displacement in three directions. In the top right corner is outlined a projection of a cubic unit cell along one direction (height) with origin indicated with  $(0,0,0)$ . We first find the location of Ti atom by translating along the cell's length for  $\frac{1}{2}$  (solid arrow), then for  $\frac{1}{2}$  along the cell's width (dashed line), and finally for  $\frac{1}{2}$  of cell's height (number  $\frac{1}{2}$ ). That is where we place Ti atom.

Next we locate oxygen atoms. We start first with O atom at  $(\frac{1}{2}, \frac{1}{2}, 0)$ . First we translate along the cell's length for  $\frac{1}{2}$  (solid arrow), and then for  $\frac{1}{2}$  along the cell's width (dashed line). There is no translation along the cell's height because the last number is 0. Since the cell is cubic, the equivalent  $\frac{1}{2}$  length,  $\frac{1}{2}$  width displacement will repeat exactly at one full height of the unit cell. Thus, we have two oxygen atoms—one at 0 height and the other at full (1) height, which is indicated by  $(0,1)$  fractional coordinates next to a white circle representing O atom. Similarly, we obtain the positions of O atoms at  $(0, \frac{1}{2}, \frac{1}{2})$  and  $(\frac{1}{2}, 0, \frac{1}{2})$ , each giving two O atoms. Finally, Ba atom is exactly at the origin  $(0,0,0)$ . Since the cell is cubic, we must have Ba atom at every corner of the unit cell with height-fractional coordinates of either 0 or 1 (as indicated next to the first Ba atom represented by a dark circle).

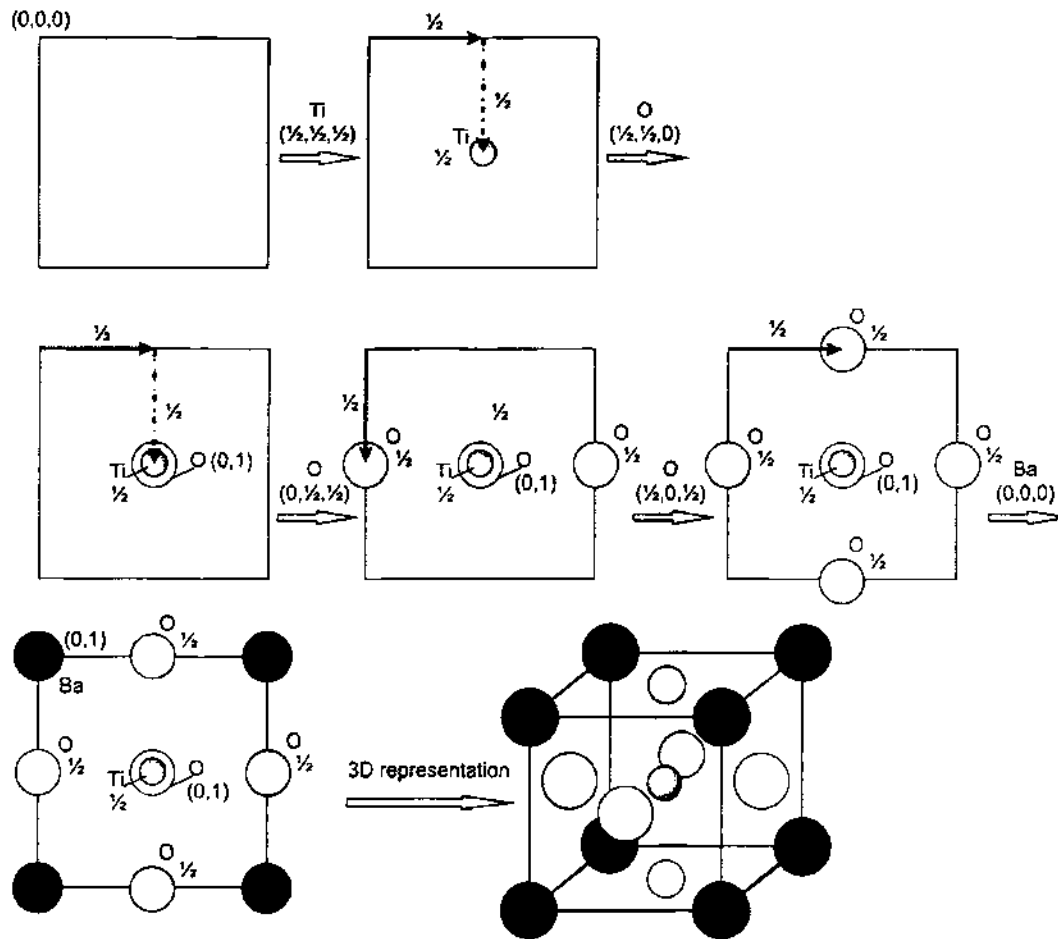
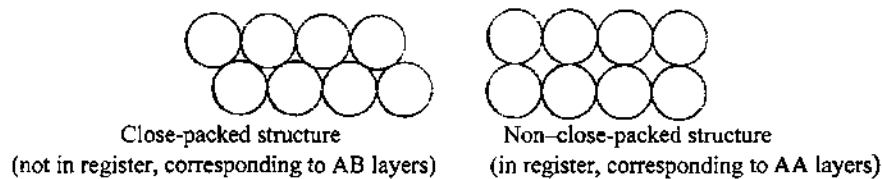


Figure E3.4

The analysis of 3D structure and the last projection with Ba ions added reveals that this compound has a perovskite-type structure with a small cation ( $\text{Ti}^{4+}$ ) in octahedral coordination environment with coordination number six, whereas large cation ( $\text{Ba}^{2+}$ ) lies on sites with coordination number 12.

- E3.5 (a) ABCABC...:** Any ordering scheme of planes is close-packed if no two adjacent planes have the same position (i.e., if no two planes are *in register*). When two planes are in register, the packing looks like the figure below and to the right (the spheres in the upper layer lie exactly on top of the spheres in a layer below), whereas the packing in a close-packed structure allows the atoms of one layer to fit more efficiently into the spaces *between* the atoms in an adjacent layer, like the figure below and to the left. Notice that the empty spaces between the atoms in the figure to the left are much smaller than in the figure to the right. The efficient packing exhibited by close-packed structures is why, for a given type of atom, close-packed structures are denser than any other possible structure. In the case of an ABCABC ... structure, no two adjacent planes are in register, so the ordering scheme is close-packed.



- (b) ABAC...:** Once again, no two adjacent planes are in register, so the ordering scheme is close-packed.

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- (c) **ABBA...**: The packing of planes using this sequence will put two B planes next to each other as well as two A planes next to each other, so the ordering scheme is not close-packed.  
 (d) **ABCBC...**: No two adjacent planes are in register, so the ordering scheme is close-packed.  
 (e) **ABABC...**: No two adjacent planes are in register, so the ordering scheme is close-packed.  
 (f) **ABCCB...**: The packing of planes using this sequence will put two C planes next to each other, so the ordering scheme is not close-packed.

- E3.6** Remember that in any close-packed structure with  $N$  close-packed ions there are  $N$  octahedral holes and  $2N$  tetrahedral holes (see Section 3.3).  
 (a) If we had all tetrahedral holes filled, the M-to-X ratio would be 2 : 1 because in a close-packed structure we have  $2N$  tetrahedral holes per  $N$  anions X. Since only one-half of the holes are filled, this ratio is 1 : 1 and the formula is MX.  
 (b) If we had all octahedral holes filled, the M-to-X ratio would be 1 : 1. Since only half of these holes contain M, the ratio is  $\frac{1}{2}$  : 1 or 2 : 1 and the formula is  $M_2A$ . Review Example 3.9 and Self-Test 3.9 if you had problems with this exercise.
- E3.7** Within the fcc lattice of fullerides shown in Figure 3.16, there are the equivalent of four close-packed molecules ( $\frac{1}{8}(8)$  corners +  $\frac{1}{2}(6)$  faces). This lattice contains the equivalent of four octahedral holes and eight tetrahedral holes as shown in Figure 3.18. If the potassium cations occupy all of these holes then we have 12  $K^+$  ions for every four  $C_{60}$  anions and the formula is  $K_3C_{60}$  (simplified from  $(K_{12}(C_{60})_4)$ ). See Figure 24.69 for further visualization of the structure. Review Example 3.9 and Self-Test 3.9 if you had problems with this exercise.
- E3.8** The AAA... layering has hexagonal layers that in the structure lie exactly on top of each other. Inspection of two such layers AA (see Figure E3.8 below) easily reveals the trigonal prismatic holes. A top and side view of the hole is given at the far right of Figure E3.8. Since each S atom in this packing contributes only one-sixth to the hole, and the trigonal prism has six corners, we have  $N$  trigonal prismatic holes per  $N$  sulfur atoms. Since the formula is  $MoS_2$ , every second hole in the structure contains Mo atom.

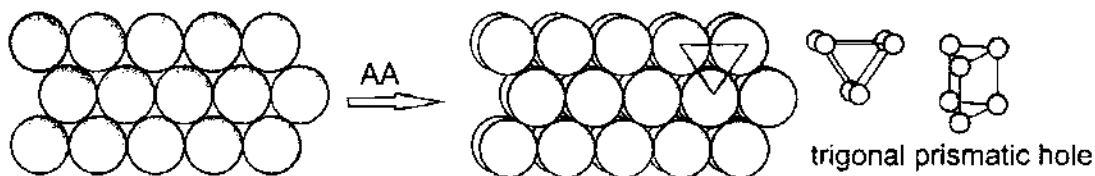


Figure E3.8

- E3.9** Tungsten has a body-centred unit cell. Two such adjacent unit cells are shown on Figure E3.9. The site in the middle of the original unit cell is indicated by an open circle. Looking at the arrangement of tungsten atoms around it, we see that the coordination number (CN) of that site is 6—four atoms at the corner defining the shared face plus an atom in the centre of each unit cell. If we fill each of these holes with C atoms we would get the stoichiometry of  $W_2C_3$ : two tungsten atoms per body-centred unit cell and 1 C atom on each two faces of the cube (remember that the atoms on the faces of the unit cell are shared between two cells; see Example 3.8 and Self-Test 3.8).

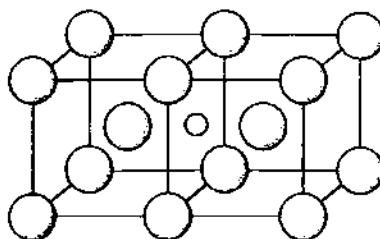


Figure E3.9

- E3.10** The bcc unit cell contains two atoms that weigh together  $(2 \text{ mol Na} \times 22.99 \text{ g/mol}) / (6.022 \times 10^{23} \text{ Na/mol}) \text{ g}$  or  $7.635 \times 10^{-26} \text{ kg}$ . The volume of the unit cell is  $a^3$ , where  $a$  is the length of the edge of the unit cell. The density equals mass divided by volume or:

$$970 \text{ kg m}^{-3} = 7.635 \times 10^{-26} \text{ kg} / a^3 \text{ with } a \text{ in m}$$

$$a = 4.29 \times 10^{-10} \text{ m or } 429 \text{ pm}$$

- E3.11** The composition can be determined by counting atoms in the unit cell shown in Figure 3.75. Six face copper atoms times one-half gives three Cu atoms per unit cell and eight corner gold atoms times one-eighth gives one Au per unit cell with an overall composition for the alloy of  $\text{Cu}_3\text{Au}$ . The unit cell considering just the Au atoms is primitive cubic. The mass % of Au in this alloy is:

$$(\text{mass \% Au}) = m(\text{Au})/m(\text{Cu}_3\text{Au}) = 196.97 \text{ g} / (3 \times 633.55 \text{ g} + 196.97 \text{ g}) \times 100\% = 50.82\%$$

Pure gold is 24 carat (100% gold). This alloy, which contains about 50% by mass gold, would therefore be 12 carat.

- E3.12** The electronegativity difference is 0.86 for Sr and Ga and the mean is 1.38 (use Pauling electronegativity values provided in Table 1.7 to calculate the difference and mean value). Using Ketelaar's triangle (see Figure 2.38 and particularly Figure 3.27) and calculated values for the  $y$  and  $x$  axes, respectively, we find that the compound is an alloy because it falls in the metallic bond region of Figure 2.38 and alloy region of Figure 3.27.

- E3.13 (a) Coordination numbers.** The rock-salt polymorph of  $\text{RbCl}$  is based on a ccp array of  $\text{Cl}^-$  ions in which the  $\text{Rb}^+$  ions occupy all of the octahedral holes. An octahedron has six vertices, so the  $\text{Rb}^+$  ions are six-coordinate. Since  $\text{RbCl}$  is a 1:1 salt, the  $\text{Cl}^-$  ions must be six-coordinate as well. The caesium-chloride polymorph is based on a cubic array of  $\text{Cl}^-$  ions with  $\text{Rb}^+$  ions at the unit cell centres. A cube has eight vertices, so the  $\text{Rb}^+$  ions are eight-coordinate, and therefore the  $\text{Cl}^-$  ions are also eight-coordinate.

**(b) Larger  $\text{Rb}^+$  radius.** If more anions are packed around a given cation, the hole that the cation sits in will be larger. You saw an example of this when the radii of tetrahedral ( $0.225r$ ) and octahedral holes ( $0.414r$ ) were compared ( $r$  is the radius of the anion). Therefore, the cubic hole in the caesium-chloride structure is larger than the octahedral hole in the rock-salt structure. A larger hole means a longer distance between the cation and anion, and hence a larger apparent radius of the cation. Therefore, the apparent radius of rubidium is larger when  $\text{RbCl}$  has the caesium-chloride structure and smaller when  $\text{RbCl}$  has the rock-salt structure.

- E3.14** The unit cell for this structure is shown in Figure 3.30. Each unit cell is surrounded by six equivalent unit cells with which it shares a face. Since each of these unit cells contains a  $\text{Cs}^+$  ion at its centre, each  $\text{Cs}^+$  ion has six second-nearest neighbours that are  $\text{Cs}^+$  ions, one in the centre of each of the six neighbouring unit cells.

- E3.15** The  $\text{ReO}_3$  unit cell is shown in Figure E3.15a). We can easily see that the coordination number of O atoms is two: each O atom located on the edges is surrounded by two Re atoms. The coordination number of Re atoms is six: we can see that if we extend environment around one Re atom into the neighbouring unit cells (Figure E3.15b). Finally, if we insert one cation in the middle of  $\text{ReO}_3$  unit cell (white circle on Figure E3.15c), we generate a perovskite-type structure.

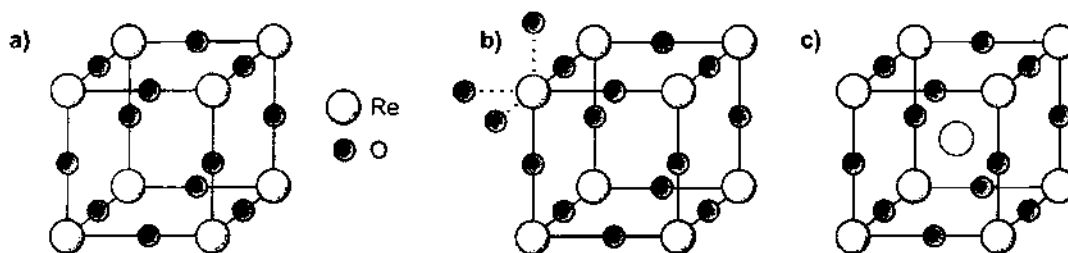


Figure E3.15

- E3.16** In the perovskite structure, cations in site A have coordination number 12, whereas those in site B have coordination number six. See Figure 3.42 for more information on the perovskite structure.

- E3.17** We are removing only every second  $\text{Cs}^+$  cation from the  $\text{CsCl}$  structure. This means that while coordination around  $\text{Cl}^-$  drops for one-half (from eight to four), the coordination around  $\text{Cs}^+$  remains the same (eight). This corresponds to the  $\text{CaF}_2$  structure (each  $\text{F}^-$  is surrounded by four  $\text{Ca}^{2+}$ , whereas each  $\text{Ca}^{2+}$  has eight closest  $\text{F}^-$  neighbours).
- E3.18** Keep in mind that if a close-packed structure is made of  $N$  anions  $X$ , then the lattice has  $N$  octahedral and  $2N$  tetrahedral holes.
- (a) If all octahedral holes were filled, the stoichiometry would be  $\text{MX}$ ; with half the octahedral holes filled, the stoichiometry becomes  $\text{MX}_2$ .
- (b) If all tetrahedral holes were filled, the stoichiometry would be  $\text{M}_2\text{X}$ ; with one quarter it becomes also  $\text{MX}_2$ .
- (c) If all octahedral holes were filled, the stoichiometry would be  $\text{MX}$ ; with two-thirds filled the ratio  $\text{M} : \text{X}$  is  $2/3 : 1$  or  $2 : 3$  giving  $\text{M}_2\text{X}_3$  as final formula.
- The coordination of  $\text{M}$  is given by the hole it fills, thus in (a) it is six and in (b) it is four. For the anion  $X$  the number of neighbours is one-half—three in (a) and two in (b).
- E3.19** (a)  $r(\text{Pu}^{4+}) = 86 \text{ pm}$ ;  $r(\text{O}^{2-}) = 140 \text{ pm}$ ;  $\gamma = 86/140 = 0.614$ ;  $\text{TiO}_2$ -type  
 (b)  $r(\text{Fr}^+) = 196 \text{ pm}$ ;  $r(\text{I}^-) = 220$ ;  $\gamma = 196/220 = 0.891$ ;  $\text{CsCl}$ -type  
 (c)  $r(\text{Be}^{2+}) = 45 \text{ pm}$ ;  $r(\text{S}^{2-}) = 184 \text{ pm}$ ;  $\gamma = 45/184 = 0.245$ ;  $\text{ZnS}$ -type  
 (d)  $r(\text{In}^{3+}) = 80 \text{ pm}$ ;  $r(\text{N}^{3-}) = 146 \text{ pm}$ ;  $\gamma = 80/146 = 0.548$ ;  $\text{NaCl}$ - or  $\text{NiAs}$ -type

- E3.20** The unit cell of rock-salt structure is shown on Figure 3.30. We have to remember that the cations fill the holes in closed-packed structure of  $\text{Se}^{2-}$  anion. The geometrical approach to calculating the cationic radii is shown in Figure E3.20 below. Both sketches show only one face of a rock-salt unit cell. The one on the left is for  $\text{MgSe}$ , showing  $\text{Se}^{2-}$  anions in contact and smaller  $\text{Mg}^{2+}$  filling the holes. The sketch on the right shows the other three cases. It is clear that we need  $\text{Se}^{2-}$  radius first to calculate radii of cations. From  $\text{MgSe}$  structure:

$$d^2 = (4r)^2 = a^2 + a^2 \quad \text{and} \quad 16r^2 = 2a^2 \Rightarrow r = \frac{a}{2\sqrt{2}} = \frac{545 \text{ pm}}{2\sqrt{2}} = 192.7 \text{ pm}$$

where  $a$  is the length of unit cell,  $r$  is radius of  $\text{Se}^{2-}$  anion and  $d$  is the length of face diagonal of the unit cell. From shown measurements we see that in each case the length of the unit cell,  $a$ , is given by:

$$a = 2r + 2r^+$$

where  $r^+$  is the cation radius and  $r$  is  $\text{Se}^{2-}$  radius. From here, we have:  $r^+ = \frac{a - 2r}{2}$ .

Thus, after substitutions we obtain:  $r(\text{Mg}^{2+}) = 79.8 \text{ pm}$ ,  $r(\text{Ca}^{2+}) = 102.8 \text{ pm}$ ,  $r(\text{Sr}^{2+}) = 118.8 \text{ pm}$ , and  $r(\text{Ba}^{2+}) = 138.3 \text{ pm}$ .

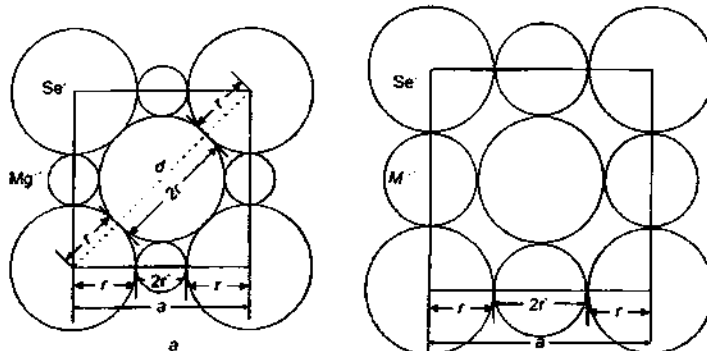


Figure E3.20

- E3.21** In order to use the structure map, we first have to calculate the differences in electronegativity,  $\Delta\chi$ , and average principal quantum number for each MX compound from the problem and then look at the map:  
 $\Delta\chi$  (LiF) = 3.98 – 0.98 = 3; average  $n$  is 2, the point corresponding to LiF belongs in the (6,6) region  
 $\Delta\chi$  (RbBr) = 2.96 – 0.82 = 2.14; average  $n$  is (5 + 4)/2 = 4.5; also in (6,6) region  
 $\Delta\chi$  (SrS) = 2.58 – 0.95 = 1.63; average  $n$  is (5 + 3)/2 = 4; also in (6,6) region, and  
 $\Delta\chi$  (BeO) = 3.44 – 1.57 = 1.87; average  $n$  is 2; also in (6,6) region.  
 The only discrepancy here is that for BeO (predicted (6,6), actual (4,4)). The reason for this discrepancy is the fact that  $\text{Be}^{2+}$  with its small size and relatively high charge and electronegativity forms compounds with significant covalent character resulting in higher directionality of chemical bonds.
- E3.22** Each of the complex ions in this exercise ( $[\text{PtCl}_6]^{2-}$ ,  $[\text{Ni}(\text{H}_2\text{O})_6]^{2+}$ ,  $[\text{SiF}_6]^{2-}$ ) is highly symmetric and their shape can be approximated with a sphere (each of these structures is octahedral, thus around each a sphere can be constructed a radius equal to that of half height of octahedron or approximately element–element bond). Thus for example,  $\text{K}_2\text{PtCl}_6$  has an antifluorite structure with anions  $[\text{PtCl}_6]^{2-}$  forming a ccp array and  $\text{K}^+$  cations occupying each tetrahedral hole.
- E3.23** Calcite has a rhombohedral unit cell, whereas NaCl has a cubic one. Both rhombohedral and cubic unit cells have all three dimensions equal ( $a = b = c$ ) but they differ in the angles, with cubic unit cell having all angles at  $90^\circ$  and rhombohedral all angles equal but different from  $90^\circ$ . If you look at the arrangement of cations and anions in the calcite structure, you'll see that when all angles are made  $90^\circ$  the two structures are identical. Calcite's rhombohedral unit cell can be obtained if we take cubic NaCl unit cell and pull its opposite corners across the body diagonal apart.
- E3.24** The most important terms will involve the lattice enthalpies for the di- and the trivalent ions. Also, the bond dissociation energy and third electron gain enthalpy for nitrogen ( $\text{N}_2$ ) will be large. See Section 3.11 for more details.
- E3.25** The lattice enthalpy for MgO will be equal to *four* times the NaCl value or  $3144 \text{ kJ mol}^{-1}$  because the charges on both the anion and the cation are doubled in the Born-Mayer equation. For AlN the charges are tripled and the lattice enthalpy will be equal to *nine* times the NaCl value or  $7074 \text{ kJ mol}^{-1}$ . Additionally, the ionic sizes decrease  $\text{Na}^+ > \text{Mg}^{2+} > \text{Al}^{3+}$  and  $\text{Cl}^- > \text{O}^{2-} \approx \text{N}^{3-}$ , which would further increase the lattice enthalpies in the same order.
- E3.26** (a) The Born-Mayer equation is Equation 3.2:

$$\Delta H^\circ_L = \frac{N_A |z_A z_B| e^2}{4\pi\epsilon_0 d} \left(1 - \frac{d^*}{d}\right) A$$

All needed values are known except for  $d$ , which has to be calculated after the radius for  $\text{K}^{2+}$  has been extrapolated. Looking at the Table 1.4 and/or Resource Section 1 we see that  $\text{Ca}^{2+}$  has a radius of 112 pm in coordination eight (i.e., its coordination number in  $\text{CaF}_2$ ). If  $\text{KF}_2$  has the same structure, then  $\text{K}^{2+}$  radius has to be similar. From general atomic trends, we know that potassium atom is larger than Ca atom meaning that  $\text{K}^{2+}$  is larger than  $\text{Ca}^{2+}$  but *smaller* than  $\text{K}^+$ . Thus, we can approximate  $r(\text{K}^{2+})$  as an average between  $r(\text{K}^+)$  and  $r(\text{Ca}^{2+})$  for coordination number eight:  $(151 + 112) \text{ pm} / 2 = 131.5 \text{ pm}$ . From the table we also need radius for  $\text{F}^-$  with coordination number four, 131 pm (the coordination number of  $\text{F}^-$  in  $\text{CaF}_2$  structure). Then we have:

$$\begin{aligned} \Delta H^\circ_L &= \frac{N_A |z_A z_B| e^2}{4\pi\epsilon_0 d} \left(1 - \frac{d^*}{d}\right) A = \\ &= \frac{6.022 \times 10^{23} \text{ mol} \times |2 \times (-1)| \times (1.602 \times 10^{-19} \text{ C})^2}{4 \times 3.14 \times (8.854 \times 10^{-12} \text{ C}^2 \text{ J}^{-1} \text{ m}^{-1}) \times (131.5 + 131) \times 10^{-12} \text{ m}} \left(1 - \frac{34.5 \text{ pm}}{131.5 \text{ pm} + 131 \text{ pm}}\right) \times 2.159 = \\ &= 1.99 \times 10^6 \text{ J mol}^{-1} = 1990 \text{ kJ mol}^{-1} \end{aligned}$$

(b) What prevents the formation of  $\text{KF}_2$  is the massive second ionization energy for K,  $3051 \text{ kJ mol}^{-1}$ , which is significantly higher than the lattice energy for this compound.

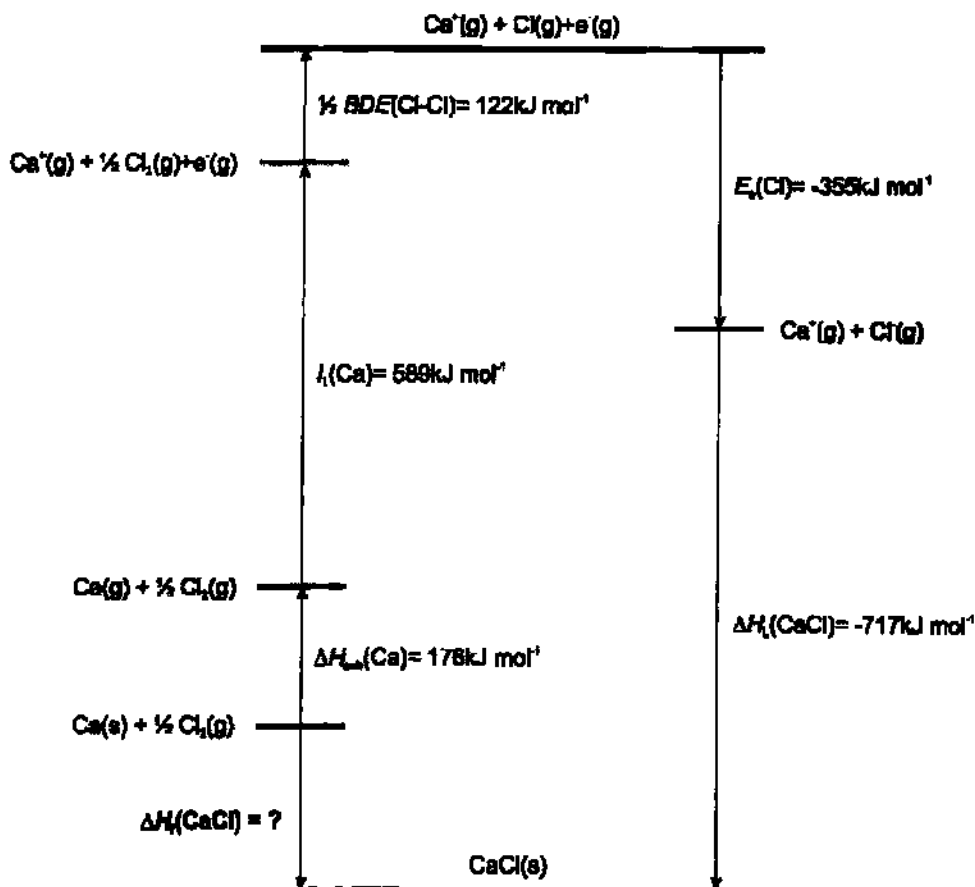
**E3.27** To use the Born-Mayer equation, we first must estimate the radius of  $\text{Ca}^+$  and choose the appropriate Madelung constant for the equation.

Looking at the trends in atomic properties, we can see that K atom is bigger than Ca and consequently that  $\text{Ca}^+$  is smaller than  $\text{K}^+$  but bigger than  $\text{Ca}^{2+}$ . Thus, the ionic radius for  $\text{Ca}^+$  can be approximated as in between that of  $\text{K}^+$  and  $\text{Ca}^{2+}$ . Since KCl has an NaCl-type structure, we can safely assume that CaCl would have the same, so we are using cationic radii for coordination six:  $(138 + 100)\text{pm}/2 = 119\text{ pm}$ . We have:

$$\begin{aligned}\Delta H_L^0 &= \frac{N_A |z_A z_B| e^2}{4\pi\epsilon_0 d} \left(1 - \frac{d^*}{d}\right) A = \\ &= \frac{6.022 \times 10^{23} \text{ mol} \times |1 \times (-1)| \times (1.602 \times 10^{-19} \text{ C})^2}{4 \times 3.14 \times (8.854 \times 10^{-12} \text{ C}^2 \text{ J}^{-1} \text{ m}^{-1}) \times (119 + 181) \times 10^{-12} \text{ m}} \left(1 - \frac{34.5 \text{ pm}}{119 \text{ pm} + 181 \text{ pm}}\right) \times 1.748 = \\ &= 7.17 \times 10^5 \text{ J mol}^{-1} = 717 \text{ kJ mol}^{-1}\end{aligned}$$

The values for ionic radii ( $\text{Ca}^{2+}$ ,  $\text{K}^+$  and  $\text{Cl}^-$ ) have been taken from Table 1.4 and the value for the Madelung constant from Table 3.8.

We can now use this lattice energy to construct the Born-Haber cycle for CaCl and show that it is indeed an exothermic compound. The cycle is shown below with all values taken from Table 1.5 in your textbook except the Ca sublimation energy given in the exercise text:



From the cycle,  $\Delta_f H(\text{CaCl}) = +176 \text{ kJ mol}^{-1} + 589 \text{ kJ mol}^{-1} + 122 \text{ kJ mol}^{-1} - 355 \text{ kJ mol}^{-1} - 717 \text{ kJ mol}^{-1} = -185 \text{ kJ mol}^{-1}$ , showing that CaCl is an exothermic salt.

Although CaCl has a favourable (negative)  $\Delta_f H$ , this compound does not exist and would convert to metallic Ca and CaCl<sub>2</sub> ( $2\text{CaCl} \rightarrow \text{Ca} + \text{CaCl}_2$ ). This reaction is very favourable because CaCl<sub>2</sub> has a higher lattice enthalpy (higher cation charge). The higher lattice enthalpy combined with gain of  $I_1$  for Ca ( $\text{Ca}^+(g) + e^- \rightarrow \text{Ca}(g)$ ) are sufficient to compensate for  $I_2$  ( $\text{Ca}^+(g) \rightarrow \text{Ca}^{2+}(g) + e^-$ ) required to form CaCl<sub>2</sub>.

**E3.28** If all other parameters for cubic and hexagonal ZnS are kept constant, then according to the Born-Mayer equation, the difference is only in the Madelung constants for the two polymorphs. From Table 3.8 the constants are 1.641 and 1.638 for hexagonal and cubic ZnS respectively. Since the  $A$  is larger for hexagonal ZnS, the hexagonal ZnS should be a more stable polymorph.

**E3.29 (a)** The Born-Mayer equation is based on electrostatic interaction between cations and anions in the lattice. Thus, it works very well for the ionic structures like LiCl. However, it does not provide good estimates for the salts that have significant covalent character in the bonding. One such case is AgCl.

**(b)** A good example of  $M^{2+}$  pair is  $\text{Ca}^{2+}$  and  $\text{Hg}^{2+}$  (one main group metal and one late transition metal, just like in the case of  $M^+$  cations in (a) part).

**E3.30 (a)**  $\text{BkO}_2$ ? Using  $r(\text{Bk}^+) = 97 \text{ pm}$  and  $r(\text{O}^{2-}) = 128 \text{ pm}$  and Equation 3.4 we have:

$$\begin{aligned}\Delta H_L &= [(3 \times 4 \times 2)/(97 \text{ pm} + 128 \text{ pm})][(1 - 34.5 \text{ pm}/(97 \text{ pm} + 128 \text{ pm}))] (1.21 \times 10^5 \text{ kJ pm mol}^{-1}) \\ &= 0.0179 \times 0.845 \times 1.21 \times 10^5 \text{ kJ mol}^{-1} = 10906 \text{ kJ mol}^{-1}\end{aligned}$$

**(b)**  $\text{K}_2\text{SiF}_6$ ? Using  $r(\text{K}^+) = 152 \text{ pm}$  and  $r([\text{SiF}_6]^{2-}) = 194 \text{ pm}$  and Equation 3.4 we have:

$$\Delta H_L = [(3 \times 1 \times 2)/(152 \text{ pm} + 194 \text{ pm})] \times 0.9 \times 1.21 \times 10^5 \text{ kJ pm mol}^{-1} = 1888 \text{ kJ mol}^{-1}$$

**(c)**  $\text{LiClO}_4$ ? Using  $r(\text{Li}^+) = 90 \text{ pm}$  and  $r([\text{ClO}_4]^-) = 236 \text{ pm}$  and Equation 3.4 we have:

$$\Delta H_L = [(2 \times 1 \times 1)/(236 \text{ pm} + 90 \text{ pm})] \times 0.895 \times 1.21 \times 10^5 \text{ kJ pm mol}^{-1} = 664 \text{ kJ mol}^{-1}$$

**E3.31 (a)**  $\text{CaSeO}_4$  or  $\text{SrSeO}_4$ ? In general, difference in size of the ions favours solubility in water. The thermochemical radius of selenate ion is 240 pm (see Table 3.10), whereas the six-coordinate radii of  $\text{Ca}^{2+}$  and  $\text{Sr}^{2+}$  are 100 pm and 116 pm, respectively. Since the difference in size between  $\text{Ca}^{2+}$  and  $\text{SeO}_4^{2-}$  is greater than the difference in size between  $\text{Sr}^{2+}$  and  $\text{SeO}_4^{2-}$ ,  $\text{CaSeO}_4$  is predicted to be more soluble in water than  $\text{SrSeO}_4$ .

**(b)**  $\text{NaF}$  or  $\text{NaBF}_4$ ? This exercise can be answered without referring to tables in the text. The ions  $\text{Na}^+$  and  $\text{F}^-$  are isoelectronic, so clearly  $\text{Na}^+$  is smaller than  $\text{F}^-$ . It should also be obvious that the radius of  $\text{BF}_4^-$  is larger than the radius of  $\text{F}^-$ . Therefore, the difference in size between  $\text{Na}^+$  and  $\text{BF}_4^-$  is greater than the difference in size between  $\text{Na}^+$  and  $\text{F}^-$ ;  $\text{NaBF}_4$  is more soluble in water than  $\text{NaF}$ .

**E3.32**  $\text{CsI} < \text{RbCl} < \text{LiF} < \text{CaO} < \text{NiO} < \text{AlN}$

The values of  $\Delta H_L$  are proportional to the product of the charges on ions divided by the sum of their ionic radii. So the  $3+/3-$  system will get a  $\times 9$  multiplier, whereas the  $2+/2-$  will have a  $\times 4$  on the  $1+/1-$  system. Within compounds that have the same charges, the bigger ions lead to larger sums on the radii and smaller lattice energies. Considering both of these factors, one can substantiate the trend shown above for increasing lattice enthalpies.

**E3.33** In order to quantitatively precipitate  $\text{SeO}_4^{2-}$  ion from an aqueous solution, we must find a cation that is of approximately the same size as  $\text{SeO}_4^{2-}$ . Table 3.10 lists the thermodynamic radius for this anion as 240 pm. From Resource Section 1,  $\text{Ba}^{2+}$  emerges as a good candidate. The  $+2$  charge can help to increase the lattice enthalpy, whereas the relatively large size of this cation reduces the cost of hydration enthalpy. Both factors decrease the solubility of  $\text{BaSeO}_4$ .

The thermochemical radius of phosphate ion is 238 pm. Thus smaller cations like  $\text{Na}^+$  and  $\text{K}^+$  would give soluble phosphates, whereas larger cations of heavier Group 2 elements (i.e.,  $\text{Ba}^{2+}$ ) would likely produce insoluble phosphates.



## 40 Part 1: Foundations

- E3.34** (a) Between the two,  $\text{MgCO}_3$  will have a lower decomposition temperature than  $\text{CaCO}_3$ . This is because  $\text{Mg}^{2+}$  is a smaller cation and as such is not as good as  $\text{Ca}^{2+}$  in stabilizing  $\text{CO}_3^{2-}$  anion. Also, because  $\text{Mg}^{2+}$  is smaller,  $\text{MgO}$  (one of the products) has higher lattice enthalpy than  $\text{CaO}$ , which also decreases the decomposition temperature of the carbonate.  
(b) Between these two,  $\text{CsI}_3$  is expected to have a lower decomposition temperature than  $\text{N}(\text{CH}_3)_4\text{I}_3$ .  $\text{Cs}^+$  is smaller than  $\text{N}(\text{CH}_3)_4^+$  as such it is more likely to stabilize the product of the decomposition ( $\text{CsI}$ ) than  $\text{CsI}_3$ .
- E3.35** (a)  $\text{Ca}_3\text{N}_2$  has ionic bonding and, considering stoichiometry of 3 : 2, both cation and anion should have relatively high coordination numbers. Thus, this compound is likely to exhibit Schottky defects owing to its structure type and bonding.  
(b)  $\text{HgS}$  assumes hexagonal close-packed structure with low coordination numbers and partial covalent bonding character. This compound is likely to exhibit Frenkel defects.
- E3.36** In sapphire, the blue colour is due to the electron transfer between  $\text{Fe}^{2+}$  and  $\text{Ti}^{4+}$  substituting for  $\text{Al}^{3+}$  in adjacent octahedral sites in  $\text{Al}_2\text{O}_3$  structure. Considering that beryl also contains  $\text{Al}^{3+}$  in octahedral sites, it is plausible that the blue colour of aquamarine is due to the same two dopants (see Table B3.1).
- E3.37** As noted in Section 3.17(a), nonstoichiometry is common in the solid-state compounds of d-, f-, and later p-block elements. We would therefore expect vanadium carbide and manganese oxide to exhibit nonstoichiometry (two d-block metal compounds) but not magnesium oxide (an s-block metal oxide).
- E3.38** The formation of defects is normally endothermic because as the lattice is disrupted the enthalpy of the solid rises. However, the term  $-T\Delta S$  becomes more negative as defects are formed because they introduce more disorder into the lattice and the entropy rises. As long as we are not at absolute zero, the Gibbs energy will have a minimum at a nonzero concentration of defects and their formation will be spontaneous. As temperature is raised, this minimum in  $G$  shifts to higher defect concentrations as shown in Figure 3.52b, so solids have a greater number of defects as temperatures approach their melting points. Increase in pressure would result in fewer defects in the solid. This is because at higher pressures, lower coordination numbers (tighter packing) are preferred. Lower coordination numbers generally result in fewer defects. Increase in the pressure also creates spacing between the ions in the structure smaller reducing the possibility of ion displacement within the structure.
- E3.39** As noted in Section 3.17(a) nonstoichiometry is common for the solid state compounds of d-, f-, and heavier p-block elements. All of the metals forming oxides are either d-block (Zn and Fe) or f-block (U) metals. However,  $\text{Zn}_{1+x}\text{O}$  would be expected to show nonstoichiometry over very small range because the only significant and sufficiently stable oxidation state for Zn is +2. Thus, in this case as  $x$  increases, some of Zn(II) should be reduced to Zn(I), a very unlikely process. The next one would be  $\text{Fe}_{1-x}\text{O}$  because Fe has two adjacent oxidation states Fe(II) and Fe(III). Finally that leaves  $\text{UO}_{2+x}$  as the oxide with possible wide range of nonstoichiometry, considering that U, apart from U(IV), has a relatively stable U(VI) state.
- E4.40** (a) Ga is in Group 13 whereas Ge is in Group 14 of the periodic table of elements. Since Ga has one less valence electron than Ge, this would be a p-type semiconductor.  
(b) As is in Group 15 whereas Si is in Group 14 of the periodic table. Since As has one more valence electron than Si, this would be an n-type semiconductor.  
(c)  $\text{In}_{0.49}\text{As}_{0.51}$  shows nonstoichiometry: it has more of (formally)  $\text{As}^{3-}$  than  $\text{In}^{3+}$  and should be also an n-type semiconductor.
- E3.41** Low oxidation number d-metal oxides can lose electrons through a process equivalent to the oxidation of the metal atoms, with the result that holes appear in the predominately metal band. The positive charge carriers result in their p-type semiconductor classification. NiO is an example of this p-type semiconduction. Early transitional metal oxides with low oxidation number such as TiO and VO have metallic properties owing to the extended overlap of the d orbitals of the cations. See Section 24.6b for more details.
- E3.42** A semiconductor is a substance with an electrical conductivity that decreases with increasing temperature. It has a small, measurable band gap. A semimetal is a solid whose band structure has a zero density of states and no measurable band gap as shown in Figure 3.70. Graphite is a classic example of a semimetal with conduction in the plane parallel to the sheets of carbon atoms.

- E3.43**  $\text{Ag}_2\text{S}$  and  $\text{CuBr}$  (low-oxidation-number metal chalcogenide and halide) would be a p-type, and  $\text{VO}_2$  (high-oxidation-number transition metal oxide) would be an n-type.
- E3.44** In  $\text{KC}_8$  potassium donates the electrons to the upper band which was originally empty in the graphite structure. In  $\text{C}_8\text{Br}$  bromine removes some electrons from the filled lower band in the graphite structure. In either case the net result is a partially filled band (formed either by addition of electrons to the originally empty band or by removal of electrons from the initially filled band) and both  $\text{KC}_8$  and  $\text{C}_8\text{Br}$  should have metallic properties.

### Answers to Selected Tutorial Problems

- T3.2** The Madelung constant is in a sense a geometrical factor that depends on the position of ions within a unit cell. The electrostatic potential in which  $\text{Na}^+$  ions resides is given by:

$$V = \frac{z^2 e^2}{4\pi\epsilon_0 d}$$

where in this case  $d$  is the distance between  $\text{Na}^+$  and the neighbouring atoms we are considering. The first neighbours are 6  $\text{Cl}^-$  ions at the distance  $d$ . Thus the potential energy of a single  $\text{Na}^+$  surrounded by six anions is:

$$V_1 = -\frac{6z^2 e^2}{4\pi\epsilon_0 d}$$

Next, we have 12  $\text{Na}^+$  ions (the ones located on the faces of the cubic unit cell). Using Pythagoras's theorem we can show that they are at the distance of  $d\sqrt{2}$  from the same  $\text{Na}^+$  we looked at above (see Figure T3.2 below). This is a repulsive interaction for which we get the following potential  $V_2$ :

$$V_2 = +\frac{12z^2 e^2}{4\pi\epsilon_0 \sqrt{2}d}$$

Next to consider are eight  $\text{Cl}^-$  ions at the middle of each edge of the unit cell. Again, using Pythagoras's theorem we can see that the distance between them and our  $\text{Na}^+$  is  $d\sqrt{3}$ . The potential  $V_3$  is thus:

$$V_3 = -\frac{8z^2 e^2}{4\pi\epsilon_0 \sqrt{3}d}$$

This process can be continued in the same manner until  $V_6$ , which would give all six terms in the Madelung series given in this project (Figure P3.2 shows the distances involved in calculation of all  $V_n$ ).

To find the total potential for  $\text{Na}^+$  cation we have to sum  $V_1, V_2, V_3$ , etc.:

$$\begin{aligned} V_{\text{tot}} &= V_1 + V_2 + V_3 + \dots = \\ &= -\frac{6z^2 e^2}{4\pi\epsilon_0 d} + \frac{12z^2 e^2}{4\pi\epsilon_0 d\sqrt{2}} - \frac{8z^2 e^2}{4\pi\epsilon_0 d\sqrt{3}} + \dots = \\ &= -\frac{z^2 e^2}{4\pi\epsilon_0 d} \left( \frac{6}{\sqrt{1}} - \frac{12}{\sqrt{2}} + \frac{8}{\sqrt{3}} - \dots \right) \end{aligned}$$

The value of the series in the brackets is called the Madelung constant for NaCl type structure.

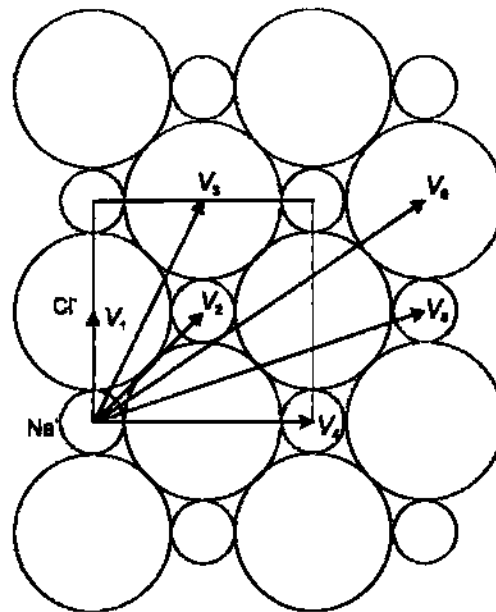
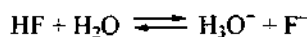


Figure T3.2

## Chapter 4 Acids and Bases

### Self-Test Exercises

- S4.1** (a)  $\text{HNO}_3 + \text{H}_2\text{O} \rightarrow \text{H}_3\text{O}^+ + \text{NO}_3^-$ . The compound  $\text{HNO}_3$  transfers a proton to water, so it is an acid. The nitrate ion is its conjugate base. In this reaction,  $\text{H}_2\text{O}$  accepts a proton, so it is a base. The hydronium ion,  $\text{H}_3\text{O}^+$ , is its conjugate acid.
- (b)  $\text{CO}_3^{2-} + \text{H}_2\text{O} \rightarrow \text{HCO}_3^- + \text{OH}^-$ . A carbonate ion accepts a proton from water, so it is a base. The hydrogen carbonate, or bicarbonate, ion is its conjugate acid. In this reaction,  $\text{H}_2\text{O}$  donates a proton, so it is an acid. A hydroxide ion is its conjugate base.
- (c)  $\text{NH}_3 + \text{H}_2\text{S} \rightarrow \text{NH}_4^+ + \text{HS}^-$ . Ammonia accepts a proton from hydrogen sulfide, so it is a base. The ammonium ion,  $\text{NH}_4^+$ , is its conjugate acid. Since hydrogen sulfide donated a proton, it is an acid, while  $\text{HS}^-$  is its conjugate base.
- S4.2** Weak acids only partially ionize in water, and the equation is:



Applying what you have learned in general chemistry, this type of problem can best be worked using the initial concentration, change in concentration, and final concentrations according to the table below.

	$\text{HF} + \text{H}_2\text{O} \rightleftharpoons \text{H}_3\text{O}^+ + \text{F}^-$		
Initial (M)	0.10	0.0	0.0
Change (M)	-x	+x	+x
Equilibrium (M)	0.10-x	x	x

Insert these values into the acidity constant expression for HF.

$$K_a = \frac{[\text{H}_3\text{O}^+][\text{F}^-]}{[\text{HF}]} = 3.5 \times 10^{-4} = \frac{x^2}{0.10 - x}$$

From here we obtain the following quadratic equation:

$$x^2 + 3.4 \times 10^{-4}x - 3.5 \times 10^{-4} = 0$$

With roots (solutions):

$$x = \frac{3.5 \times 10^{-4} \pm \sqrt{(3.5 \times 10^{-4})^2 - 4 \times 1 \times (3.5 \times 10^{-5})}}{2 \times 1}$$

The two roots are  $x = 5.7 \times 10^{-3} \text{ M}$  and  $-6.1 \times 10^{-3} \text{ M}$ . Obviously, the negative root is physically impossible, so our final result is  $[\text{H}_3\text{O}^+] = 5.7 \times 10^{-3} \text{ M}$ . Taking the negative log gives the pH of the solution.

$$\text{pH} = -\log[\text{H}_3\text{O}^+] = 2.24$$

- S4.3** Tartaric acid is a diprotic weak acid and must be solved in two equilibrium steps, similar to S4.2. The first equilibrium, and ICE table is shown below:

	$\text{H}_2\text{C}_4\text{O}_6 + \text{H}_2\text{O} \rightleftharpoons \text{H}_3\text{O}^+ + \text{HC}_4\text{O}_6^-$		
Initial (M)	0.20	0.0	0.0
Change (M)	-x	+x	+x
Equilibrium (M)	0.20-x	x	x

The equilibrium values are substituted in the acidity constant for the first deprotonation step:

$$K_{a1} = 1.0 \times 10^{-3} = \frac{[\text{H}_3\text{O}^+][\text{HC}_4\text{O}_6^-]}{[\text{H}_2\text{C}_4\text{O}_6]} = \frac{x^2}{0.2 - x}$$

Now we must solve the following quadratic equation:

$$x^2 + 1.0 \times 10^{-3}x - 2.0 \times 10^{-4} = 0$$

$$x = \frac{1.0 \times 10^{-3} \pm \sqrt{(1.0 \times 10^{-3})^2 - 4 \times 1 \times (-2.0 \times 10^{-4})}}{2 \times 1}$$

$$x = 0.014 \text{ M or } -0.015 \text{ M}$$

So, this means our  $[\text{H}_3\text{O}^+] = 0.014 \text{ M}$  which is also equal to  $[\text{HC}_4\text{O}_6^-]$ . Now we have to consider the second deprotonation step using the same approach as above and calculate  $[\text{C}_4\text{O}_6^{2-}]$ .

	$\text{HC}_4\text{O}_6^- + \text{H}_2\text{O} \rightleftharpoons \text{H}_3\text{O}^+ + \text{C}_4\text{O}_6^{2-}$		
Initial (M)	0.014	0.014	0.0
Change (M)	-x	+x	+x
Equilibrium (M)	0.014-x	0.014+x	x

Insert these values into the equilibrium expression:

$$K_{a2} = 4.6 \times 10^{-5} = \frac{[\text{H}_3\text{O}^+][\text{C}_4\text{O}_6^{2-}]}{[\text{HC}_4\text{O}_6^-]} = \frac{(0.014 + x)x}{(0.014 - x)}$$

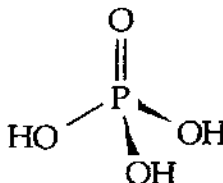
Now we can assume that  $0.014 \pm x \approx 0.014$ , so  $x$  is simply equal to  $4.6 \times 10^{-5}$ .

This means our total  $[\text{H}_3\text{O}^+] = 0.014 \text{ M} + 4.6 \times 10^{-5}$ , which is essentially  $0.014 \text{ M}$  meaning the second deprotonation does not affect the pH in this solution. Our pH is:

$$\text{pH} = -\log[\text{H}_3\text{O}^+] = 1.85$$

- S4.4** Since the acid strength of aqua acids increases as the charge density of the central metal cation increases, the strongest acid will have the highest charge and the smallest radius. Thus  $[\text{Na}(\text{H}_2\text{O})_6]^+$ , with the lowest charge, will be the weakest of the four aqua acids, and  $[\text{Sc}(\text{H}_2\text{O})_6]^{3+}$ , with the highest charge, will be the strongest. The remaining two aqua acids have the same charge, and so the one with the smaller ionic radius,  $r$ , will have the higher charge density and hence the greater acidity. Since  $\text{Ni}^{2+}$  is on the right from  $\text{Mn}^{2+}$  in the periodic table of the elements, it has a smaller radius, and so  $[\text{Ni}(\text{H}_2\text{O})_6]^{2+}$  is more acidic than  $[\text{Mn}(\text{H}_2\text{O})_6]^{2+}$ . The order of increasing acidity is  $[\text{Na}(\text{H}_2\text{O})_6]^+ < [\text{Mn}(\text{H}_2\text{O})_6]^{2+} < [\text{Ni}(\text{H}_2\text{O})_6]^{2+} < [\text{Sc}(\text{H}_2\text{O})_6]^{3+}$ .

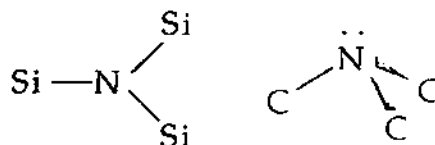
- S4.5** (a)  $\text{H}_3\text{PO}_4$ ? Pauling's first rule for predicting the  $\text{p}K_{\text{a}1}$  of an oxoacid is  $\text{p}K_{\text{a}} \approx 8 - 5p$  (where  $p$  is the number of oxo groups attached to the central element). Since  $p = 1$  (see the structure of  $\text{H}_3\text{PO}_4$  below), the predicted value of  $\text{p}K_{\text{a}1}$  for  $\text{H}_3\text{PO}_4$  is  $8 - (5 \times 1) = 3$ . The actual value, given in Table 4.3, is 2.1.



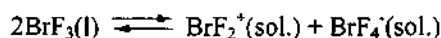
- (b)  $\text{H}_2\text{PO}_4^-$ ? Pauling's second rule for predicting the  $\text{p}K_{\text{a}}$  values of a polyprotic oxoacid is that successive  $\text{p}K_{\text{a}}$  values for polyprotic acids increase by five units for each successive proton transfer. Since  $\text{p}K_{\text{a}1}$  for  $\text{H}_3\text{PO}_4$  was predicted to be 3 (see above), the predicted value of  $\text{p}K_{\text{a}}$  for  $\text{H}_2\text{PO}_4^-$ , which is  $\text{p}K_{\text{a}2}$  for  $\text{H}_3\text{PO}_4$ , is  $3 + 5 = 8$ . The actual value, given in Table 4.3, is 7.4.
- (c)  $\text{HPO}_4^{2-}$ ? The  $\text{p}K_{\text{a}}$  for  $\text{HPO}_4^{2-}$  is the same as  $\text{p}K_{\text{a}3}$  for  $\text{H}_3\text{PO}_4$ , so the predicted value is  $3 + (2 \times 5) = 13$ . The actual value, given in Table 4.3, is 12.7.
- S4.6** According to Figure 4.6, Ti(IV) is amphoteric. Treatment of an aqueous solution containing Ti(IV) ions with ammonia causes the precipitation of  $\text{TiO}_2$ , but further treatment with NaOH causes the  $\text{TiO}_2$  to redissolve.  $\text{H}_2\text{O}_2$  would not react with Ti(IV) since Ti(IV) cannot be further oxidized.

- S4.7** (a)  $\text{FeCl}_3 + \text{Cl}^- \rightarrow [\text{FeCl}_4]^-$ ? The acid  $\text{FeCl}_3$  forms a complex,  $[\text{FeCl}_4]^-$ , with the base  $\text{Cl}^-$ .  
 (b)  $\text{I}^- + \text{I}_2 \rightarrow \text{I}_3^-$ ? The acid  $\text{I}_2$  forms a complex,  $\text{I}_3^-$ , with the base  $\text{I}^-$ .

- S4.8** If the N atom lone pair of  $(\text{H}_3\text{Si})_3\text{N}$  is delocalized onto the three Si atoms, it cannot exert its normal repulsion influence as predicted by VSEPR rules. The N atom of  $(\text{H}_3\text{Si})_3\text{N}$  is trigonal planar, whereas the N atom of  $(\text{H}_3\text{C})_3\text{N}$  is trigonal pyramidal. The structures of  $(\text{H}_3\text{Si})_3\text{N}$  and  $(\text{H}_3\text{C})_3\text{N}$ , excluding the hydrogen atoms are:

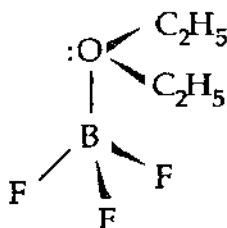


- S4.9** The two solvents in Figure 4.12 for which the window covers the range 25 to 27 are dimethylsulfoxide (DMSO) and ammonia.
- S4.10** We need to identify the autoionization products of the solvent,  $\text{BrF}_3$ , and then decide whether the solute increases the concentration of the cation (an acid) or the anion (a base). The autoionization products of  $\text{BrF}_3$  are:



The solute would ionize to give  $\text{K}^+$  and  $\text{BrF}_4^-$ . Since  $\text{BrF}_4^-$  will increase the amount of the anion,  $\text{KBrF}_4$  is a base when dissolved in  $\text{BrF}_3$ .

- S4.11** The ether oxygen atom will behave as a Lewis base and donate one of its lone electron pairs forming a dative bond with the boron atom of  $\text{BF}_3$ . The geometry at the boron atom will go from trigonal planar in  $\text{BF}_3$  to tetrahedral in  $\text{F}_3\text{B}-\text{OEt}_2$ . The structure of the complex is shown below.

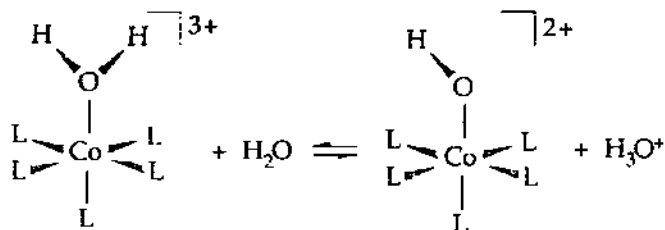


### End-of-Chapter Exercises

**E4.1** See the diagram below for the outline of the acid-base properties of main group oxides. The elements that form basic oxides have symbols printed in bold, those forming acidic oxides are underlined, and those forming amphoteric oxides are in italics. Note the diagonal region from upper left to lower right that includes the elements forming amphoteric oxides. The elements As, Sb, and Bi are shown both underlined and in italics. This is because their oxides in highest oxidation state (+5) are acidic, but the oxides in lower oxidation state (+3) are amphoteric. There are no oxides for fluorine. Fluorine forms two compounds with oxygen,  $O_2F_2$  and  $OF_2$ ; but because F is more electronegative than O these compounds have oxygen in a positive oxidation state (+1 and +2 respectively) and thus are not oxides (oxides have O in a negative oxidation state). For Po, At, Fl, and Lv there are no data.

1	1							
1	H							
	2	3	4	5	6	7	8	9
2	Li	<i>Be</i>	<u>B</u>	<u>C</u>	<u>N</u>	<u>O</u>	<u>F</u>	
	6,904	9,0122	10,811	12,01115	14,0067	15,9994	18,9984	
3	11	12	13	14	15	16	17	
	Na	<i>Mg</i>	<u>Al</u>	<u>Si</u>	<u>P</u>	<u>S</u>	<u>Cl</u>	
	22,9898	24,312	28,9815	28,086	30,9738	32,064	35,453	
4	19	20	31	32	33	34	35	
	K	<i>Ca</i>	<u>Ga</u>	<u>Ge</u>	<u>As</u>	<u>Se</u>	<u>Br</u>	
	39,102	40,08	69,72	72,59	74,922	78,96	79,908	
5	37	38	49	50	51	52	53	
	Rb	<i>Sr</i>	<u>In</u>	<u>Sn</u>	<u>Sb</u>	<u>Te</u>	<u>I</u>	
	85,47	87,62	114,82	118,89	121,75	127,80	126,9044	
6	55	56	81	82	83	84	85	
	Cs	<i>Ba</i>	<u>Tl</u>	<u>Pb</u>	<u>Bi</u>	<u>Po</u>	<u>At</u>	
	132,905	137,34	204,37	207,19	208,98	(210)	(210)	
7	87	88		114		116		
	Fr	<i>Ra</i>		<u>Fl</u>		<u>Lv</u>		
	(223)	(226)		(289)		(289)		

**E4.2** (a)  $[Co(NH_3)_5(OH_2)]^{3+}$ . A conjugate base is a species with one fewer proton than the parent acid. Therefore, the conjugate base in this case is  $[Co(NH_3)_5(OH)]^{2+}$ , shown below ( $L = NH_3$ ). Note that because  $H_2O$  is generally more acidic than  $NH_3$ ,  $H_2O$  will lose one of its protons.



- (b)  $\text{HSO}_4^-$ : The conjugate base is  $\text{SO}_4^{2-}$ .  
 (c)  $\text{CH}_3\text{OH}$ : The conjugate base is  $\text{CH}_3\text{O}^-$ .  
 (d)  $\text{H}_2\text{PO}_4^-$ : The conjugate base is  $\text{HPO}_4^{2-}$ .  
 (e)  $\text{Si}(\text{OH})_4$ : The conjugate base is  $\text{SiO}(\text{OH})_3^-$ .  
 (f)  $\text{HS}^-$ : The conjugate base is  $\text{S}^{2-}$ .

**E4.3** Remember that a conjugate acid is a species with one more proton than the parent base.

- (a)  $\text{C}_5\text{H}_5\text{N}$  (pyridine): The conjugate acid in this case is the pyridinium ion,  $\text{C}_5\text{H}_6\text{N}^+$ , shown below.



- (b)  $\text{HPO}_4^{2-}$ : The conjugate acid is  $\text{H}_2\text{PO}_4^-$ .  
 (c)  $\text{O}^{2-}$ : The conjugate acid is  $\text{OH}^-$ .  
 (d)  $\text{CH}_3\text{COOH}$ : The conjugate acid is  $\text{CH}_3\text{C}(\text{OH})_2^+$ , shown below.



- (e)  $[\text{Co}(\text{CO})_4]^-$ : The conjugate acid is  $\text{HCo}(\text{CO})_4$ , shown below.



- (f)  $\text{CN}^-$ : The conjugate acid is  $\text{HCN}$ .

**E4.4** We solve this problem the same way we did in S4.2. Data are shown below ( $\text{C}_3\text{H}_7\text{COOH}$  is butanoic acid):

	$\text{C}_3\text{H}_7\text{COOH} + \text{H}_2\text{O} \rightleftharpoons \text{C}_3\text{H}_7\text{COO}^- + \text{H}_3\text{O}^+$		
Initial (M)	0.10	0	0
Change (M)	-x	+x	+x
Equilibrium (M)	$0.10 - x$	x	x

Insert these values into the equilibrium expression:

$$K_a = 1.86 \times 10^{-5} = \frac{[\text{H}_3\text{O}^+][\text{C}_3\text{H}_7\text{COO}^-]}{[\text{C}_3\text{H}_7\text{COOH}]} = \frac{x^2}{(0.1 - x)}$$

Now, we can assume that  $0.10 - x \approx 0.10$  and then solve for x, which will be our  $[\text{H}_3\text{O}^+]$ :

$$1.86 \times 10^{-5} = \frac{x^2}{0.10}$$



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$$x = 1.4 \times 10^{-3} = [\text{H}_3\text{O}^+]$$

The pH of the solution is:  $\text{pH} = -\log[\text{H}_3\text{O}^+] = 2.85$

**E4.5** To find the  $K_b$ , use Equation 4.4:

$$K_a \times K_b = K_w$$

$$K_b = K_w/K_a = (1.0 \times 10^{-14})/(1.8 \times 10^{-5}) = 5.6 \times 10^{-10}$$

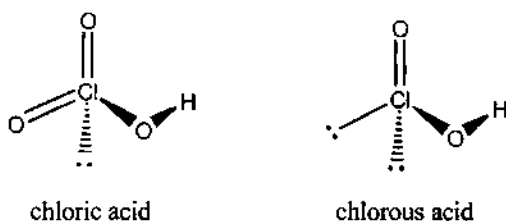
**E4.6** To find the  $K_a$ , use Equation 4.4:

$$K_a \times K_b = K_w$$

$$K_a = K_w/K_b = (1.0 \times 10^{-14})/(1.8 \times 10^{-9}) = 5.6 \times 10^{-6}$$

**E4.7** From Table 4.2, the proton affinities ( $A_p$ ) of  $\text{H}_2\text{O}$  (l) and  $\text{OH}^-$  (aq) are  $1130 \text{ kJ mol}^{-1}$  and  $1188 \text{ kJ mol}^{-1}$  respectively. Consequently, although transfer of  $\text{H}^+$  from  $\text{H}_3\text{O}^+$  to  $\text{F}^-$  is exothermic by  $-20 \text{ kJ mol}^{-1}$ , the transfer of  $\text{H}^+$  from  $\text{H}_2\text{O}$  to  $\text{F}^-$  is endothermic by  $38 \text{ kJ mol}^{-1}$ . Therefore, in neutral water,  $\text{F}^-$  will behave as a base.

**E4.8** The structures for chloric acid and chlorous acid are shown below. Chlorine in chloric acid is double-bonded to two oxygen atoms and single-bonded to the oxygen atom of a hydroxide, and has one lone pair, giving it a trigonal pyramidal molecular geometry at chlorine atom. Chlorine in chlorous acid is double-bonded to one oxygen atom and single-bonded to the oxygen atom of a hydroxide, and has two lone electron pairs, thus the molecular geometry is bent.

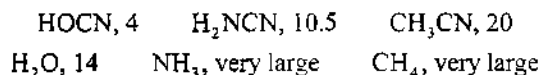


Pauling's first rule for predicting the  $\text{p}K_a$  of a mononuclear oxoacid is  $\text{p}K_a \approx 8 - 5p$  (where  $p$  is the number of oxo groups attached to the central element). Since  $p = 2$  for chloric acid, the predicted  $\text{p}K_a$  for  $\text{HClO}_3$  is  $8 - (5 \times 2) = -2$ . The actual value, given in Table 4.1, is  $-1$ . For chlorous acid,  $p = 1$ , therefore the  $\text{p}K_a$  for  $\text{HClO}_2$  is  $8 - (5 \times 1) = 3$ . The actual value, given in Table 4.1, is 2.

**E4.9 (a)  $\text{CO}_3^{2-}$ ,  $\text{O}^{2-}$ ,  $\text{ClO}_4^-$ , and  $\text{NO}_3^-$  in water?** You can interpret the term "studied experimentally" to mean that the base in question exists in water (i.e., it is not completely protonated to its conjugate acid) and that the base in question can be partially protonated (i.e., it is not so weak that the strongest acid possible in water,  $\text{H}_3\text{O}^+$ , will fail to produce a measurable amount of the conjugate acid). Using these criteria, the base  $\text{CO}_3^{2-}$  is predicted to be of directly measurable base strength because the equilibrium  $\text{CO}_3^{2-} + \text{H}_2\text{O} \rightarrow \text{HCO}_3^- + \text{OH}^-$  produces measurable amounts of reactants and products. The base  $\text{O}^{2-}$ , on the other hand, is completely protonated in water to produce  $\text{OH}^-$ , so the oxide ion is too strong to be studied experimentally in water. The bases  $\text{ClO}_4^-$  and  $\text{NO}_3^-$  are conjugate bases of very strong acids, which are completely deprotonated in water. Therefore, since it is not possible to protonate either perchlorate or nitrate ion in water, they are too weak to be studied experimentally.

**(b)  $\text{HSO}_4^-$ ,  $\text{NO}_3^-$ , and  $\text{ClO}_4^-$  in  $\text{H}_2\text{SO}_4$ ?** The hydrogen sulfate ion,  $\text{HSO}_4^-$ , is the strongest base possible in liquid sulfuric acid. However, since acids can protonate it, it is not too strong to be studied experimentally. Nitrate ion is a weaker base than  $\text{HSO}_4^-$ , a consequence of the fact that its conjugate acid,  $\text{HNO}_3$ , is a stronger acid than  $\text{H}_2\text{SO}_4$ . However, nitrate is not so weak that it cannot be protonated in sulfuric acid, so  $\text{NO}_3^-$  is of directly measurable base strength in liquid  $\text{H}_2\text{SO}_4$ . On the other hand,  $\text{ClO}_4^-$ , the conjugate base of one of the strongest known acids, is so weak that it cannot be protonated in sulfuric acid, and hence cannot be studied in sulfuric acid.

E4.10 A comparison of the aqueous  $pK_a$  values is necessary to answer this question. These are:

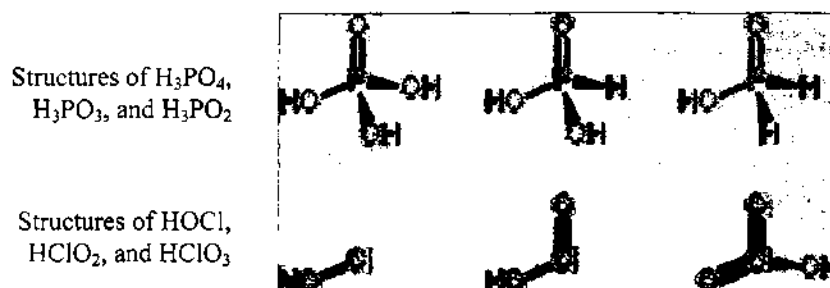


You know that the values of  $pK_a$  are very large for ammonia and methane because these compounds are not normally thought of as acids (this implies that they are extremely weak acids). Now, in all three cases, the cyano-containing compound has a lower  $pK_a$  (a *higher* acidity) than the parent compound. In the case of  $\text{H}_2\text{O}$  and  $\text{HOCN}$ , the latter compound is 10 orders of magnitude more acidic than water (because the difference between  $pK_a$  values is 10  $pK_a$  units). The deprotonation equilibrium involves the formation of an anion, the conjugate base of the acid in question. For example:



Since a lower  $pK_a$  means a larger  $K_a$ , this suggests that the anion  $\text{OCN}^-$  is better stabilized than  $\text{OH}^-$ . This occurs because the  $-\text{CN}$  is electron withdrawing.

E4.11 The difference in  $pK_a$  values can be explained if we look at the structures of the acids in question. (Note: flip through Chapters 15 and 17 to find the structures!)

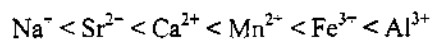


According to the first Pauling rule,  $pK_a \approx 8 - 5p$ , where  $p$  is the number of oxo groups attached to the central element. Looking at the structures of phosphorus containing acids, we can see that all of them actually have only one oxo group attached to the central P atom ( $p = 1$ ). This means that they will all have  $pK_a \approx 8 - 5 \times 1 = 3$ . On the other hand, the number of oxo groups for chlorine-containing acids is increasing from zero in  $\text{HOCl}$  to two in  $\text{HClO}_3$ . Thus, the three will have the following approximate  $pK_a$  values:

$$\begin{array}{l} \text{HOCl} (p = 0): pK_a \approx 8 - 5 \times 0 = 8 \\ \text{HClO}_2 (p = 1): pK_a \approx 8 - 5 \times 1 = 3 \\ \text{HClO}_3 (p = 2): pK_a \approx 8 - 5 \times 2 = -2 \end{array}$$

E4.12 Consult Example and Self-Test 4.4 as well as Section 4.2 if you had problems with this exercise.

The acidity of aqua acids depends on the charge density on the central cation: the higher the charge density, the higher the acidity. Thus, with the charge of +1,  $\text{Na}^+$  should be the weakest acid. There are three cations with the charge +2:  $\text{Mn}^{2+}$ ,  $\text{Ca}^{2+}$ , and  $\text{Sr}^{2+}$ . Among these three the cation with the largest radius will have the lowest charge density and thus will be the weakest acid. The relative sizes of cations can be determined by looking at their positions in the periodic table: Sr is in period 5 and  $\text{Sr}^{2+}$  should have the largest radius; Mn is to the right of Ca, thus  $\text{Mn}^{2+}$  should be smaller than  $\text{Ca}^{2+}$ . Thus, of these three, the weakest acid is  $\text{Sr}^{2+}$  and the strongest is  $\text{Mn}^{2+}$ . Finally, using the same arguments for  $\text{Fe}^{3+}$  and  $\text{Al}^{3+}$  as for the 2+ cations, we can conclude that  $\text{Al}^{3+}$  is more acidic in an aqueous solution than  $\text{Fe}^{3+}$ . The overall order of cations in order of increasing acidity in water is:



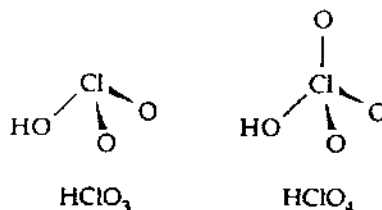
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- E4.13** According to Pauling's first rule for predicting the  $pK_a$  of a mononuclear oxoacid,  $pK_a \approx 8 - 5p$  (where  $p$  is the number of oxo groups attached to the central element).

$$\begin{aligned} pK_a \text{ for HNO}_2 &\approx 8 - (5 \times 1) = 3 \\ pK_a \text{ for H}_2\text{SO}_4 &\approx 8 - (5 \times 2) = -2 \\ pK_a \text{ for HBrO}_3 &\approx 8 - (5 \times 2) = -2 \\ pK_a \text{ for HClO}_4 &\approx 8 - (5 \times 3) = -7 \end{aligned}$$

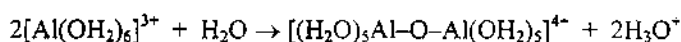
The lowest  $pK_a$  is for HClO<sub>4</sub>, so this is the strongest acid. Next we have H<sub>2</sub>SO<sub>4</sub> and HBrO<sub>3</sub>, which have the same  $pK_a$  of -2 according to Pauling's rules for predicting the  $pK_a$  of mononuclear oxoacids. (Note that the same conclusion can be reached just by comparing the number of oxo groups in each acid without performing the actual calculations.) Bromine is more electronegative than sulfur; inductively, HBrO<sub>3</sub> should be a stronger acid than H<sub>2</sub>SO<sub>4</sub>. HNO<sub>2</sub> has the highest  $pK_a$  and is the weakest acid. Therefore the order is HClO<sub>4</sub> > HBrO<sub>3</sub> > H<sub>2</sub>SO<sub>4</sub> > HNO<sub>2</sub>.

- E4.14** (a) **[Fe(OH<sub>2</sub>)<sub>6</sub>]<sup>3+</sup> or [Fe(OH<sub>2</sub>)<sub>6</sub>]<sup>2+</sup>**: The Fe(III) complex, [Fe(OH<sub>2</sub>)<sub>6</sub>]<sup>3+</sup>, is the stronger acid because Fe<sup>3+</sup> has a higher charge density than Fe<sup>2+</sup>—it has both higher charge and smaller radius than Fe<sup>2+</sup> and consequently higher charge density, and [Fe(H<sub>2</sub>O)<sub>6</sub>]<sup>3+</sup> is the stronger acid.  
 (b) **[Al(OH<sub>2</sub>)<sub>6</sub>]<sup>3+</sup> or [Ga(OH<sub>2</sub>)<sub>6</sub>]<sup>3+</sup>**: In this case, the charges are the same but ionic radii of Al<sup>3+</sup> and Ga<sup>3+</sup> are not. Since the ionic radius,  $r$ , is smaller for period 3 Al<sup>3+</sup> than for period 4 Ga<sup>3+</sup>, the charge density for Al<sup>3+</sup> is higher than for Ga<sup>3+</sup> and the aluminum-aqua ion is more acidic.  
 (c) **Si(OH)<sub>4</sub> or Ge(OH)<sub>4</sub>**: As in part (b) above, the charges on central atoms are the same but their radii are different. The comparison here is also between species containing period 3 and period 4 central atoms in the same group, and the species containing the smaller central atom (smaller  $r$ ), Si(OH)<sub>4</sub>, is more acidic.  
 (d) **HClO<sub>3</sub> or HClO<sub>4</sub>**: These two acids are shown below. According to Pauling's first rule for mononuclear oxoacids, the species with more oxo groups has the lower  $pK_a$  and is the stronger acid. Thus, HClO<sub>4</sub> is a stronger acid than HClO<sub>3</sub>. Note that the oxidation state of the central chlorine atom in the stronger acid (+7) is higher than in the weaker acid (+5).

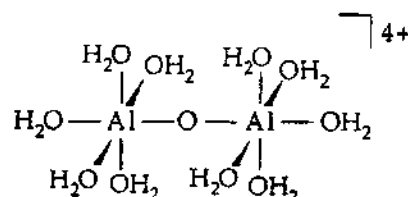


- (e) **H<sub>2</sub>CrO<sub>4</sub> or HMnO<sub>4</sub>**: As in part (d) above, the oxidation states of these two acids are different—VI for the chromium atom in H<sub>2</sub>CrO<sub>4</sub> and VII for the manganese atom in HMnO<sub>4</sub>. The species with the higher central-atom oxidation state, HMnO<sub>4</sub>, is the stronger acid. Note that this acid also has more oxo groups—three—than H<sub>2</sub>CrO<sub>4</sub>, which has two.  
 (f) **H<sub>3</sub>PO<sub>4</sub> or H<sub>2</sub>SO<sub>4</sub>**? The oxidation state of sulfur in H<sub>2</sub>SO<sub>4</sub> is VI, whereas the oxidation state of phosphorus in H<sub>3</sub>PO<sub>4</sub> is only V. Furthermore, sulfuric acid has two oxo groups attached to the central sulfur atom, whereas phosphoric acid has only one oxo group attached to the central phosphorus atom. Therefore, on both counts (which by now you can see are really manifestations of the same thing) H<sub>2</sub>SO<sub>4</sub> is a stronger acid than H<sub>3</sub>PO<sub>4</sub>.
- E4.15** First you pick out the intrinsically acidic oxides among those given (Al<sub>2</sub>O<sub>3</sub>, B<sub>2</sub>O<sub>3</sub>, BaO, CO<sub>2</sub>, Cl<sub>2</sub>O<sub>7</sub>, and SO<sub>3</sub>), because these will be the *least* basic. The compounds B<sub>2</sub>O<sub>3</sub>, CO<sub>2</sub>, Cl<sub>2</sub>O<sub>7</sub>, and SO<sub>3</sub> are acidic because the central element for each of them is found in the acidic region of the periodic table (see the s- and p-block diagram in the answer to Exercise 4.1; generally the oxides of non-metallic elements are acidic). The most acidic compound, Cl<sub>2</sub>O<sub>7</sub>, has the highest central-atom oxidation state, +7, whereas the least acidic, B<sub>2</sub>O<sub>3</sub>, has the lowest, +3. Of the remaining compounds, Al<sub>2</sub>O<sub>3</sub> is amphoteric, which puts it on the borderline between acidic and basic oxides, and BaO is basic. Therefore, a list of these compounds in order of increasing basicity is Cl<sub>2</sub>O<sub>7</sub> < SO<sub>3</sub> < CO<sub>2</sub> < B<sub>2</sub>O<sub>3</sub> < Al<sub>2</sub>O<sub>3</sub> < BaO.

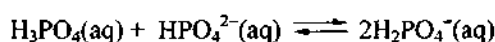
- E4.16** The weakest acids,  $\text{CH}_3\text{GeH}_3$  and  $\text{NH}_3$ , are easy to pick out of this group ( $\text{HSO}_4^-$ ,  $\text{H}_3\text{O}^+$ ,  $\text{H}_4\text{SiO}_4$ ,  $\text{CH}_3\text{GeH}_3$ ,  $\text{NH}_3$ , and  $\text{HSO}_3\text{F}$ ) because they do not contain any  $-\text{OH}$  bonds. Ammonia is the weaker acid of the two, primarily because the N-H bond is stronger than the Ge-H bond. Of the remaining species, note that  $\text{HSO}_3\text{F}$  is very similar to  $\text{H}_2\text{SO}_4$  as far as structure and sulfur oxidation state (VI) are concerned, so it is reasonable to suppose that  $\text{HSO}_3\text{F}$  is a very strong acid, which it is. The anion  $\text{HSO}_4^-$  is a considerably weaker acid than  $\text{HSO}_3\text{F}$ , for the same reason that it is a considerably weaker acid than  $\text{H}_2\text{SO}_4$ . Since  $\text{HSO}_4^-$  is not completely deprotonated in water, it is a weaker acid than  $\text{H}_3\text{O}^+$ , which is the strongest possible acidic species in water. Finally, it is difficult to place exactly  $\text{Si}(\text{OH})_4$  in this group. It is certainly more acidic than  $\text{NH}_3$  and  $\text{CH}_3\text{GeH}_3$ , and it turns out to be *less* acidic than  $\text{HSO}_4^-$ , despite the negative charge of the latter species. Therefore, a list of these species in order of increasing acidity is  $\text{NH}_3 < \text{CH}_3\text{GeH}_3 < \text{H}_4\text{SiO}_4 < \text{HSO}_4^- < \text{H}_3\text{O}^+ < \text{HSO}_3\text{F}$ .
- E4.17** Although  $\text{Na}^+$  and  $\text{Ag}^+$  ions have about the same ionic radius,  $\text{Ag}^+-\text{OH}_2$  bonds are much more covalent than  $\text{Na}^+-\text{OH}_2$  bonds, a common feature of the chemistry of d-block vs. s-block metal ions. The greater covalence of the  $\text{Ag}^+-\text{OH}_2$  bonds has the effect of delocalizing the positive charge of the cation over the whole aqua complex. As a consequence, the departing proton is repelled more by the positive charge of  $\text{Ag}^+(\text{aq})$  than by the positive charge of  $\text{Na}^+(\text{aq})$ , and the  $\text{Ag}^+$  ion is the stronger acid.
- E4.18** To get to the general rule, the best guide is to analyse one specific case of bridge formation/water elimination, for example



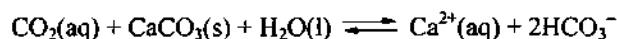
The charge per aluminum atom is +3 for the mononuclear species on the left-hand side of the equation, but only +2 for the dinuclear species on the right-hand side. Thus, polycation formation reduces the overall positive charge of the species by +1 per M.



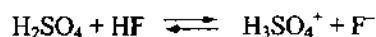
- E4.19** (a)  $\text{H}_3\text{PO}_4$  and  $\text{Na}_2\text{HPO}_4$ :  $\text{H}_3\text{PO}_4$  is a polyprotic acid and  $\text{Na}_2\text{HPO}_4$  is its acidic salt. Considering that for a polyprotic acid, the  $K_{a1}$  is the highest,  $\text{H}_3\text{PO}_4$  will be more acidic and  $\text{HPO}_4^{2-}$  is going to behave like a base:



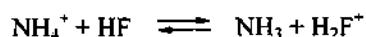
(b)  $\text{CO}_2$  and  $\text{CaCO}_3$ ? Similarly to the case above. Keep in mind that  $\text{CO}_2$  in aqueous medium partially reacts with  $\text{H}_2\text{O}$  to produce acid  $\text{H}_2\text{CO}_3$ . The overall equation can be written as follows:



- E4.20** HF behaves like an acid in anhydrous sulfuric acid, so it must increase the concentration of  $\text{H}_3\text{SO}_4^+$  ions. The equation is:



HF behaves like a base in liquid ammonia because it decreases the concentration of  $\text{NH}_4^+$ :



- E4.21** As you go down a family in the periodic chart, the acidity of the homologous hydrogen compounds increases. This is due primarily to the fact that the bond dissociation energy is smaller as you go down a family, due to poorer orbital overlap. Since the H-X bond is weaker for  $\text{H}_2\text{Se}$ , it will release protons more readily than  $\text{H}_2\text{S}$  in a given solvent.

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**E4.22** Lewis acids are electron pair acceptors. Looking at the trend for silicon halides we see that Lewis acidity increases with increasing electronegativity and decreasing size of the halogen element—SiF<sub>4</sub> with the smallest and most electronegative halide is the strongest Lewis acid while SiI<sub>4</sub> with the largest and least electronegative halide is the weakest Lewis acid. Fluorine's high electronegativity results in electron withdrawal from the central Si atom making the Si very nucleophilic. This fact, combined with the small size of F atom (little steric hindrance at Si) makes SiF<sub>4</sub> the strongest Lewis acid of the four.

The order of Lewis acidity for boron halides is inverse to that expected—BI<sub>3</sub> is the strongest and BF<sub>3</sub> is the weakest Lewis acid. This is because additional electronic effects play an important role. Using VB theory, BF<sub>3</sub> is stabilized by resonance (see Section 2.2 *Resonance*) with three resonance hybrids having a double (B = F) bond. This  $\pi$  interaction stabilises a planar geometry at the B atom, and the B 2p orbital is less available for formation of a Lewis adduct. The stabilisation of planar BF<sub>3</sub> can also be explained with a molecular orbital diagram. As we go down the halogen group, the atoms become larger and the  $\pi$  interaction decreases, with Lewis acidity of boron halides increasing in the same order. See also Section 4.7(b) *Group 13 Lewis acids* in the textbook.

**E4.23** (a)  $\text{SO}_3 + \text{H}_2\text{O} \rightarrow \text{HSO}_4^- + \text{H}^+$ : The acids in this reaction are the Lewis acids SO<sub>3</sub> and H<sup>+</sup> and the base is the Lewis base OH<sup>-</sup>. The complex (or adduct) HSO<sub>4</sub><sup>-</sup> is formed by the displacement of the proton from the hydroxide ion by the stronger Lewis acid SO<sub>3</sub>. In this way, the water molecule is thought of as a Lewis adduct formed from H<sup>+</sup> and OH<sup>-</sup>. Even though this fact is not explicitly shown in the reaction, the water molecule exhibits Brønsted acidity (not only Lewis basicity). Note that it is easy to tell that this is a displacement reaction instead of just a complex formation reaction because, while there is only one base in the reaction, there are *two* acids. A complex formation reaction only occurs with a single acid and a single base. A double displacement, or metathesis, reaction only occurs with two acids and two bases.

(b)  $\text{Me}[\text{B}_{12}]^- + \text{Hg}^{2+} \rightarrow [\text{B}_{12}] + \text{MeHg}^+$ : (This is a displacement reaction. The Lewis acid Hg<sup>2+</sup> displaces the Lewis acid [B<sub>12</sub>]<sup>-</sup> from the Lewis base CH<sub>3</sub><sup>-</sup>).

(c)  $\text{KCl} + \text{SnCl}_2 \rightarrow \text{K}^+ + [\text{SnCl}_3]^-$ : This is also a displacement reaction. The Lewis acid SnCl<sub>2</sub> displaces the Lewis acid K<sup>+</sup> from the Lewis base Cl<sup>-</sup>.

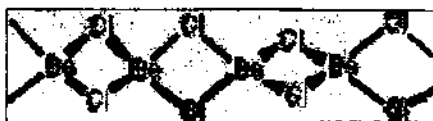
(d)  $\text{AsF}_3(\text{g}) + \text{SbF}_5(\text{g}) \rightarrow [\text{AsF}_2][\text{SbF}_6]$ : Even though this reaction is the formation of an ionic substance, it is *not* simply a complex formation reaction. It is a displacement reaction. The very strong Lewis acid SbF<sub>5</sub> (one of the strongest known) displaces the Lewis acid [AsF<sub>2</sub>]<sup>+</sup> from the Lewis base F<sup>-</sup>.

(e) **EtOH readily dissolves in pyridine:** A Lewis acid–base complex formation reaction between EtOH (the acid) and py (the base) produces the adduct EtOH–py, which is held together by a hydrogen bond.

**E4.24** (a) **Strongest Lewis acid: BF<sub>3</sub>, BCl<sub>3</sub>, or BBr<sub>3</sub>:** The simple argument that more electronegative substituents lead to a stronger Lewis acid does not work in this case (see Section 4.10(b) *Group 13 Lewis acids*). Boron tribromide is observed to be the strongest Lewis acid of these three compounds. The shorter boron–halogen bond distances in BF<sub>3</sub> and BCl<sub>3</sub> than in BBr<sub>3</sub> are believed to lead to stronger halogen-to-boron p–p  $\pi$  bonding. According to this explanation, the acceptor orbital (empty p orbital) on boron is involved to a greater extent in  $\pi$  bonding in BF<sub>3</sub> and BCl<sub>3</sub> than in BBr<sub>3</sub>; the acidities of BF<sub>3</sub> and BCl<sub>3</sub> are diminished relative to BBr<sub>3</sub>.

**BeCl<sub>2</sub> or BCl<sub>3</sub>:** Boron trichloride is expected to be the stronger Lewis acid because the oxidation number of boron in BCl<sub>3</sub> is +3, whereas for the beryllium atom in BeCl<sub>2</sub> it is only +2. The second reason has to do with structure. The boron atom in BCl<sub>3</sub> is three-coordinate, leaving a vacant site to which a Lewis base can coordinate. On the other hand, BeCl<sub>2</sub> is polymeric, each beryllium atom is four-coordinate, and some Be–Cl bonds must be broken before adduct formation can take place.

A piece of the infinite linear chain structure of BeCl<sub>2</sub>. Each Be atom is four-coordinate (tetrahedral), and each Cl atom is two-coordinate. The polymeric chains are formed by extending this piece to the right and to the left:



**B(*n*-Bu)<sub>3</sub> or B(*t*-Bu)<sub>3</sub>:** The Lewis acid with the unbranched substituents, B(*n*-Bu)<sub>3</sub>, is the stronger of the two because, once the complex is formed, steric repulsions between the substituents and the Lewis base will be less than with the bulky, branched substituents in B(*t*-Bu)<sub>3</sub>.

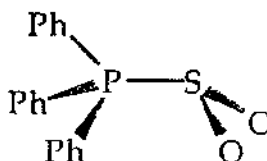
(b) **More basic toward BMe<sub>3</sub>: NMe<sub>3</sub> or NEt<sub>3</sub>:** These two bases have nearly equal basicities toward the proton in aqueous solution or in the gas phase. Steric repulsions between the substituents on the bases and the proton are negligible because the proton is very small. However, steric repulsions between the substituents on the bases and *molecular* Lewis acids like BMe<sub>3</sub> are an important factor in complex stability, and so the smaller Lewis base NMe<sub>3</sub> is the stronger in this case.

**2-Me-py or 4-Me-py:** As above, steric factors influence complex formation of two bases that have nearly equal Brønsted basicities. Therefore, 4-Me-py is the stronger base toward BMe<sub>3</sub> because the methyl substituent in this base cannot affect the strength of the B–N bond by steric repulsions with the methyl substituents on the Lewis acid.

**E4.25 (a) R<sub>3</sub>P–BBr<sub>3</sub> + R<sub>3</sub>N–BF<sub>3</sub> ⇌ R<sub>3</sub>P–BF<sub>3</sub> + R<sub>3</sub>N–BBr<sub>3</sub>:** You know that phosphines are softer bases than amines (see Table 4.4). So, to determine the position of this equilibrium, you must decide which Lewis acid is softer because the softer acid will preferentially form a complex with a soft base rather than with a hard base of equal strength. Boron tribromide is a softer Lewis acid than BF<sub>3</sub>, a consequence of the relative hardness and softness of the respective halogen substituents. Therefore, the equilibrium position for this reaction will lie to the left, the side with the soft–soft and hard–hard complexes, so the equilibrium constant is less than 1. In general, it is found that soft substituents (or ligands) lead to a softer Lewis acid than for the same central element with harder substituents.

(b) **SO<sub>2</sub> + Ph<sub>3</sub>P–HOtMe<sub>3</sub> ⇌ Ph<sub>3</sub>P–SO<sub>2</sub> + HOtMe<sub>3</sub>:** In this reaction, the soft Lewis acid sulfur dioxide displaces the hard acid *t*-butyl alcohol from the soft base triphenylphosphine. The soft–soft complex is favored, so the equilibrium constant is greater than 1.

The adduct formed between triphenylphosphine and sulfur dioxide:



(c) **CH<sub>3</sub>HgI + HCl ⇌ CH<sub>3</sub>HgCl + HI:** Iodide is a softer base than chloride, an example of the general trend that elements later in a group are softer than their progenors. The soft acid CH<sub>3</sub>Hg<sup>+</sup> will form a stronger complex with iodide than with chloride, whereas the hard acid H<sup>+</sup> will prefer chloride, the harder base. Thus, the equilibrium constant is less than 1.

(d) **[AgCl<sub>2</sub>]<sup>−</sup>(aq) + 2 CN<sup>−</sup>(aq) ⇌ [Ag(CN)<sub>2</sub>]<sup>−</sup>(aq) + 2Cl<sup>−</sup>(aq):** Cyanide is a softer and generally stronger base than chloride. Therefore, cyanide will displace the relatively harder base from the soft Lewis acid Ag<sup>+</sup>. The equilibrium constant is greater than 1.

**E4.26 (a)** The reaction is CsF + BrF<sub>3</sub> → Cs<sup>+</sup> + BrF<sub>4</sub><sup>−</sup>; in this case F<sup>−</sup> is a Lewis base whereas BrF<sub>3</sub> is a Lewis acid.

(b) The reaction is ClF<sub>3</sub> + SbF<sub>5</sub> → ClF<sub>2</sub><sup>+</sup> + SbF<sub>6</sub><sup>−</sup>; again F<sup>−</sup> is a Lewis base, whereas SbF<sub>5</sub> is Lewis acid.

(c) The reaction is B(OH)<sub>3</sub> + H<sub>2</sub>O → [B(OH)<sub>3</sub>(H<sub>2</sub>O)] → [B(OH)<sub>4</sub>]<sup>−</sup> + H<sup>+</sup>; the Lewis acid in this reaction is B(OH)<sub>3</sub>, whereas the Lewis base is H<sub>2</sub>O. Note that Lewis acid–base complex [B(OH)<sub>3</sub>(H<sub>2</sub>O)] behaves as a Brønsted acid in aqueous solution.

(d) The reaction is B<sub>2</sub>H<sub>6</sub> + 2PMe<sub>3</sub> → 2[BH<sub>3</sub>(PMe<sub>3</sub>)]; the base is PMe<sub>3</sub> and the acid is B<sub>2</sub>H<sub>6</sub>.

**E4.27** As you add methyl groups to the nitrogen, the nitrogen becomes more basic due to the inductive effect (electron donating ability) of the methyl groups. So the trend NH<sub>3</sub> < NH<sub>2</sub>(CH<sub>3</sub>) < NH(CH<sub>3</sub>)<sub>2</sub> makes sense, but when you put three methyl groups around nitrogen, sterics come into play. Trimethylamine is sterically large enough to fall out of line with the given enthalpies of reaction.

**E4.28 (a) Acetone and DMSO:** Since both E<sub>B</sub> and C<sub>B</sub> are larger for DMSO than for acetone (see Table 4.5), DMSO is the stronger base regardless of how hard or how soft is the Lewis acid. The ambiguity for DMSO is that both the oxygen atom and sulfur atom are potential basic sites.

(b) **Me<sub>2</sub>S and DMSO:** Dimethylsulfide has a C<sub>B</sub> value that is two-and-a-half times larger than that for DMSO, whereas its E<sub>B</sub> value is only one-quarter that for DMSO. Thus, depending on the E<sub>A</sub> and C<sub>A</sub> values for the Lewis acid, either base could be stronger. For example, DMSO is the stronger base toward BF<sub>3</sub>, while SMe<sub>2</sub> is the

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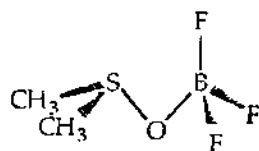
stronger base toward  $I_2$ . This can be predicted by calculating the  $\Delta H$  of complex formation for all four combinations:

$$\text{DMSO-BF}_3: \Delta H = -[(20.21)(2.76) + (3.31)(5.83)] = -75.1 \text{ kJ mol}^{-1}$$

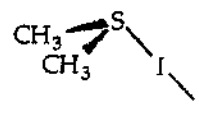
$$\text{SMe}_2\text{-BF}_3: \Delta H = -[(20.21)(0.702) + (3.31)(15.26)] = -64.7 \text{ kJ mol}^{-1}$$

$$\text{DMSO-I}_2: \Delta H = -[(2.05)(2.76) + (2.05)(5.83)] = -17.6 \text{ kJ mol}^{-1}$$

$$\text{SMe}_2\text{-I}_2: \Delta H = -[(2.05)(0.702) + (2.05)(15.26)] = -32.7 \text{ kJ mol}^{-1}$$



The stable complex of  
DMSO and boron trifluoride

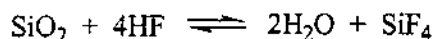


The stable complex of  
dimethyl sulfide and  $I_2$

- E4.29** The metathesis of two hard acids with two hard bases occurs as equilibrium is established between solid, insoluble  $SiO_2$ , and soluble  $H_2SiF_6$ :



or



This is both a Brønsted acid–base reaction and a Lewis acid–base reaction. The Brønsted reaction involves the transfer of protons from HF molecules to  $O^{2-}$  ions, whereas the Lewis reaction involves complex formation between Si(IV) centre and  $F^-$  ions.

- E4.30** The foul odour of damp  $Al_2S_3$  suggests that a volatile compound is formed when this compound comes in contact with water. The only volatile species that could be present, other than odourless water, is  $H_2S$ , which has the characteristic odour of rotten eggs. Thus, an equilibrium is established between two hard acids, Al(III) and  $H^+$ , and the bases  $O^{2-}$  and  $S^{2-}$ :



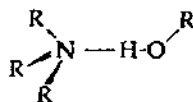
- E4.31 (a) Favour displacement of  $Cl^-$  by  $I^-$  from an acid centre:** Since in this case you have no control over the hardness or softness of the acid centre, you must do something else that will favour the acid–iodide complex over the acid–chloride complex. If you choose a solvent that decreases the activity of chloride relative to iodide, you can shift the following equilibrium to the right:



Such a solvent should interact more strongly with chloride (i.e., form an adduct with chloride) than with iodide. Thus, the ideal solvent properties in this case would be *weak*, *hard*, and *acidic*. It is important that the solvent be a weak acid because otherwise the activity of both halides would be rendered negligible. An example of a suitable solvent is anhydrous HF. Another suitable solvent is  $H_2O$ .

**(b) Favour basicity of  $R_3As$  over  $R_3N$ :** In this case you wish to enhance the basicity of the soft base trialkylarsine relative to the hard base trialkylamine. You can decrease the activity of the amine if the solvent is a hard acid because the solvent–amine complex would then be less prone to dissociate than the solvent–arsine complex. Alcohols such as methanol or ethanol would be suitable.

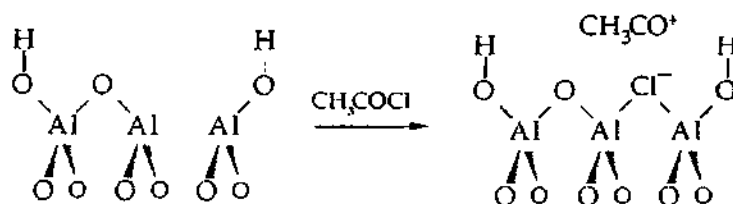
The Lewis acid–base complex of a trialkylamine (a hard base) and an alcohol (a hard acid) is shown below.



(c) **Favour acidity of  $\text{Ag}^+$  over  $\text{Al}^{3+}$ :** If you review the answers to parts (a) and (b) of this exercise, a pattern will emerge. In both cases, a hard acid solvent was required to favour the reactivity of a soft base. In this part of the exercise, you want to favour the acidity of a soft acid, so logically a solvent that is a hard base is suitable. Such a solvent will “tie up” (i.e., decrease the activity of) the hard acid  $\text{Al}^{3+}$  relative to the soft acid  $\text{Ag}^+$ . An example of a suitable solvent is diethyl ether. Another suitable solvent is  $\text{H}_2\text{O}$ .

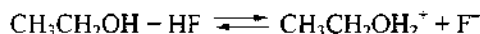
(d) **Promote the reaction  $2\text{FeCl}_3 + \text{ZnCl}_2 \rightarrow \text{Zn}^{2+} + 2[\text{FeCl}_4]^-$ :** Since  $\text{Zn}^{2+}$  is a softer acid than  $\text{Fe}^{3+}$ , a solvent that promotes this reaction will be a softer base than  $\text{Cl}^-$ . The solvent will then displace  $\text{Cl}^-$  from the Lewis acid  $\text{Zn}^{2+}$ , forming  $[\text{Zn}(\text{solvent})_4]^{2+}$ . The solvent must also have an appreciable dielectric constant because ionic species are formed in this reaction. A suitable solvent is acetonitrile, MeCN.

- E4.32** The mechanism described in Section 4.7(b) *Group 13 Lewis acids* involves the abstraction of  $\text{Cl}^-$  from  $\text{CH}_3\text{COCl}$  by  $\text{AlCl}_3$  to form  $\text{AlCl}_4^-$  and the Lewis acid  $\text{CH}_3\text{CO}^+$  (an acylium cation). This cation then attacks benzene to form the acylated aromatic product. An alumina surface, such as the partially dehydroxylated one shown below, would also provide Lewis acidic sites that could abstract  $\text{Cl}^-$ :

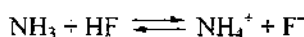


- E4.33** Mercury(II),  $\text{Hg}^{2+}$ , is a soft Lewis acid, and so is found in nature only combined with soft Lewis bases, the most common of which is  $\text{S}^{2-}$ . Sulfide can readily and permanently abstract  $\text{Hg}^{2+}$  from its complexes with harder bases in ore-forming geological reaction mixtures. Zinc(II), which exhibits borderline behaviour, is harder and forms stable compounds (i.e., complexes) with hard bases such as  $\text{O}^{2-}$ ,  $\text{CO}_3^{2-}$ , and silicates, as well as with  $\text{S}^{2-}$ . The particular ore that is formed with  $\text{Zn}^{2+}$  depends on factors including the relative concentrations of the competing bases.

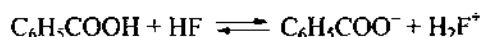
- E4.34** (a)  **$\text{CH}_3\text{CH}_2\text{OH}$  in liquid HF:** Ethanol is a weaker acid than  $\text{H}_2\text{O}$  but a stronger base than  $\text{H}_2\text{O}$ , due to the electron donating property of the  $-\text{C}_2\text{H}_5$  group. The balanced equation is:



- (b)  **$\text{NH}_3$  in liquid HF:** The equation is



- (c)  **$\text{C}_6\text{H}_5\text{COOH}$  in liquid HF:** In this case, benzoic acid is a significantly stronger acid than water. Therefore, it will protonate hydrogen fluoride:



- E4.35** The dissolution of silicates in HF is both a Brønsted acid–base reaction and a Lewis acid–base reaction. The reaction involves proton transfers from HF to the silicate oxygen atoms (a Brønsted reaction), and the formation of complexes such as  $\text{SiF}_6^{2-}$  from the Lewis acid  $\text{Si}^{4+}$  and the Lewis base  $\text{F}^-$  (a Lewis reaction).



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**E4.36** Since the trivalent lanthanides and actinides (f-block elements) are found as complexes with hard oxygen bases (i.e., silicates) and not with soft bases such as sulfide, they must be hard. Since they are found *exclusively* as silicates, they must be considered very hard, unlike the borderline behaviour of Zn(II) (see Exercise 4.33 as well).

**E4.37** From Table 4.5 we find  $E = 2.05$  and  $C = 2.05$  for  $I_2$  and  $E = 8.86$  and  $C = 0.09$  for phenol. The Drago-Wayland equation gives:

$$\Delta_f H^\ominus = -[E_A E_B + C_A C_B]$$

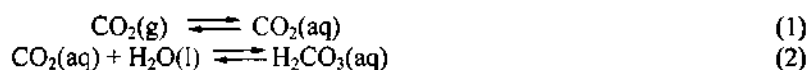
$$\Delta_f H^\ominus = -20.0 \text{ kJ/mol}$$

Indicating an exothermic reaction for the formation of an  $I_2$ -phenol adduct.

**E4.38** As the number of methyl groups bonded to nitrogen atom increases, the basicity of amines increases because methyl groups are good electron donors. Each additional methyl group pushes more electron density onto the nitrogen atom making its lone electron pair more basic. The steric influence of  $-CH_3$  groups is relatively small, particularly when considering attachment of the small proton.

When looking at the basic properties of these amines in aqueous solution we have to consider solvation effects as well because they play a crucial role in stability of these cations in water. The Born equation (equation 4.9) shows that solvation energy is inversely proportional to the radius of the cations. This means that the lowest solvation energy is going to be observed for the largest cation of the group, that is  $(CH_3)_3NH^+$ , and the highest value for the ammonium cation (the smallest of the four).

**E4.39** Since  $Si(OH)_4$  is a weaker acid than  $H_2CO_3$ ,  $H_2CO_3$  can replace  $Si(OH)_4$  from its salts; that is, it can protonate the conjugate base of  $Si(OH)_4$ . The following two equilibria in the system  $CO_2(g)/CO_2(aq)$  are important for this exercise:

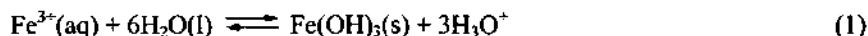


The  $H_2CO_3(aq)$  that is formed reacts with solid silicate  $M_2SiO_4$  causing the silicate to dissolve according to equation (3) (one of several possible reactions):



Equilibrium (3) is going to consume  $H_2CO_3(aq)$  present in the aqueous solution. This decrease in  $H_2CO_3(aq)$  concentration will perturb the equilibrium given by (2). According to Le Chatelier's principle, reaction (2) has to shift to the right—more  $CO_2(aq)$  has to react with water to produce  $H_2CO_3$  in order to re-establish the equilibrium conditions. Since reaction (2) has been shifted to the right, so must reaction (1) be shifted to the right as well—the consumption of  $CO_2(aq)$  in (2) disturbs the equilibrium (1) and more  $CO_2(g)$  has to dissolve in water to produce  $CO_2(aq)$ . Overall, the more silicate  $M_2SiO_4$  reacts with  $H_2CO_3(aq)$ , the less  $CO_2(g)$  will be present.

**E4.40** (a) The chemical equation is:



Where  $Fe^{3+}(aq)$  stands for  $Fe(H_2O)_6^{3+}$ .

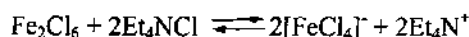
(b) The molecular weight of  $Fe(NO)_3 \cdot 9H_2O$  is  $404 \text{ g mol}^{-1}$ . We have started with 6.6 kg of this iron salt or  $6.6 \times 10^3 \text{ g} / (404 \text{ g mol}^{-1}) = 16.3 \text{ mol}$ , and when dissolved in  $100 \text{ dm}^3$  of water the concentration of  $Fe^{3+}$ , prior to precipitation, is  $(16.3 \text{ mol}) / (100 \text{ L}) = 0.163 \text{ mol L}^{-1}$ . The equation given,  $[Fe^{3+}] / [H_3O^+]^3 = 10^4$  is an equilibrium constant for the inverse of reaction (1), and  $[H_3O^+]^3 / [Fe^{3+}] = 10^{-4}$  is the equilibrium constant for (1) as written above. If we start from  $x \text{ mol}$  of  $Fe^{3+}$  we should get  $3x \text{ mol}$  of  $H_3O^+$ . So, we can set up the equation with equilibrium concentrations as:

$$(3x)^3 / (0.163 - x) = 10^{-4}$$

$$27x^3 + 10^{-4}x - 0.163 \times 10^{-4} = 0$$

The only real root of the above equation is 0.0083. This gives  $[\text{H}_3\text{O}^+] = 3x = 3 \times 0.0083 \text{ M} = 0.0249 \text{ M}$  and  $\text{pH}$  of  $-\log(0.0249) = 1.6$ . The equilibrium concentration of  $[\text{Fe}^{3+}]$  is  $0.163 - x = 0.163 - 0.0083 = 0.1547 \text{ M}$ . The  $\text{Fe}^{3+}$ -containing species that have been neglected in this calculation are  $\text{Fe}(\text{OH})^{2+}$  (or  $[\text{Fe}(\text{H}_2\text{O})_5(\text{OH})]^{2+}$ ) and  $\text{Fe}(\text{OH})_2^+$  (or  $[\text{Fe}(\text{H}_2\text{O})_5(\text{OH})_2]^+$ ).

- E4.41** The trend in symmetrical M–O stretching vibration frequencies relates very well with the acidities of these aqua acids. The frequencies increase in the order  $\text{Ca}^{2+} < \text{Mn}^{2+} < \text{Zn}^{2+}$ , the same order that the M–O bond strength increases. This is a reasonable observation because in the same order the radii of  $\text{M}^{2+}$  cations are decreasing and charge density is increasing. With increasing charge density the attraction between  $\text{M}^{2+}$  cation and partially negative O atom in  $\text{H}_2\text{O}$  is increasing. For the same reason, the acidity of these aqua acids is increasing showing that two trends correlate closely.
- E4.42** The solvent acetonitrile,  $\text{CH}_3\text{CN}$ , is a Lewis base because it has a lone electron pair on the nitrogen atom. On the other hand,  $\text{AlCl}_3$  is a typical Lewis acid of a Group 13 element. This means that the two can react in a Lewis acid–base reaction forming adducts, for example  $\text{AlCl}_3(\text{NCCH}_3)_3$ . Considering it is also a polar solvent,  $\text{CH}_3\text{CN}$  can stabilize ions, suggesting that partial ionization of solvated  $\text{AlCl}_3$  can take place producing the ions  $[\text{AlCl}_2(\text{NCCH}_3)_4]^+$  and  $\text{Cl}^-(\text{sol})$ . It is further possible that solvated  $\text{Cl}^-$  behaves like a Lewis base toward undissociated  $\text{AlCl}_3(\text{NCCH}_3)_3$ , replacing  $\text{CH}_3\text{CN}$  to produce the anion  $[\text{AlCl}_4(\text{NCCH}_3)_2]^-$ . These ions are responsible for solution conductivity.
- E4.43** Equation (b) is better in explaining the observations described in the exercise. Most notably it contains the Lewis acid–base adduct  $[\text{FeCl}_2(\text{OPCl}_3)_4]^+$  in which  $\text{OPCl}_3$  is a Lewis base and coordinates via its O atom, consistent with vibrational data. It also has the  $\text{Fe}_2\text{Cl}_6/[\text{FeCl}_4]^-$  (i.e., red/yellow) equilibrium. The titration would have to start in either case from a concentrated (red) solution, and the equivalence point at 1 : 1 mole ratio  $\text{FeCl}_3/\text{Et}_4\text{NCl}$  can be explained based on the reaction:

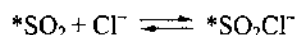


- E4.44** The elements mentioned in the exercise are marked on the periodic table shown below: light shaded squares are those that are considered amphoteric in the  $\text{S}^{2-}/\text{HS}^-$  system; dark shaded squares correspond to the elements that are considered less acidic. The borderline between the two is not as clear as is the case with oxides (Figure 4.5). It is possible, however, to note that the boundary has been shifted to the left and toward the bottom of the periodic table. It is in this region that we find soft Lewis acids (large cations with relatively low charge). Thus, this borderline does agree with describing  $\text{S}^{2-}$  as a softer base than  $\text{O}^{2-}$ .

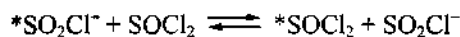
1	2											10	11					
1	H											He						
2	Li	Be											B	C	N	O	F	Ne
3	Na	Mg											Al	Si	P	S	Cl	Ar
4	K	Ca	Sc	Ti	V	Cr	Mn	Fe	Co	Ni	Cu	Zn	Ga	Ge	As	Se	Br	Kr
5	Rb	Sr	Y	Zr	Nb	Mo	Tc	Ru	Rh	Pd	Ag	Cd	In	Sn	Sb	Te	I	Xe
6	Cs	Ba	La	Hf	Ta	W	Re	Os	Ir	Pt	Au	Hg	Tl	Pb	Bi	Po	At	Rn
7	Fr	Ra	Ac	Rf	Db	Sg	Bh	Hs	Mt	Ds	Rg	Cn		Fl		Lv		Uuo

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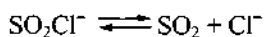
- E4.45** The first step in the reaction catalyzed by  $\text{Cl}^-$  ions is formation of  $^*\text{SO}_2\text{Cl}^-$  (where  $^*\text{S}$  is the radioactively labelled sulfur atom):



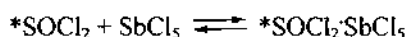
In this reaction  $\text{SO}_2$  is a Lewis acid (see Section 4.7(e) *Group 16 Lewis acids*), whereas the catalyst,  $\text{Cl}^-$ , is a Lewis base. The next step involves reaction between  $^*\text{SO}_2\text{Cl}^-$  and  $\text{SOCl}_2$  in which oxygen and chlorine atoms are exchanged:



Finally, newly formed, unlabelled  $\text{SO}_2\text{Cl}^-$  dissociates to release the catalyst and  $\text{SO}_2$ :



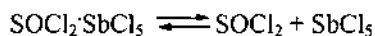
The first step in the reaction catalysed by  $\text{SbCl}_5$  is formation of  $^*\text{SOCl}_2\text{SbCl}_5$  adduct:



In this reaction  $\text{SbCl}_5$  behaves as a Lewis acid (see Section 4.7(d) *Group 15 Lewis acids*), whereas  $^*\text{SOCl}_2$  is a Lewis base. The adduct reacts with  $\text{SO}_2$  and the chlorides and oxygen atoms are exchanged:



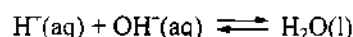
Finally,  $\text{SOCl}_2\text{SbCl}_5$  dissociates to liberate the catalyst:



- E4.46** The reasons for the difference in stability are steric. Sulfur has the same oxidation state in  $\text{SO}_3$  and  $\text{SF}_6$ , but the differences in molecular geometry are significant.  $\text{SO}_3$  has a trigonal planar structure with sulfur atom at the centre. This structure makes the S atom easily accessible for bonding with pyridine. On the other hand,  $\text{SF}_6$  has octahedral geometry with sulfur atom “hidden” inside, making it inaccessible for the lone electron pair on pyridine’s nitrogen atom.  $\text{SF}_4$  has a see-saw molecular geometry in which S atom is rather accessible for bonding with pyridine.
- E4.47** (a) The equilibrium constant for this reaction should be less than 1. This is because the reactants are more stable than the products according to the HSAB theory. According to this theory, hard acids like to bind to hard bases and soft acids like to bind soft bases (see Section 4.9(a) and Table 4.4).  $\text{Cd}^{2+}$  is a soft Lewis acid, whereas  $\text{Ca}^{2+}$  is a hard Lewis acid. That means  $\text{Cd}^{2+}$  is going to prefer the soft base  $\text{I}^-$  over the hard base,  $\text{F}^-$ . The opposite holds for  $\text{Ca}^{2+}$ —it is going to preferably bind to  $\text{F}^-$  over  $\text{I}^-$ . Thus, the reactants are more stable than the products, and the equilibrium constant is lower than 1.
- (b) This problem is also solved by looking at the HSAB theory. The reaction involves  $\text{Cu}^+$  and  $\text{Cu}^{2+}$  Lewis acids and  $\text{I}^-$  and  $\text{Cl}^-$  Lewis bases.  $\text{Cu}^+$  as a soft Lewis acid is going to prefer soft base  $\text{I}^-$  over harder base  $\text{Cl}^-$ , thus it will be more stable as  $[\text{CuI}_4]^{3-}$  (product) than as  $[\text{CuCl}_4]^{3-}$  (reactant). Similarly,  $\text{Cu}^{2+}$  of intermediate hardness is going to bond preferably to  $\text{Cl}^-$  making the  $[\text{CuCl}_4]^{2-}$  (product) more stable than the  $[\text{CuI}_4]^{2-}$  (reactant). Overall, in this case, the products are expected to be more stable than reactants, and the equilibrium constant should be greater than 1.
- (c) This reaction is analysed as a Brønsted acid–base reaction because it involves proton transfer from  $\text{H}_2\text{O}$  to  $\text{NH}_2^-$ . In this case the equilibrium constant is also greater than 1 because we have a very strong base,  $\text{NH}_2^-$  a conjugate base of  $\text{NH}_3$  as acid, in water.
- E4.48** In all cases we have salts of strong acids,  $\text{HClO}_4$  in (a) and  $\text{HNO}_3$  in (b), in identical concentrations (0.1 M), thus any change in pH from neutral is due to the aqua acids of metal cations. The exercise then reduces to analysis of which cation gives the more acidic solution. Consult Example and Self-Test 4.4 as well as Section 4.2 if you had problems with this exercise.
- (a)  $\text{Fe}(\text{ClO}_4)_3$  solution will have a lower pH value than  $\text{Fe}(\text{ClO}_4)_2$  solution because  $\text{Fe}^{3+}$  has both higher charge and smaller ionic radius (i.e., higher charge density) than  $\text{Fe}^{2+}$ .

- (b)  $\text{Mg}(\text{NO}_3)_2$  will have lower pH than  $\text{Ca}(\text{NO}_3)_2$  solution because  $\text{Mg}^{2+}$  has a smaller radius and consequently higher charge density than  $\text{Ca}^{2+}$ .
- (c)  $\text{Zn}(\text{NO}_3)_2$  will have lower pH than  $\text{Hg}(\text{NO}_3)_2$  solution because  $\text{Zn}^{2+}$  has a smaller radius and consequently higher charge density than  $\text{Hg}^{2+}$ .

- E4.49** In general, cations such as  $\text{I}_2^+$  and  $\text{Se}_8^{2+}$  should behave like good Lewis acids. As a consequence, these cations should react (even) with a weakly basic solvent and will be lost. Hence, they can survive and be studied *only* in strongly acidic solvents that do not react with them. The same reasoning applies to anions such as  $\text{S}_4^{2-}$  and  $\text{Pb}_9^{4-}$ , which are good Lewis bases and can be stabilised by strongly basic solvents because they would react with acidic ones.
- E4.50** Sharp titration end points are obtained when a strong acid is titrated with a strong base, and vice versa. Regardless which strong acid and strong base are used, the overall titration reaction is the same:



That is, the strongest acid in water is neutralised with the strongest base that can exist in water. In any other titration case, the end point is not easily detected. In the case of titration of a weak base with a strong acid we have to find a solvent other than water in which a weak base is going to behave as strong one and give us a sharp and easy to detect end point. To achieve this, we have to find solvent more acidic than water, which can be acetic acid.

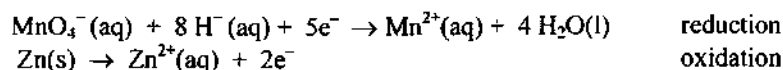
#### Guidelines for Selected Tutorial Problems

- T4.5** Start from Section 4.14 *Superacids and superbases* which covers “classical” examples of superbases, nitrides, and hydrides of s-block elements. However, there are several groups of superbases that you can look at. For example, amides (diisopropylamide related) are commonly used superbases. More modern are phosphazene bases which are neutral rather bulky compounds containing phosphorus and nitrogen. An interesting topic is a “proton sponge” (or Alder’s base) and its derivatives as well as several theoretical and practical approaches used in rational design of superbases.

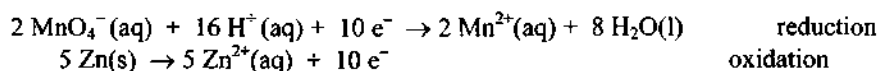
## Chapter 5 Oxidation and Reduction

### Self-Test Exercises

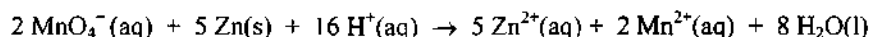
**S5.1** Following the procedure outlined in Example 5.1, we find the following two half-reactions:



The reduction half-reaction requires five electrons whereas the oxidation half-reaction requires two electrons; therefore we must balance electrons so that an equal number of electrons are required in both reactions. The reduction reaction must be multiplied by 2 and the oxidation reaction by 5 to give 10 electrons in each case:



Summing two half-reactions and cancelling  $10\text{e}^-$  found on both the left and right sides of the equation, we obtain the full reaction:



**S5.2** No, copper metal is not expected to react with dilute HCl because the  $E^\circ$  for the reaction  $\text{Cu}^{2+} (\text{aq}) + 2 \text{e}^- \rightarrow \text{Cu} (\text{s})$ ,  $E^\circ (\text{Cu}^{2+}, \text{Cu}) = +0.34 \text{ V}$  is positive. The oxidation of Cu metal in HCl,  $\text{Cu} (\text{s}) + 2 \text{H}^+ (\text{aq}) \rightarrow \text{Cu}^{2+} (\text{aq}) + \text{H}_2 (\text{g})$ , is not favoured thermodynamically because the cell potential for the reaction is negative ( $-0.34 \text{ V}$ ), resulting in a positive  $\Delta G$ .

**S5.3** The standard reduction potential for the  $\text{Cr}_2\text{O}_7^{2-}/\text{Cr}^{3+}$  couple is  $+1.38 \text{ V}$ , so it can oxidize any couple whose reduction potential is less than  $+1.38 \text{ V}$ . Since the reduction potential for the  $\text{Fe}^{3+}/\text{Fe}^{2+}$  couple ( $+0.77 \text{ V}$ ) is less positive than  $\text{Cr}_2\text{O}_7^{2-}/\text{Cr}^{3+}$  reduction potential,  $\text{Fe}^{2+}$  will be oxidized to  $\text{Fe}^{3+}$  by dichromate. The reduction potential for the  $\text{Cl}_2/\text{Cl}^-$  couple ( $+1.36 \text{ V}$ ) is slightly less positive than that of the  $\text{Cr}_2\text{O}_7^{2-}/\text{Cr}^{3+}$  couple, so a side reaction with  $\text{Cl}^-$  should be expected.

**S5.4** The potential difference of the cell from Example 5.45 was calculated to be  $+1.23 \text{ V}$ . To calculate the potential difference under non-standard conditions we start with the Nernst equation given by the formula:

$$E_{\text{cell}} = E^\circ - \frac{RT}{\nu F} \ln Q, \text{ where } Q \text{ is the reaction quotient.}$$

For the fuel-cell reaction,  $\text{O}_2 (\text{g}) + 2\text{H}_2 (\text{g}) \rightarrow 2 \text{H}_2\text{O} (\text{l})$ , the reaction quotient is:

$$Q = \frac{1}{p(\text{O}_2)p(\text{H}_2)}$$

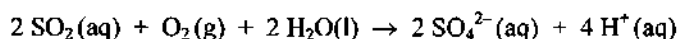
Recalling that  $\nu$  is the number of electrons exchanged, we have:

$$\begin{aligned} E_{\text{cell}} &= E^\circ - [(0.059 \text{ V})/4][\log(1/(5.0)^2)] \\ &= +1.23 \text{ V} + 0.02 \text{ V} = +1.25 \text{ V} \end{aligned}$$

Therefore, the new potential difference for the fuel cell is  $+1.25 \text{ V}$ .

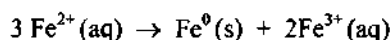
## 62 Part 1: Foundations

**S5.5** The complete coupled reaction for oxidation of  $\text{SO}_2(\text{aq})$  by atmospheric oxygen is given below:



Since the standard reduction potential for the  $\text{SO}_4^{2-}/\text{SO}_2$  couple is +0.16 V and the standard reduction potential for the  $\text{O}_2/\text{H}_2\text{O}$  couple is +1.23 V then the potential difference for the equation above is  $E^\circ = +1.23 \text{ V} - 0.16 \text{ V} = +1.07 \text{ V}$ . Since this potential is large and positive, the Gibbs energy of this reaction is negative (reaction is hence spontaneous) and will be driven nearly to completion ( $K > 1$ ). Thus, the expected thermodynamic fate of  $\text{SO}_2$  is its conversion to sulfate (or neutral sulfuric acid vapour). This aqueous solution of  $\text{SO}_4^{2-}$  and  $\text{H}^+$  ions precipitates as acid rain, which can have a pH as low as 2 (the pH of rain water that is not contaminated with sulfuric or nitric acid is ~5.6).

**S5.6** The disproportionation of  $\text{Fe}^{2+}$  involves the reduction of one equivalent of  $\text{Fe}^{2+}$  to  $\text{Fe}^0$ , a net gain of two equivalents of electrons, and the concomitant oxidation of two equivalents of  $\text{Fe}^{2+}$  to  $\text{Fe}^{3+}$ , a net loss of two equivalents of electrons:



The value of  $E_{\text{cell}}$  for this reaction can be calculated by subtracting  $E^\circ$  for the  $\text{Fe}^{2+}/\text{Fe}$  couple (-0.44 V) from  $E^\circ$  for the  $\text{Fe}^{3+}/\text{Fe}^{2+}$  couple (+0.77 V),

$$E = -0.44 - 0.77 \text{ V} = -1.21 \text{ V}$$

This potential is large *and negative*, resulting in a positive  $\Delta_r G$  (non-spontaneous reaction), so the disproportionation will *not* occur.

**S5.7** Compared to the aqua redox couple of +0.25 V, the given value is higher by +1.01 V and we conclude that bpy binds preferentially to Ru(II).

Using Equation 5.12b from your textbook, we obtain

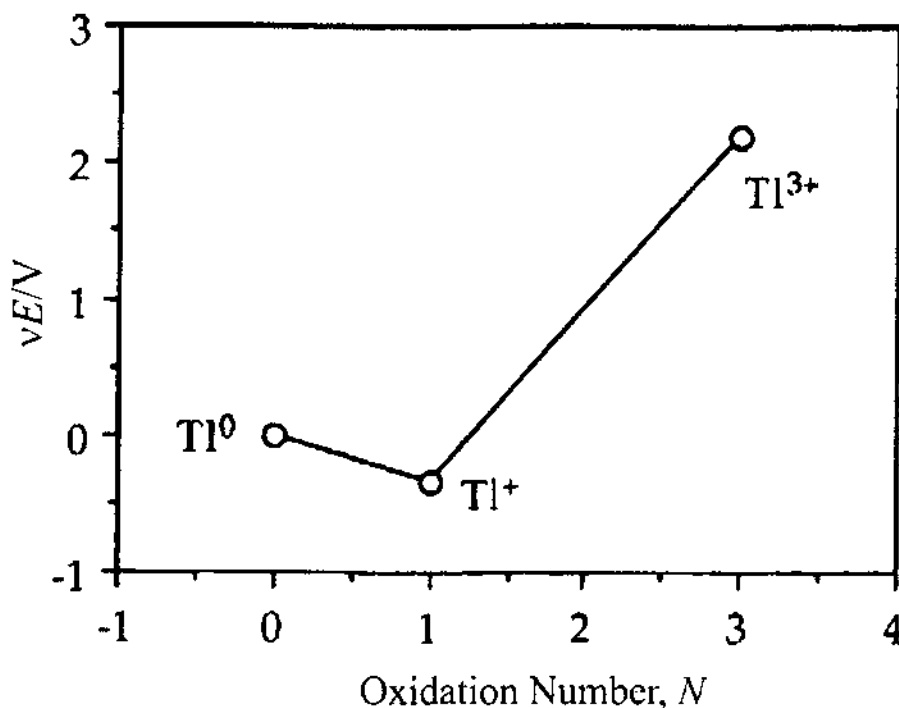
$$\begin{aligned} E^\circ(\text{M}) - E^\circ(\text{ML}) &= (0.059\text{V}) \times \log(K^{\text{ox}}/K^{\text{red}}) \\ E^\circ(\text{Ru}^{3+}(\text{aq})) - E^\circ([\text{Ru}(\text{bpy})_3]^{3+}) &= +0.25\text{V} - (+1.26\text{V}) = -1.01\text{V} \\ -1.01\text{V} &= (0.059\text{V}) \times \log(K^{\text{ox}}/K^{\text{red}}) \\ -\frac{1.01\text{V}}{0.059\text{V}} &= -17.11 \log \frac{K^{\text{ox}}}{K^{\text{red}}} \Rightarrow 17.11 \log \frac{K^{\text{red}}}{K^{\text{ox}}} \end{aligned}$$

Thus, the binding of three bpy ligands to Ru(III) is about 17 orders of magnitude decreased relative to binding to Ru(II).

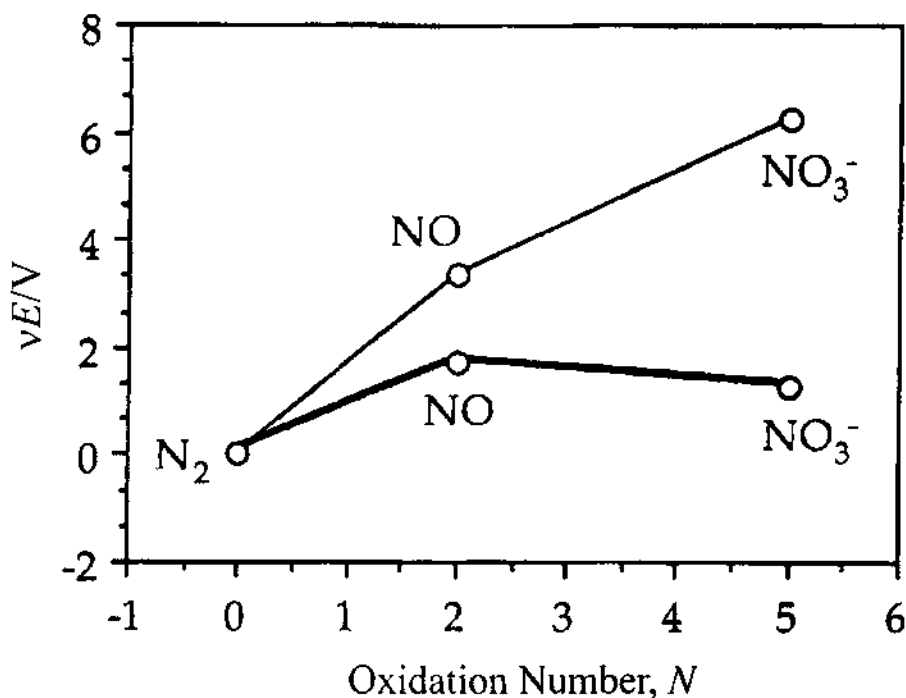
**S5.8** We need to consider a thermodynamic cycle that links the solubility product under the experimental condition of  $\text{Cl}^-$  concentration (here simplified, since  $[\text{Cl}^-] = 1.0 \text{ mol dm}^{-3}$ ). For the thermodynamic cycle  $\Delta G = 0$ , so we obtain  $E_{\text{AgCl}/\text{Ag}} = RT \ln K_{\text{sp}} + E_{\text{Ag}^+/\text{Ag}} = -0.577 \text{ V} + 0.80 \text{ V} = +0.223 \text{ V}$ .

**S5.9** (a) Pu(IV) disproportionates to Pu(III) and Pu(V) in aqueous solution because Pu(IV) is a stronger oxidant in acidic solution compared to Pu(V).  
(b) Pu(V) does not disproportionate into Pu(VI) and Pu(IV).

**S5.10** See the figure below. This plot was made using the potentials given,  $NE^\circ = 0 \text{ V}$  for  $\text{Tl}^0$  ( $N = 0$ ),  $NE^\circ = -0.34 \text{ V}$  for  $\text{Tl}^+$  ( $N = 1$ ), and  $NE^\circ = 2.19 \text{ V}$  for  $\text{Tl}^{3+}$  ( $N = 3$ ). Note that  $\text{Tl}^+$  is stable with respect to disproportionation in aqueous acid. Note also that  $\text{Tl}^{3+}$  is a strong oxidant (i.e., it is very readily reduced) because the slope of the line connecting it with either lower oxidation state is large and positive.



- S5.11** When permanganate,  $MnO_4^-$ , is used as an oxidant in aqueous solution, the manganese species that will remain is the most stable manganese species under the conditions of the reaction (i.e., acidic or basic). Inspection of the Frost diagram for manganese, shown in Figure 5.10, shows that  $Mn^{2+}(aq)$  is the most stable species present because it has the most negative  $\Delta_f G$ . Therefore,  $Mn^{2+}(aq)$  will be the final product of the redox reaction when  $MnO_4^-$  is used as an oxidizing agent in aqueous acid.
- S5.12** For kinetic reasons, the reduction of nitrate ion usually proceeds to  $NO$ , instead of proceeding to  $N_2O$  or all the way to  $N_2$ . That means that our redox couple is  $NO_3^-/NO$  and we have to compare the slope of the line connecting the  $NO_3^-$  and  $NO$  points for both acidic and basic solution. If you compare the portion of the Frost diagram for nitrogen, shown below, containing the  $NO_3^-/NO$  couple in acidic and in basic solution, you see that the slope for the couple in acidic solution is positive while the slope for basic solution is negative. Therefore, nitrate is a stronger oxidizing agent (i.e., it is more readily reduced) in acidic solution than in basic solution. Even if the reduction of  $NO_3^-$  proceeded all the way to  $N_2$ , the slope of that line is still less than the slope of the line for the  $NO_3^-/NO$  couple in acid solution.

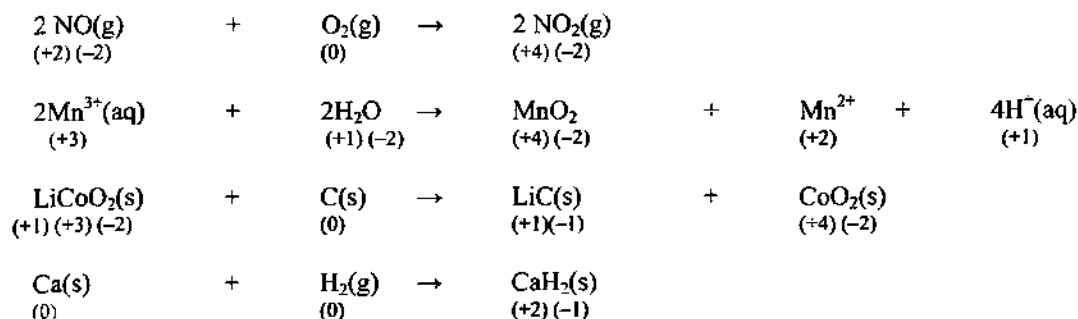


A portion of the Frost diagram for nitrogen is shown in the figure above. The points connected with the bold lines are for basic solution, and the other points are for acid solution.

- S5.13** According to Figure 5.12, a typical waterlogged soil (rich in organic material but oxygen depleted) has an average pH of about 4 and an average potential of about  $-0.1$  V. If you find this point on the Pourbaix diagram for naturally occurring iron species, shown on Figure 5.11, you see that  $Fe(OH)_3$  is not stable and  $Fe^{2+}(aq)$  will be the predominant species. In fact, as long as the potential remained at  $-0.1$  V,  $Fe^{2+}$  remains the predominant species below pH = 8. Above pH = 8,  $Fe^{2+}$  is oxidized to  $Fe_2O_3$  at this potential.
- S5.14** According to the Ellingham diagram shown in Figure 5.16, at about  $2000^\circ C$  the line (a) for the reducing agent (C/CO) dips below the MgO line, which means that at that temperature the reactions  $2Mg(l) + O_2(g) \rightarrow 2MgO(s)$  and  $2C(s) + O_2(g) \rightarrow 2CO(g)$  have the same free-energy change. Thus, coupling the two reactions (i.e., subtracting the first from the second) yields the overall reaction  $MgO(s) + C(s) \rightarrow Mg(l) + CO(g)$  with  $\Delta G = 0$ . At  $2000^\circ C$  or above, MgO can be conveniently reduced to Mg by carbon.

### End-of-Chapter Exercises

**E5.1** Oxidation numbers for each element in each species are given below the element's symbol:

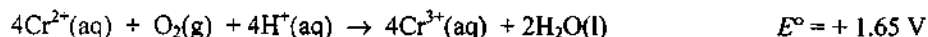




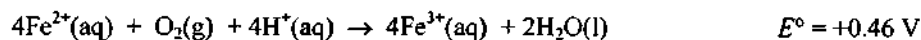
- E5.2** (a) **Oxidation of HCl to Cl<sub>2</sub>:** Assume that all of these transformations are occurring in acid solution (pH 0). Referring to Resource Section 3, you will find from the Group 17 Latimer diagrams, that the reduction potential for the Cl<sub>2</sub>/Cl<sup>-</sup> couple is +1.358 V. To oxidize Cl<sup>-</sup> to Cl<sub>2</sub>, you need a couple with a reduction potential more positive than 1.358 V, because then the net potential will be positive and ΔG will be negative. Examples include the S<sub>2</sub>O<sub>8</sub><sup>2-</sup>/SO<sub>4</sub><sup>2-</sup> couple (*E*<sup>o</sup> = +1.96 V), the H<sub>2</sub>O<sub>2</sub>/H<sub>2</sub>O couple (*E*<sup>o</sup> = +1.763 V), the α-PbO<sub>2</sub>/Pb<sup>2+</sup> couple (*E*<sup>o</sup> = +1.468 V), and MnO<sub>4</sub><sup>-</sup>/Mn<sup>2+</sup> couple (*E*<sup>o</sup> = +1.51 V). Therefore, since the *oxidized* form of the couple will get *reduced* by oxidizing Cl<sup>-</sup>, you would want to use either S<sub>2</sub>O<sub>8</sub><sup>2-</sup>, H<sub>2</sub>O<sub>2</sub>, α-PbO<sub>2</sub> or MnO<sub>4</sub><sup>-</sup> to oxidize Cl<sup>-</sup> to Cl<sub>2</sub>.
- (b) **Reducing Cr<sup>3+</sup>(aq) to Cr<sup>2+</sup>(aq):** In this case, the reduction potential, found from the Latimer diagrams for the Group 6 elements, is -0.424 V. Therefore, to have a net *E*<sup>o</sup> > 0, you need a couple with a reduction potential more negative than -0.424 V. Examples include Mn<sup>2+</sup>/Mn (*E*<sup>o</sup> = -1.18 V), Zn<sup>2+</sup>/Zn (*E*<sup>o</sup> = -0.7626 V), and NH<sub>3</sub>OH<sup>+</sup>/N<sub>2</sub> (*E*<sup>o</sup> = -1.87 V). Remember that it is the reduced form of the couple that you want to use to reduce Cr<sup>3+</sup> to Cr<sup>2+</sup>, so in this case you would choose metallic manganese, metallic zinc or NH<sub>3</sub>OH<sup>+</sup>.
- (c) **Reducing Ag<sup>+</sup>(aq) to Ag(s):** The reduction potential is 0.799 V. As above, the reduced form of any couple with a reduction potential less positive than 0.799 V will reduce Ag<sup>+</sup> to silver metal. One possible example comes from the same group: Cu<sup>2+</sup>/Cu (+0.340 V).
- (d) **Reducing I<sub>2</sub> to I<sup>-</sup>:** The reduction potential is +0.535 V. As above, the reduced form of any couple with a reduction potential less than +0.535 V will reduce iodine to iodide. One example is S/H<sub>2</sub>S with reduction potential +0.144 V.

- E5.3** For all species given in the exercise, you must determine whether they can be oxidized by O<sub>2</sub>. The standard potential for the reduction O<sub>2</sub> + 4 H<sup>+</sup> + 4 e<sup>-</sup> → 2 H<sub>2</sub>O is +1.23 V. Therefore, only redox couples with a reduction potential less positive than 1.23 V will be driven to completion to the oxidized member of the couple by the reduction of O<sub>2</sub> to H<sub>2</sub>O.

(a) **Cr<sup>2+</sup>:** Since the Cr<sup>3+</sup>/Cr<sup>2+</sup> couple has *E*<sup>o</sup> = -0.424 V, Cr<sup>2+</sup> will be oxidized to Cr<sup>3+</sup> by O<sub>2</sub>. The balanced equation is:



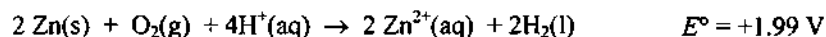
(b) **Fe<sup>2+</sup>:** Since the Fe<sup>3+</sup>/Fe<sup>2+</sup> couple has *E*<sup>o</sup> = +0.771 V, Fe<sup>2+</sup> will be oxidized to Fe<sup>3+</sup> by O<sub>2</sub>. The balanced equation is:



(c) **Cl<sup>-</sup>:** Both of the following couples have *E*<sup>o</sup> values, shown in parentheses, more positive than 1.23 V, so there will be no reaction when acidic Cl<sup>-</sup> solution is aerated: ClO<sub>4</sub><sup>-</sup>/Cl<sup>-</sup> (+1.387 V); Cl<sub>2</sub>/Cl<sup>-</sup> (+1.358 V). Therefore, Cl<sup>-</sup> is stable under these conditions and there is *no reaction*.

(d) **HOCl:** Since the HClO<sub>2</sub>/HClO couple has *E*<sup>o</sup> = +1.701 V, the cell potential for oxidation of HOCl by O<sub>2</sub> is -0.47 V (negative, unfavourable). Thus, HClO will *not* be oxidized to HClO<sub>2</sub> by O<sub>2</sub> and there is *no reaction*.

(e) **Zn(s):** Since the Zn<sup>2+</sup>/Zn couple has *E*<sup>o</sup> = -0.763 V, metallic zinc will be oxidized to Zn<sup>2+</sup> by O<sub>2</sub>. The balanced equation is:

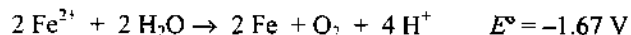
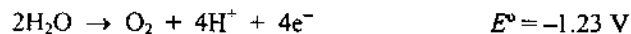


In this case, there is a competing reaction Zn(s) + 2 H<sup>+</sup>(aq) → Zn<sup>2+</sup>(aq) + H<sub>2</sub>(g) (*E*<sup>o</sup> = +0.763 V).

- E5.4** When a chemical species is dissolved in aerated acidic aqueous solution, you need to think about four possible redox reactions. These are: (i) the species might oxidize water to O<sub>2</sub>, (ii) the species might reduce water (hydronium ions) to H<sub>2</sub>, (iii) the species might be oxidized by O<sub>2</sub>, and (iv) the species might undergo disproportionation.

(a) **Fe<sup>2+</sup>:** In the case of Fe<sup>2+</sup>, the two couples of interest are Fe<sup>3+</sup>/Fe<sup>2+</sup> (*E*<sup>o</sup> = +0.77 V) and Fe<sup>2+</sup>/Fe (*E*<sup>o</sup> = -0.44 V). Consider the four possible reactions (refer to Resource Section 3 for the potentials you need): (i) The O<sub>2</sub>/H<sub>2</sub>O couple has *E*<sup>o</sup> = +1.23 V, so the oxidation of water would only occur if the Fe<sup>2+</sup>/Fe potential were *greater* than +1.23 V. In other words, the net reaction below is not spontaneous because the net *E*<sup>o</sup> is less than zero:



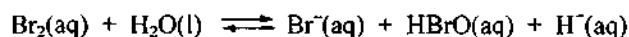


Therefore,  $\text{Fe}^{2+}$  will not oxidize water. (ii) The  $\text{H}_2\text{O}/\text{H}_2$  couple has  $E^\circ = 0 \text{ V}$  at  $\text{pH} = 0$  (by definition), so the reduction of water would only occur if the potential for the oxidation of  $\text{Fe}^{2+}$  to  $\text{Fe}^{3+}$  was positive, and it is  $-0.77 \text{ V}$  (note that it is the *reduction* potential for the  $\text{Fe}^{3+}/\text{Fe}^{2+}$  couple that is *positive*  $0.77 \text{ V}$ ). Therefore,  $\text{Fe}^{2+}$  will not reduce water. (iii) Since the  $\text{O}_2/\text{H}_2\text{O}$  has  $E^\circ = +1.23 \text{ V}$ , the reduction of  $\text{O}_2$  would occur as long as the potential for the oxidation of  $\text{Fe}^{2+}$  to  $\text{Fe}^{3+}$  was less negative than  $-1.23 \text{ V}$ . Since it is only  $-0.77 \text{ V}$  (see above),  $\text{Fe}^{2+}$  will reduce  $\text{O}_2$  and in doing so will be oxidized to  $\text{Fe}^{3+}$ . (iv) The disproportionation of a chemical species will occur if it can act as its own oxidizing agent and reducing agent, which will occur when the potential for reduction minus the potential for oxidation is *positive*. For the Latimer diagram for iron in acidic solution (see Resource Section 3), the difference  $(-0.44 \text{ V}) - (+0.771 \text{ V}) = -1.21 \text{ V}$ , so disproportionation will not occur.

(b)  $\text{Ru}^{2+}$ : Consider the  $\text{Ru}^{3+}/\text{Ru}^{2+}$  ( $E^\circ = +0.25 \text{ V}$ ) and  $\text{Ru}^{2+}/\text{Ru}$  ( $E^\circ = +0.80 \text{ V}$ ) couples. Since the  $\text{Ru}^{2+}/\text{Ru}$  couple has a potential that is less positive than  $1.23 \text{ V}$ ,  $\text{Ru}^{2+}$  will not oxidize water. Also, since the  $\text{Ru}^{3+}/\text{Ru}^{2+}$  couple has a positive potential,  $\text{Ru}^{2+}$  will not reduce water. However, since the potential for the oxidation of  $\text{Ru}^{2+}$  to  $\text{Ru}^{3+}$ ,  $-0.25 \text{ V}$ , is less negative than  $-1.23 \text{ V}$ ,  $\text{Ru}^{2+}$  will reduce  $\text{O}_2$  and in doing so will be oxidized to  $\text{Ru}^{3+}$ . Finally, since the difference  $(+0.8 \text{ V}) - (0.25 \text{ V})$  is positive,  $\text{Ru}^{2+}$  will disproportionate in aqueous acid to  $\text{Ru}^{3+}$  and metallic ruthenium. It is not possible to tell from the potentials whether the reduction of  $\text{O}_2$  by  $\text{Ru}^{2+}$  or the disproportionation of  $\text{Ru}^{2+}$  will be the faster process.

(c)  $\text{HClO}_2$ : Consider the  $\text{ClO}_3^-/\text{HClO}_2$  ( $E^\circ = +1.181 \text{ V}$ ) and  $\text{HClO}_2/\text{HClO}$  ( $E^\circ = +1.674 \text{ V}$ ) couples. Since the  $\text{HClO}_2/\text{HClO}$  couple has a potential that is more positive than  $+1.23 \text{ V}$ ,  $\text{HClO}_2$  will oxidize water. However, since the  $\text{ClO}_3^-/\text{HClO}_2$  couple has a positive potential,  $\text{HClO}_2$  will not reduce water. Since the potential for the oxidation of  $\text{HClO}_2$  to  $\text{ClO}_3^-$ ,  $-1.181 \text{ V}$ , is less negative than  $-1.23 \text{ V}$ ,  $\text{HClO}_2$  will reduce  $\text{O}_2$  and in doing so will be oxidized to  $\text{ClO}_3^-$ . Finally, since the difference  $(+1.674 \text{ V}) - (1.181 \text{ V})$  is positive,  $\text{HClO}_2$  will disproportionate in aqueous acid to  $\text{ClO}_3^-$  and  $\text{HClO}$ . As above, it is not possible to tell from the potentials whether the reduction of  $\text{O}_2$  by  $\text{HClO}_2$  or the disproportionation of  $\text{HClO}_2$  will be the faster process.

(d)  $\text{Br}_2$ : Consider the  $\text{Br}_2/\text{Br}^-$  ( $E^\circ = +1.065 \text{ V}$ ) and  $\text{HBrO}/\text{Br}_2$  ( $E^\circ = +1.604 \text{ V}$ ) couples. Since the  $\text{Br}_2/\text{Br}^-$  couple has a potential that is less positive than  $1.23 \text{ V}$ ,  $\text{Br}_2$  will not oxidize water. Also, since the  $\text{HBrO}/\text{Br}_2$  couple has a positive potential,  $\text{Br}_2$  will not reduce water. Since the potential for the oxidation of  $\text{Br}_2$  to  $\text{HBrO}$ ,  $-1.604 \text{ V}$ , is more negative than  $-1.23 \text{ V}$ ,  $\text{Br}_2$  will not reduce  $\text{O}_2$ . Finally, since the difference  $(+1.065 \text{ V}) - (1.604 \text{ V})$  is negative,  $\text{Br}_2$  will not disproportionate in aqueous acid to  $\text{Br}^-$  and  $\text{HBrO}$ . In fact, the equilibrium constant for the following reaction is  $7.2 \times 10^{-9}$ .

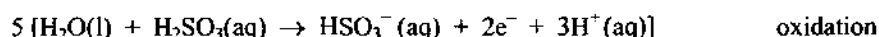
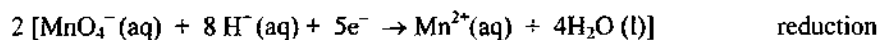


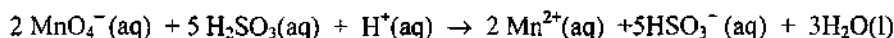
**E5.5** From Section 5.10 *The influence of complexation* we see that the reduction potential of the complex species  $\text{ML}$ ,  $E^\circ(\text{ML})$ , is related to the reduction potential of the corresponding aqua ion  $\text{M}$ ,  $E^\circ(\text{M})$ , through the Equation 5.12a:

$$E^\circ(\text{ML}) = E^\circ(\text{M}) - \frac{RT}{\nu_e F} \ln \frac{K^{\text{ox}}}{K^{\text{red}}}$$

The equation shows that  $E^\circ(\text{ML})$  is influenced by the temperature in two ways: 1) the  $RT/\nu_e F$  ratio and 2) the values of the equilibrium constants  $K$ . The influence of  $RT/\nu_e F$  is the same for both  $\text{Ru}$  and  $\text{Fe}$  complex and  $E^\circ(\text{ML})$  values. Thus, the reason must be the equilibrium constant: the change in temperature has the opposite effect on one or both  $K$  values for the two complexes. This is reflected in the variation of their respective reduction potentials.

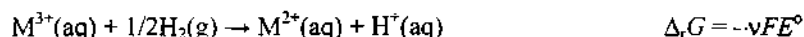
**E5.6** Balanced half-reactions and total reaction are provided below:



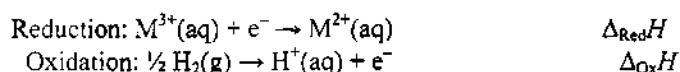


The potential decreases as the pH increases and the solution becomes more basic (See Section 5.6 for further clarification).

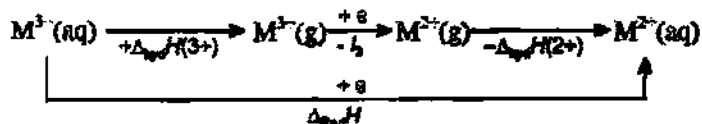
E5.7 The standard reduction potentials are equal to the potential difference measured against SHE:



To determine the  $\Delta_r G$  for the above reaction we have to analyse its thermodynamic cycle. Recall that potential and the Gibbs energy are related through equation 5.2:  $\Delta_r G = -\nu F E^\circ$ . Recall also that for any process  $\Delta_r G = \Delta_r H - T\Delta_r S$ . We are going to assume that for each  $\text{M}^{3+}/\text{M}^{2+}$  couple  $\Delta_r G \approx \Delta_r H$  because  $T\Delta_r S$  is significantly smaller than  $\Delta_r H$ . The above redox reaction can be broken into reduction and oxidation reaction:



From here we see that  $\Delta_r G \approx \Delta_r H = \Delta_{\text{Red}} H + \Delta_{\text{Ox}} H$ .  $\Delta_{\text{Ox}} H$  equals  $+445 \text{ kJ mol}^{-1}$  (see Section 5.3 *Trends in standard potentials* if you need to recall how this value is obtained) but we have to calculate  $\Delta_{\text{Red}} H$  which can be done by analyzing the following thermodynamic cycle for reduction reaction:



From the cycle we can see that

$$\Delta_{\text{Red}} H = \Delta_{\text{hyd}} H(3+) - I_3 - \Delta_{\text{hyd}} H(2+)$$

The table below contains the data for all steps of the cycle, estimated  $\Delta_r G$  from the cycle, and final  $E^\circ$  values calculated keeping in mind that for these reactions  $\nu = 1$ :

Redox couple	Cr <sup>3+</sup> /Cr <sup>2+</sup>	Mn <sup>3+</sup> /Mn <sup>2+</sup>	Fe <sup>3+</sup> /Fe <sup>2+</sup>	Co <sup>3+</sup> /Co <sup>2+</sup>	Ni <sup>3+</sup> /Ni <sup>2+</sup>	Cu <sup>3+</sup> /Cu <sup>2+</sup>
$\Delta_{\text{hyd}} H(3+) / \text{kJ mol}^{-1}$	4563	4610	4429	4653	4740	4651
$-I_3 / \text{kJ mol}^{-1}$	-2987	-3249	-2957	-3232	-3392	-3554
$-\Delta_{\text{hyd}} H(2+) / \text{kJ mol}^{-1}$	-1908	-1851	-1950	-2010	-2096	-2099
$\Delta_{\text{Red}} H / \text{kJ mol}^{-1}$	-332	-490	-478	-589	-748	-1002
$\Delta_{\text{Ox}} H / \text{kJ mol}^{-1}$	+445	+445	+445	+445	+445	+445
$\Delta_r H / \text{kJ mol}^{-1}$	113	-45	-33	-144	-303	557
$E^\circ (\approx -\Delta_r H / F) / \text{V}$	-1.17	0.47	0.34	1.49	3.14	5.77

Although the relative ordering of  $E^\circ$  is correct, the quantitative agreement with experimental data is poor, reflecting the fact that we ignored the contributions of entropy.

E5.8 Recall that the Nernst equation is given by the formula:  $E = E^\circ - (RT/\nu_e F)(\ln Q)$  where  $Q$  is the reaction quotient.

(a) The reduction of  $\text{O}_2$ ? For the reduction of oxygen,  $\text{O}_2 (\text{g}) + 4\text{H}^+ (\text{aq}) + 4\text{e}^- \rightarrow 2\text{H}_2\text{O} (\text{l})$ ,

$$Q = \frac{1}{p(\text{O}_2)[\text{H}^+]^4} \text{ and } E = E^\circ - \frac{0.059\text{V}}{4} \log \frac{1}{p(\text{O}_2)[\text{H}^+]^4}$$

The potential in terms of pH would be:

$$E = E^\circ - \frac{0.059\text{V}}{4} \log \frac{1}{p(\text{O}_2)[\text{H}^+]^4} = E^\circ - \frac{0.059\text{V}}{4} \left( \log \frac{1}{p(\text{O}_2)} + 4\text{pH} \right)$$

Therefore, the potential for O<sub>2</sub> reduction at pH = 7 and p(O<sub>2</sub>) = 0.20 bar is:

$$E = +1.23\text{ V} - 0.42\text{ V} = +0.81\text{ V}$$

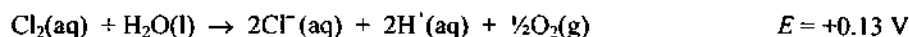
**(b) The reduction of Fe<sub>2</sub>O<sub>3</sub>(s)?** For the reduction of solid iron(III) oxide,  $\text{Fe}_2\text{O}_3(\text{s}) + 6\text{H}^+(\text{aq}) + 6\text{e}^- \rightarrow 2\text{Fe}(\text{s}) + 3\text{H}_2\text{O}(\text{l})$ , we have:

$$Q = 1/[\text{H}^+]^6 \text{ and } E = E^\circ - (RT/v_e F) \ln(1/[\text{H}^+]^6)$$

The potential in terms of pH is:

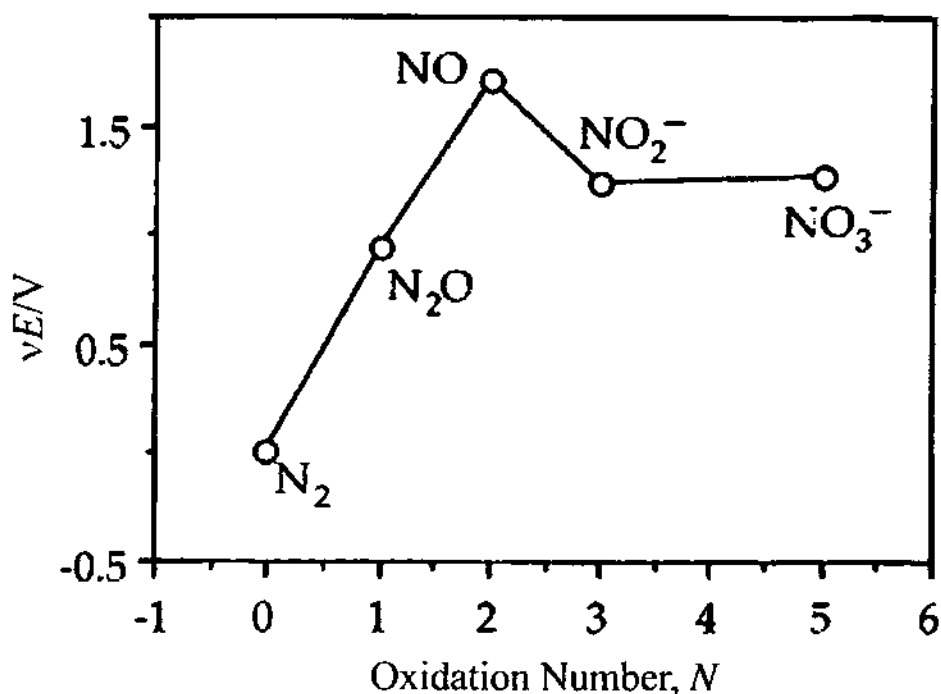
$$E = E^\circ - (RT/v_e F) \ln(1/[\text{H}^+]^6) = E^\circ - (0.059\text{ V}/6) \times \log([\text{H}^+]^{-6}) = E^\circ - (0.059\text{ V}/6) \times 6\text{pH} = E^\circ - 0.059\text{V} \times \text{pH}$$

- E5.9** (a) The Frost diagram for chlorine in basic solution is shown in Figure 5.18 (blue line). If the points for Cl<sup>-</sup> and ClO<sub>4</sub><sup>-</sup> are connected by a straight line, Cl<sub>2</sub> lies above it. Therefore, Cl<sub>2</sub> is thermodynamically susceptible to disproportionation to Cl<sup>-</sup> and ClO<sub>4</sub><sup>-</sup> when it is dissolved in aqueous base. Note that if we would connect Cl<sup>-</sup> with other points of the diagram, Cl<sub>2</sub> would always lie above the line. This means that Cl<sub>2</sub> can disproportionate to Cl<sup>-</sup> and any other species containing Cl in a positive oxidation state. In practice, however, the disproportionation stops at ClO<sup>-</sup> because further oxidation is slow (i.e., a solution of Cl<sup>-</sup> and ClO<sup>-</sup> is formed when Cl<sub>2</sub> is dissolved in aqueous base).
- (b) The Frost diagram for chlorine in acidic solution is shown in Figure 5.18 (red line). If the points for Cl<sup>-</sup> and any positive oxidation state of chlorine are connected by a straight line, the point for Cl<sub>2</sub> lies below it (if only slightly). Therefore, Cl<sub>2</sub> will not disproportionate. However, E° for the Cl<sub>2</sub>/Cl<sup>-</sup> couple, +1.36 V, is more positive than E° for the O<sub>2</sub>/H<sub>2</sub>O couple, +1.23 V. Therefore, Cl<sub>2</sub> is (at least thermodynamically) capable of oxidizing water as follows, although the reaction is very slow:

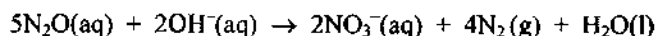


(c) The point for ClO<sub>3</sub><sup>-</sup> in acidic solution on the Frost diagram lies slightly above the single straight line connecting the points for Cl<sub>2</sub> and ClO<sub>4</sub><sup>-</sup>. Therefore, since ClO<sub>3</sub><sup>-</sup> is thermodynamically unstable with respect to disproportionation in acidic solution (i.e., it *should* disproportionate), the failure of it to exhibit any observable disproportionation must be due to a kinetic barrier.

- E5.10** (a) The only possibility worth considering in this case is disproportionation of N<sub>2</sub>O in a basic solution. The Frost diagram for nitrogen in basic solution, showing some pertinent species, is shown below:

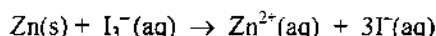


Inspection of the diagram shows that  $N_2O$  lies above the line connecting  $N_2$  and  $NO_3^-$ . Therefore,  $N_2O$  is thermodynamically susceptible to disproportionation to  $N_2$  and  $NO_3^-$  in basic solution:



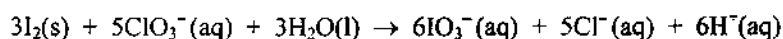
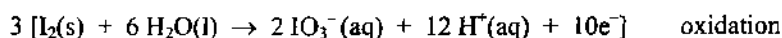
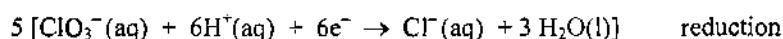
However, the redox reactions of nitrogen oxides and oxyanions are generally slow.

(b) The overall reaction is:



Since  $E^\circ$  values for the  $Zn^{2+}/Zn$  and  $I_3^-/I^-$  couples are  $-0.76$  V and  $+0.54$  V, respectively (these potentials are given in Resource Section 3, rounding to two decimal places),  $E^\circ$  for the net reaction above is  $+0.54$  V  $+ 0.76$  V =  $+1.30$  V. Since the net potential is positive, this is a favourable reaction, and it should be kinetically facile if the zinc metal is finely divided and thus well exposed to the solution.

(c) Since  $E^\circ$  values for the  $I_2/I^-$  and  $ClO_3^-/ClO_4^-$  couples are  $+0.54$  V and  $-1.20$  V respectively (see Resource Section 3), the net reaction involving the reduction of  $I_2$  to  $I^-$  and the oxidation of  $ClO_3^-$  to  $ClO_4^-$  will have a net negative potential,  $E^\circ = +0.54$  V  $+ (-1.20$  V) =  $-0.66$  V. Therefore, this net reaction will not occur. However, since  $E^\circ$  values for the  $IO_3^-/I_2$  and  $ClO_3^-/Cl^-$  couples are  $+1.19$  V and  $+1.47$  V respectively, the following net reaction will occur, with a net  $E^\circ = +0.28$  V (note that the potential for  $IO_3^-/I_2$  couple is not given on the Latimer diagram for iodine; however, it can be calculated easily by using Equation 5.15, in Section 5.12(d) *Nonadjacent species*):



**E5.11** The standard potential for the reduction of  $Ni^{2+}$  is  $+0.25$  V. The cell potential,  $E$ , is given by the Nernst equation as follows:

$$E = E^\circ - (RT/v_e F) \ln Q \text{ where } Q = 1/[\text{Ni}^{2+}]$$

$[\text{Ni}^{2+}]$  can be determined from  $K_{sp}$  for  $\text{Ni}(\text{OH})_2$ :

$$K_{sp}[\text{Ni}(\text{OH})_2] = [\text{Ni}^{2+}][\text{OH}^-]^2 \text{ and } [\text{Ni}^{2+}] = K_{sp}/[\text{OH}^-]^2.$$

Since at  $\text{pH} = 14$ ,  $[\text{OH}^-] = 1 \text{ M}$ , it follows that  $[\text{Ni}^{2+}] = K_{sp}$ .

Hence:

$$E = +0.25 \text{ V} - \frac{RT}{v_e F} \ln \frac{1}{K_{sp}} = +0.025 \text{ V} - \frac{0.059 \text{ V}}{2} \log \frac{1}{1.5 \times 10^{-16}} = +0.25 \text{ V} - 0.46 \text{ V} = -0.21 \text{ V}$$

The electrode potential is  $E = -0.21 \text{ V}$ .

**E5.12** You can answer these questions by writing the complete, balanced half-reactions for each case. Then, analyse each half-reaction: if either  $\text{H}^+$  or  $\text{OH}^-$  appear on any side of reaction, the potential of the half-reaction is going to depend on the  $\text{pH}$  of the solution. Once you have determined this, write down the Nernst equation and see how the potential changes with change in acidity of your solution. If you have problems writing the balanced half-reactions, consult Section 5.1 and worked Example 5.1.

(a)  $\text{Mn}^{2+} \rightarrow \text{MnO}_4^-$ : In this case the balanced half-reaction is:

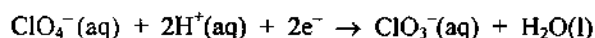


Since hydrogen ions are produced, the reduction potential of this oxidation half-reaction depends on  $\text{pH}$ . We can write the Nernst equation for this reaction as:

$$E = E^\circ - \frac{RT}{v_e F} \ln Q = E^\circ - \frac{0.059 \text{ V}}{v_e} \log \frac{[\text{MnO}_4^-][\text{H}^+]^8}{[\text{Mn}^{2+}]}$$

Thus, if we increase the  $\text{H}^+$  concentration, we are going to increase the value of  $Q$  and as a result increase the value of its logarithm. As a consequence  $E$  is going to become more negative and reaction is going to be less favoured (keep in mind that  $\Delta G = -vFE$  so more negative  $E$  results in more positive, less favourable  $\Delta G$ .) The opposite happens if we lower the  $\text{H}^+$  concentration (make the solution more basic):  $E$  is going to become more positive indicating more favourable reaction.

(b)  $\text{ClO}_4^- \rightarrow \text{ClO}_3^-$ : The balanced half-reaction is:

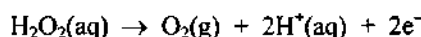


Again  $\text{H}^+$  ions show up in the balanced half-reaction. Thus, this reaction's potential is going to depend on  $\text{H}^+$  concentration. Writing the Nernst equation:

$$E = E^\circ - \frac{RT}{v_e F} \ln Q = E^\circ - \frac{0.059 \text{ V}}{v_e} \log \frac{[\text{ClO}_3^-]}{[\text{ClO}_4^-][\text{H}^+]^2}$$

In this case, increasing the  $\text{H}^+$  concentration would decrease  $Q$  and its  $\log$  value resulting in  $E$  being more positive than  $E^\circ$ . As a consequence, the reaction would be more favourable under acidic conditions.

(c)  $\text{H}_2\text{O}_2 \rightarrow \text{O}_2$ : The balanced half-reaction is:

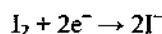


The potential for this half-reaction is going to depend on the acidity of solution because  $H^+$  ions are present as products. The Nernst equation can be written as:

$$E = E^\circ - \frac{RT}{\nu_e F} \ln Q = E^\circ - \frac{0.059V}{\nu_e} \log \frac{p(O_2)[H^+]^2}{[H_2O_2]}$$

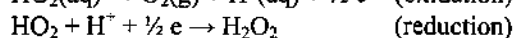
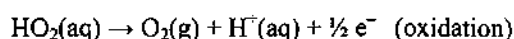
We can see that this is very similar to the part a) of this problem: an increase in  $H^+$  concentration is going to be unfavourable for the half-reaction.

(d)  $I_2 \rightarrow 2I^-$ : The balanced half-reaction is:



Since neither protons nor  $OH^-$  are present in this reduction half-reaction, and since  $I^-$  is not protonated in aqueous solution (because HI is a very strong acid), this reaction has the same potential in acidic or basic solution, +0.535 V (this can be confirmed by consulting Resource Section 3).

**E5.13** The reaction can be broken into two half-reactions as follows:



The  $E^\circ$  for the reaction will be:

$$E^\circ = E_{\text{red}} - E_{\text{ox}} = +1.150V - (-0.125V) = +1.275V$$

Looking at the Latimer diagram, we also see that the potential on the right of  $HO_2$  is more positive than the potential on the left of the same species (+1.150 V vs. -0.125 V) informing us immediately that  $HO_2$  has thermodynamic tendency to undergo disproportionation (see Section 5.12(c)).

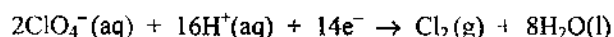
**E5.14** Consult Section 5.12(b) of your textbook for a detailed explanation. The Latimer diagram for chlorine in acidic solution is given in Resource Section 3. To determine the potential for any non-adjacent couple, you must calculate the *weighted average* of the potentials of intervening couples. In general terms it is:

$$(n_1 E^\circ_1 + n_2 E^\circ_2 + \dots + n_n E^\circ_n) / (n_1 + n_2 + \dots + n_n)$$

and in this specific case it is:

$$[(2)(+1.201 V) + (2)(+1.181 V) + (2)(+1.674) + (1)(+1.630 V)] / (2 + 2 + 2 + 1) = +1.392 V$$

Thus, the standard potential for the  $ClO_4^-/Cl_2$  couple is +1.392 V. The half-reaction for this reduction is:



**E5.15** To determine the potential for any couple, you must calculate the *weighted average* of the potentials of intervening couples. In general terms it is:

$$(n_1 E^\circ_1 + n_2 E^\circ_2 + \dots + n_n E^\circ_n) / (n_1 + n_2 + \dots + n_n)$$

and in this specific case it is:

$$[(2)(+0.16 V) + (2)(+0.40 V) + (2)(+0.60 V)] / (2 + 2 + 2) = +0.387 V$$

- E5.16** The standard potential for the reduction  $\text{MnO}_4^-(\text{aq}) + 4 \text{H}^+(\text{aq}) + 3 \text{e}^- \rightarrow \text{MnO}_2(\text{s}) + 2 \text{H}_2\text{O}(\text{l})$  is +1.69 V. The pH, or  $[\text{H}^+]$ , dependence of the potential  $E$  is given by the Nernst equation ( $[\text{MnO}_4^-] = 1.0 \text{ mol dm}^{-3}$ ) as follows (see also Section 5.6 of your textbook and “A brief illustration” within this section):

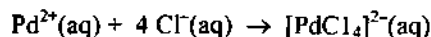
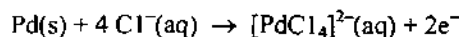
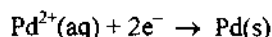
$$E = E' - \frac{0.059 \text{ V} \times v_{\text{H}^+}}{v_e} \text{pH}$$

Note that  $v_e = 3$  and  $v_{\text{H}^+} = 4$  for the reduction of  $\text{MnO}_4^-$ . Note also that the factor 0.059 V can only be used at 25°C:

$$E = +1.69 \text{ V} - \frac{0.059 \text{ V} \times 4}{3} \times 9 = +1.69 \text{ V} - 0.71 \text{ V} = +0.98 \text{ V}$$

Note that in this case  $E' = E^\circ$  because the concentration of  $\text{MnO}_4^-$  is  $1.0 \text{ mol dm}^{-3}$  which corresponds to the standard conditions for measuring reduction potentials.

- E5.17** To calculate an equilibrium constant using thermodynamic data, you can make use of the expressions  $\Delta_r G = -RT \ln K$  and  $\Delta_r G = -vFE$ . You can use the given potential data to calculate  $\Delta G$  for each of the two half-reactions, then you can use Hess's Law to calculate  $\Delta G$  for the overall process ( $\Delta_r G$ ), and finally calculate  $K$  from  $\Delta_r G$ . The net reaction  $\text{Pd}^{2+}(\text{aq}) + 4 \text{Cl}^-(\text{aq}) \rightarrow [\text{PdCl}_4]^{2-}(\text{aq})$  is the following sum:



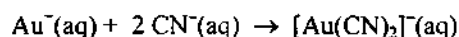
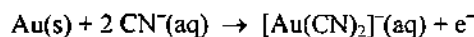
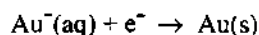
$\Delta G$  for the first reaction is  $-vFE = -(2)(96.5 \text{ kJ mol}^{-1} \text{ V}^{-1})(+0.915 \text{ V}) = -176.6 \text{ kJ mol}^{-1}$ .  $\Delta G$  for the second reaction is  $-(2)(96.5 \text{ kJ mol}^{-1} \text{ V}^{-1})(-0.6 \text{ V}) = +115.8 \text{ kJ mol}^{-1}$ . The net  $\Delta_r G$  is the sum of these two values,  $-60.8 \text{ kJ mol}^{-1}$ . Therefore, assuming that  $T = 298 \text{ K}$ :

$$K = \exp[(60.8 \text{ kJ mol}^{-1}) / (8.31 \text{ J K}^{-1} \text{ mol}^{-1})(298)] = \exp(24.5) = 4.37 \times 10^{10}$$

Note that the pH of the solution is 0 because  $[\text{H}^+] = [\text{HCl}] = 1.0 \text{ mol dm}^{-3}$  (HCl is a very strong acid that completely dissociates in water).

- E5.18** To calculate an equilibrium constant using thermodynamic and electrochemical data, you can make use of the expressions  $\Delta_r G = -RT \ln K$  and  $\Delta_r G = -vFE$ . You can use the given potential data to calculate  $\Delta G$  for each of the two half-reactions, then you can use Hess's Law to calculate  $\Delta_r G$  for the overall process, and finally calculate  $K$  from  $\Delta_r G$ .

The net reaction  $\text{Au}^+(\text{aq}) + 2 \text{CN}^-(\text{aq}) \rightarrow [\text{Au}(\text{CN})_2]^-(\text{aq})$  is the following sum:

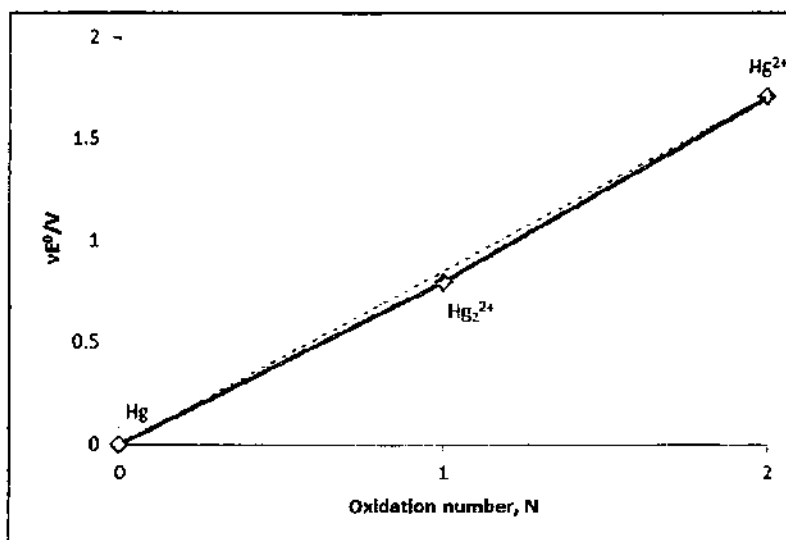




$\Delta G$  for the first reaction is  $-vFE = -(1)(96.5 \text{ kJ mol}^{-1} \text{ V}^{-1})(+1.69 \text{ V}) = -163 \text{ kJ mol}^{-1}$ .  $\Delta G$  for the second reaction is  $-(1)(96.5 \text{ kJ mol}^{-1} \text{ V}^{-1})(+0.6 \text{ V}) = -58 \text{ kJ mol}^{-1}$ . The net  $\Delta G$  is the sum of these two values,  $-221 \text{ kJ mol}^{-1}$ . Therefore, assuming that  $T = 298 \text{ K}$ :

$$K = \exp[(221 \text{ kJ mol}^{-1}) / (8.31 \text{ J K}^{-1} \text{ mol}^{-1})(298)] = \exp(89.2) = 5.7 \times 10^{38}$$

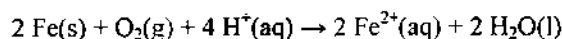
- E5.19** Since  $\text{edta}^{4-}$  forms very stable complexes with  $\text{M}^{2+}(\text{aq})$  ions of 3d-block elements but *not* with the zerovalent metal atoms, the reduction of a  $\text{M}(\text{edta})^{2-}$  complex will be more difficult than the reduction of the analogous  $\text{M}^{2+}$  aqua ion. Since the reductions are more difficult, the reduction potentials become less positive (or more negative, as the case may be). The reduction of the  $\text{M}(\text{edta})^{2-}$  complex includes a decomplexation step, with a positive free energy change. The reduction of  $\text{M}^{2+}(\text{aq})$  does not require this additional expenditure of free energy.
- E5.20** Consult Section 5.13 and Self-Tests 5.10 and 5.11 for the construction and interpretation of the Frost diagrams. The Frost diagram for Hg, constructed based on the provided data, is shown below:



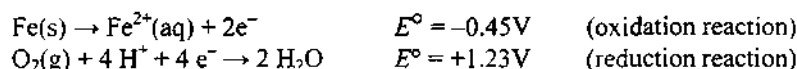
From the diagram we see that  $\text{Hg}^{2+}$  and  $\text{Hg}_2^{2+}$  are both oxidizing agents as they have large positive standard reduction potentials and the line connecting the redox couples is very steep with a positive slope. Thus, these species are likely to undergo reduction encouraging oxidation of the other species in the reaction. Consequently, none of these species are likely to be good reducing agents.  $\text{Hg}_2^{2+}$  is not likely to undergo disproportionation because the  $\text{Hg}_2^{2+}$  point lies below the line connecting Hg and  $\text{Hg}^{2+}$  (the dashed line on the diagram above); rather the opposite is likely to happen: Hg and  $\text{Hg}^{2+}$  are going to comproportionate and form  $\text{Hg}_2^{2+}$ .

- E5.21** (a) **Fe?** According to Figure 5.12, the potential range for surface water at pH 6 is between +0.5V and +0.6 V, so a value of +0.55 V can be used as the approximate potential of an aerated lake at this pH. Inspection of the Pourbaix diagram for iron (Figure 5.11) shows that at pH 6 and  $E = +0.55 \text{ V}$ , the stable species of iron is  $\text{Fe}(\text{OH})_3$  precipitate. Therefore, this compound of iron would predominate.
- (b) **Mn?** Inspection of the Pourbaix diagram for manganese (Figure 5.13) shows that at pH 6 and  $E = +0.55 \text{ V}$ , the stable species of manganese is solid  $\text{Mn}_2\text{O}_3$ . Therefore, this compound of manganese would predominate.
- (c) **S?** At pH 0, the potential for the  $\text{HSO}_4^-/\text{S}$  couple is +0.387 V (this value was calculated using the weighted average of the potentials given in the Latimer diagram for sulfur in Resource Section 3), so the lake will oxidize  $\text{S}_8$  all the way to  $\text{HSO}_4^-$ . At pH 14, the potentials for intervening couples are all negative, so  $\text{SO}_4^{2-}$  would again predominate. Therefore,  $\text{HSO}_4^-$  is the predominant sulfur species at pH 6.

- E5.22** The following redox reaction describes one of the first steps in iron corrosion:



This reaction can be broken in two half-reactions:



From the Section 5.7 *Reactions with water* and Equation 5.10 we know that the reduction potential of the reduction half-reaction depends on pH of the solution as:

$$E = +1.23\text{V} - (0.059\text{V} \times \text{pH})$$

Thus, the potential difference for the overall corrosion reaction can be given as:

$$E_{\text{corr}} = +1.23\text{V} - (0.059\text{V} \times \text{pH}) - (-0.45\text{V}) = +1.68\text{V} - (0.059\text{V} \times \text{pH})$$

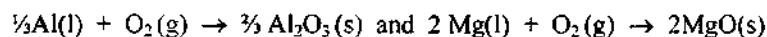
From the above equation we see that the air oxidation of iron is favored in acidic solution: lower pH values would have more positive  $E_{\text{corr}}$ . Increased levels of carbon dioxide and water generate carbonic acid that lowers the pH of the medium, which makes the corrosion process more favorable.

- E5.23** Any species capable of oxidizing either  $\text{Fe}^{2+}$  or  $\text{H}_2\text{S}$  at pH 6 cannot survive in this environment. According to the Pourbaix diagram for iron (Figure 5.11), the potential for the  $\text{Fe}(\text{OH})_3/\text{Fe}^{2+}$  couple at pH 6 is approximately 0.3 V. Using the Latimer diagrams for sulfur in acid and base (see Resource Section 3), the  $\text{S}/\text{H}_2\text{S}$  potential at pH 6 can be calculated as follows:

$$+0.14\text{V} - (6/14)[0.14 - (-0.45)] = -0.11\text{V}$$

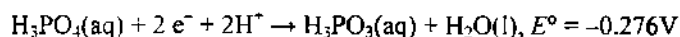
Any potential higher than this will oxidize hydrogen sulfide to elemental sulfur. Therefore, as long as  $\text{H}_2\text{S}$  is present, the maximum potential possible is approximately  $-0.1\text{V}$ .

- E5.24** Any boundary between a soluble species and an insoluble species will change as the concentration of the soluble species changes. For example, consider the line separating  $\text{Fe}^{2+}(\text{aq})$  from  $\text{Fe}(\text{OH})_3(\text{s})$  in Figure 5.11. As shown in the text,  $E = E^\circ - (0.059\text{V}/2)\log([\text{Fe}^{2+}]^2/[\text{H}^+\text{aq}]^6)$  (see Section 5.14 *Pourbaix diagrams*). Clearly, the potential at a given pH is dependent on the concentration of soluble  $\text{Fe}^{2+}(\text{aq})$ . The boundaries between the two soluble species,  $\text{Fe}^{2+}(\text{aq})$  and  $\text{Fe}^{3+}(\text{aq})$ , and between the two insoluble species,  $\text{Fe}(\text{OH})_2(\text{s})$  and  $\text{Fe}(\text{OH})_3(\text{s})$ , will not depend on the choice of  $[\text{Fe}^{2+}]$ .
- E5.25** The lines for  $\text{Al}_2\text{O}_3$  and  $\text{MgO}$  on the Ellingham diagram (Figure 5.16) represent the change in  $\Delta G^\circ$  with temperature for the following reactions:



At temperatures below about  $1600^\circ\text{C}$ , the Gibbs energy change for the  $\text{MgO}$  reaction is more negative than for the  $\text{Al}_2\text{O}_3$  reaction. This means that under these conditions  $\text{MgO}$  is more stable with respect to its constituent elements than is  $\text{Al}_2\text{O}_3$ , and that  $\text{Mg}$  will react with  $\text{Al}_2\text{O}_3$  to form  $\text{MgO}$  and  $\text{Al}$ . However, above about  $1600^\circ\text{C}$  the situation reverses, and  $\text{Al}$  will react with  $\text{MgO}$  to reduce it to  $\text{Mg}$  with the concomitant formation of  $\text{Al}_2\text{O}_3$ . This is a rather high temperature, achievable in an electric arc furnace (compare the extraction of silicon from its oxide, discussed in Section 5.16).

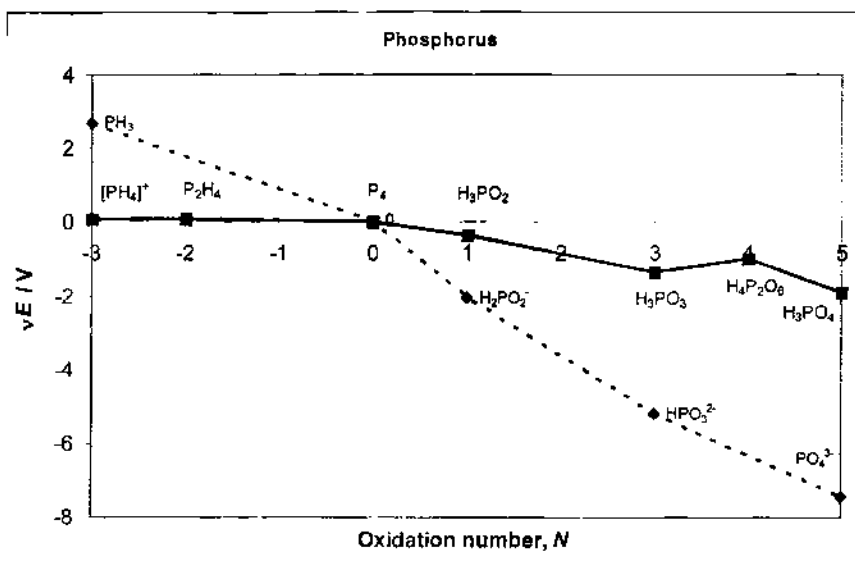
- E5.26** (a) The differences in reduction potential in acidic ( $\text{pH} = 0$ ) and basic ( $\text{pH} = 14$ ) solutions can be explained if we look at the reduction half-reactions. For example, in acidic solutions:



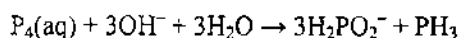
If we recall Equation 5.8b from the textbook, we can see that reduction potentials that couple transfer of both electrons and protons decrease (become more negative) as the pH is increased (solution becomes more basic). This

is exactly what we observe in the case of phosphorus because the same reduction from P(V) to P(III) in basic medium ( $\text{PO}_4^{3-}/\text{HPO}_3^{3-}$  couple) has a more negative reduction potential ( $-1.12\text{V}$ ).

(b) The Frost diagram for phosphorus in acidic ( $\text{pH} = 0$ , solid line) and basic ( $\text{pH} = 14$ , dashed line) medium is shown below:



(c) If you connect the points for  $\text{PH}_3$  and  $\text{H}_2\text{PO}_2^-$  in the above diagram (basic solution dashed line), you will note that  $\text{P}_4$  lies above the line. This means that in basic solutions  $\text{P}_4$  can disproportionate to  $\text{PH}_3$  and  $\text{H}_2\text{PO}_2^-$  according to the equation:



The equilibrium constant can be calculated using equation 5.1,  $\Delta_r G^\circ = -RT \ln K$ , and equation 5.2,  $\Delta_r G^\circ = -vFE^\circ$ . From here we have

$$-RT \ln K = -vFE^\circ \text{ or } \ln K = (vFE^\circ)/RT$$

$E^\circ$  can be calculated using the data from the Latimer diagram for  $\text{pH} = 14$ :  $E(\text{P}_4/\text{PH}_3) = -0.89\text{V} = E_{\text{red}}$  and  $E(\text{H}_2\text{PO}_2^-/\text{P}_4) = -2.05\text{V} = E_{\text{ox}}$ .

$$E^\circ = E_{\text{red}} - E_{\text{ox}} = -0.89\text{V} - (-2.05\text{V}) = +1.16\text{V}$$

Thus, with  $v = 3$  and  $T = 25^\circ$ , we have

$$\ln K = \frac{vFE^\circ}{RT} = \frac{3 \times 96.48\text{kJ mol}^{-1} \times 1.16\text{V}}{8.314\text{ J K}^{-1} \text{mol}^{-1} \times 298\text{K}} = 135.5 \text{ or } K = 7.1 \times 10^{58}$$

**E5.27** Since we are not given the oxidation half-reaction (only two reduction half-reactions) we can assume that the  $\Delta_r G^\circ$  and  $K$  are calculated using SHE for the oxidation half-reaction. For both reactions we have to work under basic conditions, so we are going to assume "standard basic solution" of  $\text{pH} = 14$  (this is the basic medium for which reduction potentials are reported, hence the assumption—see Resource Section 3 for examples). The reduction potential of SHE depends on  $\text{pH}$  (equation 5.9):  $E(\text{H}^+/\text{H}_2) = -0.059\text{V} \times \text{pH} = -0.059\text{V} \times 14 = -0.826\text{V}$ .

(a) For  $\text{CrO}_4^{2-}(\text{aq})$  we have:

$$E^\circ_{\text{pH}=14} = E_{\text{red}} - E_{\text{ox}} = -0.11\text{V} - (-0.826\text{V}) = 0.716\text{V}$$

From here we can use Equations 5.2 and 5.5 to calculate  $\Delta_r G^\circ$  and  $K$  respectively:

$$\Delta_r G^\circ = -\nu F E^\circ = -3 \times 96.48 \text{ kC mol}^{-1} \times 0.716 \text{ V} = -207.2 \text{ kJ mol}^{-1}$$

$$\ln K = \frac{\nu F E^\circ}{RT} = \frac{3 \times 96.48 \text{ kC mol}^{-1} \times 0.716 \text{ V}}{8.314 \text{ J K}^{-1} \text{ mol}^{-1} \times 298 \text{ K}} = 83.6 \text{ or } K = 2.1 \times 10^{36}$$

(b) For  $[\text{Cu}(\text{NH}_3)_2]^+(\text{aq})$  we have

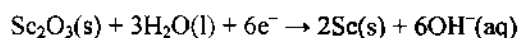
$$E^\circ_{\text{pH}=14} = E_{\text{red}} - E_{\text{ox}} = -0.10 \text{ V} - (-0.826 \text{ V}) = 0.726 \text{ V}$$

$$\Delta_r G^\circ = -\nu F E^\circ = -1 \times 96.48 \text{ kC mol}^{-1} \times 0.726 \text{ V} = -70.0 \text{ kJ mol}^{-1}$$

$$\ln K = \frac{\nu F E^\circ}{RT} = \frac{1 \times 96.48 \text{ kC mol}^{-1} \times 0.726 \text{ V}}{8.314 \text{ J K}^{-1} \text{ mol}^{-1} \times 298 \text{ K}} = 28.3 \text{ or } K = 1.9 \times 10^{12}$$

The values for  $\Delta_r G^\circ$  and  $K$  in (a) and (b) are noticeably different despite relatively little difference in  $E^\circ$  because  $E^\circ$  does not depend on the number of exchanged electrons,  $\nu$ , while  $\Delta_r G^\circ$  and  $K$  both depend on it.

**E5.28** Since we are asked to calculate the standard potential for a given half-reaction, we are using the fact that  $\Delta G^\circ$  for SHE under standard conditions is  $0 \text{ kJ mol}^{-1}$ . Thus, to calculate the standard reduction potential we have to calculate only  $\Delta G$  for the given reaction and use equation 5.2 to determine the standard reduction potential. Keep in mind that  $\Delta_r G^\circ = -\nu F E^\circ = \Delta_r H^\circ - T\Delta_r S^\circ$ .



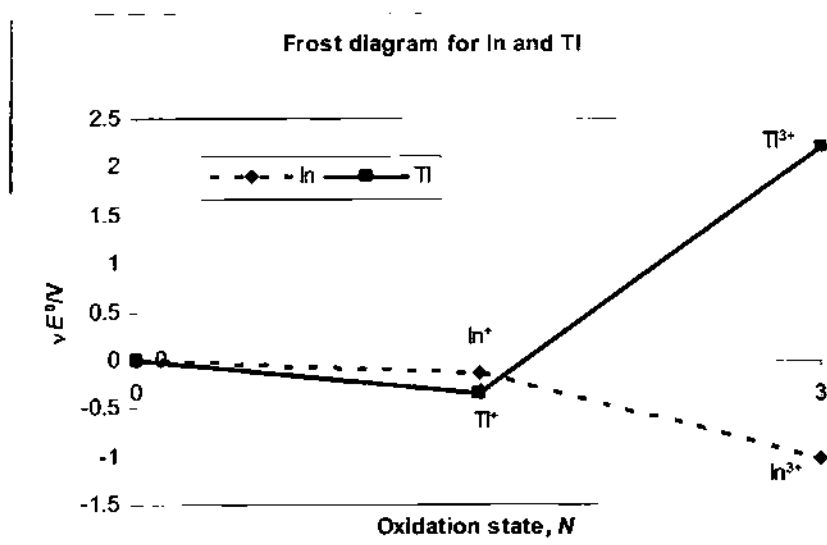
$$\begin{aligned} \Delta_r H^\circ &= [2 \times \Delta_f H^\circ(\text{Sc}(\text{s})) + 6 \times \Delta_f H^\circ(\text{OH}^-(\text{aq}))] - [\Delta_r H^\circ(\text{Sc}_2\text{O}_3(\text{s})) + 3 \times \Delta_r H^\circ(\text{H}_2\text{O}(\text{l}))] = \\ &= [2 \times 0 \text{ kJ mol}^{-1} + 6 \times (-230 \text{ kJ mol}^{-1})] - [-1908.7 \text{ kJ mol}^{-1} + 3 \times (-285.8 \text{ kJ mol}^{-1})] = 1386.1 \text{ kJ mol}^{-1} \end{aligned}$$

$$\begin{aligned} \Delta_r S^\circ &= [2 \times \Delta_m S^\circ(\text{Sc}(\text{s})) + 6 \times \Delta_m S^\circ(\text{OH}^-(\text{aq}))] - [\Delta_m S^\circ(\text{Sc}_2\text{O}_3(\text{s})) + 3 \times \Delta_m S^\circ(\text{H}_2\text{O}(\text{l}))] = \\ &= [2 \times 34.76 \text{ J K}^{-1} \text{ mol}^{-1} + 6 \times (-10.75 \text{ J K}^{-1} \text{ mol}^{-1})] - [77.0 \text{ J K}^{-1} \text{ mol}^{-1} + 3 \times (69.91 \text{ J K}^{-1} \text{ mol}^{-1})] = \\ &= -0.282 \text{ kJ K}^{-1} \text{ mol}^{-1} \end{aligned}$$

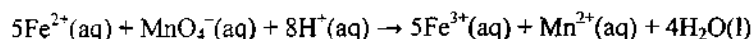
$$\Delta_r G^\circ = \Delta_r H^\circ - T\Delta_r S^\circ = 1386.1 \text{ kJ mol}^{-1} - 298 \text{ K} \times (-0.282 \text{ kJ K}^{-1} \text{ mol}^{-1}) = 1302 \text{ kJ mol}^{-1}$$

$$E^\circ = -\frac{\Delta_r G^\circ}{\nu F} = -\frac{1302 \text{ kJ mol}^{-1}}{6 \times 96.48 \text{ kC mol}^{-1}} = -2.25 \text{ V}$$

**E5.29** The combined Frost diagram for In and Tl is shown below. From the diagram we can see that thallium is more stable as  $\text{Tl}^+$  in aqueous solutions, and that  $\text{Tl}^{3+}$  can be expected to behave as a strong oxidizing agent (very steep positive slope of the line connecting  $\text{Tl}^+$  and  $\text{Tl}^{3+}$  points). The reverse is observed for indium:  $\text{In}^{3+}$  is more stable than  $\text{In}^+$  in aqueous solutions.  $\text{In}^+$  is actually expected to behave as a reducing agent (a negative slope of the line connecting  $\text{In}^+$  and  $\text{In}^{3+}$  points).



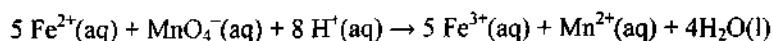
- E5.30** (i) Considering that the standard reduction potential of  $\text{Fe}^{3+}/\text{Fe}^{2+}$  couple is more positive than  $\text{Ru}^{3+}/\text{Ru}^{2+}$ ,  $\text{Ru}^{2+}$  should be less stable than  $\text{Fe}^{2+}$  in acidic aqueous solutions.  
(ii) In this case you have to consider several possible outcomes: (a) Fe and  $\text{Fe}^{3+}$  could react to produce  $\text{Fe}^{2+}$ , (b) Fe could possibly be oxidized by water, (c) atmospheric oxygen could oxidize Fe, and (d)  $\text{H}^+$  could oxidize Fe. If you look at the potential difference of all possible outcomes, you will see that the only expected reaction is oxidation of Fe(s) to  $\text{Fe}^{2+}$  by  $\text{H}^+$  (see also Exercise 5.4 and Self-Test 5.6).  
(iii) The reaction is as follows:



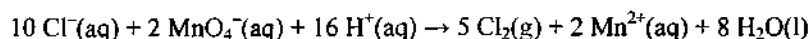
We are going to use Equation 5.5,  $\ln K = \frac{\nu FE^\circ}{RT}$ , with  $E^\circ = E^\circ_{\text{red}} - E^\circ_{\text{ox}} = +1.51 \text{ V} - (+0.77\text{V}) = +0.74\text{V}$ :

$$\ln K = \frac{\nu FE^\circ}{RT} = \frac{5 \times 96.48 \text{ kC mol}^{-1} \times 0.74 \text{ V}}{8.314 \text{ J K}^{-1} \text{ mol}^{-1} \times 298 \text{ K}} = 144.1 \text{ and } K = 3.7 \times 10^{62}$$

- E5.31** The reaction for analytical determination of  $\text{Fe}^{2+}$  with  $\text{MnO}_4^{-}$  is:



with  $E^\circ = E^\circ_{\text{red}} - E^\circ_{\text{ox}} = +1.51 \text{ V} - (+0.77\text{V}) = +0.74\text{V}$ . If HCl is present, the following side-reaction can take place:



with  $E^\circ = E^\circ_{\text{red}} - E^\circ_{\text{ox}} = +1.51 \text{ V} - (+1.36\text{V}) = +0.15\text{V}$ . From  $E^\circ$  values it is clear that oxidation of  $\text{Fe}^{2+}(\text{aq})$  is more favourable under the standard conditions than oxidation of  $\text{Cl}^{-}(\text{aq})$  because  $E^\circ(1) > E^\circ(2)$ . However, as reaction (1) is reaching equilibrium its potential difference is changing according to equation 5.4:

$$E = E^\circ - \frac{RT}{\nu F} \ln \frac{[\text{Fe}^{3+}]^5 [\text{Mn}^{2+}]}{[\text{Fe}^{2+}]^5 [\text{MnO}_4^{-}] [\text{H}^+]^8}$$

As  $[\text{Fe}^{3+}]$  and  $[\text{Mn}^{2+}]$  are increasing, so is  $Q$ , and  $E$  decreases. At one point the two potentials are going to invert, that is,  $E(1) < E(2)$  and reaction (2) is going to be more favourable. To avoid the side reaction we have to keep  $E(1) > E(2)$ . If the phosphate anion stabilizes  $\text{Fe}^{3+}$ , that means that through complexation we can make the  $\text{Fe}^{3+}/\text{Fe}^{2+}$  potential more negative, meaning that  $E(1)$  becomes more positive and reaction (1) more favourable (see

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Section 5.10 *The influence of complexation*). Addition of  $\text{Mn}^{2+}$  would have an effect on both reactions but more on reaction (2) than (1) because 2 equivalents of  $\text{Mn}^{2+}$  are produced in (2) while only one in (1). You can see this effect if you write down reaction quotients for both (1) (given above already) and (2).

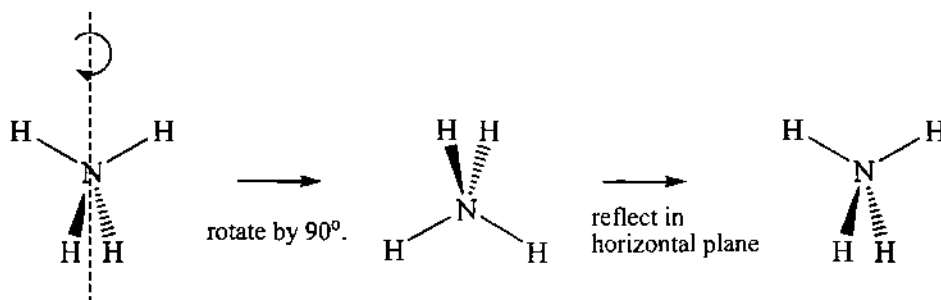
### Guidelines for Selected Tutorial Problems

- T5.1** Keep in mind that the standard reduction potentials can provide not only information about spontaneity of a given reaction in aqueous solutions, but also provide an insight if side reactions are going to take place: Could water be oxidized or reduced? Can a species be oxidized with atmospheric oxygen? How will the reaction direction change with pH etc. It is good idea to at least mention Pourbaix diagrams and their use in inorganic environmental chemistry and geochemistry (speciation chemical species, their mobility, etc.) as well as point to the problems of corrosion in aqueous media and how reduction potential can be used to both predict the possibility of corrosion and protect from it.
- T5.3** If you have problems with this project, review Section 5.3 *Trends in standard potentials* and have a look at Exercises 5.7 and 5.28.
- T5.6** Review Section 5.10 *The influence of complexation* to work on this project. You have been given a hint for the value for  $[\text{Fe(II)(Ent)}]$  stability constant, and you may consult Resource Section 3 for the standard reduction potential for  $\text{Fe}^{3+}/\text{Fe}^{2+}$  couple. Also note the pH conditions for this reduction.

## Chapter 6 Molecular Symmetry

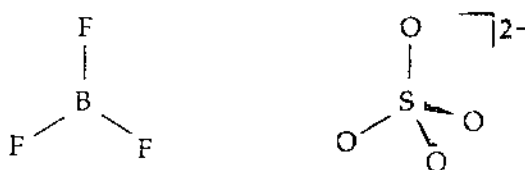
### Self-Test Exercises

- S6.1** See Figure 6.7 for the sketch of  $S_4$  in a structurally similar  $\text{CH}_4$  molecule. The  $S_4$  axis is best portrayed by separating it into its two components: rotation by  $90^\circ$  (or  $\frac{1}{4}$  of a turn around the axis and reflection (see the figure below). This ion has three  $S_4$  axes.



- S6.2** Using the decision tree in Figure 6.9 is generally the easiest way to determine the point group of a molecule or ion. You might find it helpful to make a model of molecule or ion if you have a molecular modelling kit. This can help you visualize the structure. If the molecular geometry is not given in the problem (i.e., you have been provided with a molecular formula only), you can use VSEPR theory to determine the geometry of the molecule/ion in question.

**(a)  $\text{BF}_3$  point group:** According to the decision tree on Figure 6.9, the first step is answering the question “Is the molecule/ion linear?” Since  $\text{BF}_3$  is a planar molecule, the answer is NO. Following the “N” line from “Linear?” we find the next question we have to answer: “Are there two or more  $C_n$  with  $n > 2$ ?” The answer is again NO:  $\text{BF}_3$  possesses only one three-fold rotation axis ( $C_3$ ) which passes through B atom and is perpendicular to the plane of the molecule. Keep in mind that the highest order axis, in this case  $C_3$ , is the principal axis. The molecule should be repositioned in such a way that the principal axis (i.e.,  $C_3$  here) is vertical (thus, it coincides with the  $z$  coordinate axis). We have to follow “N” line again to the next step: “Are there any rotational axes ( $C_n$ )?” The answer is YES:  $\text{BF}_3$  has one  $C_3$  (already mentioned above) and three  $C_2$  symmetry axes. We follow the “Y” path and look if the three  $C_2$  axes are perpendicular to the principal axis  $C_3$ . Since  $C_2$  axes coincide with three B – F bonds, they are perpendicular to the principal axis—so the answer is YES. Again we follow the “Y” path and then ask “Are there any horizontal mirror planes ( $\sigma_h$ )?” The answer is YES: there is a mirror plane perpendicular to  $C_3$ , the principal axis. This mirror plane coincides with the plane of  $\text{BF}_3$  molecule. Finally the “Y” path leads us to the  $D_{nh}$  point group where  $n$  in the subscript stands for the order of the principal axis. Since the order of the principal axis in our case is 3, the point group to which  $\text{BF}_3$  belongs is  $D_{3h}$ .

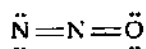


**(b)  $\text{SO}_4^{2-}$  point group:** The sulfate anion belongs to the group  $T_d$ . The sulfate ion (i) is nonlinear; (ii) possesses four three-fold axes ( $C_3$ ), like  $\text{NH}_4^+$  (see the answer to S6.1), and (iii) does not have a centre of symmetry. The sequence of “no, yes, no” on the decision tree leads to the conclusion that  $\text{SO}_4^{2-}$  belongs to the  $T_d$  point group.

- S6.3**  $\text{H}_2\text{S}$  molecule is in the same point group as  $\text{H}_2\text{O}$ ,  $C_{2v}$ . For the location of symmetry elements of  $\text{H}_2\text{S}$  we can refer to Figure 6.10, and for the  $C_{2v}$  character table to Table 6.4 in your textbook. The convention we always follow is to place the highest order axis, in this case  $C_2$  symmetry axis, along  $z$  axis and the mutually perpendicular mirror planes  $\sigma_v$  and  $\sigma_v'$  in planes of  $xz$  and  $yz$  axes respectively. Now check how all  $d$  orbitals behave under symmetry operations of  $C_{2v}$  group. (To successfully work through this problem you should know the shapes, orientation, and signs of  $d$  orbital lobes with respect to the coordinate axes ( $x$ ,  $y$ , and  $z$ )—refer to Figure X to refresh your memory if necessary.) Keep in mind that all  $d$  orbitals will remain unchanged by  $E$  (as a matter of fact, everything remains

unchanged by  $E$ , hence 1 under its column) so we can concentrate on remaining symmetry elements. The  $d_{z^2}$  atomic orbital remains unchanged by  $C_2$ , hence it has character 1 for this symmetry element. It also remains unchanged by  $\sigma_v$  and  $\sigma_v'$ , thus for both the character would be 1. Thus, the characters of this orbital are (1, 1, 1, 1) for  $E$ ,  $C_{2v}$ ,  $\sigma_v$  and  $\sigma_v'$ . The only row in Table 6.4 that has these four characters is  $A_1$ —therefore the  $d_{z^2}$  orbital has symmetry species  $A_1$  (i.e., this orbital is totally symmetric under  $C_{2v}$ ). The  $d_{x^2-y^2}$  orbital remains unchanged by all symmetry operations as well; it also has characters (1, 1, 1, 1) and symmetry species  $A_1$ . The  $d_{xy}$  orbital, with its lobes between  $x$  and  $y$  axes remains unchanged by  $C_2$  (hence character 1) but it would change the sign by both  $\sigma_v$  and  $\sigma_v'$ . For  $\sigma_v$  and  $\sigma_v'$ ,  $d_{xy}$  has characters  $-1$  and  $-1$ . Overall, this orbital has (1, 1,  $-1$ ,  $-1$ ) as its characters, which corresponds to the symmetry species  $A_2$ . The  $d_{yz}$  orbital, once rotated around  $C_2$  (i.e., around  $z$  axis for  $180^\circ$ ) would change its sign, thus the  $C_2$  character for this orbital is  $-1$ . It would also change its sign after reflection through  $\sigma_v$  (which we have placed in the  $xz$  plane)—the character is again  $-1$ . And finally, the reflection through  $\sigma_v'$  would leave this orbital unchanged for character 1. Therefore,  $d_{yz}$  orbital has characters (1,  $-1$ ,  $-1$ , 1) and has symmetry species  $B_2$ . Following similar analysis, we can find that  $d_{zx}$  orbital has symmetry species  $B_1$ .

- S6.4** The  $SF_6$  molecule has octahedral geometry and belongs to the  $O_h$  space group. If you refer to the character table for this group, which is given in Resource Section 4, you find that there are characters of 1, 2, and 3 in the column headed by the identity element,  $E$ . Therefore, the *maximum* possible degree of degeneracy of the orbitals in  $SF_6$  is 3 (although nondegenerate and twofold degenerate orbitals are also allowed as revealed by 1 and 2 characters).
- S6.5** Like the pentagonal prismatic (or eclipsed) configuration, the pentagonal antiprismatic (or staggered) conformation of ruthenocene has a  $C_5$  axis passing through the centroids of the  $C_5H_5$  rings and the central Ru atom. It also has five  $C_2$  axes that pass through the Ru atom but are perpendicular to the principal  $C_5$  axis, so it belongs to one of the  $D$  point groups. The staggered conformation, however, lacks the  $\sigma_h$  plane of symmetry that the pentagonal prismatic structure has. Thus, it cannot be in the  $D_{5h}$  space group. It does have five dihedral mirror planes, located between  $C_2$  symmetry axes. Thus, the pentagonal antiprismatic conformation of ruthenocene belongs to the  $D_{5d}$  point group. Since this point group has a  $C_5$  axis and perpendicular  $C_2$  axes, it is not polar (see Section 6.3). You may find it difficult to find the  $n$   $C_2$  axes for a  $D_{nd}$  structure. However, if you draw the mirror planes, the  $C_2$  axes lie between them. In this case, one  $C_2$  axis interchanges the front vertex of the top ring with one of the two front vertices of the bottom ring, while a second  $C_2$  axis, rotated exactly  $36^\circ$  from the first one, interchanges the same vertex on top with the other front bottom one.
- S6.6** Except for the identity,  $E$ , the only element of symmetry that this conformation of hydrogen peroxide possesses is a  $C_2$  axis that passes through the midpoint of the O–O bond and bisects the two O–O–H planes (these are *not* mirror planes of symmetry). Hence this form of  $H_2O_2$  belongs to the  $C_2$  point group, and it is chiral because this group does not contain any  $S_n$  axes. In general, any structure that belongs to a  $C_n$  or  $D_n$  point group is chiral, as are molecules that are asymmetric ( $C_1$  symmetry). However, considering the free rotation around O–O bond we would not be able to observe optically active  $H_2O_2$  under ordinary conditions. Optically active  $H_2O_2$  might be observable, even transiently, if bound in a chiral host such as the active site of an enzyme (see Chapter 26). Or if the rotation is prevented in any other way (e.g., very low temperature in solid state).
- S6.7** The Lewis structure of linear nitrous oxide molecule is shown below. However, unlike similarly linear  $CO_2$  with which it is isoelectronic,  $N_2O$  does not have a centre of symmetry. Therefore, the exclusion rule does not apply, and a band that is IR active *can* be Raman active as well.



- S6.8** All of the operations of the  $D_{2h}$  point group leave the displacement vectors unchanged during the symmetric stretching of Pd–Cl bonds in the *trans* isomer. Therefore, all of the operations have a character of 1. This corresponds to the first row in the  $D_{2h}$  character table, which is the  $A_g$  symmetry type.
- S6.9** The reducible representation is obtained as follows:

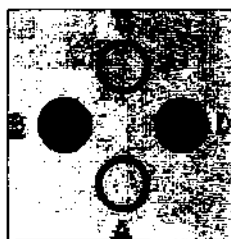
$D_{3h}$	$E$	$2C_4$	$C_2$	$2C_2'$	$2C_2''$	$i$	$2S_4$	$\sigma_h$	$2\sigma_v$	$2\sigma_d$
$\Gamma_{3N}$	4	0	0	2	0	0	0	4	2	0



This reduces to  $A_{1g} + B_{1g} + E_u$ .

$A_{1g}$  and  $B_{1g}$  transform as  $x^2 + y^2$ ,  $z^2$  and  $x^2 - y^2$  respectively and are thus Raman active but not IR active.  $E_u$  is IR active but not Raman active as it transforms as  $(x,y)$ .

- S6.10** The molecule  $\text{CH}_4$  has  $T_d$  symmetry, and the given symmetry-adapted linear combination (SALC) of H atom 1s orbitals also has  $T_d$  symmetry. The group theory jargon that is used in this case is to say that the combination has the *total* symmetry of the molecule. This is true because each time the H atom array of orbitals is subjected to an operation in the  $T_d$  point group, the array changes into itself. In each case, the character is 1. Each point group has one symmetry label (one row) for which all the characters are one, and for the  $T_d$  point group it is called  $A_1$  (see Table 6.6). Thus the symmetry label of the given combination of H atom 1s orbitals is  $A_1$ .
- S6.11** You must adopt some conventions to answer this question. First, you assume that the combination of H atom 1s orbitals given looks like the figure below showing four H atoms arranged with  $D_{4h}$  symmetry. Note that shaded circles correspond to the H atoms whose 1s orbital did not change the sign ( $A_{1s}$  and  $C_{1s}$ ) while open circles represent the H atoms whose 1s orbital did change the sign ( $B_{1s}$  and  $D_{1s}$ )—the change of sign is indicated by a minus sign in front of the wavefunction  $\Psi$ . Inspection of the character table for this group, which is given in Resource Section 4, reveals that there are three different types of  $C_2$  rotation axes, that is, there are three columns labelled  $C_2$ ,  $C_2'$ , and  $C_2''$ . The first of these is the  $C_2$  axis that is coincident with the  $C_4$  axis; the second type,  $C_2'$ , represents two axes in the  $H_4$  plane that pass through any H atoms; the third type,  $C_2''$ , represents two axes in the  $H_4$  plane that do not pass through pairs of opposite H atoms (see Figure 6.3 in the textbook). Now, instead of applying operations from all ten columns to this array, to see if it changes into itself (i.e., the  $+/-$  signs of the lobes stay the same) or if it changes sign, you can make use of a shortcut. Notice that the array changes into itself under the inversion operation through the centre of symmetry. Thus the character for this operation,  $i$ , is 1. This means that the symmetry label for this array is one of the first four in the character table,  $A_{1g}$ ,  $A_{2g}$ ,  $B_{1g}$ , or  $B_{2g}$ . Notice also that for these four, the symmetry type is uniquely determined by the characters for the first five columns of operations, which are:



$E$	$C_4$	$C_2$	$C_2'$	$C_2''$
1	-1	1	1	-1

These match the characters of the  $B_{1g}$  symmetry label.

Note that this SALC also looks like  $d_{x^2-y^2}$ , thus the above SALC and  $d_{x^2-y^2}$  have to have the same symmetry—look at the last column of  $D_{4h}$  character table for the  $B_{1g}$ .

- S6.12** By consulting Resource Section 5 and the  $D_{4h}$  character table, we note that  $5s$  and  $4d_{z^2}$  have  $A_{1g}$  symmetry; the  $d_{x^2-y^2}$  has  $B_{1g}$  symmetry, and  $5p_x$  and  $5p_y$  have  $E_u$  symmetry. Therefore, these Pt orbitals with matching symmetries can be used to generate SALCs.
- S6.13** Recall that symmetry types with the same symmetry as the function  $x^2 + y^2 + z^2$  are Raman active, not IR active. On the other hand, symmetry types with the same symmetry as the functions  $x$ ,  $y$ , or  $z$  are IR active, not Raman active.

$\text{SF}_6$  has  $O_h$  symmetry. Analysis of the stretching vibrations leads to (see Example 6.13):

$$A_{1g} \text{ (Raman, polarized)} + E_g \text{ (Raman)} + T_{1u} \text{ (IR)}.$$

## 82 Part 1: Foundations

*Trans*-SF<sub>4</sub>Cl<sub>2</sub> belongs to the  $D_{4h}$  point group. (Note: *trans* means that the two Cl atoms are located on the opposite sides of the molecule, see the structure below). Analysis of the stretching vibrations leads to:

$$A_{2u}(\text{IR}) + 2E_u(\text{IR}) + A_{1g}(\text{Raman, polarized}) + B_{1g}(\text{Raman}) + B_{2g}(\text{Raman}).$$

Thus, for *trans*-SF<sub>4</sub>Cl<sub>2</sub> we will observe two IR and three Raman stretching absorptions, whereas for SF<sub>6</sub> only one IR and two Raman absorptions.



The structure of *trans*-SF<sub>4</sub>Cl<sub>2</sub>

**S6.14** Symmetries of all the vibration modes of [PdCl<sub>4</sub>]<sup>2-</sup>: For the molecule with  $D_{4h}$  symmetry,

$D_{4h}$	$E$	$2C_4$	$C_2$	$2C_2'$	$2C_2''$	$i$	$2S_4$	$\sigma_h$	$2\sigma_v$	$2\sigma_d$
$\Gamma_{3N}$	15	1	-1	-3	-1	-3	-1	5	3	1

This reduces to  $A_{1g} + A_{2g} + B_{1g} + B_{2g} + E_g + 2A_{2u} + B_{2u} + 3E_u$

The translations span  $A_{2u}$  and  $E_u$  and the rotations span  $A_{2g}$  and  $E_g$ . Subtracting these terms gives:

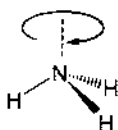
$$A_{1g} + B_{1g} + B_{2g} + A_{2u} + B_{2u} + 2E_u$$

as the symmetries for the vibration modes.

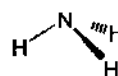
**S6.15** SALCs for sigma bonding in O:  $A_{1g} + E_g + T_{1u}$ , see Resource Section 5.

### End-of-Chapter Exercises

**E6.1** (a) a  $C_3$  axis and a  $\sigma_v$  plane in the NH<sub>3</sub> molecule

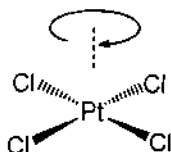


$C_3$

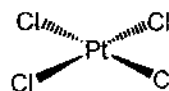


$\sigma_v$

(b) a  $C_4$  axis and a  $\sigma_h$  plane in the square-planar [PtCl<sub>4</sub>]<sup>2-</sup> ion

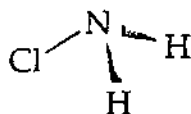


$C_4$

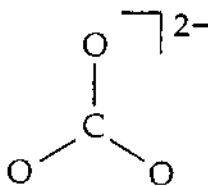


$\sigma_h$

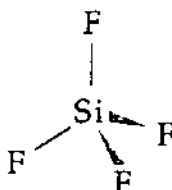
- E6.2** (a)  $\text{CO}_2$ : This linear molecule has both a centre of inversion and  $S_4$   
 (b)  $\text{C}_2\text{H}_2$ : This linear molecule also has both  $i$  and  $S_4$   
 (c)  $\text{BF}_3$ : This molecule possesses neither  $i$  nor  $S_4$   
 (d)  $\text{SO}_4^{2-}$ : This ion has three different  $S_4$  axes, which are coincident with three  $C_2$  axes, but there is no  $i$
- E6.3** (a)  $\text{NH}_2\text{Cl}$ : The only symmetry element this molecule possesses other than  $E$  is a mirror plane that contains the N and Cl atoms and bisects the H–N–H bond angle. The set of symmetry elements ( $E, \sigma$ ), following the decision tree on Figure 6.9, corresponds to the point group  $C_s$  (the subscript comes from the German word for mirror, *Spiegel*).



(b)  $\text{CO}_3^{2-}$ : The carbonate anion is planar, so it possesses at least one plane of symmetry. Since this plane is perpendicular to the principal rotation axis,  $C_3$ , it is called  $\sigma_h$ . In addition to the  $C_3$  axis, there are three  $C_2$  axes coinciding with the three C–O bond vectors. There are also other mirror planes and improper rotation axes, but the elements listed so far ( $E, C_3, \sigma_h, 3C_2$ ) uniquely correspond to the  $D_{3h}$  point group according to the decision tree on Figure 6.9 (note that  $\text{CO}_3^{2-}$  has the same symmetry as  $\text{BF}_3$ ). A complete list of symmetry elements is  $E, C_3, 3C_2, S_3, \sigma_h$ , and  $3\sigma_v$ .



(c)  $\text{SiF}_4$ : This molecule has four  $C_3$  axes, one coinciding with each of the four Si–F bonds. In addition, there are six mirror planes of symmetry (any pair of F atoms and the central Si atom define a mirror plane, and there are always six ways to choose a pair of objects out of a set of four). Furthermore, there is no centre of symmetry. Thus, the set ( $E, 4C_3, 6\sigma$ , no  $i$ ) describes this molecule and corresponds to the  $T_d$  point group. A complete list of symmetry elements is  $E, 4C_3, 3C_2, 3S_4$ , and  $6\sigma_d$ .



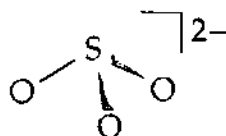
(d)  $\text{HCN}$ : Hydrogen cyanide is linear; it has the infinite order symmetry axes,  $C_\infty$ , as well as the infinite number of vertical mirror planes. Thus it belongs to either the  $D_{\infty h}$  or the  $C_{\infty v}$  point group (see Figure 6.9). Since it does not possess a centre of symmetry, which is a requirement for the  $D_{\infty h}$  point group, it belongs to the  $C_{\infty v}$  point group.

(e)  $\text{SiFClBrI}$ : This molecule does not possess any element of symmetry other than the identity element,  $E$ . Thus it is asymmetric and belongs to the  $C_1$  point group, the simplest possible point group.

(f)  $\text{BrF}_4^-$ : This anion is square planar (you can use VSEPR theory to determine its molecular geometry). It has a  $C_4$  axis and four perpendicular  $C_2$  axes. It also has a  $\sigma_h$  mirror plane. These symmetry elements uniquely correspond to the  $D_{4h}$  point group. A complete list of symmetry elements is  $E, C_4$ , a parallel  $C_2$ , four perpendicular  $C_2$ ,  $S_4$ ,  $i$ ,  $\sigma_h$ ,  $2\sigma_v$ , and  $2\sigma_d$ .

- E6.4** Overall, benzene molecule has seven mirror planes:  $3\sigma_v, 3\sigma_d$ , and  $1\sigma_h$ . It has a  $C_6$  axis perpendicular to six  $C_2$  axes and a horizontal mirror plane that contains all the atoms in the ring. Hence, the point group symmetry of the benzene molecule is  $D_{6h}$ . The chloro-substituted,  $\text{C}_6\text{H}_3\text{Cl}_3$ , with chlorines on alternating carbons around the ring (1,3,5-trichlorobenzene), has a  $D_{3h}$  symmetry and four mirror planes:  $3\sigma_v$  and  $1\sigma_h$ .

- E6.5** (a) **A p orbital:** The + and – lobes of a p orbital are not equivalent and therefore cannot be interchanged by potential elements of symmetry. Thus a p orbital does not possess a mirror plane of symmetry perpendicular to the long axis of the orbital. It does, however, possess an infinite number of mirror planes that pass through both lobes and include the long axis of the orbital. In addition, the long axis is a  $C_n$  axis, where  $n$  can be any number from 1 to  $\infty$  (in group theory this is referred to as a  $C_\infty$  axis).
- (b) **A  $d_{xy}$  orbital:** The two pairs of + and – lobes of a  $d_{xy}$  orbital are interchanged by the centre of symmetry that this orbital possesses. It also possesses three mutually perpendicular  $C_2$  axes, each one coincident with one of the three Cartesian coordinate axes. Furthermore, it possesses three mutually perpendicular mirror planes of symmetry, which are coincident with the  $xy$  plane and the two planes that are rotated by  $45^\circ$  about the  $z$  axis from the  $xz$  plane and the  $yz$  plane.
- (c) **A  $d_{z^2}$  orbital:** Unlike a  $p_z$  orbital, a  $d_{z^2}$  orbital has two large lobes with positive sign along its long axis, and a torus (or doughnut) of negative sign around the middle (in  $xy$  plane). In addition to the symmetry elements possessed by a p orbital (see above), the infinite number of mirror planes that pass through both lobes and include the long axis of the orbital as well as the  $C_\infty$  axis, a  $d_{z^2}$  orbital also possesses (i) a centre of symmetry, (ii) a mirror plane that is perpendicular to the  $C_\infty$  axis, (iii) an infinite number of  $C_2$  axes that pass through the centre of the orbital and are perpendicular to the  $C_\infty$  axis, and (iv) an  $S_\infty$  axis.
- E6.6** (a) Using the decision tree shown in Figure 6.9, you will find the point group of  $\text{SO}_3^{2-}$  anion to be  $C_{3v}$  (it is nonlinear; it only has one proper rotation axis, a  $C_3$  axis; and it has three  $\sigma_v$  mirror planes of symmetry).



- (b) Inspection of the  $C_{3v}$  character table (Resource Section 4) shows that the characters under the column headed by the identity element,  $E$ , are 1 and 2. Therefore, the maximum degeneracy possible for molecular orbitals of  $\text{SO}_3^{2-}$  anion is 2.
- (c) According to the character table in Resource Section 5, the S atom  $3s$  and  $3p_z$  orbitals are each singly degenerate (and belong to the  $A_1$  symmetry type), but the  $3p_x$  and  $3p_y$  orbitals are doubly degenerate (and belong to the  $E$  symmetry type). Thus the  $3p_x$  and  $3p_y$  atomic orbitals on sulfur can contribute to molecular orbitals that are two-fold degenerate.
- E6.7** (a) **Point group:** The  $\text{PF}_5$  molecule has a trigonal bipyramidal structure. As in Exercise 6.6, you should use the decision tree to assign the point group, in this case concluding that  $\text{PF}_5$  has  $D_{3h}$  symmetry (it is nonlinear; it has only one high-order proper rotation axis, a  $C_3$  axis; it has three  $C_2$  axes that are perpendicular to the  $C_3$  axis; and it has a  $\sigma_h$  mirror plane of symmetry).
- (b) **Degenerate MOs:** Inspection of the  $D_{3h}$  character table (Resource Section 4) reveals that the characters under the  $E$  column are 1 and 2, so the maximum degeneracy possible for a molecule with this symmetry is 2.
- (c) **Which p orbitals have the maximum degeneracy:** The P atom  $3p_x$  and  $3p_y$  atomic orbitals, which are doubly degenerate and are of the  $E'$  symmetry type (i.e., they have  $E'$  symmetry), can contribute to molecular orbitals that are twofold degenerate. In fact, if they contribute to molecular orbitals at all, they *must* contribute to twofold degenerate ones.
- E6.8**  $\text{PF}_5$  is a non-linear molecule, thus the number of expected vibrational modes is  $3N - 6 = 3 \times 6 - 6 = 12$  vibrational modes. To determine the symmetries of vibrations, we have to consider the reducible representation of  $D_{3h}$ . Since we have six atoms with three displacement directions, there are a total of  $6 \times 3 = 18$  displacements in this molecule. All of these displacements remain unchanged after identity operation; hence the character for  $E$  is 18. You can follow this procedure for all symmetry elements in  $D_{3h}$  (as well as consult Example 6.14) to construct the following reducible representation:

$D_{3h}$	$E$	$2C_3$	$3C_2$	$\sigma_h$	$2S_3$	$3\sigma_v$
$\Gamma_{3N}$	18	0	-2	4	-2	4

$\Gamma_{3N}$  reduces to:  $2A_1' + A_2' + 4E' + 3A_2'' + 2E''$ ; subtracting  $\Gamma_{\text{trans}} (E' + A_2'')$  and  $\Gamma_{\text{rot}} (A_2' + E'')$ , we obtain  $\Gamma_{\text{vib}}$ :  $2A_1' + 3E' + 2A_2'' + E''$ . Thus we expect six Raman bands:  $2A_1' + 3E' + E''$  (note that  $A_2''$  is inactive in Raman because symmetry type does not contain the same symmetry as the function  $x^2 + y^2 + z^2$ ).

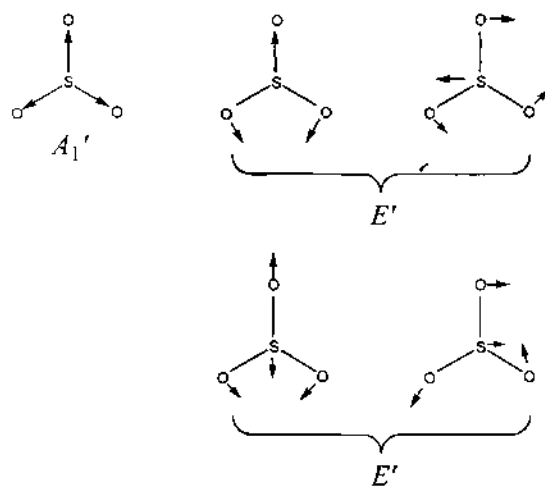
**E6.9** (a) **In the plane of the nuclei:**  $\text{SO}_3$  has a trigonal-planar structure. The number of vibrational modes is then calculated using  $3N - 6$  formula. Since  $\text{SO}_3$  has four atoms, the number of vibrational modes is  $3 \times 4 - 6 = 6$ . If you consider the  $C_3$  axis to be the  $z$  axis, then each of the four atoms has two independent displacements in the  $xy$  plane, namely along the  $x$  and along the  $y$  axes. The product (4 atoms)(2 displacement modes/atom) gives eight displacement modes, not all of which are vibrations. There are two translation modes in the plane of the nuclei, one each along the  $x$  and  $y$  axes. There is also one rotational mode around the  $z$  axis. Therefore, if you subtract these three nonvibrational displacement modes from the total of 8 displacement modes, you arrive at a total of five vibrational modes in the plane of the nuclei.

$D_{3h}$	$E$	$2C_3$	$3C_2$	$\sigma_h$	$2S_3$	$3\sigma_v$
$\Gamma_{3N}$	12	0	-2	4	-2	2

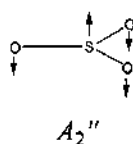
$\Gamma_{3N}$  reduces to:  $A_1' + A_2' + 3E' + 2A_2'' + E''$ .

Subtracting  $\Gamma_{\text{trans}} (E' + A_2'')$  and  $\Gamma_{\text{rot}} (A_2' + E'')$ , we obtain  $\Gamma_{\text{vib}}$ :  $A_1' + 2E' + A_2''$ .

In the plane:  $A_1'$  is a symmetric stretch;  $2E'$  are modes consisting of (i) mainly asymmetric stretching and (ii) deformation.



(b) **Perpendicular to the molecular plane:** You can use your answer to part (a), above, to answer this question. Since there are four atoms in the molecule, there are  $3(4) - 6 = 6$  vibrational modes. You discovered that there are five vibrational modes in the plane of the nuclei for  $\text{SO}_3$ , so there must be only one vibrational mode perpendicular to the molecular plane.  $A_2''$  is the deformation in and out of the plane.



**E6.10** (a)  $\text{SF}_6$ : Since sulfur hexafluoride has a centre of symmetry, the exclusion rule applies. Therefore, none of the vibrations of this molecule can be *both* IR and Raman active. A quick glance at the  $O_h$  character table in Resource Section 4 confirms that the functions  $x$ ,  $y$ , and  $z$  (required for IR activity) have the  $T_{1u}$  symmetry type and that all of the binary product functions such as  $x^2$ ,  $xy$ , etc. (required for Raman activity) have different symmetry types.

$O_h$	$E$	$8C_3$	$6C_2$	$6C_4$	$6C_2$	$i$	$6S_4$	$8S_6$	$3\sigma_h$	$6\sigma_d$
$\Gamma_{3N}$	21	0	-1	3	-3	-3	-1	0	5	3

$\Gamma_{3N}$  reduces to:  $A_{1g} + E_g + T_{1g} + T_{2g} + 3T_{1u} + T_{2u}$ .

Then subtracting  $\Gamma_{\text{trans}}(T_{1u})$  and  $\Gamma_{\text{rot}}(T_{1g})$ ,

we obtain  $\Gamma_{\text{vib}}: A_{1g} + E_g + T_{2g} + 2T_{1u} + T_{2u}$ .

None of these modes are both IR and Raman active as there is a centre of inversion.

(b) **BF<sub>3</sub>**: Boron trifluoride does not have a centre of symmetry. Therefore, it is possible that some vibrations are both IR and Raman active. You should consult the  $D_{3h}$  character table in Resource Section 4. Notice that the pairs of functions  $(x, y)$  and  $(x^2 - y^2, xy)$  have the  $E'$  symmetry type. Therefore, any  $E'$  symmetry vibration will be observed as a band in both IR and Raman spectra.

$D_{3h}$	$E$	$2C_3$	$3C_2$	$\sigma_h$	$2S_3$	$3\sigma_v$
$\Gamma_{3N}$	12	0	-2	4	-2	2

$\Gamma_{3N}$  reduces to:  $A_1' + A_2' + 3E' + 2A_2'' + E''$ .

Subtracting  $\Gamma_{\text{trans}}(E' + A_2'')$  and  $\Gamma_{\text{rot}}(A_2' + E'')$ ,

we obtain  $\Gamma_{\text{vib}}: A_1'$  (Raman) +  $2E'$  (IR and Raman) +  $A_2''$  (IR).

The  $E'$  modes are active in both IR and Raman.

**E6.11** The SALCs for methane have the same forms as the expressions for the AOs as SALCs of  $sp^3$  hybrid orbitals.

$$s = (1/2)(\varphi_1 + \varphi_2 + \varphi_3 + \varphi_4) (= A_1)$$

$$p_x = (1/2)(\varphi_1 - \varphi_2 + \varphi_3 - \varphi_4) (= T_2)$$

$$p_y = (1/2)(\varphi_1 - \varphi_2 - \varphi_3 + \varphi_4) (= T_2)$$

$$p_z = (1/2)(\varphi_1 + \varphi_2 - \varphi_3 - \varphi_4) (= T_2)$$

The 2s atomic orbitals have symmetry species  $A_1$  and the 2p atomic orbitals have symmetry species  $T_2$ . Therefore, the MOs would be constructed from SALCs with 1s and 2s and 2p atomic orbitals on C.

**E6.12 (a) BF<sub>3</sub>**:

$$(1/3)(\varphi_1 + \varphi_2 + \varphi_3) (= A_1')$$

$$(1/6)(2\varphi_1 - \varphi_2 - \varphi_3) \text{ and } (1/2)(\varphi_2 - \varphi_3) (= E')$$

Note that  $(1/2)(\varphi_2 - \varphi_3)$  is obtained by combining the other two  $E'$ -type SALCs,

that is,  $(2\varphi_2 - \varphi_3 - \varphi_1) - (2\varphi_3 - \varphi_1 - \varphi_2)$ .

(b) **PF<sub>5</sub>**:

(axial F atoms are  $\varphi_4 + \varphi_5$ )

$$(1/2)(\varphi_4 + \varphi_5) (= A_1')$$

$$(1/2)(\varphi_4 - \varphi_5) (= A_2'')$$

$$(\frac{1}{\sqrt{3}})(\varphi_1 + \varphi_2 + \varphi_3) (= A_1')$$

$$(\frac{1}{\sqrt{6}})(2\varphi_1 - \varphi_2 - \varphi_3) \text{ and } (\frac{1}{\sqrt{2}})(\varphi_2 - \varphi_3) (= E')$$

### Guidelines for Selected Tutorial Problems

- T6.1** Use VSEPR theory to deduce the molecular geometry of  $\text{IF}_3\text{O}_2$ , then analyse all possible arrangement of F and O atoms around the central I atom that cannot be superimposed on each other (you should get three isomers). Follow the decision tree to determine the point group of each isomer.
- T6.3** The cation  $\text{NH}_4^+$  has a tetrahedral geometry and hence belongs to  $T_d$  point group. Looking at the character table we can see that we have to consider the degeneracy; for example,  $T_2$  has (x,y,z) in the last column. This means that the vibration is going to be active along all three axes and degeneracy should be expected.
- T6.5** From VSEPR,  $\text{AsCl}_5$  should be trigonal pyramidal with symmetry  $D_{3h}$ . We first obtain the representation  $\Gamma_{3N}$ :

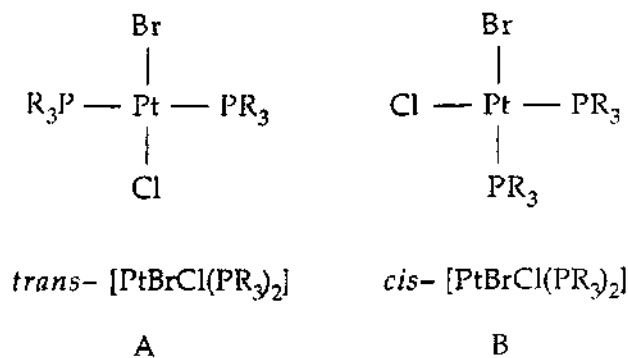
$D_{3h}$	$E$	$2C_3$	$3C_2$	$\sigma_h$	$2S_3$	$3\sigma_v$
$\Gamma_{3N}$	18	0	-2	4	-2	4

$\Gamma_{3N}$  reduces to:  $2A_1' + A_2' + 4E' + 3A_2'' + 2E''$ ; subtracting  $\Gamma_{\text{trans}} (E' + A_2'')$  and  $\Gamma_{\text{rot}} (A_2' + E'')$ , we obtain  $\Gamma_{\text{vib}}: 2A_1' + 3E' + 2A_2'' + E''$ . Thus we expect six Raman bands:  $2A_1' + 3E' + E''$  (note that  $A_2''$  is inactive in Raman because symmetry type does not contain the same symmetry as the function  $x^2 + y^2 + z^2$ ).

## Chapter 7 An Introduction to Coordination Compounds

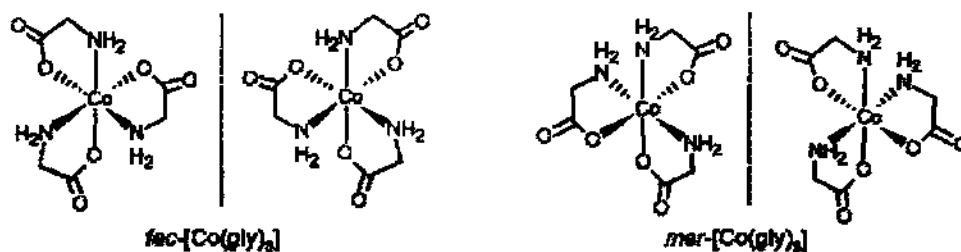
### Self-Test Exercises

- S7.1 (a) **Cis-diaquadichloridoplatinum(II)**. The formula is  $[\text{PtCl}_2(\text{OH}_2)_2]$ . Note the order used in naming complexes of the d-block metals (the metal ion is listed, then ligands are listed in alphabetical order).
- (b) **Diamminetetra(thiocyanato- $\kappa\text{N}$ )chromate(III)**. The *-ate* suffix added to the name of the metal indicates an overall negative charge of the complex species. Two  $\text{NH}_3$  molecules and four  $\text{NCS}^-$  anions are bonded to the Cr(III) ion. The  $\text{NCS}^-$  ligands use their N atoms to bond to Cr(III) as indicated by  $\kappa\text{N}$  after the ligand name. The formula is  $[\text{Cr}(\text{NCS})_4(\text{NH}_3)_2]^-$ .
- (c) **Tris(1,2-diaminoethane)rhodium(III)**. The metal ion is Rh(III), there are three bidentate (chelating) ligands (see Table 7.1), and the complex is not anionic (-rhodium(III), not -rhodate(III)). The formula is  $[\text{Rh}(\kappa^2\text{N}-\text{H}_2\text{NCH}_2\text{CH}_2\text{NH}_2)_3]^{3+}$  where  $\kappa^2\text{N}$  indicates that the ligand is bound to  $\text{Rh}^{3+}$  through both N atoms. Since the accepted abbreviation for 1,2-diaminoethane is en, the formula may be written abbreviated as  $[\text{Rh}(\text{en})_3]^{3+}$ .
- (d) **Bromidopentacarbonylmanganese(I)**. The manganese has five CO bonded to it along with one bromide. The formula is  $[\text{MnBr}(\text{CO})_5]$ .
- (e) **Chloridotris(triphenylphosphine)rhodium(I)**. The formula is  $[\text{RhCl}(\text{PPh}_3)_3]$ .
- S7.2 The hydrate isomers  $[\text{Cr}(\text{NO}_2)(\text{H}_2\text{O})_5]\text{NO}_2 \cdot \text{H}_2\text{O}$  and  $[\text{Cr}(\text{H}_2\text{O})_6](\text{NO}_2)_2$  are possible, as are linkage isomers of the  $\text{NO}_2$  group. One possible linkage isomer is  $[\text{Cr}(\text{ONO})(\text{H}_2\text{O})_5]\text{NO}_2 \cdot \text{H}_2\text{O}$ .
- S7.3 The two square-planar isomers of  $[\text{PtBrCl}(\text{PR}_3)_2]$  are shown below. The NMR data indicate that isomer A is the *trans* isomer because the two trialkylphosphine ligands occupy opposite corners of the square plane and are in the identical magnetic environment (i.e., they are NMR equivalent). As a consequence both P nuclei appear as a singlet in the  $^{31}\text{P}$  NMR spectrum. Isomer B is the *cis* isomer. Note that the two phosphine ligands in the *trans* isomer are related by symmetry elements that this  $C_{2v}$  molecule possesses, namely the  $C_2$  axis (the Cl-Pt-Br axis) and the  $\sigma_v$  mirror plane that is perpendicular to the molecular plane. Therefore, they exhibit the same chemical shift in the  $^{31}\text{P}$  NMR spectrum of this compound. The two phosphine ligands in the *cis* isomer are not related by the  $\sigma$  mirror plane that this  $C_s$  molecule possesses. Since they are chemically nonequivalent, they give rise to separate groups of  $^{31}\text{P}$  resonances.



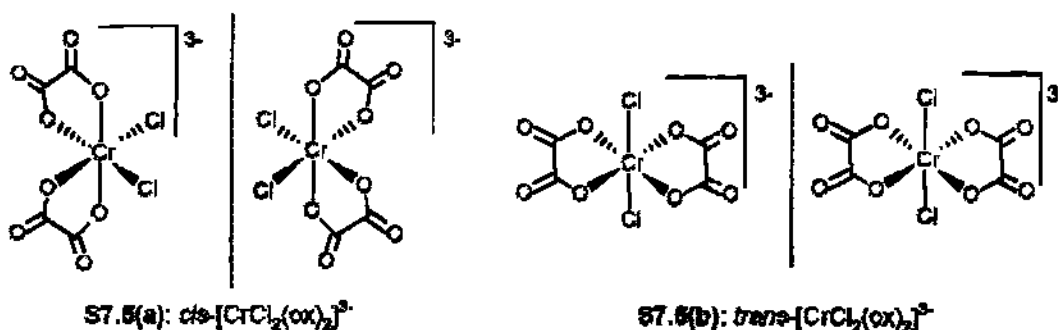
- S7.4 The glycinate ligand is an unsymmetrical bidentate ligand (it has a neutral amine nitrogen donor atom and a negatively charged carboxylate oxygen donor atom, see Table 7.1). In the *fac* isomer, the three N atoms (or three O atoms) of glycinate ligand should be adjacent and occupy the corners of one triangular face of the octahedron. In the *mer* isomer, three N atoms should lie in one plane and the O atoms should lie in a perpendicular plane. If you imagine that the complex is a sphere, the three N atoms in the *mer* isomer lie on a *meridian* of the sphere (the largest circle that can be drawn on the surface of the sphere). The two isomers and their non-superimposable mirror images are shown below.





**S7.5** (a) *cis*-[CrCl<sub>2</sub>(ox)<sub>2</sub>]<sup>3-</sup>: Drawings of two mirror images of this complex are shown below. They are *not* superimposable and neither molecule possesses a mirror plane or a centre of inversion. Therefore, they represent two enantiomers and this complex is chiral.

(b) *trans*-[CrCl<sub>2</sub>(ox)<sub>2</sub>]<sup>3-</sup>: Drawings of two mirror images of this complex are also shown below. They *are* superimposable, and therefore do not represent two enantiomers but only a single isomer. Note that the complex has at least one mirror plane; for example, one that is defined by two Cl and Cr atoms and bisects the ligand backbones.



(c) *cis*-[RhH(CO)(PR<sub>3</sub>)<sub>2</sub>]: This is a complex of Rh(I), which is a d<sup>8</sup> metal ion. Four-coordinate d<sup>8</sup> complexes of period 5 and period 6 metal ions are almost always square-planar, and [RhH(CO)(PR<sub>3</sub>)<sub>2</sub>] is no exception. The bulky PR<sub>3</sub> ligands are *cis* to one another. This compound has C<sub>s</sub> symmetry, with the mirror plane coincident with the rhodium atom and the four ligand atoms bound to it. A planar complex cannot be chiral, whether it is square-planar, trigonal planar, etc., unless the ligands coordinated to the metal are chiral (see Section 7.11 *Ligand chirality*). In this case none of the ligands are chiral and the complex is achiral.

**S7.6** In the last column of Table 7.4 we can find statistical  $K_n/K_{n-1}$  ratios. From these values and given  $K_1 = 1 \times 10^5$ , we can predict successive formation constants. The first ratio is  $K_2/K_1 = K_2/K_1 = 0.42$ ; thus,

$$K_2 = K_1 \times 0.42 = 1 \times 10^5 \times 0.42 = 4.2 \times 10^4$$

In a similar manner we can find the other  $K$  values:

$$K_3 = K_2 \times 0.53 = 4.2 \times 10^4 \times 0.53 = 2.23 \times 10^4$$

$$K_4 = K_3 \times 0.56 = 2.23 \times 10^4 \times 0.56 = 1.25 \times 10^4$$

$$K_5 = K_4 \times 0.53 = 1.25 \times 10^4 \times 0.53 = 6.61 \times 10^3$$

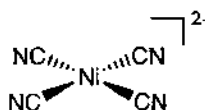
$$K_6 = K_5 \times 0.42 = 6.61 \times 10^3 \times 0.42 = 2.77 \times 10^3$$

From here, the overall formation constant ( $\beta_6$ ), is the product of these stepwise formation constants:

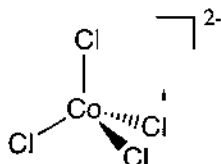
$$\beta_6 = 1 \times 10^5 \times 4.2 \times 10^4 \times 2.23 \times 10^4 \times 1.25 \times 10^4 \times 6.61 \times 10^3 \times 2.77 \times 10^3 = 2.14 \times 10^{25}$$

### End-of-Chapter Exercises

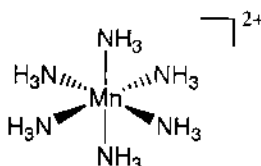
**E7.1** (a) [Ni(CN)<sub>4</sub>]<sup>2-</sup>: Tetracyanonickelate(II), like most d<sup>8</sup> metal complexes with four ligands, has square-planar geometry, shown below.



(b)  $[\text{CoCl}_4]^{2-}$ : Tetrachloridocobaltate(II) is tetrahedral, like most of the first-row transition metal chlorides.



(c)  $[\text{Mn}(\text{NH}_3)_6]^{2+}$ : Hexaamminemanganese(II) has octahedral geometry, shown below. Coordination number 6 in general can have two geometries: octahedral and trigonal prismatic (see Section 7.4(c) *Six-coordination*). The trigonal prismatic geometry is, however, very rare and we can confidently assign octahedral geometry to a vast majority of complexes with this coordination number.



**E7.2** The key to writing formulas from a name is keeping the balance of charge between the metal and its ligands. To do this, you need to know if the ligands that directly bond to the metal are neutral or ionic; this will help you determine what the oxidation state is on the metal. The chemical name gives the oxidation state of the metal as a roman numeral; simply balance charge with the ligands that directly bond to the metal and the counter-ions, if necessary.

(a)  $[\text{CoCl}(\text{NH}_3)_5]\text{Cl}_2$ , because it is cobalt(III) and the ammonia ligands are neutral and the chloride bond to the metal is anionic, you know that you need two chlorides as your counter-ion.

(b)  $[\text{Fe}(\text{OH}_2)_6](\text{NO}_3)_3$ , again, because the water ligands are neutral, you need three nitrates as your counter-ion to balance charge.

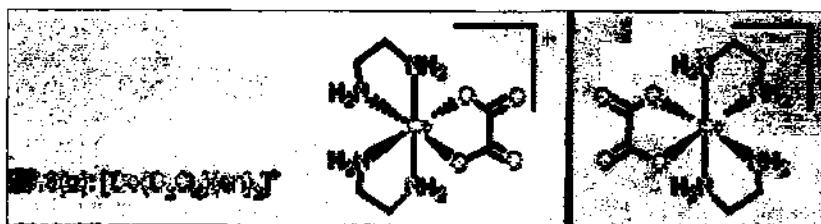
(c)  $\text{cis-}[\text{RuCl}_2(\text{en})_2]$  has a divalent metal centre, the chlorides are anionic, and 1,2-diaminoethane ligands are neutral; therefore you do not need a counter-ion to achieve a 2+ charge for the ruthenium atom, rendering the complex neutral.

(d)  $[\text{Cr}(\text{NH}_3)_5-\mu\text{-OH}-\text{Cr}(\text{NH}_3)_5]\text{Cl}_5$ , the Greek symbol  $\mu$  means you have a bridging ligand between two metal complexes, so you need to balance charge for the entire dimeric complex. The ammonia ligands are neutral, and the bridging hydroxide is an anionic ligand, giving one of the chromium atoms a 1+ charge; thus you need five chloride counter-ions to bring each chromium atom up to a 3+ charge. This gives us an overall 6+ charge for the dimeric complex.

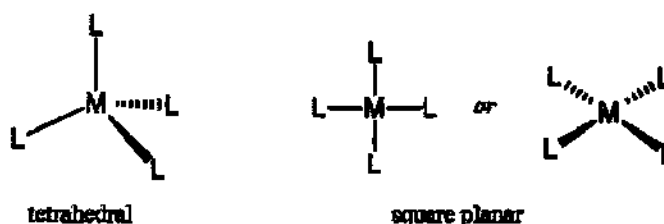
**E7.3** (a)  $\text{cis-}[\text{CrCl}_2(\text{NH}_3)_4]^+$ : *cis*-tetraamminedichloridochromium(III)

(b)  $\text{trans-}[\text{Cr}(\text{NCS})_4(\text{NH}_3)_2]^-$ : *trans*-diamminetetra( $\kappa$ N-thiocyanato)chromate(III)

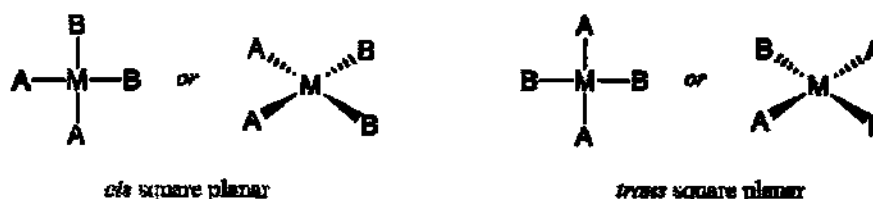
(c)  $[\text{Co}(\text{C}_2\text{O}_4)(\text{en})_2]^+$ : bis(1,2-diaminoethane)ethylenediamineoxalatocobalt(III), which is neither *cis* nor *trans* but does have one optical isomer, shown below.



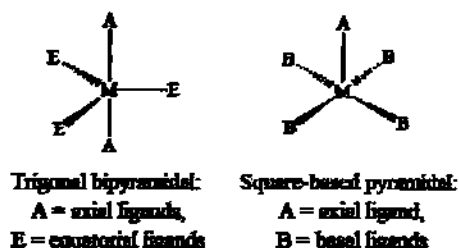
- E7.4** (a) With four-coordinate complexes, the two possible geometries are tetrahedral or square planar, and both are shown below. Most of the first-row divalent transition metal halides are tetrahedral, whereas metals and their ions that have a  $d^8$  electronic configuration tend to be square-planar.



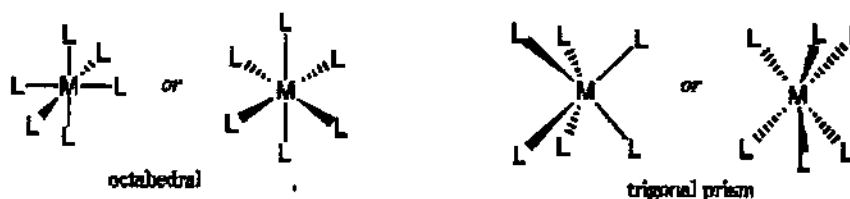
- (b) For a tetrahedral complex there are no isomers for  $MA_2B_2$ ; however, for a square-planar complex, there are two isomers, *cis* and *trans*, shown below.



- E7.5** With five-coordinate complexes, the two possible geometries are trigonal bipyramidal and square-based pyramidal, as shown below.



- E7.6** (a) The majority of the six-coordinate complexes are octahedral, very seldom are they trigonal prismatic. Drawings of these are shown below.



- (b) The trigonal prism is rare. Nearly all six-coordinate complexes are octahedral.

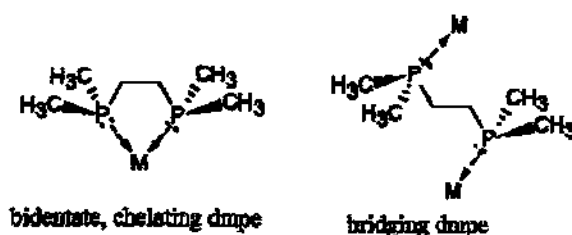
- E7.7** The terms monodentate, bidentate, and tetradentate describe how many Lewis bases you have on your ligand and whether they can physically bind to the metal (i.e., behave as electron pair donors to the metal). A monodentate ligand can bond to a metal atom only at a single atom, also called a donor atom. A bidentate ligand can bond through two atoms, and a tetradentate ligand can bond through four atoms. Examples of monodentate and bidentate ligands are shown below. Tetraazacclotetradecane, from Table 7.1, is an example of a tetradentate ligand—all four nitrogen atoms can donate a lone pair to the metal.



- E7.8** Linkage isomers can arise with ambidentate ligands. Ambidentate ligands are ligands that have two different atoms within the molecule that can serve as a Lewis basic donor atom. An example is the thiocyanate anion  $\text{NCS}^-$ . It can bond to a metal either through the nitrogen's lone pair or through the sulphur's lone pair, depending on the electronics of the metal. If the metal is soft, then the softer-base sulphur is preferred; if the metal is hard, then the hard-base nitrogen is preferred.



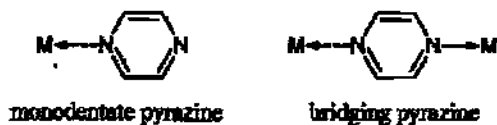
- E7.9** (a) Bisdimethylphosphino ethane (dmpe) bonds to a metal through lone pairs on two phosphorus atoms; thus dmpe is a bidentate, chelating ligand that could also be a bridging ligand due to free rotation around single bonds.



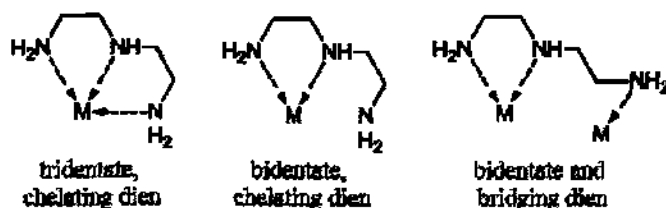
- (b) 2,2'-Bipyridine (bpy) is a bidentate, chelating ligand that is able to bond to a metal through both of its nitrogen atoms.



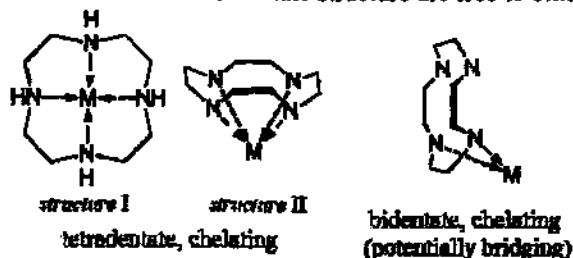
- (c) Pyrazine is a monodentate ligand even though it has two Lewis basic sites. Because of the location of the nitrogen atoms, the ligand can only bond to one metal; it can, however, bridge two metals, as shown below.



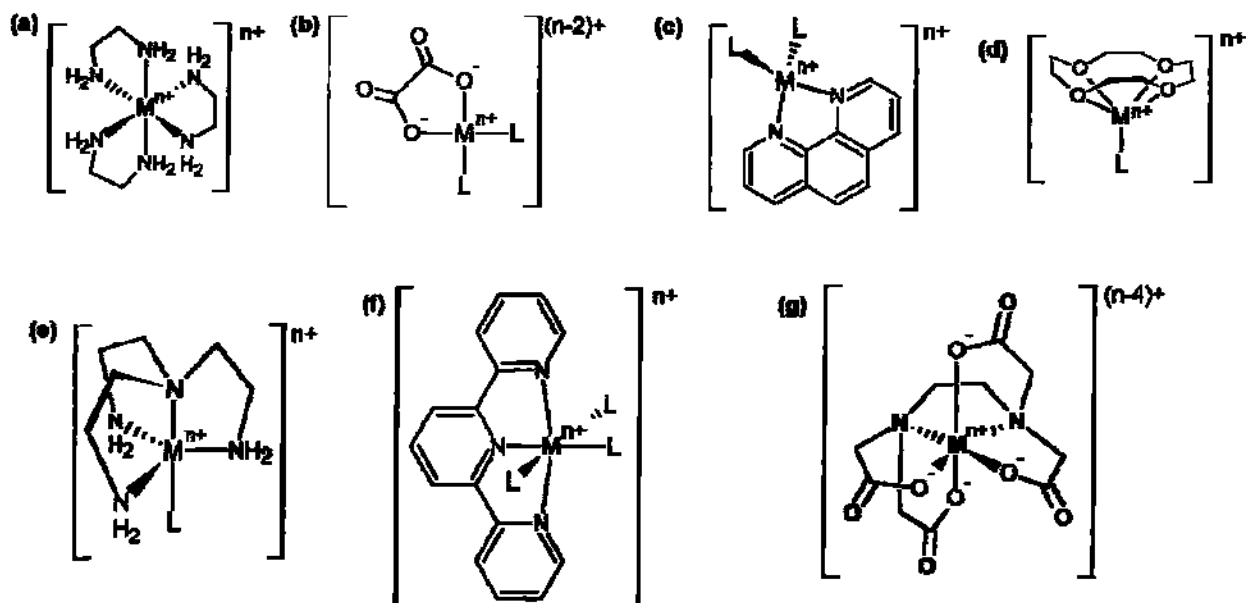
- (d) Diethylenetriamine (dien) ligand has three Lewis basic nitrogen atoms, thus it could be a tridentate ligand that forms two chelating rings with one metal. It can, however, also act as a bidentate ligand (bonding using only two N atoms) forming one chelate ring and could be a bridging ligand if the third nitrogen atom is bonded to the second metal (in theory, all three nitrogen atoms could bind to three different metallic centres as well):



(e) Tetraazacyclododecane ligand, with its four Lewis basic nitrogen atoms, could be a tetradentate, macrocyclic ligand. Note that structure I, in which M and N atoms are more or less in one plane, would be limited to small cations (for example  $\text{Li}^+$ ) because the hole of the macrocycle prevents larger cations from fitting in. For a larger cation, structure II in which the ligand's N atoms are above the metal atom, would be expected. This ligand could be bidentate and bridging (e.g., free N atoms in the bidentate structure are free to bind to another metallic centre).



**E7.10** The generic structures of complexes containing ligands (a) to (g) are shown below. The examples are taken for various coordination numbers and geometries because the exercise does not strictly assign them. Following the structures are some important points regarding each one that you should start to recognise and think about. In each case L is a neutral monodentate ligand, and metal has a positive charge  $n+$ ; the overall charge of the complex is indicated as well (note that it can be the same as the metal charge provided that all ligands are neutral).



(a) 1,2-diaminoethane (en) is shown as an octahedral complex  $[\text{M}(\text{en})_3]^{n+}$ ; since en is a neutral ligand, the complex is a cation of charge  $n+$ . Remember that octahedral complexes such as (a) are chiral.

(b) Oxalate ( $\text{C}_2\text{O}_4^{2-}$ ,  $\text{ox}^{2-}$ ) is represented as a square planar complex  $[\text{M}_2(\text{ox})]^{(n-2)+}$ ; since the oxalate ligand has a 2- charge, the overall charge of the complex depends on  $n+$ . Note that, although square planar, complex (b) can only exist as a *cis* isomer because rigid  $\text{ox}^{2-}$  prevents the formation of *trans* isomer.

(c) Phenanthroline (phen) is represented by a tetrahedral complex  $[\text{M}_2(\text{phen})]^{n+}$ . Remember that tetrahedral complexes cannot have *cis/trans* isomers. Again the charge of the complex depends on the charge on the metal M.

(d) 12-crown-4 is a crown ether ligand. Remember that the first number of the name (in this case 12) gives the total number of atoms forming the ring while the number at the end (in this case 4) gives the number of oxygen atoms in the ring structure. The geometry of complex (d) can be described as square pyramidal, but keep in mind that the hole in 12-crown-4 is relatively small and the majority of cations will not fit inside. Consequently the  $\text{M}^{n+}$  cannot be in the same plane as O atoms.

(e) Triaminotriethylamine (tren) is also shown in a complex with coordination number five, but this time in trigonal bipyramidal geometry. Recall that the two most common geometries for coordination number five are

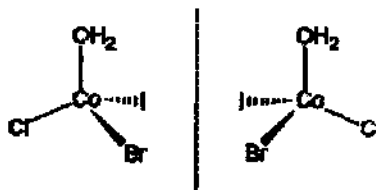
square pyramid and trigonal bipyramid. The two isomeric structures usually have small differences in energy meaning that 5-coordinate complexes can exchange geometries, particularly in solution (they are fluxional). Complexes (d) and (e), however cannot change their geometries because their tetradentate ligands are rigid and lock them in one ligand arrangement only.

(f) 2,2',6',2''-terpyridine (terpy), a tridentate ligand, is shown in an octahedral complex. Although you should expect *mer/face* isomers with tridentate ligands, in this case only *mer* isomer is possible due to the terpy's rigid structure.

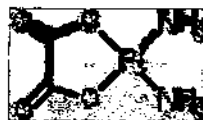
(g)  $\text{EDTA}^{4-}$  is a very common hexadentate ligand that forms very stable complexes with the majority of metals. This is frequently used in analytical chemistry during complexometric titrations.

**E7.11**  $[\text{RuBr}(\text{NH}_3)_5]\text{Cl}$  and  $[\text{RuCl}(\text{NH}_3)_5]\text{Br}$  complexes differ as to which halogen is bonded, and as to which one is the counter ion. These types of isomers are known as ionization isomers because they give different ions in the solution. When dissolved  $[\text{RuBr}(\text{NH}_3)_5]\text{Cl}$  will dissociate into  $[\text{RuBr}(\text{NH}_3)_5]^+$  and chloride ions, while  $[\text{RuCl}(\text{NH}_3)_5]\text{Br}$  will produce  $[\text{RuCl}(\text{NH}_3)_5]^+$  and bromide ions.

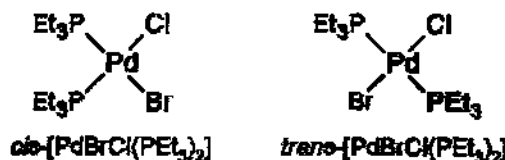
**E7.12** For tetrahedral complexes, the only isomers found are when you have four different ligands bound to the metal. Therefore,  $[\text{CoBr}_2\text{Cl}_2]^-$  and  $[\text{CoBrCl}_2(\text{OH}_2)]$  have no isomers. However,  $[\text{CoBrCl}(\text{OH}_2)]$  has an optical isomer shown below.



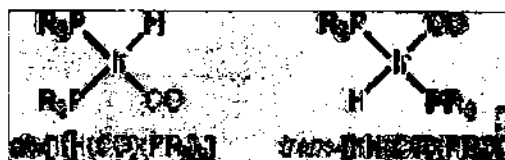
**E7.13** For square-planar complexes, depending on the ligands, several isomers are possible.  
(a)  $[\text{Pt}(\text{ox})(\text{NH}_3)_2]$  has no isomers because of the chelating oxalato ligand. The oxalate forces the ammonia molecules to be *cis* only.



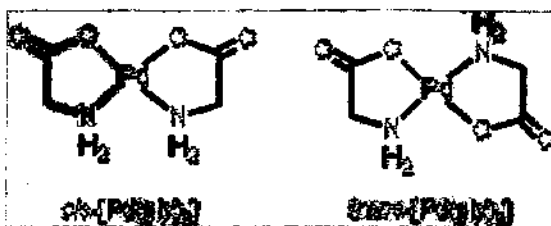
(b)  $[\text{PdBrCl}(\text{PEt}_3)_2]$  has two isomers, *cis* and *trans*, as shown below.



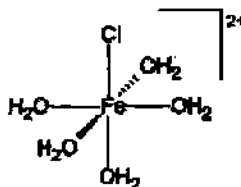
(c)  $[\text{IrHCO}(\text{PR}_3)_2]$  has two isomers, *cis* and *trans*, as shown below.



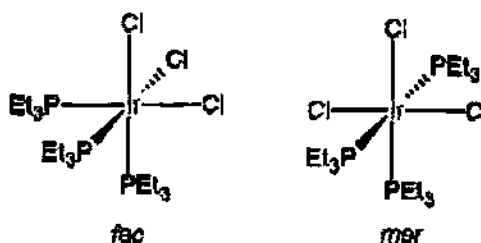
(d)  $[\text{Pd}(\text{gly})_2]$  has two isomers, *cis* and *trans*, as shown below.



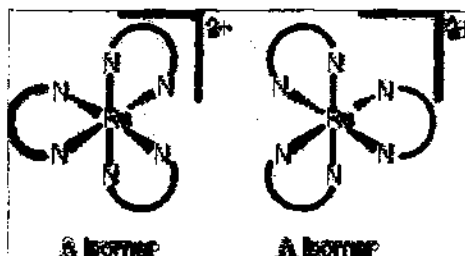
E7.14 (a)  $[\text{FeCl}(\text{OH}_2)_5]^{2+}$ : This complex has no isomers.



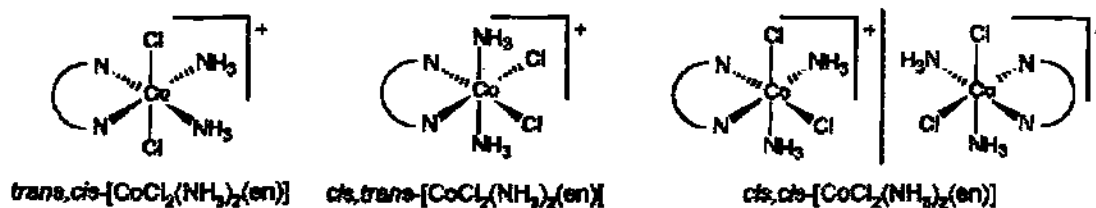
(b)  $[\text{IrCl}_3(\text{PEt}_3)_2]$ : There are two isomers for this complex, shown below.



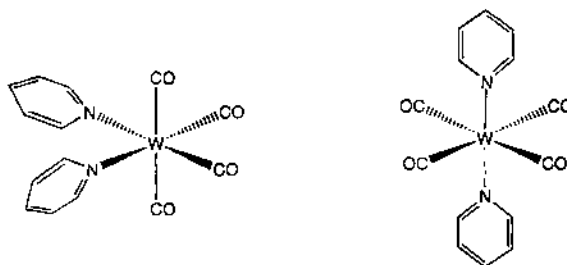
(c)  $[\text{Ru}(\text{bpy})_3]^{2+}$ : This complex has optical isomers, shown below.



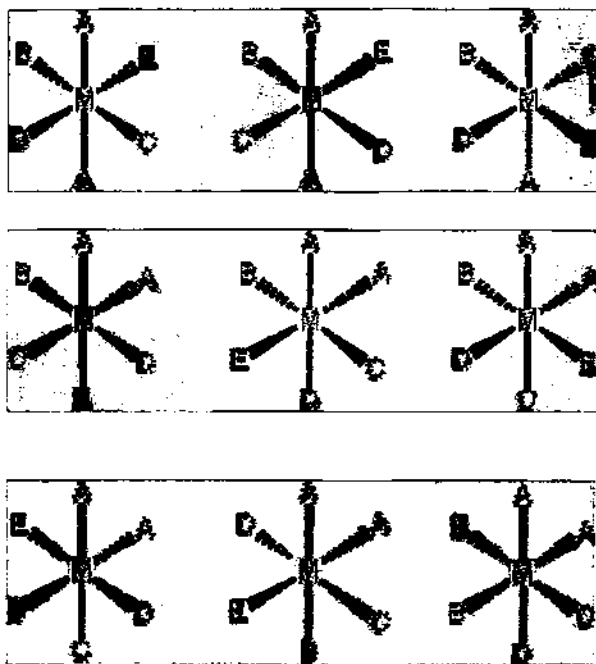
(d)  $[\text{CoCl}_2(\text{en})(\text{NH}_3)_2]^+$ : This complex has *cis* and *trans*, as well as optical isomers, shown below.



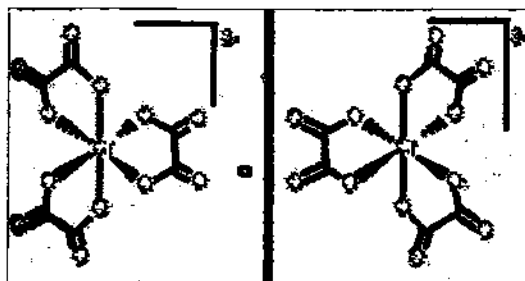
(e)  $[\text{W}(\text{CO})_4(\text{py})_2]$  has two isomers, *cis* and *trans*, shown below.



E7.15 Ignoring optical isomers, nine isomers are possible. Including optical isomers, 15 isomers are possible! Read Section 7.10(a) *Geometrical isomerism* for a better understanding of all the possible isomers.



E7.16 (a)  $[\text{Cr}(\text{ox})_3]^{3-}$ : All octahedral *tris*(bidentate ligand) complexes are chiral because they can exist as either a right-hand or a left-hand propeller, as shown in the drawings of the two nonsuperimposable mirror images (the oxalate ligands are shown in abbreviated form and the 3- charge on the complexes has been omitted).



(b) *cis*- $[\text{PtCl}_2(\text{en})]$ : This is a four-coordinate complex of a period 6  $d^8$  metal ion, so it is undoubtedly square-planar. You will recall from Chapter 3 that any planar complex contains at least one plane of symmetry (the one in the plane of the molecule) and must be achiral. In this case the five-membered chelate ring formed by the 1,2-diaminoethane ligand is not planar, so, strictly speaking, the complex is not planar. It *can* exist as two enantiomers,



depending on the conformation of the chelate ring, as shown below. However, the conformational interconversion of the carbon backbone is extremely rapid, so the two enantiomers cannot be separated.

(c) *cis*-[RhCl<sub>2</sub>(NH<sub>3</sub>)<sub>4</sub>]<sup>+</sup>: This complex has two mirror planes (one in the plane defined by 2Cl ligands and Rh metal and the second perpendicular to the first bisecting Cl-Rh-Cl and N-Rh-N bonds), so it is not chiral. The structure is shown below (charge has been omitted for clarity).

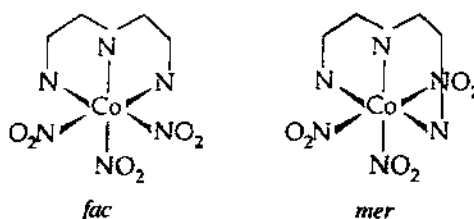


(d) [Ru(bpy)<sub>3</sub>]<sup>2+</sup>: As stated in the answer to part (a) above, all octahedral *tris* (bidentate ligand) complexes are chiral, and this one is no exception. The two nonsuperimposable mirror images are shown above (the bipyridine ligands are shown in abbreviated form, and the 3+ charge on the complex has been omitted).

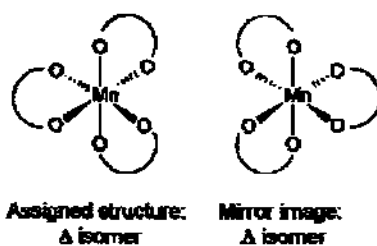


(e) *fac*-[Co(NO<sub>2</sub>)<sub>3</sub>(dien)]: There is a mirror plane through the metal, bisecting the dien ligand and (O<sub>2</sub>N) – Co – (NO<sub>2</sub>) angle shown below. Thus, the complex is not chiral.

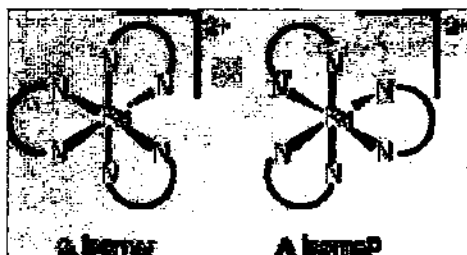
(f) *mer*-[Co(NO<sub>2</sub>)<sub>3</sub>(dien)]: There are two mirror planes: one through all three coordinating N atoms of the dien ligand and the metal atom, the other through all three nitro groups and the metal atom. Thus, the complex is not chiral.



**E7.17** Below is a picture of both isomers. The best way to do this problem is to draw both isomers as mirror images of each other, and look along one of the four C<sub>3</sub> symmetry axes found of ideal octahedral structure. If the ligand backbone is rotating clockwise then the structure is the Δ isomer, if it rotates counter clockwise, it is the Λ isomer. When you do this, it is obvious which isomer you have, in the case of this problem, the complex drawn in the exercise is the Λ isomer. For more help with this concept read Section 7.10(b) *Chirality and optical isomers*.



- E7.18** Below is a picture of both isomers. As in Problem 7.17, the best way to do this problem is to draw both isomers as mirror images of each other. A clockwise rotation around  $C_3$  of perfect octahedral structure would be the  $\Delta$  isomer, and counterclockwise rotation would be the  $\Lambda$  isomer.

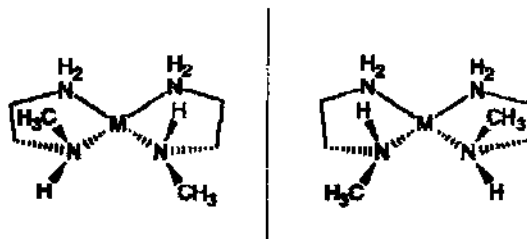


- E7.19** The value of the stepwise formation constants drop from  $K_{f1}$  to  $K_{f4}$ , as expected on statistical grounds. However, the fifth stepwise formation constant is substantially lower, suggesting a change in coordination. In fact, what happens is the very stable square planar complex ion  $[\text{Cu}(\text{NH}_3)_4]^{2+}$  is formed, and the addition of the fifth  $\text{NH}_3$  ligand is very difficult. The equilibrium for this step is actually shifted to the left (toward reactants). This results in  $K_{f5} < 1$  with a negative log value.
- E7.20** The values for the 1,2-diaminoethane reaction are substantially higher, indicating more favourable complex formation, and this can be attributed to the chelate effect. Read Section 7.14 *The chelate and macrocyclic effects* for better understanding of this phenomenon.

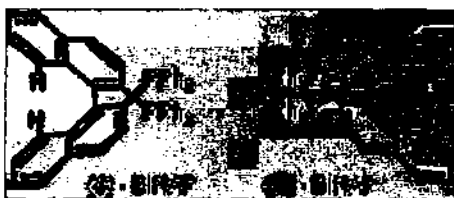
#### Guidelines for Selected Tutorial Problems

- T7.2** The most important part of this problem is deciding on the composition of inner-sphere and outer-sphere complexes of the two compounds mentioned (see Section *The language of coordination chemistry*). For example, the fact that three equivalents of  $\text{AgCl}$  can be quickly obtained from a solution of the pink salt indicates that three  $\text{Cl}^-$  anions are a part of the outer-sphere complex. The rest, combined together, should form the inner-sphere complex  $[\text{Co}(\text{NH}_3)_5(\text{OH}_2)]^{2+}$ , and the salt should be  $[\text{Co}(\text{NH}_3)_5(\text{OH}_2)]\text{Cl}_3$ . It can be demonstrated similarly that the purple solid is  $[\text{CoCl}(\text{NH}_3)_5]\text{Cl}$ . These guidelines are useful for Tutorial Problems 7.3 and 7.5 as well.
- T7.4** The vital part of information for determining the structure (and hence the name) of the diaqua complex is the fact that it does not form a chelate with (otherwise chelating) 1,2-diaminoethane ligand, not so much the fact that we have started with *trans* isomer. Consult Figure 7.4 in your textbook to determine the structure of the diaqua complex. For the third isomer you have been given an *empirical* composition of  $\text{PtCl}_2\cdot 2\text{NH}_3$ . The actual composition can have any multiple of 1 : 2 ratio (i.e., the actual composition might be  $2\text{PtCl}_2\cdot 4\text{NH}_3$ , or  $3\text{PtCl}_2\cdot 6\text{NH}_3$ , etc. as long as the simplest ratio remains 1 : 2). If you look at the products from the reaction with  $\text{AgNO}_3$ , you will see that one contains a cation  $[\text{Pt}(\text{NH}_4)_4]^{2+}$  and the other anion  $[\text{PtCl}_4]^{2-}$  as inner sphere complexes. Simply combining the two we have the third isomer  $[\text{Pt}(\text{NH}_4)_4][\text{PtCl}_4]$  with composition  $2\text{PtCl}_2\cdot 4\text{NH}_3$ . (This is the special case isomerism sometimes referred to as polymer isomerism because the isomers differ by the number of empirical formula units, or monomers, in their structure; for example, in this case the general formula of the polymer isomers can be written as  $(\text{PtCl}_2\cdot 2\text{NH}_3)_n$  with  $n = 2$ .) The name for the third isomer is tetraammineplatinum(II) tetrachloridoplatinate(II).

- T7.9 Recall from other courses that amines with three different substituents on N atom should be chiral, but due to the fast isomerization this chirality is not observed in real situations. Once, however, the N atom coordinates to the metal, the isomerization is not possible any longer—in this case particularly because the N atoms become a part of a rigid chelating ring.



- T7.11 BINAP (short for (2,2'-bis(diphenylphosphino)-1,1'-binaphthyl)) has axial chirality with the chiral axis coinciding with the C–C bond connecting two naphthyl systems. The bulky diphenylphosphino groups as well as indicated H atoms on naphthyl groups prevent the rotation around this C–C bond making the structure stable with respect to racemisation:



Combine this chirality of BINAP ligand with what you learned about the chirality of complexes to discuss the chirality of BINAP-containing complexes.

## Chapter 8 Physical Techniques in Inorganic Chemistry

### Self-Test Exercises

- S8.1** The ionic radius of Cr(IV), 69 pm, is smaller than that of Ti(IV), 75 pm. The unit cell and  $d$  spacings will shrink as a result of the smaller radius of chromium. The XRD pattern for  $\text{CrO}_2$  will show identical reflections to those of rutile  $\text{TiO}_2$  (see Figure 8.4) but shifted to slightly higher diffraction angles.
- S8.2** The  $\text{K}_2\text{Se}_3$  crystal with dimensions  $5 \times 10 \times 20 \mu\text{m}$  would be too small for the single-crystal X-ray diffraction analysis that typically requires a crystal with dimensions of  $50 \times 50 \times 50 \mu\text{m}$  or above. Smaller crystals, such as the one in this Self-Test require X-ray sources of higher intensity which are obtained using synchrotron radiation. Thus, we would need different source of X-rays (see Section 8.1(b) *Single-crystal X-ray diffraction* and Section 8.1(c) *X-ray diffraction at synchrotron sources*).
- S8.3** As we can clearly see from Figure 8.13  $\text{TiO}_2$  particles absorb the ultraviolet radiation and prevent this type of radiation from reaching the skin offering protection from the sun's rays that can cause skin cancer.
- S8.4** Using the VSEPR theory we find that Xe in  $\text{XeF}_2$  has five electron pairs: three lone and two bonding. Thus, the molecular geometry is linear with a  $D_{\infty h}$  point group symmetry. As a linear molecule, we expect  $\text{XeF}_2$  to have  $3N - 5 = 3(3) - 5 = 4$  total vibrational modes. These modes cannot be both IR and Raman active as the molecule has a centre of symmetry (the exclusion rule).
- S8.5** (a) The VSEPR theory would predict a square pyramidal geometry for the  $\text{BrF}_5$  molecule. Recall from previous chapters that this geometry would place F atoms in two different environments: apical ( $F_a$ ) and basal ( $F_b$ ). Thus, we would expect two different chemical shifts in  $^{19}\text{F}$  NMR: one for  $F_a$  and one for  $F_b$ . The intensity of these signals should have relative ratios 1 : 4 because there is only one  $F_a$  whereas there are four  $F_b$  atoms. According to the  $n + 1$  rule for the nuclei with  $I = \frac{1}{2}$ , the  $F_a$  resonance would be split into five equally spaced lines (i.e., a quintet) by four basal F atoms with line intensities 1 : 4 : 6 : 4 : 1 according to Pascal's triangle. The signal due to  $F_b$  atoms will be split into a doublet by one  $F_a$  with line intensities 1 : 1.
- (b) Proton resonance of the hydrido ligand consists of eight equal intensity lines. The hydride resonance couples to three nuclei (two different  $^{31}\text{P}$  nuclei—one *trans* to the hydride and the other one *cis* to the hydride ligand—and the  $^{103}\text{Rh}$  nucleus) that are 100% abundant and all of which have  $I = \frac{1}{2}$  (see Table 8.4). The first doublet is observed due to the coupling between hydride and rhodium. Since the two atoms are directly bonded, the coupling constant is going to be large. Then, through coupling with P atom *trans* to the hydride, each line of the first doublet is going to be split into a doublet creating doublet of doublets. Finally, due to the coupling to the P atom *cis* to the hydride, every line of the doublet of doublets is going to be further split into a doublet giving the observed doublet of doublets of doublets pattern. Since the three coupling constants are different, the effect is to split the signal into a doublet of doublet of doublets, thus generating eight lines in the NMR of equal intensity.
- S8.6** The assigned compound,  $\text{Tm}_4(\text{SiO}_4)(\text{Si}_3\text{O}_{10})$ , contains two different silicate anions: the orthosilicate,  $\text{SiO}_4^{4-}$  and chain  $\text{Si}_3\text{O}_{10}^{8-}$ . Within  $\text{Si}_3\text{O}_{10}^{8-}$  we have two different Si environments—one Si atom is in the centre of the chain with the remaining two Si atoms on each end. The Si atom in the orthosilicate anion is in its own environment. Thus, we can expect three signals in  $^{29}\text{Si}$ -MASNMR of this compound: one for  $\text{SiO}_4^{4-}$  (with intensity 1) and two for  $\text{Si}_3\text{O}_{10}^{8-}$  (with intensities 1 : 2 for central and end Si atoms).
- S8.7** Consulting Table 8.4, we see that 14% of the naturally occurring tungsten is  $^{183}\text{W}$ , which has  $I = \frac{1}{2}$ . Owing to this spin, the signal is split into two lines. This will be superimposed on a nonsplit signal that arises from the 86% of tungsten that does not have a spin.
- S8.8** The oxidation state for iron in  $\text{Sr}_2\text{FeO}_4$  compound is +4. The outermost electron configuration is  $3d^4$ . We would expect the isomer shift to be smaller and less positive (below  $0.2 \text{ mm s}^{-1}$ ) due to a slight increase of s-electron density at the nucleus.

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- S8.9** Generally as the oxidation state of an atom is increasing, the radius is decreasing. As a consequence the K-shell electrons are moving closer to the nucleus resulting in an increased stability of these electrons. Thus, the energy of XAS K-edge is expected to gradually increase with an increase in oxidation state of sulfur from S(-II) in  $S^{2-}$  to S(VI) in  $SO_4^{2-}$ .
- S8.10** Both chlorine ( $^{35}Cl$  76% and  $^{37}Cl$  24%) and bromine ( $^{79}Br$  51% and  $^{81}Br$  49%) exist as two isotopes. Consider the differences in mass numbers for the isotopes—any compound containing either Cl or Br will have molecular ions 2 u apart. The lightest isotopomer of  $ClBr_3$  is  $^{35}Cl^{79}Br_3$  at 272 u and the heaviest is  $^{37}Cl^{81}Br_3$  at 280 u. Three other molecular masses are possible, giving rise to a total of five peaks in the mass spectrum shown in Figure 8.38. The differences in the relative intensities of these peaks are a consequence of the differences in the percent abundance for each isotope.
- S8.11** CHN analysis is used to determine percent composition (mass percentages of C, H, and N). Because the atomic masses of 5d metals are significantly higher than the atomic masses of 3d metals, the hydrogen percentages will be less accurate as they correspond to smaller fractions of the overall molecular masses of the compounds.
- S8.12** The EDAX analysis does not give very accurate quantitative results for the magnesium aluminum silicate because the three elements (Mg, Al, and Si) are next to each other in the periodic table; thus we can expect some peak overlapping.
- S8.13** 7.673 mg of tin corresponds to 0.0646 mmol of Sn. The 10.000 mg sample will contain 2.327 mg of oxygen (10.000 mg – 7.673 mg) or 0.145 mmol of O. We could write the initial formula of this oxide as  $Sn_{0.0646}O_{0.145}$ . The molecular formulas of compounds, however, are generally written using the whole numbers in subscripts (unless the compound is indeed nonstoichiometric) and not fractions or irrational numbers. To convert our subscripts to the whole numbers we divide both with the smaller of the two. Thus we obtain  $0.0646/0.0646 = 1$  and  $0.145/0.0646 = 0.244$ . The last number is still not a whole number but it becomes obvious that by multiplying both values by 2 we can obtain whole numbers 2 and 5.
- S8.14** Os(III) solution at pH 3.1 contains an  $Os^{III}OH$  species, whereas Os(IV) solutions at the same pH have an  $Os^{IV}O$  species. From Pourbaix diagram we see that  $Os^{III}OH$  complex remains protonated in the pH range 3.1 to 13. This means that at very high sweep rates electron transfer is going to be fast in comparison to proton transfer. As a consequence we should see one reversible peak in the cyclic voltammograms in this pH range.

### End-of-Chapter Exercises

- E8.1** As the collected white powder is crystalline, you could use powder X-ray diffraction to collect data. The identity of crystalline components in the powder can be determined by analyzing the peak pattern and matching the peak positions and their intensity with standards (e.g., JCPDS).
- E8.2** If the laboratory single-crystal diffractometer can study crystals that are  $50\ \mu m \times 50\ \mu m \times 50\ \mu m$ , with a new synchrotron source that has a millionfold increase in source intensity, one can reduce the crystal volume by  $1/10^6$ , thus the size would be  $0.5\ \mu m \times 0.5\ \mu m \times 0.5\ \mu m$ . The opposite happens if the flux is reduced: we need bigger crystal. For the  $10^3$  times weaker neutron flux we must have a crystal with  $10^3$  larger volume—the minimum size is then  $500\ \mu m \times 500\ \mu m \times 500\ \mu m$ .
- E8.3** The difficulty in determining element-hydrogen bond lengths (i.e., the distance between the two nuclei) with high accuracy is due to the fact that a hydrogen atom has only one electron. Hydrogen's electron is normally a part of a bond and hence displaced from the H atom. Since the single-crystal X-ray analysis relies on electron densities to determine the locations of the atoms, H atoms lack sufficient electron density around the nucleus for their location to be determined with a high accuracy. This, however, is not the case with Se-O bonds because both Se and O have a sufficient number of electrons for accurate determination of their locations in the crystal structure. Hydrogen bonding can also further reduce the accuracy because the nucleus is shifted toward H-bond acceptor (i.e., O atom in  $SeO_4^{2-}$  in this case) and away from H-bond donor (N atom in this case).

**E8.4** Using the de Broglie relation given in Section 8.2, we have:

$$\lambda = h/mv = (6.626 \times 10^{-34} \text{ J s}) / (1.675 \times 10^{-27} \text{ kg})(2200 \text{ m/s}) = 1.80 \times 10^{-12} \text{ m}$$

or 180 pm. This wavelength is very useful for diffraction because it is comparable to interatomic spacings.

**E8.5** Unlike X-rays, which are scattered by the electrons, the neutrons are scattered by atomic nuclei in a crystalline sample. The X-ray analysis always underestimates element-hydrogen bond lengths because of very low electron density at H nucleus. H atom, having only one electron, has very low electron density that is further decreased when H bonds to the other atoms because the electron now resides between the two nuclei forming a bond. This is not an issue with neutron diffraction because neutrons will be scattered by hydrogen nucleus providing us with its very accurate location. We could, however, expect less discrepancy with measurement of C–H bonds. This is due to the lower electronegativity of carbon vs. oxygen. In O–H bonds the bonding electron pair (which contains H's electron) is shifted more toward oxygen which makes H atom appear closer in the electron density map. On the other hand, C–H bond is of low polarity and the bonding pair is more equally distributed between the two nuclei.

**E8.6**  $\text{N}(\text{SiH}_3)_3$  is planar and thus N is at the center of the molecule and does not move in the symmetric stretch.  $\text{N}(\text{CH}_3)_3$  is pyramidal and the N–C symmetric stretch involves displacement of N.

**E8.7** The energy of a molecular vibration is determined by Equation 8.4a in your textbook:

$$E_v = \left( v + \frac{1}{2} \right) \hbar \omega = \hbar \left( v + \frac{1}{2} \right) \left( \frac{k}{\mu} \right)^{\frac{1}{2}}, \text{ and } \mu_{\text{N-D}} = \frac{m_{\text{N}} m_{\text{D}}}{m_{\text{N}} + m_{\text{D}}}, \mu_{\text{N-H}} = \frac{m_{\text{N}} m_{\text{H}}}{m_{\text{N}} + m_{\text{H}}}$$

We can make a few reasonable assumptions that will help us to calculate the expected wavenumber for N–D stretch from a known N–H stretch. First, we can assume that the force constants,  $k$ , are approximately equal in two cases, that is,  $k_{\text{N-D}} \approx k_{\text{N-H}}$ . The second approximation is that  $m_{\text{N}} + m_{\text{D}} \approx m_{\text{N}} + m_{\text{H}} \approx m_{\text{N}}$ . Thus, keeping in mind these assumptions and all constant values, we can show that, after canceling, the ratio of vibrational energies is:

$$\frac{E_v^{\text{N-D}}}{E_v^{\text{N-H}}} = \frac{\sqrt{\mu_{\text{N-H}}}}{\sqrt{\mu_{\text{N-D}}}} \approx \sqrt{\frac{m_{\text{H}}}{m_{\text{D}}}}$$

And from the above ratio:

$$E_v^{\text{N-D}} = \frac{E_v^{\text{N-H}}}{\sqrt{m_{\text{D}}}} = \frac{E_v^{\text{N-H}}}{\sqrt{2}}$$

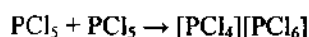
Considering that the energies and wavenumber are related through  $E_v = hc\tilde{\nu}$ , we finally have:

$$\tilde{\nu}^{\text{N-D}} = \frac{\tilde{\nu}^{\text{N-H}}}{\sqrt{m_{\text{D}}}} = \frac{3400 \text{ cm}^{-1}}{\sqrt{2}} = 2404 \text{ cm}^{-1}$$

**E8.8** The bond orders for  $\text{CN}^-$  and  $\text{CO}$  are the same, but N is lighter than O, hence the reduced mass for  $\text{CN}^-$  is smaller than for  $\text{CO}$ . From Equation 8.4a, the smaller effective mass of the oscillator for  $\text{CN}^-$  causes the molecule to have the higher stretching frequency because they are inversely proportional. The bond order for  $\text{NO}$  is 2.5, and N is heavier than C, hence  $\text{CO}$  has a higher stretching frequency than  $\text{NO}$ .

**E8.9** The bond in  $\text{O}_2^+$  (bond order = 2.5) is stronger than in  $\text{O}_2$  (bond order = 2). Therefore,  $\text{O}_2^+$  has the higher force constant and the stretching frequency is expected to be above that for  $\text{O}_2^-$  (in the region of  $1800 \text{ cm}^{-1}$ ). See Section 2.8 for more on bond orders in homonuclear diatomics. Considering that this is a homonuclear, diatomic cation, there is no net dipole moment (the positive charge is uniformly distributed over all cations) and thus the stretch should be Raman and not IR active.

- E8.10** Consult the solution for the Example 8.5 for the structure of  $\text{SeF}_4$ —since Se and S are in the same group of the periodic table the VSEPR theory would predict identical structures, i.e. see-saw. The fluorine atoms in  $\text{SeF}_4$  are in two different magnetic environments: two F atoms form one plane with the lone electron pair on selenium (equatorial F atoms), whereas the other two are perpendicular to this plane (axial F atoms). Thus, we would expect two signals in  $^{19}\text{F}$  NMR. However, the F atoms are bonded to the NMR active  $^{77}\text{Se}$  with  $I = 1/2$ . Thus, the axial F atoms are going to be coupled to  $^{77}\text{Se}$  (large one-bond coupling constant) and their signal is going to be split into a doublet. They are further coupled to two equatorial F atoms and the signal is further split into a triplet producing finally a doublet of triplets. The same analysis for the equatorial F atoms will give another doublet of triplets. Thus, the  $^{19}\text{F}$  NMR of  $^{77}\text{SeF}_4$  would consist of two doublet of triplets with relative intensity 1 : 1. The  $^{77}\text{Se}$  NMR would consist of triplet of triplets because  $^{77}\text{Se}$  is coupled to two equatorial and two axial  $^{19}\text{F}$  nuclei.
- E8.11** Using VSEPR theory we can determine that  $\text{XeF}_5^-$  has a pentagonal planar molecular geometry, so all five of the F atoms are magnetically equivalent and thus the molecule shows a single  $^{19}\text{F}$  resonance. Approximately 25% of the Xe is present as  $^{129}\text{Xe}$ , which has  $I = 1/2$ , and in this case the  $^{19}\text{F}$  resonance is split into a doublet. The final result is a composite: two lines each of 12.5% intensity from the  $^{19}\text{F}$  coupled to the  $^{129}\text{Xe}$ , and one line of 75% intensity for the remainder.
- E8.12** Although  $\text{Co}_2(\text{CO})_9$  has two magnetically distinct carbonyl environments in the solution (terminal and bridging carbonyls), the structure is fluxional at room temperature and the CO ligands are exchanging bridging and terminal position sufficiently fast so that an average signal is seen and only one peak is observed.
- E8.13** The salt  $\text{CsPCl}_6$  is an ionic compound built of  $\text{Cs}^+$  cations and octahedral  $\text{PCl}_6^-$  anions. If the  $^{31}\text{P}$  MASNMR of  $\text{PCl}_5$  shows two resonances, one of which is similar to the one found in the  $^{31}\text{P}$  MASNMR of the salt, that means solid  $\text{PCl}_5$  contains  $\text{PCl}_6^-$  anions. The second resonance must belong to some other P-containing species in  $\text{PCl}_5$ , which in this case is the cation  $\text{PCl}_4^+$ .  $\text{PCl}_5$  in a solid state is an ionic compound  $[\text{PCl}_4][\text{PCl}_6]$ ; the formation of ions can be understood as a Lewis acid-base reaction:



- E8.14** Rearranging Equation 8.7 we have  $g = \Delta E / \mu_B B_0$ . In order to calculate the  $g$  values, we obtain the  $B_0$  values from the EPR spectrum shown in Figure 8.49 (the three lines drawn to the  $x$ -axis correspond to 348, 387, and 432 mT) and set the  $\Delta E = h\nu$  where  $\nu$  is equal to the given microwave frequency. The three  $g$  values are thus 1.94, 1.74, and 1.56, respectively. See below for an example of the calculation for the first line.

$$g = [(6.626 \times 10^{-34} \text{ J s})(9.43 \times 10^9 \text{ s}^{-1})] / (9.27401 \times 10^{-24} \text{ J/T})(0.348 \text{ T}) = 1.94$$

- E8.15** Consulting Table 8.2 in the text, we can see that EPR is a somewhat faster technique than NMR, thus EPR would be more sensitive.
- E8.16** In aqueous solution at room temperature, molecular tumbling is fast compared to the timescale of the EPR transition (approximately  $g\mu_B B_0/h$ ), and this removes the effect of the  $g$ -value anisotropy. We expect a derivative-type spectrum, possibly exhibiting hyperfine structure that is centred at the average  $g$  value. In frozen solution,  $g$ -value anisotropy can be observed because the spectrum records the values of  $g$  projected along each of the three axes, and the averaging from molecular tumbling does not apply.
- E8.17** The oxidation state for iron in  $\text{Na}_3\text{Fe}^{(\text{V})}\text{O}_4$  results in a  $3d^3$  configuration. As the 3d electrons are removed the isomer shift becomes less positive as the 3d electrons partly screen the nucleus from the inner s electrons. Compared to Fe(III) with isomer shift between +0.2 and +0.5  $\text{mm s}^{-1}$ , we would expect a smaller positive shift for Fe(V) below +0.2  $\text{mm s}^{-1}$ . The shift for  $\text{Na}_3\text{FeO}_4$  will be less positive than for  $\text{Sc}_2\text{FeO}_4$  due to the higher oxidation state of Fe (+5 in  $\text{Na}_3\text{FeO}_4$  vs. +4 in  $\text{Sc}_2\text{FeO}_4$ ).
- E8.18** The total charge on Fe atoms in  $\text{Fe}_4[\text{Fe}(\text{CN})_6]_3$  must add up to +18 owing to the -18 negative charges on the 18 cyanide anions. Thus we can have four Fe(III) and three Fe(II). EPR can detect Fe(III) but not Fe(II) because all of

the electrons are paired in the high-field, low-spin Fe(II) octahedral complex. Mössbauer spectroscopy can distinguish between Fe(II) and Fe(III) and between “complexed” Fe(II) coordinated by  $6\text{CN}^-$  and “complexed” Fe(III) coordinated by  $6\text{CN}^-$  because uncomplexed Fe(II) will have a larger quadrupole splitting than uncomplexed Fe(III), whereas complexed Fe(II) will have a smaller quadrupole splitting than complexed Fe(III).

- E8.19** Silver has two isotopes,  $^{107}\text{Ag}$  (51.82%) and  $^{109}\text{Ag}$  (48.18%). You should look up this information yourself, which can be found in many reference books (e.g., *CRC Handbook of Chemistry and Physics*). Thus the average mass is near 108, but no peak exists at this location because there is no isotope with this mass number. Compounds that contain silver will have two mass peaks flanking this average mass.
- E8.20** Considering systematic loss of individual ligands on the organometallic complex, the major peaks would be at 258 (due to the molecular ion,  $\text{Mo}(\text{C}_6\text{H}_6)(\text{CO})_3^+$ ), 230 ( $\text{Mo}(\text{C}_6\text{H}_6)(\text{CO})_2^+$ ), 200 ( $\text{Mo}(\text{C}_6\text{H}_6)(\text{CO})^+$ ), 186 ( $\text{Mo}(\text{C}_6\text{H}_6)^+$ ), and 174 ( $\text{Mo}(\text{CO})_3^+$ ).
- E8.21** The molar mass of the dehydrated zeolite,  $\text{CaAl}_2\text{Si}_6\text{O}_{16}$ , is  $518.5 \text{ g mol}^{-1}$ . The molar mass of water is  $18.0 \text{ g mol}^{-1}$ . We can solve for  $n$  using the mass percentage of water.

$$\text{Mass \% of H}_2\text{O} = \frac{\text{mass of H}_2\text{O in the sample}}{\text{mass of the sample}} \times 100\% = \frac{18n}{518.5 + 18n} \times 100\% = 20\%$$

$$18n = 0.2 (518.5 + 18n)$$

$$14.4n = 103.7$$

$$n = 7.2$$

Isolating  $n$  as an integer we can estimate that  $n = 7$ .

- E8.22** The complex undergoes a reversible one-electron reduction with a reduction potential of 0.21 V. This can be calculated by taking the mean of  $E_{\text{pa}}$  (0.240 V) and  $E_{\text{pc}}$  (0.18 V), see Figure 8.46. Above 0.720 V the complex is oxidized to a species that undergoes a further chemical reaction, and thus is not re-reduced. This step is not reversible.
- E8.23** The regular crystalline periodicity is required for Bragg diffraction in order to have constructive interference of the X-rays that leads to observable peaks in the XRD pattern. Glass, however, is a network covalent solid with no long-range periodicity or order—it is an amorphous rather than crystalline solid—as such it will not diffract X-rays. The observation of X-ray diffraction pattern after the glass sample was heated indicates that at least a part of the sample crystallized. The fact that the exothermic event was observed suggests either change of phase (from amorphous to crystalline) or chemical reaction that yielded a crystalline product.
- E8.24** The ratio of cobalt to acetylacetonate in the complex is 3:1. Converting the given mass percents of Co and C to moles of Co and C, we find that for every one mole of Co in the product we have 15 moles of C: moles of Co = 0.28 mol; moles of C = 4.2 mol. Considering that every  $\text{acac}^-$  ligand has five carbon atoms, it is obvious that for each mole of Co we have three moles of  $\text{acac}^-$ . This ratio is consistent with the formula  $\text{Co}(\text{acac})_3$ . (Consult Section 7.1 for more detail on the acetylacetonate ligand and cobalt coordination complexes.)
- E8.25** (a) If Os(IV) complex decomposed rapidly, then the voltamogram would not be reversible, and would be unsymmetrical.  
 (b) If Os(III) complex is oxidized rapidly to Os(V), we would see only one peak in voltamogram with twice the height of single peaks shown in Figure 8.53(a).



**Guidelines for Selected Tutorial Problems**

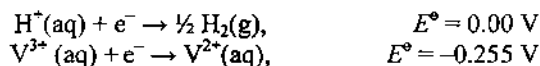
- T8.3** You have to think about two important factors when considering hydrogen storage materials. First, the candidates for hydrogen storage materials are based on both compounds containing light elements (most notably B and N) and transition metals. These two groups can require different methods of analysis. Second, ultimately the good hydrogen storage material should “pack” a lot of hydrogen (a good measure of this is the weight percentage of H stored in the material—you do not want to carry around a lot of weight that contains very little useful material), and the analysis of hydrogen content itself presents some challenges.
- T8.5** If you really want to cover all challenges related to the two analyses, you should also consider the issues related to the sample collection and storage. On the question of specific samples (volcano vs. sediment), consider the phases of the sample, amounts of substances of interest, and potential toxicities.

## Chapter 9 Periodic Trends

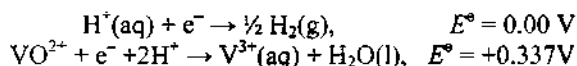
### Self-Test Exercises

**S9.1** Refer to Figure 9.9 in your textbook. Cd and Pb are classified as chalcophiles and give soft cations. Thus, they will be found as sulfides. Rb and Sr are lithophiles and are hard; they can be found in aluminosilicate minerals. Cr and Pd are siderophiles and give cations of intermediate hardness. As such, they can be found as both oxides and sulphides. Palladium can also be found in elemental form.

**S9.2** In this case you have to consider two potential reactions: (i) possible oxidation by  $H^+$  and (ii) possible oxidation by  $O_2$ . The first case has been covered in the text, but we can look at the two half-reactions, assuming standard conditions:



Thus, the overall reaction,  $V^{2+}(aq) + H^+(aq) \rightarrow V^{3+}(aq) + \frac{1}{2} H_2(g)$ , would have a positive potential difference ( $E = +0.255 \text{ V}$ ) and the reaction is spontaneous. (Recall that reactions with a positive potential difference have negative  $\Delta_r G$  and are thus spontaneous.) Further oxidation of  $V^{3+}(aq)$  by  $H^+(aq)$  is not feasible because the potential difference would be negative. For example, consider half-reaction for oxidation of  $V^{3+}(aq)$  to  $V^{4+}(aq)$  by  $H^+(aq)$ :



Combining these two reactions we would get a negative potential difference ( $E = -0.337 \text{ V}$ ) and a nonspontaneous reaction.

The reduction potential for  $O_2(g)$  in acidic medium is  $+1.23 \text{ V}$  (for half-reaction  $\frac{1}{2} O_2(g) + 2e^- + 2H^+ \rightarrow H_2O(l)$ ), meaning that  $O_2$  is a better oxidizing agent than  $H^+$ . Consequently,  $O_2(g)$  will be able to oxidize  $V^{2+}(aq)$  to  $V^{3+}(aq)$  as well, but we have to check if oxidation of  $V^{3+}(aq)$  to  $VO^{2+}$  is now possible:  $E = +1.23 \text{ V} - (+0.337 \text{ V}) = +0.893 \text{ V}$ . The potential difference is positive, and  $VO^{2+}(aq)$  should be more stable than  $V^{3+}(aq)$  and  $V^{2+}(aq)$  under these conditions. Similar analysis shows that  $VO^{2+}(aq)$  could be further oxidized to  $VO_2^+(aq)$  with  $O_2(g)$  with potential difference of  $+0.23 \text{ V}$ . Overall, this indicates that  $V^{2+}(aq)$  should be oxidized by  $O_2(g)$  in the acidic solution all the way to the thermodynamically favoured species  $VO_2^+(aq)$ . Note that this does not necessarily mean that the process will occur—the kinetics might be slow, and particularly important factor to consider when dealing with  $O_2(g)$  oxidation are overpotentials. Consequently,  $V^{3+}(aq)$  and/or  $VO^{2+}$  might be reasonably long-lived species in acidic medium when exposed to oxygen from air.

**S9.3** Oxygen forms a double bond that is three times more stable than its single bond. Owing to this tendency to form strong double bonds, it is very unlikely that longer-chain polyoxygen anions would exist. Sulfur is much less likely to form  $\pi$  bonds and therefore more likely to generate catenated polysulfide anions.

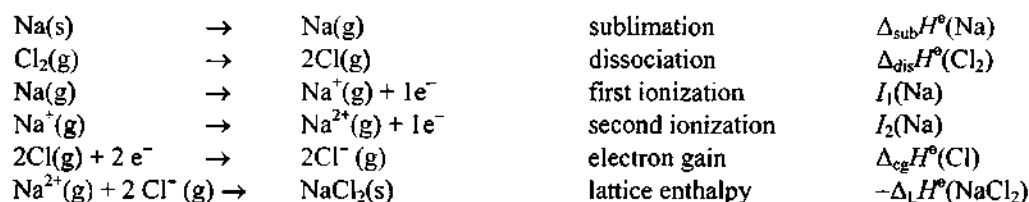
**S9.4** The energy required to convert solid elements into the gaseous atomic form drops going down the group. This is expected because the bond strengths decrease in the same order and it becomes easier to break the molecules in solids. It is evident from the values that as we move down the group from S to Se to Te, the steric crowding of the fluorine atoms is minimized owing to the increasing radius of the central atom. As a result, the enthalpy values become larger and more negative (more exothermic) and the higher steric number compounds (such as  $TeF_6$ ) are more likely to form.

**S9.5** We would have to know the products formed upon thermal decomposition for  $P_4O_{10}$  and thermodynamic data for the product. We could use data for  $V_2O_5$  from the Exercise 9.5.

**S9.6** Xe is the central atom. With 8 valence electrons from Xe and 24 electrons (6 from each O) we have 32 total electrons and 16 electron pairs. We would predict a tetrahedral geometry to minimize electron pair repulsions. Note that in order to minimize formal charge, the xenon will form double bonds with each oxygen. Because the atomic number of Xe is 54, the  $Z + 22$  is Os ( $Z = 76$ ). The compound with the same structure is  $OsO_4$ .

**End-of-Chapter Exercises**

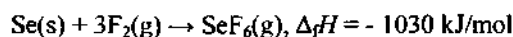
- E9.1** (a) Ba, +2; (b) As, +5; (c) P, +5; (d) Cl, +7; (e) Ti, +4; (f) Cr, +6
- E9.2** The group is the alkaline earth metals or Group 2 elements. Consult Sections 12.8 and 12.9 for detailed reactions.
- E9.3** These elements are Group 15. This group is very diverse. N and P are nonmetals; As and Sb are metalloids, and Bi is metallic. The +5 and +3 oxidation states are common for the group electron configuration of  $ns^2p^3$ . Phosgene and arsine are well-known toxic gases.
- E9.4** If the maximum oxidation state at the bottom is +6, that means the group in question must have six valence electrons. That narrows the answer down to Groups 6 and 16. Group 16 is headed by oxygen which is a non-metallic element and has -2 as the most stable oxidation state. That leaves us with Group 6 in the d-block. In this group all elements are metallic and chromium has +3 as its most stable oxidation state. Thus, the group sought is the chromium group of Group 6.
- E9.5** The key steps in the Born-Haber cycle for  $\text{NaCl}_2$  are:



You can calculate the lattice enthalpy by moving around the cycle and noting that the enthalpy of formation  $\Delta_f H^\circ(\text{NaCl}_2) = \Delta_{\text{sub}}H^\circ(\text{Na}) + \Delta_{\text{dis}}H^\circ(\text{Cl}_2) + I_1(\text{Na}) + I_2(\text{Na}) - \Delta_{\text{cg}}H^\circ(\text{Cl}) - \Delta_{\text{L}}H^\circ(\text{NaCl}_2)$ . The second ionization energy of sodium is  $4562 \text{ kJ mol}^{-1}$  and is responsible for the fact that the compound does not exist as it would result in a large, positive enthalpy of formation.

- E9.6** The relative stability of an oxidation state in which the oxidation number is 2 less than the group number is an example of the inert pair effect. This is a recurring theme in the heavier p-block elements. Beyond Group 15 where we see inert pair effect influencing the favoured +3 oxidation state for elements such as Bi and Sb, we also find stable +5 oxidation states for the halogens in Group 17. Examples include  $\text{BrO}_3^-$  and  $\text{IO}_3^-$ . As a result of this intermediate oxidation state, these compounds can function as both oxidizing and reducing agents. Group 16 elements (except oxygen) also form several stable compounds with +4 oxidation states including  $\text{SF}_4$  and  $\text{SeF}_4$ . The inert pair effect would manifest itself the most for Po, the heaviest member of the Group 16.
- E9.7** Metallic character and ionic radii decrease across a period and down a group. Ionization energy increases across a period and decreases down a group. Large atoms typically have low ionization energies and are more metallic in character.
- E9.8** (a) Be has the higher first ionization energy. Although B is on the right side of Be, boron's characteristic electronic configuration results in a lower first ionization energy than expected (see Section 1.7(b) *Ionization energy*).  
 (b) C has the higher first ionization energy. Recall that the first ionization energy generally decreases going down a group in the periodic table.  
 (c) Mn has the higher first ionization energy. Recall that the first ionization energy generally increases if we move from left to right along a period in the periodic table.
- E9.9** (a) Na is the more electronegative one. Recall that electronegativity decreases down a group in the periodic table (see Section 1.7(d) *Electronegativity*).  
 (b) O is the more electronegative one—after fluorine, oxygen is the most electronegative element; also, with respect to Si, it is located closer to the top right corner where the highest electronegativity is found (i.e., that for fluorine).

- E9.10** Refer to Section 9.8(a) *Hydrides of the elements*:  
 (a) LiH is saline; (b) SiH<sub>4</sub> is molecular; (c) B<sub>2</sub>H<sub>6</sub> is molecular; (d) UH<sub>3</sub> is saline; (e) PdH<sub>x</sub> is metallic hydride.
- E9.11** Refer to Sections 9.8(b) *Oxides of the elements* and 4.4 *Anhydrous oxides*:  
 (a) Na<sub>2</sub>O is basic; (b) P<sub>2</sub>O<sub>5</sub> is acidic; (c) ZnO is amphoteric; (d) SiO<sub>2</sub> is acidic; (e) Al<sub>2</sub>O<sub>3</sub> is amphoteric; (f) MnO is basic.
- E9.12** The covalent character increases with increasing oxidation state of the metal; thus the covalent character is increasing in order CrF<sub>2</sub> < CrF<sub>3</sub> < CrF<sub>6</sub>. Refer to Section 9.8(c) *Halides of the elements*.
- E9.13** (a) Mg, MgCO<sub>3</sub> magnesite; (b) Al, Al<sub>2</sub>O<sub>3</sub> bauxite; (c) Pb, PbS galena; (d) Fe, magnetite Fe<sub>3</sub>O<sub>4</sub>.
- E9.14** The atomic number of P is 15. The Z + 8 element has an atomic number of 23 and is V (vanadium). Both form compounds with varying oxidation states up to a maximum value of +5. Both form stable oxides including ones in +5 oxidation state (V<sub>2</sub>O<sub>5</sub> and P<sub>2</sub>O<sub>5</sub>). Like phosphorus, vanadium forms oxoanions including ortho-, pyro-, and meta-anions. Consult Section 15.5 for analogous phosphorus oxoanions.
- E9.15** What we are looking for are Se–F bond dissociation energies in SeF<sub>4</sub> and SeF<sub>6</sub>. To determine these values we have to use the Born-Haber cycle. Looking first at SeF<sub>6</sub>, we have:



We can break this reaction into three elementary steps:

1.  $\text{Se(s)} \rightarrow \text{Se(g)}; \Delta_a H(\text{Se}) = +227 \text{ kJ/mol}$
2.  $3\text{F}_2(\text{g}) \rightarrow 6\text{F(g)}; \Delta_a H(\text{F}) = +159 \text{ kJ/mol} \times 3$
3.  $\text{Se(g)} + 6\text{F(g)} \rightarrow \text{SeF}_6(\text{g}); \Delta_r H = X$

Note that  $\Delta_a H$  for reaction 2 has to be multiplied by three because we need to atomize (break bonds in) three moles of F<sub>2</sub>(g). Also note that in reaction 3 we form six Se–F bonds and no other physical or chemical transformation takes place. If we sum reactions 1–3 we get our first reaction given above. Thus, we can write:

$\Delta_r H = \Delta_a H(\text{Se}) + 3 \times \Delta_a H(\text{F}) + \Delta_r H$ . Now substitute given values:

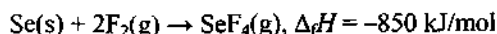
$$-1030 \text{ kJ/mol} = 227 \text{ kJ/mol} + 3 \times 159 \text{ kJ/mol} + X$$

From here:

$$X = -1030 \text{ kJ/mol} - 227 \text{ kJ/mol} - 3 \times 159 \text{ kJ/mol} = -1575 \text{ kJ/mol}$$

Since X gives energy released per six Se–F bonds and we need only one Se–F, we have to divide X by 6, and get –262.5 kJ/mol. Further, we have to change the sign to finally obtain  $B(\text{Se} - \text{F})$  in SeF<sub>6</sub> as 262.5 kJ/mol, because  $B(\text{Se} - \text{F})$  is bond dissociation energy (energy required to break the bond) not bond formation energy (energy released when a bond is formed).

In a similar way we can determine the  $B(\text{Se} - \text{F})$  for SeF<sub>4</sub>.



Elementary steps are:

1.  $\text{Se(s)} \rightarrow \text{Se(g)}; \Delta_a H(\text{Se}) = +227 \text{ kJ/mol}$
2.  $2\text{F}_2(\text{g}) \rightarrow 4\text{F(g)}; \Delta_a H(\text{F}) = +159 \text{ kJ/mol} \times 2$
3.  $\text{Se(g)} + 4\text{F(g)} \rightarrow \text{SeF}_4(\text{g}); \Delta_r H = X$

Note that this time  $\Delta_a H(\text{F})$  is multiplied by 2 and that in reaction 3 four Se–F bonds are formed. We have:

$$-850 \text{ kJ/mol} = 227 \text{ kJ/mol} + 2 \times 159 \text{ kJ/mol} + X$$

## 110 Part 2: The Elements and Their Compounds

And

$$X = -850 \text{ kJ/mol} - 227 \text{ kJ/mol} - 2 \times 159 \text{ kJ/mol} = -1359 \text{ kJ/mol}$$

And the bond dissociation energy  $B(\text{Se} - \text{F})$  in  $\text{SeF}_4$  is  $(-1359 \text{ kJ/mol} \times -1)/4 = 348.7 \text{ kJ/mol}$ .

Comparing the Se-F bond strength in  $\text{SeF}_4$  and S-F bond strength in  $\text{SF}_4$  we see that the Se-F bond is slightly stronger (for about 8 kJ/mol) than the S-F bond. However, the Se-F bonds in  $\text{SeF}_6$  are significantly weaker in comparison to the S-F bonds in  $\text{SF}_6$ . This reflects the general periodic trend according to which the E-X bond decreases in strength on going down the group.

### Guidelines for Selected Tutorial Problems

- T9.4** A good starting reference for this exploration is Eric R. Scerri. (1998). "The Evolution of the Periodic System." *Scientific American*, 279, 78-83 and references provided at the end of this article. The website "The Internet Database of Periodic Tables" ([http://www.meta-synthesis.com/webbook/35\\_pt/pt\\_database.php](http://www.meta-synthesis.com/webbook/35_pt/pt_database.php)) is also useful. From the modern designs (post-Mendeleev), interesting ones to consider are Hinrichs' spiral periodic table, Benfey's oval table, Janet's left-step periodic table, and Dufour's tree.

## Chapter 10 Hydrogen

### Self-Test Exercises

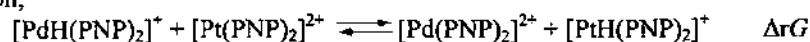
**S10.1** A good guide as to whether a compound  $\text{EH}_4$  will act as a proton donor or hydride donor is provided by the electronegativity difference between H and E. If E is more electronegative than H, cleavage of an E–H bond releases a proton,  $\text{H}^+$ . If E is less electronegative than H, cleavage results in transfer of a hydride,  $\text{H}^-$ . Given the following compounds,  $\text{CH}_4$ ,  $\text{SiH}_4$ , and  $\text{GeH}_4$ , carbon is the only E that is more electronegative than H, thus it would be the strongest Brønsted acid. In other words,  $\text{CH}_4$  would be more likely to release protons than  $\text{SiH}_4$  and  $\text{GeH}_4$ . Ge has the least electronegative E, thus  $\text{GeH}_4$  would be the best hydride donor of the three.

**S10.2** (a)  $\text{Ca(s)} + \text{H}_2(\text{g}) \rightarrow \text{CaH}_2(\text{s})$ . This is the reaction of a reactive s-block metal with hydrogen, which is the way that saline metal hydrides are prepared.

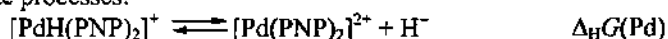
(b)  $\text{NH}_3(\text{g}) + \text{BF}_3(\text{g}) \rightarrow \text{H}_3\text{N-BF}_3(\text{g})$ . This is the reaction of a Lewis base ( $\text{NH}_3$ ) and a Lewis acid ( $\text{BF}_3$ ). The product is a Lewis acid–base complex. (Review Sections 4.6 and 4.7(b)).

(c)  $\text{LiOH(s)} + \text{H}_2(\text{g}) \rightarrow \text{NR}$ . Although dihydrogen can behave as an oxidant (e.g., with Li to form LiH) or as a reductant (e.g., with  $\text{O}_2$  to form  $\text{H}_2\text{O}$ ), it does not behave as a Brønsted or Lewis acid or base. It does not react with strong bases, like LiOH, or with strong acids.

**S10.3** The given reaction,



can be broken into two separate processes:



and



According to Hess' law:

$$\Delta_r G = \Delta_{\text{H}}G(\text{Pd}) + (-\Delta_{\text{H}}G(\text{Pt}))$$

where  $\Delta_r G$  is the Gibbs energy of the total reaction.  $\Delta_r G$  can be calculated from the equilibrium constant that is given and the temperature of 298 K:

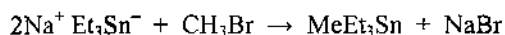
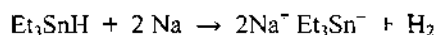
$$\Delta_r G = -2.3RT \log K = -2.3 \times 8.314 \text{ K J}^{-1} \text{ mol}^{-1} \times 298 \text{ K} \times \log(450) = -15.1 \text{ kJ mol}^{-1}$$

From here:

$$\begin{aligned} \Delta_{\text{H}}G(\text{Pd}) &= \Delta_r G - (-\Delta_{\text{H}}G(\text{Pt})) \\ &= -15.1 \text{ kJ mol}^{-1} + 232 \text{ kJ mol}^{-1} \\ \Delta_{\text{H}}G(\text{Pd}) &= 227 \text{ kJ mol}^{-1} \end{aligned}$$

(Note: The value for  $\Delta_{\text{H}}G(\text{Pt})$  has been taken from Example 10.3.)

**S10.4** A possible procedure is as follows:



### End-of-Chapter Exercises

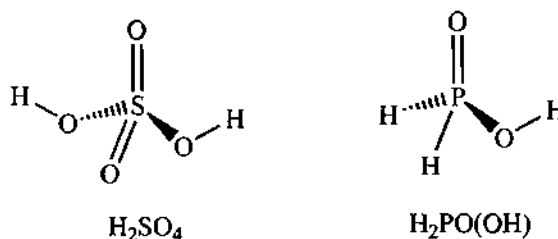
**E10.1** (a) **Hydrogen in Group 1:** Hydrogen has one valence electron like the group 1 metals and is stable as  $\text{H}^+$ , especially in aqueous media. The other group 1 metals have one valence electron and are stable as  $\text{M}^+$  cations in solution and in the solid state as simple ionic salts. In most periodic charts, hydrogen is generally put with this group, given the above information.

(b) **Hydrogen in Group 17:** Hydrogen can fill its 1s orbital and make a hydride  $\text{H}^-$ . Hydrides are isoelectronic with He, a noble gas configuration, thus are relatively stable. Group 1 and Group 2 metals, as well as transition

metals, stabilize hydrides. The halogens form stable  $X^-$  anions, obtaining a noble gas configuration, both in solution and in the solid state as simple ionic salts. Some periodic charts put hydrogen both in Group 1 and in Group 17 for the reasons stated above. The halogens are diatomic gases just like hydrogen, so physically hydrogen would fit well in Group 17.

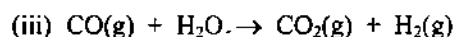
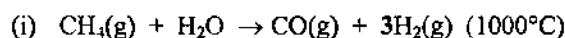
**(c) Hydrogen in Group 14:** All elements in Group 14, however, have four valence electrons and thus are half way to obtaining the octet of a corresponding noble gas (i.e., neon for carbon, Ar for Si etc.). Hydrogen has only one electron and thus is half way toward obtaining a stable electronic configuration of its corresponding noble gas, He. Looking at the physical properties, the addition of hydrogen to Group 14 would add a gaseous non-metal to the group producing a gradual change of the properties to non-metallic (but solid) carbon, then somewhat more metallic solid silicon all the way to purely metallic lead. However, none of these reasons are compelling enough to warrant placing hydrogen in Group 14.

- E10.2** (a)  $H_2S$ : When hydrogen is less electronegative than the other element in a binary compound (H is 2.20, S is 2.58; see Table 1.7), its oxidation number is +1. Therefore, the oxidation number of sulfur in hydrogen sulfide (sulfane) is -2.
- (b)  $KH$ : In this case, hydrogen (2.20) is more electronegative than potassium (0.82), so its oxidation number is -1. Therefore, the oxidation number of potassium in potassium hydride is +1.
- (c)  $[ReH_9]^{2-}$ : The electronegativity of rhenium is not given in Table 1.7. However, since it is a metal (a member of the d-block), it is reasonable to conclude that it is less electronegative than hydrogen. Therefore, if hydrogen is -1 and taking into account the overall 2- charge of this species, then the rhenium atom in the  $[ReH_9]^{2-}$  ion has an oxidation number of +7.
- (d)  $H_2SO_4$ : The structure of sulfuric acid is shown below. Since the hydrogen atoms are bound to very electronegative oxygen atoms, their oxidation number is +1. Furthermore, since oxygen is always assigned an oxidation number of -2 (except for  $O_2$  and peroxides, as well as relatively rare superoxides and ozonides), sulfur has an oxidation number of +6.



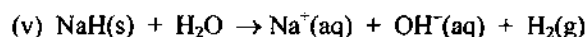
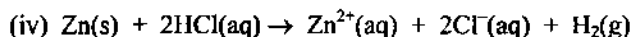
**(e)  $H_2PO(OH)$ :** The structure of hypophosphorous acid (also called phosphinic acid) is shown above. There are two types of hydrogen atoms. The one that is bonded to an oxygen atom has an oxidation number of +1. The two that are bonded to the phosphorus atom present a problem because phosphorus (2.19) and hydrogen (2.20) have nearly equal electronegativities. Considering that P atom is less electronegative than H atom (although not for very much) the two hydrogen atoms have an oxidation number of +1, and oxygen, as above, is assigned an oxidation number of -2, then the phosphorus atom in  $H_2PO(OH)$  has an oxidation number of +1.

- E10.3** As discussed in Section 10.4 *Production of dihydrogen* the three industrial methods of preparing  $H_2$  are (i) steam (or hydrocarbon) reforming, (ii) coal gasification, and (iii) the water-gas shift reaction (also called the water-gas shift reaction). The balanced equations are:



Note that in the countries where electricity is cheap, the electrolysis of water may be an important process for the production of  $H_2$  gas.

These large-scale reactions are not very convenient for the preparation of small quantities of hydrogen in the laboratory. Instead, (iv) treatment of an acid with an active metal (such as zinc) or (v) treatment of a metal hydride with water would be suitable. The balanced equations are:



**E10.4 (a) Position in the periodic table:** Your result should look like Figure 10.2.

**(b) Trends in  $\Delta_f G^\circ$ :** Good guiding principles to keep in mind here are the differences in electronegativity and atomic and ionic sizes. You can consult Figure 10.3 that shows E–H bond energies as well. Your result should reflect the data shown in Table 10.1.

**(c) Different molecular hydrides:** Molecular hydrides are found in Groups 13 through 17. Those in Group 13 are electron-deficient, those in Group 14 are electron-precise, and those in Groups 15 through 17 are electron-rich.

**E10.5** If water did not have hydrogen bonds, it most likely would be a gas at room temperature like its heavier homologues  $\text{H}_2\text{S}$ ,  $\text{H}_2\text{Se}$ , and  $\text{H}_2\text{Te}$ ; see Figure 10.6. Extrapolating the boiling point values, we can estimate a boiling point of about  $-50^\circ\text{C}$  or below for  $\text{H}_2\text{O}$  without H-bonding. Also, most pure compounds are denser as a solid than as a liquid. Because of hydrogen bonding, water is actually less dense as a solid and has the structure shown in Figure 10.7. This is why ice floats. If there were no hydrogen bonds, it would be expected that ice would be denser than water. Consult Section 10.6(a)(iii) *Hydrogen bonding* and Figure 10.7 if you need to review this material.

**E10.6** Since S is less electronegative than O, the partial positive charge on the H in O–H is higher than that on the H atom in S–H; therefore, S–H $\cdots$ O has a weaker hydrogen bond than O–H $\cdots$ S because the electrostatic interaction between the more positive H in  $\text{H}_2\text{O}$  and a lone electron pair on S is stronger.

**E10.7 (a)  $\text{BaH}_2$ :** This compound is named barium hydride. It is a saline hydride.

**(b)  $\text{SiH}_4$ :** This compound is named silane. It is an electron-precise molecular hydride.

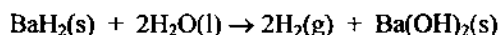
**(c)  $\text{NH}_3$ :** This familiar compound is known by its common name, ammonia, rather than by the systematic names azane or nitrene. Ammonia is an electron-rich molecular hydride.

**(d)  $\text{AsH}_3$ :** This compound is generally known by its common name, arsine, rather than by its systematic name, arsane. It is also an electron-rich molecular hydride.

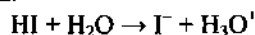
**(e)  $\text{PdH}_{0.9}$ :** This compound is named palladium hydride. It is a metallic hydride.

**(f) HI:** This compound is known by its common name, hydrogen iodide, rather than by its systematic name, iodane. It is an electron-rich molecular hydride.

**E10.8 (a) Hydridic character:** Barium hydride from Exercise 10.7 is a good example because it reacts with proton sources such as  $\text{H}_2\text{O}$  to form  $\text{H}_2$ :



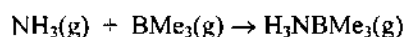
**(b) Brønsted acidity:** Hydrogen iodide is a good example because it transfers its proton to a variety of bases, and in water is behaving as a strong Brønsted acid:



**(c) Variable composition:** The compound  $\text{PdH}_{0.9}$  is a good example. Generally, we can expect hydrides of heavier d-block and f-block elements to display variable composition.



(d) **Lewis basicity:** Ammonia is a good example because it forms acid–base complexes with a variety of Lewis acids, including  $\text{BMe}_3$ :



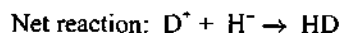
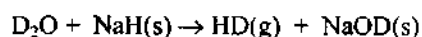
Note that  $\text{AsH}_3$  could also behave as a Lewis base (As and N are both in Group 15 and both  $\text{AsH}_3$  and  $\text{NH}_3$  are electron-rich hydrides), however  $\text{NH}_3$  is a better Lewis base.

**E10.9** Of the compounds listed in Exercise 10.7,  $\text{BaH}_2$  and  $\text{PdH}_{0.9}$  are solids; none is a liquid; and  $\text{SiH}_4$ ,  $\text{NH}_3$ ,  $\text{AsH}_3$ , and  $\text{HI}$  are gases (see Figure 10.6). Only  $\text{PdH}_{0.9}$  is likely to be a good electrical conductor.

**E10.10** Recall from Sections 1.7 and 3.10(a) that the size of an ion is not really a fixed value; rather it depends largely on the size of the hole the ion in question fills; in a larger hole the ion will appear bigger than in the smaller one. We have also to recall periodic trends in cation variation. All hydrides of the Group 1 metals have the rock-salt structure (see Section 10.6(b) *Saline hydrides*). This means that in all Group 1 hydrides  $\text{H}^-$  has a coordination number 6 and is surrounded by cations in an octahedral geometry. In other words,  $\text{H}^-$  occupies an octahedral hole within the face-centred cubic lattice of  $\text{M}^+$  cations. The sizes of cations increase down the group (i.e.,  $r(\text{Li}^+) < r(\text{Na}^+) < r(\text{K}^+) < r(\text{Cs}^+)$ ); as a consequence both the sizes of octahedral holes and the apparent radius of  $\text{H}^-$  will increase in the same direction.

If we look at the Group 2 hydrides, we'll note that there is no clear trend as in the case of Group 1. The reason for this is that the structures here are different; whereas  $\text{CaH}_2$  and  $\text{BaH}_2$  adopt the fluorite structure,  $\text{MgH}_2$  has a rutile structure. In the case of  $\text{CaH}_2$  and  $\text{BaH}_2$ , the tetrahedral hole in which  $\text{H}^-$  resides is increasing in size from  $\text{CaH}_2$  to  $\text{BaH}_2$  and so is the  $\text{H}^-$  radius. In the case of  $\text{MgH}_2$ , the  $\text{H}^-$  is bonded to three Mg in a trigonal planar arrangement. We can compare briefly the  $\text{H}^-$  radii in  $\text{KH}$  and  $\text{CaH}_2$ . Since  $r(\text{K}^+)$  is larger than  $r(\text{Ca}^{2+})$ , and  $\text{H}^-$  lowers its coordination from octahedral (in  $\text{KH}$ ) to tetrahedral (in  $\text{CaH}_2$ ), the  $\text{H}^-$  radius drops significantly.

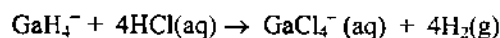
**E10.11** Reactions (a) and (c) both involve the production of both H and D atoms at the surface of a metal. The recombination of these atoms will give a statistical distribution of  $\text{H}_2$  (25%),  $\text{HD}$  (50%), and  $\text{D}_2$  (25%). However, reaction (b) involves a source of protons that is 100%  $^2\text{H}^+$  (i.e.,  $\text{D}^+$ ) and a source of hydride ions that is 100%  $^1\text{H}^-$ :



Thus, reaction (b) will produce 100%  $\text{HD}$  and no  $\text{H}_2$  or  $\text{D}_2$ .

**E10.12** Of the compounds  $\text{H}_2\text{O}$ ,  $\text{NH}_3$ ,  $(\text{CH}_3)_3\text{SiH}$ , and  $(\text{CH}_3)_3\text{SnH}$ , the tin compound is the most likely to undergo radical reactions with alkyl halides. This is because the  $\text{Sn-H}$  bond in  $(\text{CH}_3)_3\text{SnH}$  is weaker than either  $\text{O-H}$ ,  $\text{N-H}$ , or  $\text{Si-H}$  bonds. The formation of radicals involves the homolytic cleavage of the bond between the central element and hydrogen, and a weak nonpolar bond undergoes homolysis most readily (see Section 10.6(a)(ii) *Reactions of molecular hydrides*).

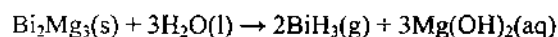
**E10.13** Since Al has the lowest electronegativity of the three elements, B (2.04), Al (1.61), and Ga (1.81, see Table 1.7), the  $\text{Al-H}$  bonds of  $\text{AlH}_4^-$  are more hydridic than the  $\text{B-H}$  bonds of  $\text{BH}_4^-$  or the  $\text{Ga-H}$  bonds of  $\text{GaH}_4^-$ . Therefore, since  $\text{AlH}_4^-$  is more “hydride-like,” it is the strongest reducing agent. The reaction of  $\text{GaH}_4^-$  with aqueous  $\text{HCl}$  is as follows:



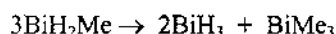
**E10.14** One important difference between period 2 and period 3 hydrogen compounds is their relative stabilities. The period 2 hydrides, except for  $\text{BeH}_2$  and  $\text{B}_2\text{H}_6$ , are all exergonic (see Table 10.1). Their period 3 homologues either are much less exergonic or are endergonic (cf.  $\text{HF}$  and  $\text{HCl}$ , for which  $\Delta_f G^\circ = -273.2$  and  $-95.3$   $\text{kJ mol}^{-1}$ , and  $\text{NH}_3$  and  $\text{PH}_3$ , for which  $\Delta_f G^\circ = -16.5$  and  $+13.4$   $\text{kJ mol}^{-1}$ ). Another important chemical difference is that period 2 compounds tend to be weaker Brønsted acids and stronger Brønsted bases than their period 3 homologues. Diborane,  $\text{B}_2\text{H}_6$ , is a gas whereas  $\text{AlH}_3$  is a solid. Methane,  $\text{CH}_4$ , is inert to oxygen and water, whereas silane,

$\text{SiH}_4$ , reacts vigorously with both. The bond angles in period 2 hydrogen compounds reflect a greater degree of  $\text{sp}^3$ -hybridization than the homologous period 3 compounds (compare the H–O–H and H–N–H bond angles of water and ammonia, which are  $104.5^\circ$  and  $106.6^\circ$ , respectively, with the H–S–H and H–P–H bond angles of hydrogen sulfide and phosphane, which are  $92^\circ$  and  $93.8^\circ$ , respectively). Several period 2 compounds exhibit strong hydrogen bonding, namely, HF,  $\text{H}_2\text{O}$ , and  $\text{NH}_3$ , whereas their period 3 homologues do not (see Figure 10.6). As a consequence of hydrogen bonding, the boiling points of HF,  $\text{H}_2\text{O}$ , and  $\text{NH}_3$  are all higher than their respective period 3 homologues.

- E10.15** As the data in Table 10.1 illustrate, the thermodynamic stability of hydrides decreases down the group. This fact is reflected in the  $\Delta_f H$  values for  $\text{SbH}_3$  and  $\text{BiH}_3$  provided in the problem. As a consequence it is expected that it would be very difficult to prepare a sample of  $\text{BiH}_3$ , even more difficult than  $\text{SbH}_3$ . The direct combination of elements (i.e.,  $\text{Bi} + \text{H}_2$ ) is not a practical approach because the reaction is thermodynamically strongly unfavourable. A good synthetic procedure could be a reaction of  $\text{Bi}_2\text{Mg}_3$  with water:



However, the current method for the synthesis of bismuthine,  $\text{BiH}_3$ , is by the redistribution of methylbismuthine,  $\text{BiH}_2\text{Me}$ .

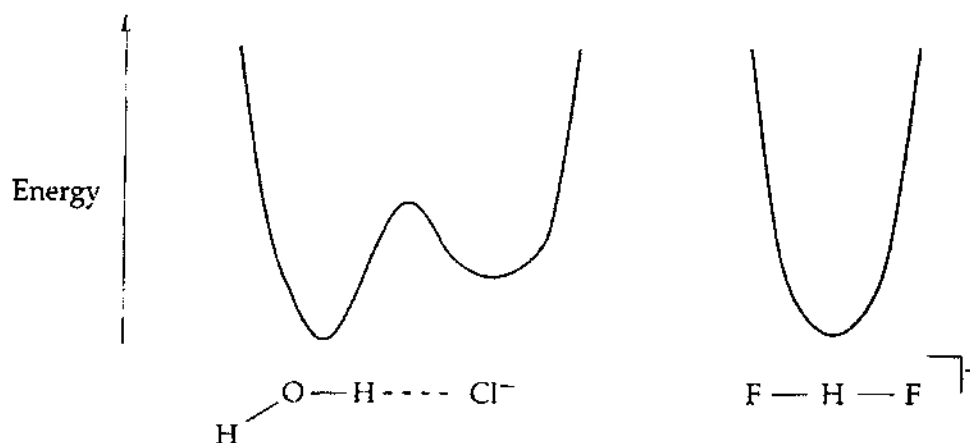


The starting material  $\text{BiH}_2\text{Me}$  can be prepared by the reduction of  $\text{BiCl}_2\text{Me}$  with  $\text{LiAlH}_4$ . The precursor,  $\text{BiH}_2\text{Me}$ , is unstable as well. The difficulty in synthesizing  $\text{BiH}_3$  is because it involves a multi-step process, all of which deal with extremely reactive and unstable compounds.

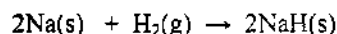
$\text{BiH}_3$  is unstable above  $-45^\circ\text{C}$ , yielding hydrogen gas and elemental bismuth. The original preparation was reported in 1961, but it was not until 2002 that this procedure was repeated and yielded enough  $\text{BiH}_3$  to do spectroscopy on!

- E10.16** The reaction product is called a clathrate hydrate. Clathrate hydrate consists of cages of water molecules found in ice, all hydrogen bonded together, each surrounding a single krypton atom. Strong dipole–dipole forces (hydrogen bonds) hold the cages together, whereas weaker van der Waals forces hold the krypton atoms in the centres of their respective cages.

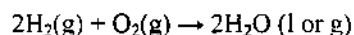
- E10.17** **Potential energy surfaces for hydrogen bonds, see Figure 10.9:** There are two important differences between the potential energy surfaces for the hydrogen bond between  $\text{H}_2\text{O}$  and  $\text{Cl}^-$  ion and for the hydrogen bond in bifluoride ion,  $\text{HF}_2^-$ . The first difference is that the surface for the  $\text{H}_2\text{O}$ ,  $\text{Cl}^-$  system has a double minimum (as do most hydrogen bonds, see the potential energy surface for  $[\text{ClHCl}]^-$  on Figure 10.9) because it is an unsymmetrical H bond, whereas the surface for the bifluoride ion has a single minimum (characteristic of only the symmetrical hydrogen bonds). The second difference is that the surface for the  $\text{H}_2\text{O}$ ,  $\text{Cl}^-$  system is not symmetric because the proton is bonded to two different atoms (oxygen and chlorine), whereas the surface for bifluoride ion is symmetric. The two surfaces are shown below.



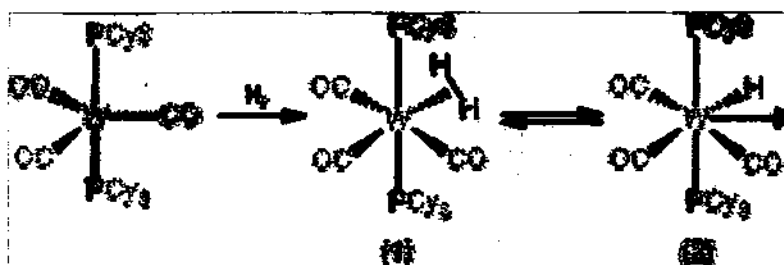
**E10.18** Dihydrogen can behave both as a reducing and oxidising agent because hydrogen can have two oxidation states in its compounds: +1 and -1. When the hydrogen in the product has oxidation state -1, the dihydrogen gas behaves as an oxidising agent. The classic example of  $H_2$  as an oxidizing agent is its reaction with an active s-block metal such as sodium. In the reaction below, elemental sodium gets oxidized, whereas elemental hydrogen gets reduced. Thus  $H_2$  is an oxidizing agent in this case.



When hydrogen has an oxidation state +1 in the final product, dihydrogen behaves as a reducing agent in the reaction. The most common example of  $H_2$  as a reducing agent is its reaction with dioxygen (an oxidising agent) to produce water:



**E10.19** The overall reaction is shown below:



The starting material *trans*-[W(CO)<sub>3</sub>(PCy<sub>3</sub>)<sub>2</sub>] initially adds H<sub>2</sub> molecule to produce a dihydrogen complex *mer,trans*-[W(CO)<sub>3</sub>(H)<sub>2</sub>(PCy<sub>3</sub>)<sub>2</sub>] (1). In this complex tungsten is still formally in oxidation state 0. Complex (1) is in equilibrium with complex (2) which is a seven coordinate dihydride W(II) complex. Note the important difference between dihydrogen and dihydride complexes: dihydrogen complexes contain an H<sub>2</sub> molecule bonded to the metal as a ligand with the electron pair coming from the σ<sub>g</sub> molecular orbital of H<sub>2</sub> molecule and with H-H bond still present. On the other hand, dihydride complexes contain two hydride, H<sup>-</sup>, ligands. Hence, the oxidation state of W in complex (1) is 0 whereas in complex (2) it is +2. The formation of (2) is also an excellent example of *oxidative addition* reactions (a very common type of reaction in organometallic chemistry): the oxidation state of W has increased (i.e., it was oxidised) and the coordination number increased by two (from five in the starting material to seven in (2)); that is, two ligands have been added—overall an *oxidative addition*.

**E10.20** Going statement by statement:

“Hydrogen, the lightest element, forms thermodynamically stable compounds with all of the nonmetals and most metals.”

**Incorrect:** “all of the nonmetals”—recall that some p-block hydrides are not thermodynamically stable (e.g., example HI).

In statement (b), the isotope of mass number 3 is radioactive, not of mass number 2.

“The structures of the hydrides of the Group 1 and 2 elements are typical of ionic compounds because the H<sup>-</sup> ion is compact and has a well-defined radius.”

**Incorrect:** almost everything—not all hydrides of Group 2 are ionic (BeH<sub>2</sub> is covalent and even MgH<sub>2</sub> has a high degree of covalent character); H<sup>-</sup> is not compact (there is no such thing as a compact atom or ion because the electronic clouds in them do not have “edges”) and as a consequence it does not have a well-defined radius.

“The structures of the hydrogen compounds of the nonmetals are adequately described by VSEPR theory.”

**Incorrect:** not all structures can be predicted by VSEPR theory, only those of electron-precise and electron-rich hydrides; this theory cannot explain B<sub>2</sub>H<sub>6</sub>, an electron-poor hydride.

“The compound  $\text{NaBH}_4$  is a versatile reagent because it has greater hydridic character than the simple Group 1 hydrides such as  $\text{NaH}$ .”

**Incorrect:** while  $\text{NaBH}_4$  is a common reagent, it does not have greater hydridic character (hydricity) than a saline hydride such as  $\text{NaH}$ .

“The boron hydrides are called electron-deficient compounds because they are easily reduced by hydrogen.”

**Incorrect:** boron hydrides are electron-deficient because they lack the electrons required to fill the bonding and non-bonding molecular orbitals.

**E10.21** Recall from Chapter 8 that the energy of a molecular vibration is determined by (Equation 8.4a in your textbook):

$$E_v = \left( v + \frac{1}{2} \right) \hbar \omega = \hbar \left( v + \frac{1}{2} \right) \left( \frac{k}{\mu} \right)^{\frac{1}{2}}, \text{ with } \mu_{1\text{H-}^{35}\text{Cl}} = \frac{m_{1\text{H}} m_{^{35}\text{Cl}}}{m_{1\text{H}} + m_{^{35}\text{Cl}}}, \mu_{^3\text{H-}^{35}\text{Cl}} = \frac{m_{^3\text{H}} m_{^{35}\text{Cl}}}{m_{^3\text{H}} + m_{^{35}\text{Cl}}}$$

We can make a few reasonable assumptions that will help us to calculate the expected wavenumber for  $^3\text{H-}^{35}\text{Cl}$  stretch from a known  $^1\text{H-}^{35}\text{Cl}$  stretch. First, we can assume that the force constants,  $k$ , are approximately equal in the two cases. The second approximation is that  $m(^1\text{H}) + m(^{35}\text{Cl}) \approx m(^3\text{H}) + m(^{35}\text{Cl}) \approx m(^{35}\text{Cl})$ . Thus, keeping in mind these assumptions and all constant values, we can show that, after cancelling, the ratio of vibrational energies is:

$$\frac{E_v^{^3\text{H-}^{35}\text{Cl}}}{E_v^{^1\text{H-}^{35}\text{Cl}}} = \frac{\sqrt{\mu_{^1\text{H-}^{35}\text{Cl}}}}{\sqrt{\mu_{^3\text{H-}^{35}\text{Cl}}}} \approx \sqrt{\frac{m_{1\text{H}}}{m_{^3\text{H}}}}$$

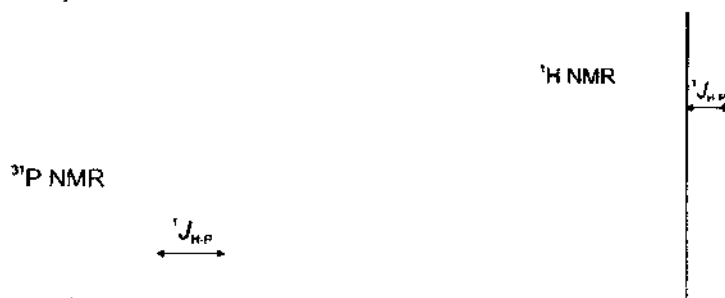
And from the above ratio:

$$E_v^{^3\text{H-}^{35}\text{Cl}} = \frac{E_v^{^1\text{H-}^{35}\text{Cl}}}{\sqrt{m_{^3\text{H}}}} = \frac{E_v^{^1\text{H-}^{35}\text{Cl}}}{\sqrt{3}}$$

Considering that the energies and wavenumber are related through  $E_v = hc\tilde{\nu}$ , we finally have:

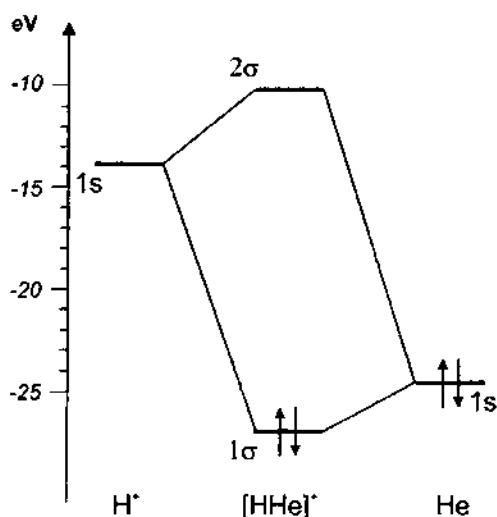
$$\tilde{\nu}^{^3\text{H-}^{35}\text{Cl}} = \frac{\tilde{\nu}^{^1\text{H-}^{35}\text{Cl}}}{\sqrt{3}} = \frac{2991\text{cm}^{-1}}{\sqrt{3}} = 2074\text{cm}^{-1}$$

**E10.22** The two NMR spectra are outlined below:



Recall that both  $^1\text{H}$  and  $^{31}\text{P}$  have a nuclear spin of  $\frac{1}{2}$ . The  $\text{PH}_3$  molecule has one P atom. The resonance for this phosphorus nucleus is split into a quartet with relative intensities of about 1 : 3 : 3 : 1 by three equivalent H atoms (following the splitting formula  $n + 1$  where  $n$  is the number of coupling spin  $\frac{1}{2}$  nuclei). The three equivalent H atoms are appearing as a doublet with relative intensities 1 : 1 due to the coupling to one P nucleus. Note that the coupling constants should be rather large (because it is a one bond coupling) and identical in two spectra.

**E10.23 (a)** The molecular orbital diagram is shown below. The orbital energies provided help us determine relative energies of the two orbitals. The assigned species is a cation. Considering that the 1s atomic orbital of an H atom is higher in energy than the 1s orbital of a He atom, it is reasonable to expect that the electron is going to be removed from the 1s orbital in H atom. The two electrons fill the bonding,  $1\sigma$ , molecular orbital while the antibonding molecular orbital,  $2\sigma$ , remains empty. Thus, the bond order is 1.



(b) Looking at the molecular orbital diagram we can see that the  $1\sigma$  molecular orbital is closer in energy to the 1s orbital of He atom; thus the major contributor to  $1\sigma$  is the 1s He orbital. Similarly we can conclude that the 1s orbital of H is the major contributor to the antibonding  $2\sigma$  molecular orbital. Considering that the common electron pair occupies the  $1\sigma$  molecular orbital, the partial positive charge must be located on the H atom. This can also be deduced by looking at the periodic trends. Although He strictly does not have experimental data for a Pauling electronegativity value, considering its position in the periodic table we can assume that it has a very high electronegativity, significantly higher than H. Thus the  $[\text{H} - \text{He}]^+$  bond should be polarized with a partial negative charge on He and a partial positive charge on H.

(c) Despite its bond order of 1, this molecule cannot be stable. Most common solvents (such as water, alcohols, and alike) would easily deprotonate this species. Other surfaces would also heterolytically cleave this species into  $\text{H}^+$  and He.

## Chapter 11 The Group 1 Elements

### Self-Test Exercises

**S11.1** (a) We would expect the lattice to expand slightly upon heating before it melts at approximately 650 °C. The lattice type of the CsCl structure type is primitive, and the lattice parameter can be calculated by using the ionic radii of Cs<sup>+</sup> and Cl<sup>-</sup> in eightfold coordination (174 and 183 pm, respectively) as 412 pm (from  $2(r_+ + r_-)/3^{1/2}$ ). At 445°C the CsCl structure changes to rock-salt and assumes the face-centred cubic structure type. The new lattice parameter can be calculated as 784 pm (from  $2r_- + 2r_+$ ). The observed major peak in the Bragg pattern would therefore shift to lower two theta values upon heating through the phase transition according to the Bragg relation (Section 8.1).

(b) The ionic radii of Fr<sup>+</sup> and I<sup>-</sup> are 196 pm and 220 pm respectively. We can use  $2(r_+ + r_-)/3^{1/2}$  to calculate the length of the unit cell expected from these radii:

$$d = 2(196 + 220)/3^{1/2} \text{ pm} = 481 \text{ pm}$$

This value is reasonably close to the observed 490 pm, thus the data are consistent with the prediction.

**S11.2** The Kapustinskii equation, given in Section 3.14, is:

$$\Delta H_L^0 = \frac{N_{ion}|z_+z_-|}{d} \left(1 - \frac{d^*}{d}\right) \kappa$$

We can approximate the interionic distances,  $d$ , with the sum of ionic radii for the two compounds in question. Both LiF and CsF have the rock-salt type structure with (6,6) coordination; thus we have to look for radii in this specific coordination environment.

For LiF we have:

$$\begin{aligned} \Delta H_L^0(\text{LiF}) &= \frac{2[(+1) \times (-1)]}{(76 + 133)\text{pm}} \left(1 - \frac{34.5\text{pm}}{(76 + 133)\text{pm}}\right) \times 1.21 \times 10^5 \text{ kJ pm mol}^{-1} = \\ &= 966.8 \text{ kJ mol}^{-1} \end{aligned}$$

For CsF we have

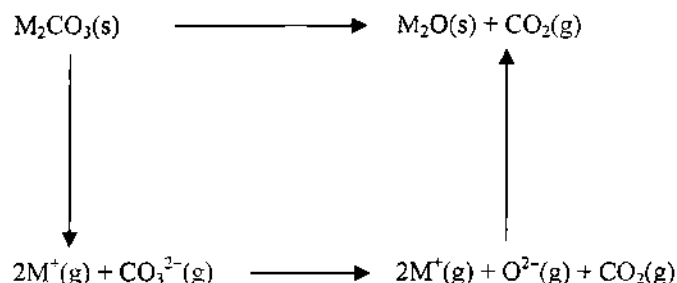
$$\begin{aligned} \Delta H_L^0(\text{CsF}) &= \frac{2[(+1) \times (-1)]}{(167 + 133)\text{pm}} \left(1 - \frac{34.5\text{pm}}{(167 + 133)\text{pm}}\right) \times 1.21 \times 10^5 \text{ kJ pm mol}^{-1} = \\ &= 713.9 \text{ kJ mol}^{-1} \end{aligned}$$

As expected, the lattice enthalpy for LiF is higher than for CsF. LiF is insoluble, because the hydration enthalpy for Li<sup>+</sup> (956 kJ mol<sup>-1</sup>) is insufficient to compensate for the lattice enthalpy of LiF. On the other hand, hydration enthalpy for Cs<sup>+</sup> (710 kJ mol<sup>-1</sup>) is about the lattice enthalpy for CsF, and it is expected that CsF should be more soluble than LiF. Note that both LiF and CsF contain the same anion, F<sup>-</sup>, and that the hydration of this anion should also be taken into account. However, the hydration enthalpy for F<sup>-</sup> is insignificant (particularly when compared to the error produced by the Kapustinskii equation) and constant for both compounds, thus it can be ignored for a qualitative analysis like this one.

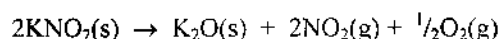
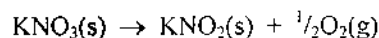
**S11.3** Ozonides decompose to oxygen and superoxides ( $\text{MO}_3(\text{s}) \rightarrow \text{MO}_2(\text{s}) + \frac{1}{2} \text{O}_2(\text{g})$ ). All simple ozonides are known except for Li. We can expect a similar trend for ozonides like the one observed for peroxides and superoxides. For example, going down the group the lattice energies for oxides, peroxides, and superoxides decrease; the difference in lattice energies also decreases down the group. Because of this decrease in the difference, the heavy superoxides have less tendency to decompose. By extension, we can expect that the difference between the ozonide and superoxide lattice energies decreases going down the group; consequently, the stability of ozonides would increase

in the same direction. Thus, we would expect that, on warming,  $\text{NaO}_3$  would decompose first and  $\text{CsO}_3$  last. This indeed is the case:  $\text{NaO}_3$  decomposes at  $37^\circ\text{C}$  while  $\text{CsO}_3$  does so at about  $53^\circ\text{C}$ .

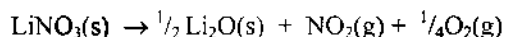
**S11.4** One way to show the thermochemical cycle is shown below:



**S11.5**  $\text{KNO}_3$  has two different decomposition temperatures,  $350^\circ\text{C}$  and  $950^\circ\text{C}$ . These correspond to the following changes in the composition:



Whereas  $\text{LiNO}_3$  decomposes in one step at the temperature of  $600^\circ\text{C}$ :



Both end-products are the binary oxides of lithium and potassium. It is important to remember here that large cations can stabilize large anions whereas small cations can stabilize small anions. Since  $\text{K}^+$  is larger than  $\text{Li}^+$ , the nitrate is more stable in the lattice with  $\text{K}^+$  than with  $\text{Li}^+$ , hence the final decomposition temperature for  $\text{KNO}_3$  is higher. Larger size of  $\text{K}^+$  is also responsible for the stabilization of the nitrite intermediate (without this added stability, we probably would not be able to observe this intermediate). On the side of the products,  $\text{Li}_2\text{O}$  is more stable, has higher lattice energy, than  $\text{K}_2\text{O}$ . (Recall that the lattice energies dictate the oxidation products: Li with  $\text{O}_2$  produces  $\text{Li}_2\text{O}$ , whereas K produces  $\text{KO}_2$  with larger superoxide  $\text{O}_2^-$  anion). Therefore,  $\text{LiNO}_3$  goes straight to  $\text{Li}_2\text{O}$  in one step at lower temperature whereas the decomposition of  $\text{KNO}_3$  requires higher temperature and includes an intermediate.

**S11.6**  $\text{Li}_3\text{N}$  has an unusual crystal structure (Figure 11.11), that consists of two types of layers. The first layer has the composition  $\text{Li}_2\text{N}^-$ , containing six-coordinate  $\text{Li}^+$  centres. The second layer consists only of lithium cations. As a consequence the  $\text{Li}^+$  ions are in two different chemical and magnetic environments. Therefore, one would expect two peaks in the  $^7\text{Li}$  NMR spectrum. However, the lithium ion is highly mobile (as discussed in Section 11.12) and, because there are vacant sites in the structure,  $\text{Li}^+$  can hop from one site to another. So at higher temperatures, all the lithium ions will be fluxional, giving only one averaged resonance in the  $^7\text{Li}$  NMR. At lower temperatures, the structure would freeze, and two resonances due to the two different environments in the structure would be observed.

### End-of-Chapter Exercises

**E11.1** (a) All Group 1 metals have one valence electron in the  $ns^1$  subshell. They also have relatively low first ionization energies; therefore loss of one electron to form a closed-shell electronic configuration is favourable.  
 (b) The Group 1 metals are large, electropositive metals and have little tendency to act as Lewis acids. They also lack empty orbitals to which the ligand lone electron pair could be donated. However, they do complex well with hard Lewis bases, such as oxides, hydroxides, and many other oxygen-containing ligands.

**E11.2** Caesium metal is extracted from silicate minerals, such as pollucite  $\text{Cs}_2\text{Al}_2\text{Si}_4\text{O}_{12} \cdot n\text{H}_2\text{O}$ . The caesium-bearing silicate minerals are digested with sulfuric acid and Cs and Al are precipitated as alum  $\text{Cs}_2\text{SO}_4 \cdot \text{Al}_2(\text{SO}_4)_3 \cdot 24\text{H}_2\text{O}$ . The simple sulfate, obtained after roasting with carbon, is then converted to chloride using anion exchange. The isolated CsCl is then reduced with Ca or Ba.

**E11.3** From the given value for  $r(\text{H}^-)$  and ionic radii for the Group 1 metals (Resource Section 1) we can obtain the following  $\gamma$  values and corresponding structures (recall equation 3.1:  $\gamma = r_{\text{small}}/r_{\text{large}}$ ):

LiH:  $r(\text{Li}^+)/r(\text{H}^-) = (76 \text{ pm})/(146 \text{ pm}) = 0.521$ ; within 0.414 – 0.732 range with stoichiometry 1 : 1, hence **NaCl structure type**;

NaH:  $r(\text{Na}^+)/r(\text{H}^-) = (102 \text{ pm})/(146 \text{ pm}) = 0.699$ ; within 0.414 – 0.732 range with stoichiometry 1 : 1, hence **NaCl structure type**;

KH:  $r(\text{K}^+)/r(\text{H}^-) = (138 \text{ pm})/(146 \text{ pm}) = 0.945$ ; within 0.732 – 1 range with stoichiometry 1 : 1, hence **CsCl structure type**;

RbH:  $r(\text{H}^-)/r(\text{Rb}^+) = (146 \text{ pm})/(148 \text{ pm}) = 0.986$ ; within 0.732 – 1 range with stoichiometry 1 : 1, hence **CsCl structure type**;

CsH:  $r(\text{H}^-)/r(\text{Cs}^+) = (146 \text{ pm})/(167 \text{ pm}) = 0.874$ ; within 0.732 – 1 range with stoichiometry 1 : 1, hence **CsCl structure type**;

FrH:  $r(\text{H}^-)/r(\text{Fr}^+) = (146 \text{ pm})/(196 \text{ pm}) = 0.745$ ; within 0.732 – 1 range with stoichiometry 1 : 1, hence **CsCl structure type**.

Note however, that all hydrides of the Group 1 elements actually adopt NaCl structure type.

**E11.4** The results are shown in the table below. The values have been calculated using Equation 11.1 and the data provided in the tables in the textbook.

	$-\Delta_f H^\ominus / (\text{kJ mol}^{-1})$		$-\Delta_f H^\ominus / (\text{kJ mol}^{-1})$
LiF	625	LiCl	470
NaF	535	NaCl	411
KF	564	KCl	466
RbF	548	RbCl	458
CsF	537	CsCl	456

Your plot should look like a part of Figure 11.6, which plots the enthalpy of formation of the Group 1 metal halides. Fluoride is a hard Lewis base and will form strong complexes with hard Lewis acids. The lithium cation is the hardest Lewis acid of the Group 1 metals, so it makes sense that it has the largest enthalpy of formation with fluoride compared to the rest of the Group 1 metals. However, the trends reverse for the chloride ion; since it is a softer Lewis base than the fluoride ion, it will form stronger bonds with the heavier Group 1 metals.

**E11.5 (a)**  $\text{Edta}^{4-}$  is expected to give a more stable complex with  $\text{Cs}^+$  compared to acetate. In general the Group 1 cations form stable complexes with polydentate ligands like  $\text{edta}^{4-}$ . This ligand has 6 potential donor atoms all of which are hard (four oxygen and two nitrogen donor atoms). On the other hand, acetate has two hard oxygen donor atoms and can act only as a bidentate ligand resulting in a much lower formation constant. The acetate complex is further destabilized due to acetate's small bite angle—the four-member chelating ring formed with relatively large  $\text{Cs}^+$  would be rather unstable.

**(b)**  $\text{K}^+$  is more likely to form a complex with the cryptate ligand C2.2.2 than  $\text{Li}^+$ . The difference has to do with the match between the interior size of the cryptate and the ionic radius of the alkali metal ion. According to Figure 11.4, bigger  $\text{K}^+$  forms a stronger complex, by about two orders of magnitude, with C2.2.2 than does smaller  $\text{Li}^+$ .

**E11.6 (i)** A = LiOH; B =  $\text{Li}_2\text{O}$ ; C = none ( $\text{Li}_2\text{O}$  does not decompose); D =  $\text{LiNH}_2$

**(ii)** A = CsOH; B =  $\text{CsO}_2$ ; C =  $\text{Cs}_2\text{O}$ ; D =  $\text{CsNH}_2$



## 122 Part 2: The Elements and Their Compounds

- E11.7** In LiF and CsI the cation and anion have similar radii. Solubility is lower if cation and anion have similar radii. On the other hand, there is a large difference between radii of cation and anion in CsF and LiI, and these two salts are soluble in water.
- E11.8** It is very likely that FrI would have low solubility in water; similar radii for  $\text{Fr}^+$  and  $\text{I}^-$  (196 pm and 220 pm respectively) would reduce the solubility of this salt. Another possibility is FrBr because  $\text{Fr}^+$  and  $\text{Br}^-$  have almost identical radii.
- E11.9** Hydrides decompose to elements. The MH lattice energy decreases down the group as the radius of cation increases; thus LiH has the highest lattice energy and requires the highest decomposition temperature. Carbonates decompose to oxides. The difference in lattice energy between metal carbonate and metal oxide decreases down the group, which results in increased stability.
- E11.10** Your NaCl structure should look like the one shown in Figure 11.4 and CsCl like the one shown in 11.5.  $\text{Na}^+$  is six-coordinate, whereas  $\text{Cs}^+$  is eight-coordinate. The compounds have different structures because  $\text{Na}^+$  is smaller than  $\text{Cs}^+$  resulting in a different  $r_+/r_-$  for the same anion. Cesium is so large that it can fill a cubic hole formed in simple cubic packing of  $\text{Cl}^-$  ions.
- E11.11** (a) The driving force behind this reaction is the formation of lithium bromide (very large lattice energy and insoluble in organic solvents in which the reaction is performed). The same reasoning applies to reaction (b). For reaction (c), the driving force is the loss of ethane gas and higher acidity of  $\text{C}_6\text{H}_6$  compared to  $\text{C}_2\text{H}_6$ .
- (a)  $\text{CH}_3\text{Br} + \text{Li} \rightarrow \text{Li}(\text{CH}_3) + \text{LiBr}$   
(b)  $\text{MgCl}_2 + \text{LiC}_2\text{H}_5 \rightarrow \text{Mg}(\text{C}_2\text{H}_5)\text{Br} + \text{LiCl}$   
(c)  $\text{C}_2\text{H}_5\text{Li} + \text{C}_6\text{H}_6 \rightarrow \text{LiC}_6\text{H}_5 + \text{C}_2\text{H}_6$

### Guidelines for Selected Tutorial Problems

- T11.1** It would be a good idea to review Section 9.2(d) *Diagonal relationship*. Look at the reasons why diagonal relationships between elements occur within the Periodic Table. Then look for the relevant values of atomic properties for Li and Mg (Chapter 12 or resource sections) and compare and contrast them—you will find significant similarities.
- T11.3** Review Section 11.17 *Organometallic compounds*. Whether a molecule is monomeric or polymeric is based on the steric size of the alkyl group. Less bulky alkyl groups lead to polymerization; methyl groups are tetrameric or hexameric (depending on solvent used), whereas a bulkier <sup>t</sup>Bu group yields tetramers as the largest possible species. The larger aggregates can be broken down into dimers and monomers using strong Lewis bases such as TMEDA. Considering the importance of organolithium reagents, it would be a good idea to do some research beyond the material provided in the textbook. There are many good sources devoted to the organic chemistry of this element, for example, Z.Z. Rappoport (ed.). (2004). *Organolithium Chemistry*. John Wiley & Sons.

## Chapter 12 The Group 2 Elements

### Self-Test Exercises

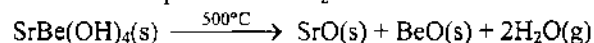
**S12.1** The electronegativities of elements are provided in Table 1.7, and consult the Ketalaa triangle (Fig. 2.38). The Pauling electronegativities for Be, Ba, Cl, and F are 1.57, 0.89, 3.16, and 3.98 respectively. The average electronegativity for  $\text{BeCl}_2$  is  $(1.57+3.16)/2 = 2.36$ , and the electronegativity difference is  $3.16 - 1.57 = 1.59$ . These values on the Ketalaa triangle correspond to the covalent bonding. For  $\text{BaF}_2$  the average electronegativity is  $(3.98+0.89)/2 = 2.43$  and the difference is  $(3.98 - 0.89) = 3.09$ , corresponding to the ionic bond on the Ketalaa triangle.

Considering the bonding type in  $\text{BeCl}_2$  and Lewis acid character of  $\text{Be}^{2+}$ , we can predict that  $\text{BeCl}_2$  will have a polymeric, molecular structure. On the other hand,  $\text{BeF}_2$  with its ionic bonding is very likely to adopt  $\text{CaF}_2$ -type ionic structure.

**S12.2** Since Ca is below Mg and above Ba in Group 2 we should expect, based on the periodic trends, that the difference in lattice enthalpies for CaO and  $\text{CaO}_2$  lies between that of Mg and Ba oxides and peroxides and that the  $\text{CaO}_2$  lattice is less stable than the CaO lattice. Using the Kapustinskii equation (Equation 3.4), the ionic radii from Table 12.1, and the appropriate constants—which are  $\kappa = 1.21 \times 10^5 \text{ kJ pm mol}^{-1}$ ,  $N_{\text{ion}} = 2$ ,  $z_{\text{Ca}}^+ = +2$ ,  $z_{\text{O}}^- = -2$  — the sum of the thermochemical radii,  $d_0$ ,  $140 \text{ pm} + 100 \text{ pm} = 240 \text{ pm}$ , and  $d^* = 34.5 \text{ pm}$ , find the lattice enthalpy of CaO. For calcium peroxide use  $N_{\text{ion}} = 2$ ,  $z_{\text{Ca}}^+ = +2$ ,  $z_{\text{O}_2}^- = -2$ , and  $d_0 = 180 \text{ pm} + 100 \text{ pm} = 280 \text{ pm}$ . The lattice enthalpies of calcium oxide and calcium peroxide are  $3465 \text{ kJ mol}^{-1}$  and  $3040 \text{ kJ mol}^{-1}$ , respectively. The trend that the thermal stability of peroxides decreases down Group 2 and that peroxides are less thermally stable than the oxides is confirmed.

**S12.3** The ionic radius of  $\text{Be}^{2+}$  is 45 pm (consult Resource Section 1 in your textbook) and the ionic radius of  $\text{Se}^{2-}$  is 198 pm. The radius ratio is  $45 \text{ pm}/198 \text{ pm} = 0.23$ , which according to Table 3.6 should be close to ZnS-like structure.

**S12.4** Heating  $\text{BeSO}_4 \cdot 4\text{H}_2\text{O}$ , the product of reaction (i), would likely result in the formation of anhydrous  $\text{BeSO}_4$  with loss of all four water molecules. On the other hand, heating  $\text{SrBe}(\text{OH})_4$ , the product of reaction (ii), would produce SrO and BeO with elimination of two equivalents of  $\text{H}_2\text{O}$ :



**S12.5** Using the Kapustinskii equation (Equation 3.4) and the values of  $\kappa = 1.21 \times 10^5 \text{ kJ pm mol}^{-1}$ ,  $N_{\text{ion}} = 3$ ,  $z_{\text{Mg}}^+ = +2$ ,  $z_{\text{F}}^- = -1$ , the sum of the thermochemical radii,  $d_0$ ,  $133 \text{ pm} + 72 \text{ pm} = 205 \text{ pm}$  and  $d^* = 34.5 \text{ pm}$ , the calculated lattice enthalpy of  $\text{MgF}_2$  is  $2945 \text{ kJ mol}^{-1}$ . Similarly, for  $\text{MgBr}_2$ , using 196 pm as the ionic radius for  $\text{Br}^-$ , we can calculate the lattice enthalpy to be  $2360 \text{ kJ mol}^{-1}$ , whereas for  $\text{MgI}_2$  (with 220 pm as  $\text{I}^-$  radius) we have  $2193 \text{ kJ mol}^{-1}$  as calculated lattice enthalpy.

Comparing the three calculated values, we see that, as expected, the lattice enthalpies decrease with an increase in the ionic radius of the halide anion; we can expect the increase in solubility in the same direction (i.e., from  $\text{MgF}_2$  to  $\text{MgI}_2$ ).

### End-of-Chapter Exercises

**E12.1**  $\text{Be}^{2+}$  has large polarizing power and a high charge density due to its small radius. Also, beryllium has the highest electronegativity among Group 2 elements. Descending Group 2 the atoms of elements increase in size, they are more electropositive (electronegativity drops), and predominantly ionic character of bonds results.

**E12.2** The similarity between Be and Al is arising from their similar atomic and ionic radii (note that the two display diagonal similarity). They also have similar Pauling electronegativities. The similarity between zinc and beryllium

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is less pronounced than between aluminium and beryllium and it lies also in similar radii and the same charge ( $\text{Be}^{2+}$  and  $\text{Zn}^{2+}$ ).

**E12.3** The mean electronegativity for Be and Cs is  $(1.57 + 0.79)/2 = 1.18$ , whereas the electronegativity difference is  $1.57 - 0.79 = 0.78$ . These two values correspond to the point in the metallic bond area.

**E12.4**  $\text{Ba} + 2\text{H}_2\text{O} \rightarrow \text{Ba}(\text{OH})_2 + \text{H}_2$ ;                      **A** =  $\text{Ba}(\text{OH})_2$

$\text{Ba}(\text{OH})_2 + \text{CO}_2 \rightarrow \text{BaCO}_3$ ;                                      **B** =  $\text{BaCO}_3$

$2\text{BaCO}_3 + 5\text{C} \rightarrow 2\text{BaC}_2 + 3\text{CO}_2$ ;                              **C** =  $\text{BaC}_2$

$\text{BaC}_2 + 2\text{H}_2\text{O} \rightarrow \text{Ba}(\text{OH})_2 (= \text{compound A}) + \text{C}_2\text{H}_2$

$\text{Ba}(\text{OH})_2 + 2\text{HCl} \rightarrow \text{BaCl}_2 + 2\text{H}_2\text{O}$ ;                      **D** =  $\text{BaCl}_2$

**E12.5** Unlike the other alkaline earth metal fluorides,  $\text{MF}_2$  ( $M = \text{Mg}, \text{Ca}, \text{Sr}, \text{Ba}$ ) which crystallises with  $\text{CaF}_2$ -like structure,  $\text{BeF}_2$  adopts  $\text{SiO}_2$ -like arrangement. As with  $\text{SiO}_2$ , which forms vitreous matter when melted because of the strength of the Si-O bonds ( $460 \text{ kJ mol}^{-1}$ ) that are not fully broken in the vitreous phase,  $\text{BeF}_2$ , with strong B-F bonds ( $\sim 600 \text{ kJ mol}^{-1}$ ) also forms a glass (a disordered arrangement of molecular fragments) when cooled.

**E12.6** The weight percents of hydrogen in  $\text{BeH}_2$  and  $\text{MgH}_2$  are:

$$\omega(\text{H})_{\text{BeH}_2} = \frac{2 \times M(\text{H})}{M(\text{BeH}_2)} \times 100\% = \frac{2 \times 1}{9.01 + 2 \times 1} \times 100\% = 18.2\%$$

$$\omega(\text{H})_{\text{MgH}_2} = \frac{2 \times M(\text{H})}{M(\text{MgH}_2)} \times 100\% = \frac{2 \times 1}{24.3 + 2 \times 1} \times 100\% = 7.6\%$$

Although  $\text{BeH}_2$  has a higher percentage of H in its composition, it is not investigated as a possible hydrogen storage material because  $\text{BeH}_2$  cannot be prepared directly from the elements (unlike  $\text{MgH}_2$ ) but rather from alkylberyllium compounds—the fact that complicates its potential use.

**E12.7** The hydroxides of Group 1 metals have higher solubilities in water; in fact, they all are strong bases completely dissociating in water. In contrast,  $\text{Be}(\text{OH})_2$  is amphoteric;  $\text{Mg}(\text{OH})_2$  is weakly soluble in water; and  $\text{Ca}(\text{OH})_2$ , while being more soluble than  $\text{Mg}(\text{OH})_2$ , still cannot compare to any Group 1 hydroxide. The increase in  $\text{OH}^-$  concentration, due to higher solubility, increases the corrosiveness of Group 1 hydroxides. Only  $\text{Sr}(\text{OH})_2$  and  $\text{Ba}(\text{OH})_2$  match Group 1 hydroxides in their solubility and thus basicity.

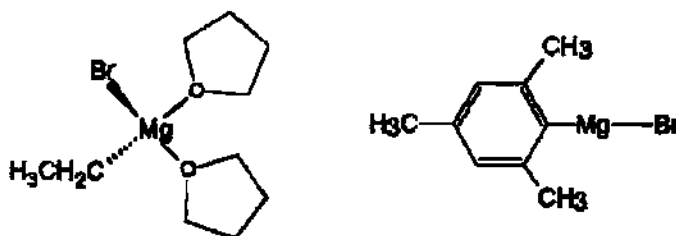
**E12.8** Recall from Chapter 3 that the closer cation and anion are in size, the lower the solubility. Since  $\text{Mg}^{2+}$  has a higher ionic radius than  $\text{Ba}^{2+}$ ,  $\text{MgSeO}_4$  is expected to have higher solubility in water than  $\text{BaSeO}_4$  (Table 3.10 lists thermochemical radius for  $\text{SeO}_4^{2-}$  to be 243 pm, whereas  $\text{Mg}^{2+}$  and  $\text{Ba}^{2+}$  radii are 72 pm and 135 respectively).

**E12.9**  $\text{Ra}^{2+}$  could be selectively precipitated by addition of a large anion. Large anions, such as  $\text{IO}_4^-$  (249 pm) or  $\text{TeO}_4^{2-}$  (254 pm), could form insoluble salts with  $\text{Ra}^{2+}$  (170 pm).

**E12.10** Anhydrous Mg and Ca sulphates are preferred as drying agents over the other alkaline earth sulphates. This is because of the higher affinity of Mg and Ca sulphates for water compared to the other alkaline earth sulphates, which are nearly insoluble in water. It may be interesting to note here that  $\text{BeSO}_4$ , although expected to be more hydrophilic, it is not considered as a desiccant because of its higher cost and toxicity. Anhydrous calcium chloride is also a useful drying agent, it is very hygroscopic due to the high hydration energy of  $\text{Ca}^{2+}$ .

**E12.11** The ionic radius of  $\text{Be}^{2+}$  is 45 pm (Resource Section 1) and the ionic radius of  $\text{Te}^{2-}$  is 207 pm. The radius ratio is  $45 \text{ pm}/207 \text{ pm} = 0.22$ . According to Table 3.6, this should be close to ZnS-like structure. The ionic radius of  $\text{Ba}^{2+}$  is 135 pm and the radius ratio is  $135 \text{ pm}/207 \text{ pm} = 0.65$ , and  $\text{BaTe}$  should have NaCl-like structure.

- E12.12** The Pauling electronegativity values of Be, Mg, Ba, and Br are 1.57, 1.31, 0.89, and 2.96 respectively. The average electronegativity of  $\text{BeBr}_2$  is therefore 2.27 and the difference is 1.39. The values on the Ketelaar triangle indicate that  $\text{BeBr}_2$  should be covalent. The average electronegativity of  $\text{MgBr}_2$  is 2.13 and the difference is 1.65. The values on the Ketelaar triangle indicate that  $\text{MgBr}_2$  should be ionic. The average electronegativity of  $\text{BaBr}_2$  is therefore 1.93 and the difference is 2.07. The values on the Ketelaar triangle indicate that  $\text{BaBr}_2$  should be ionic.
- E12.13** In solution,  $\text{C}_2\text{H}_5\text{MgBr}$  will be tetrahedral with two molecules of solvent coordinated to  $\text{Mg}^{2+}$ . The bulky organic group in  $2,4,6\text{-(CH}_3)_3\text{C}_6\text{H}_2\text{MgBr}$  leads to a coordination number of two:



- E12.14** (a) The products depend on stoichiometry chosen:  
 $\text{MgCl}_2 + \text{LiC}_2\text{H}_5 \rightarrow \text{LiCl} + (\text{C}_2\text{H}_5)\text{MgCl}$   
 or  
 $\text{MgCl}_2 + 2\text{LiC}_2\text{H}_5 \rightarrow 2\text{LiCl} + \text{Mg}(\text{C}_2\text{H}_5)_2$   
 (b)  $\text{Mg} + (\text{C}_2\text{H}_5)_2\text{Hg} \rightarrow \text{Mg}(\text{C}_2\text{H}_5)_2 + \text{Hg}$   
 (c)  $\text{Mg} + \text{C}_2\text{H}_5\text{HgCl} \rightarrow \text{C}_2\text{H}_5\text{MgCl} + \text{Hg}$

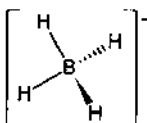
### Gudilenies for Selected Tutrial Problems

- T12.3**  $\text{BeF}_2$  is in many ways similar to  $\text{SiO}_2$ . A good starting point for the discussion of  $\text{BeF}_2$  glasses is structural and chemical similarity between  $\text{BeF}_2$  and  $\text{SiO}_2$ . A good reading on the topic is Greenwood and Earnshaw. (1997). *Chemistry of the Elements*, 2nd ed. Elsevier (Chapter 5).
- T12.7** When discussing these structures, it is useful to consider simple properties, such as ionic radii of  $\text{Be}^{2+}$ ,  $\text{Al}^{3+}$ ,  $\text{Si}^{4+}$  and  $\text{P}^{5+}$  for coordination number 4. If these are not similar to each other, then there is limited possibility for exchange (i.e., formation of berylllophosphates). There is an abundance of information on alumosilicates, including your textbook. For specific minerals, a good starting point is [www.webmineral.com](http://www.webmineral.com) website, a trusted source on mineral data, which can be searched by element. A well-characterized berylllophosphate mineral is pahasapaite, with zeolite-like framework composed of  $\text{BeO}_4$  and  $\text{PO}_4$  tetrahedra. This structure is also a good starting point for comparison between berylllophosphates and alumosilicates.

## Chapter 13 The Group 13 Elements

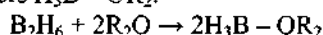
### Self-Test Exercises

S13.1 VSEPR theory predicts that a species with four bonding pairs of electrons should be tetrahedral.

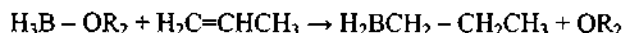


All protons are in equal environment and without coupling to the NMR active  $^{11}\text{B}$  nucleus would produce only a singlet. However, coupling to one  $^{11}\text{B}$  nucleus splits this singlet in  $2nI + 1$  lines or  $2 \times 1 \times 3/2 + 1 = 4$  lines. Due to this coupling a quartet is produced with four lines of equal intensity (1 : 1 : 1 : 1).

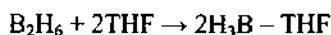
S13.2 Look first at the reaction between  $\text{B}_2\text{H}_6$  and propene ( $\text{CH}_3\text{CH}=\text{CH}_2$ ) in ether.  $\text{B}_2\text{H}_6$  is a dimer which can easily be cleaved. Since the solvent is ether, the first reaction would involve the cleavage of  $\text{B}_2\text{H}_6$  with  $\text{R}_2\text{O}$  (ether molecules) to produce symmetric monomers  $\text{H}_3\text{B} - \text{OR}_2$ :



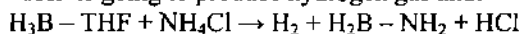
In the presence of propene, and with heating, the monomer is going to add across  $\text{C}=\text{C}$  bond (hydroboration reaction):



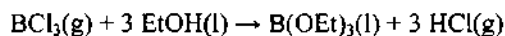
In the second reaction, between  $\text{B}_2\text{H}_6$  and  $\text{NH}_4\text{Cl}$ , THF solvent is also ether. So the first step is the same like above with  $\text{OR}_2$  replaced with THF:



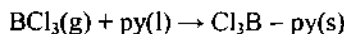
$\text{NH}_4\text{Cl}$  contains a protic (acidic) hydride cation ( $\text{NH}_4^+$ ), whereas  $\text{H}_3\text{B} - \text{THF}$  is a hydridic hydride. Thus the reaction between  $\text{NH}_4^+$  and  $\text{H}_3\text{B} - \text{THF}$  is going to produce hydrogen gas and:



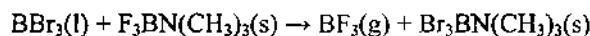
S13.3 (a)  **$\text{BCl}_3$  and ethanol:** As mentioned in the example, boron trichloride is vigorously hydrolyzed by water. Therefore, a good assumption is that it will also react with protic solvents such as alcohols, forming  $\text{HCl}$  and  $\text{B}-\text{O}$  bonds:



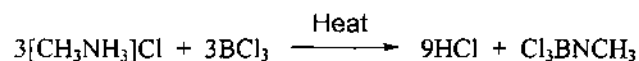
(b)  **$\text{BCl}_3$  and pyridine in hydrocarbon solution:** Neither pyridine nor hydrocarbons can cause the protolysis of the  $\text{B}-\text{Cl}$  bonds of boron trichloride, so the only reaction that will occur is a complex formation reaction, such as the one shown below. Note that pyridine with a lone electron pair on  $\text{N}$  atom is a good Lewis base, whereas hydrocarbons with no lone electron pairs are very weak Lewis bases. Thus, pyridine, and not hydrocarbon, is going to react with  $\text{BCl}_3$  as Lewis acid:



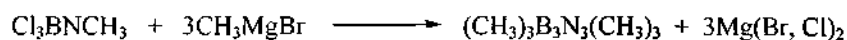
(c)  **$\text{BBr}_3$  and  $\text{F}_3\text{BN}(\text{CH}_3)_3$ :** Since boron tribromide is a stronger Lewis acid than boron trifluoride, it will displace  $\text{BF}_3$  from its complex with  $\text{N}(\text{CH}_3)_3$ :



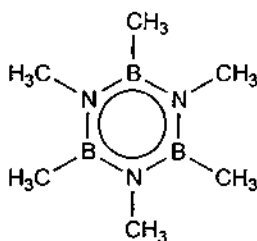
S13.4  $N,N',N''$ -trimethyl- $B,B',B''$ -trimethylborazine is hexamethylborazine. The reaction of ammonium chloride with boron trichloride yields  $B,B',B''$ -trichloroborazine, whereas the reaction of a primary ammonium chloride with boron trichloride yields  $N$ -alkyl substituted  $B,B',B''$ -trichloroborazine, as shown below:



Therefore, if you use methylammonium chloride you will produce  $\text{Cl}_3\text{BN}(\text{CH}_3)_3$  (i.e.,  $\text{R} = \text{CH}_3$ ). This product can be converted to the desired one by treating it with an organometallic methyl compound of a metal that is more electropositive than boron. Either methyllithium or methymagnesium bromide could be used, as shown below:

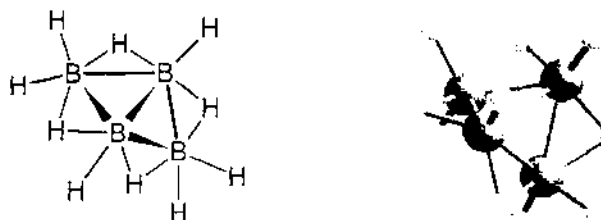


The structure of *N,N',N''*-trimethyl-*B,B',B''*-trimethylborazine:

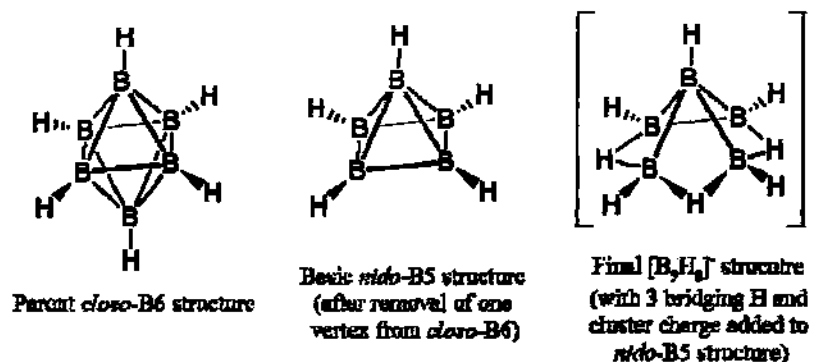


- S13.5** (a) The formula  $\text{B}_4\text{H}_{10}$  belongs to a class of borohydrides having the formula  $\text{B}_n\text{H}_{n+6}$ , which is characteristic of a *arachno* species. Assume one B–H bond per B atom, there are 4 BH units, which contribute  $4 \times 2 = 8$  electrons, and the six additional H atoms, which contribute a further 6 electrons, giving 14 electrons, or seven electron pairs per cluster structure, which is  $n+3$  with  $n = 4$ ; this is characteristic of *arachno* clusters. The resulting seven pairs are distributed—two are used for the additional terminal B–H bonds, four are used for the four BHB bridges, and one is used for the central B–B bond.

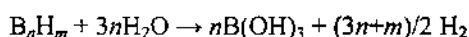
The structure of  $\text{B}_4\text{H}_{10}$ :



- (b)  $[\text{B}_5\text{H}_8]^-$  has 5 B–H units contributing  $5 \times 2 = 10$  electrons to the skeleton. There are three additional H atoms; each contributes one electron, for a total of three electrons. Finally, there is one negative charge on the cluster providing an additional electron. In total there are  $10 \div 3 + 1 = 14$  skeletal electrons or seven skeletal electron pairs. This gives  $n + 2$  (for  $n = 5$ ) and a *nido* structure type. The structure is based on octahedron with one missing vertex:



S13.6 General equation for hydrolysis of borohydrides is:

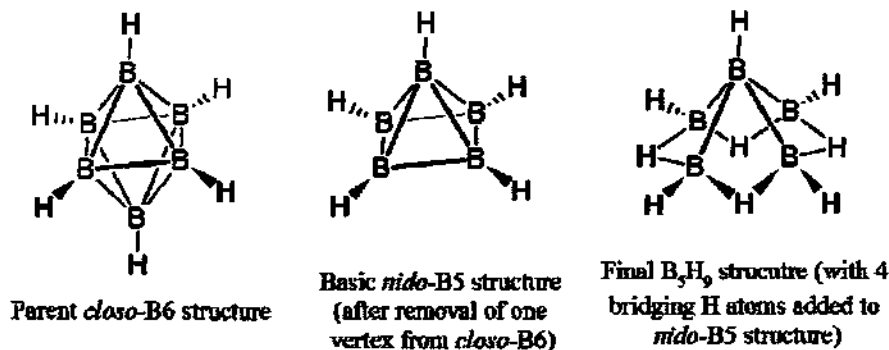


In our case, five moles of  $B(OH)_3$  have been produced, meaning that  $n$  in above equation is 5. From this value and the fact that 12 moles of  $H_2$  have been liberated, we can find  $m$ :

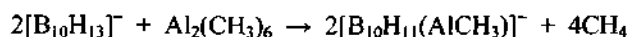
$$(3n+m)/2 = 12, \text{ hence } 3 \times 5 + m = 12 \times 2, \text{ and } m = 9$$

thus the formula is  $B_5H_9$ .

This borohydride has 14 skeletal electrons (10 from five BH units, and four from additional four H atoms) or seven electron pairs. This means the cluster is *nido* and is based on *closo*-B6 octahedral cage:

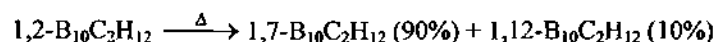


S13.7 By analogy with the reaction of  $[B_{11}H_{13}]^{2-}$  with  $Al_2(CH_3)_6$ , the plausible product would be  $[B_{10}H_{11}(AlCH_3)]^-$ , which would be formed as follows:



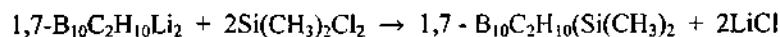
S13.8  $C_2B_4H_6$  has  $(6 \times 2) + 2 = 14$  skeletal electrons or seven skeletal electron pairs. This corresponds to  $n + 1$ , or a *closo* structure (octahedral).

S13.9 You should consider attaching the  $-Si(CH_3)_2Cl$  substituents to the carbon atoms of this carborane using the dilithium derivative 1,7- $B_{10}H_{10}C_2Li_2$ . You can first prepare 1,2- $B_{10}C_2H_{12}$  from decaborane as in the example. Then, this compound is thermally converted to a mixture of the 1,7- and 1,12-isomers, which can be separated by chromatography:



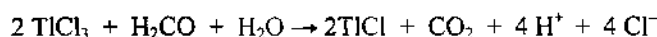
The pure 1,7-isomer is lithiated with RLi and then treated with  $Si(CH_3)_2Cl_2$ :

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**S13.10 (a)  $(\text{CH}_3)_2\text{SAlCl}_3$  and  $\text{GaBr}_3$ :**  $\text{GaBr}_3$  is the softer Lewis acid, so the reaction is  $(\text{Me})_2\text{SAlCl}_3 + \text{GaBr}_3 \rightarrow \text{Me}_2\text{SGaBr}_3 + \text{AlCl}_3$  (Soft Lewis acid migrates from a hard Lewis acid to a soft one).

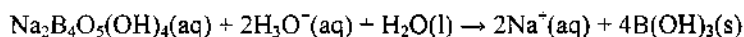
**(b)  $\text{TlCl}_3$  and formaldehyde ( $\text{HCHO}$ ) in acidic aqueous solution:** Thallium trihalides are very unstable and are easily reduced, as shown below:



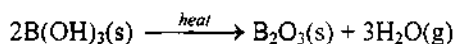
**End-of-Chapter Exercises**

**E13.1 Give a balanced chemical equation and conditions for the recovery of boron:**

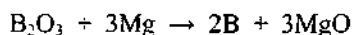
Boron is recovered from the mineral borax,  $\text{Na}_2\text{B}_4\text{O}_7(\text{OH})_4 \cdot 8\text{H}_2\text{O}$ . Borax is hydrolyzed in the presence of a strong acid to boric acid,  $\text{B}(\text{OH})_3$ :



Boric acid precipitates from cold solution. This acid is then converted to  $\text{B}_2\text{O}_3$  under heat:



Finally, the oxide is reacted with magnesium to liberate elemental boron:

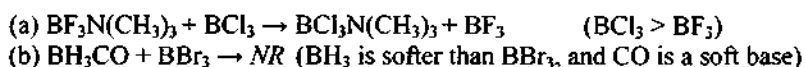


**E13.2 (a)  $\text{BF}_3$ :** Both elements are non-metallic so a polar covalent bond can be expected with a strong  $\pi$  component of the B–F bond.

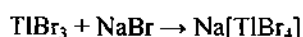
**(b)  $\text{AlCl}_3$ :** In this case ionic bond between metallic Al and non-metallic Cl is predicted (you can confirm this using the Ketalaar triangle and electronegativity values for Al and Cl). In the solid state,  $\text{AlCl}_3$  has a layered structure. At melting point,  $\text{AlCl}_3$  converts to dimeric form,  $\text{Al}_2\text{Cl}_6$ , with 2c, 2e bridging bonds (i.e., electron-precise structure).

**(c)  $\text{B}_2\text{H}_6$ :** Again, two non-metallic elements and covalent bond is expected. Further, structure 1 shows that  $\text{B}_2\text{H}_6$  is an electron-deficient dimer with 3c, 2e bridging bonds.

**E13.3** For a given halogen, the order of acidity for Group 13 halides toward hard Lewis bases like dimethylether or trimethylamine is  $\text{BX}_3 > \text{AlX}_3 > \text{GaX}_3$ , whereas the order toward soft Lewis bases such as dimethylsulfide or trimethylphosphine is  $\text{BX}_3 < \text{AlX}_3 < \text{GaX}_3$ . For boron halides, the order of acidity is  $\text{BF}_3 < \text{BCl}_3 < \text{BBr}_3$ , exactly opposite to the order expected from electronegativity trends. This fact establishes the order of Lewis acidity is  $\text{BCl}_3 > \text{BF}_3 > \text{AlCl}_3$  toward hard Lewis bases:



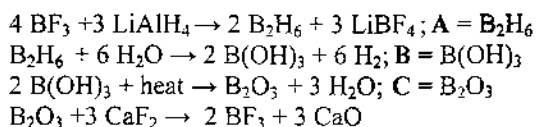
**E13.4** You should start by determining the number of moles for each reactant. The equivalent number of moles (2.5 mmol) is used. You should also recall from the discussion in Section 13.14 that although thallium(III) halides are unstable, they can be stabilized in the presence of excess of halide by the complex formation. Thus,  $\text{NaBr}$  and  $\text{TlBr}_3$  react to make  $\text{Na}[\text{TlBr}_4]$ , which is the formula of A.



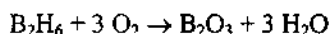
From this formula,  $\text{Na}^+$  as a cation and  $[\text{TlBr}_4]^-$  as the anion are easily recognized.



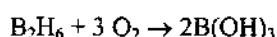
## E13.5



E13.6  $\text{B}_2\text{H}_6$  does not survive in air; instead it reacts spontaneously with the oxygen in air and forms the solid oxide, as shown below:

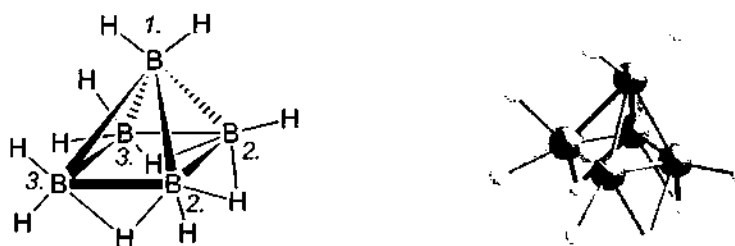


or boric acid:



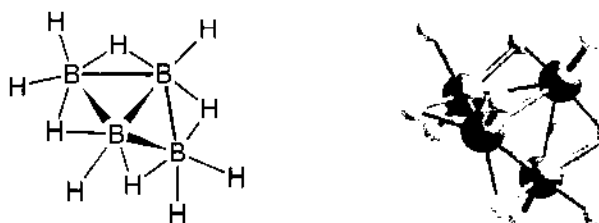
If the air is moist,  $\text{B}_2\text{H}_6$  can react with  $\text{H}_2\text{O(g)}$  as well.

E13.7 (a) The structure of  $\text{B}_5\text{H}_{11}$ :

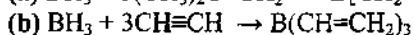
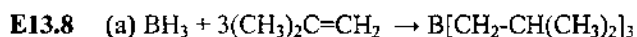


This cluster would have three different environments in the proton-decoupled  $^{11}\text{B-NMR}$ : the apical B atom (marked as 1.), two basal B atoms bonded to two bridging hydrides each (B atoms 2.), and two B atoms bonded to one bridging H each (B atoms 3.).

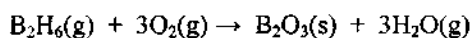
(b) The structure of  $\text{B}_4\text{H}_{10}$ :



Two different boron environments are present in the proton-decoupled  $^{11}\text{B-NMR}$  of this compound: there are two equivalent B atoms in the middle of the structure (bonded to only one terminal H atom) and two B atoms on each side (bonded to two terminal H atoms).



E13.9 Give combustion reaction as:



In the first step, we will calculate the  $\Delta_r H$  using the relationship:

$$\Delta_r H = \sum \Delta_f H_{\text{products}} - \sum \Delta_f H_{\text{reactants}}$$

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The enthalpies of formation of  $B_2H_6$ ,  $H_2O$ , and  $B_2O_3$  are given and the enthalpy of formation for  $O_2$  is zero as per the definition. Thus:

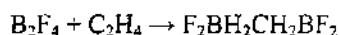
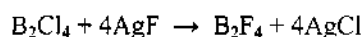
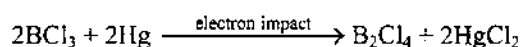
$$\begin{aligned}\Delta_r H &= [3(-242 \text{ kJ mol}^{-1}) + (-1264 \text{ kJ mol}^{-1})] - [31 \text{ kJ mol}^{-1}] \\ &= -2021 \text{ kJ mol}^{-1}\end{aligned}$$

To calculate the heat released, when 1 kg (1000 g) of  $B_2H_6$  is used, we use the following procedure (using 27.62 g/mol as molecular weight of  $B_2H_6$ ):

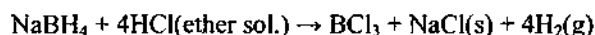
$$\frac{1000 \text{ g}}{27.62 \text{ g mol}^{-1}} \times \left( -2021 \frac{\text{kJ}}{\text{mol}} \right) = -73,172 \text{ kJ}$$

Diborane is extremely toxic. It is an extremely reactive gas and hence should be handled in a special apparatus. Moreover, a serious drawback to using diborane is that the boron-containing product of combustion is a solid,  $B_2O_3$ . If an internal combustion engine is used, the solid will eventually coat the internal surfaces, increasing friction, and will clog the exhaust valves.

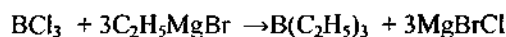
- E13.10** The chelating agent,  $F_2B-C_2H_4-BF_2$ , can be prepared by adding  $B_2F_4$  to ethene. Starting with  $BCl_3$ , the first step is to prepare  $B_2Cl_4$  and then convert it to  $B_2F_4$  with a double replacement reagent such as  $AgF$  or  $HgF_2$ , as follows:



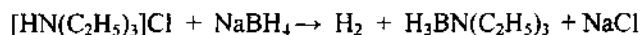
- E13.11** (a)  $NaBH_4$  can be converted to  $BCl_3$  using a solution of  $HCl$  in ether (with hydrogen gas and solid  $NaCl$  as by-products):



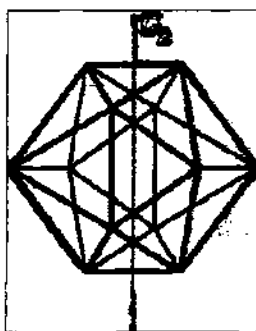
After  $NaCl$  is removed by filtration, the remaining filtrate (which is solution of  $BCl_3$  in ether) is reacted with ethyl Grignard reagent:



(b) Starting from  $NaBH_4$  and  $[HN(C_2H_5)_3]Cl$ , we should expect  $NaCl$ , with its high lattice enthalpy, to be a likely product. If this is the case we shall be left with  $BH_4^-$  and  $[HN(C_2H_5)_3]^+$ . The interaction of the hydridic  $BH_4^-$  ion with the protic  $[HN(C_2H_5)_3]^+$  ion will evolve dihydrogen gas to produce triethylamine and  $BH_3$ . In the absence of other Lewis bases, the  $BH_3$  molecule would coordinate to THF; however, the stronger Lewis base triethylamine is produced in the initial reactions, so the overall reaction will be:



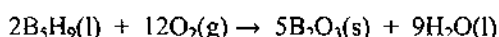
- E13.12**  $C_2$ -Axis viewpoint of  $B_{12}$  is



**E13.13** In general, boron hydrides with more hydrogen atoms are thermally unstable. The compounds  $B_6H_{10}$  and  $B_6H_{12}$  belong to two different classes of boranes,  $B_nH_{n+4}$  and  $B_nH_{n+6}$ , respectively. The first class has less H atoms per boron. In this case,  $n$  is six for both compounds; hence we expect  $B_6H_{10}$  to be stable relative to  $B_6H_{12}$ .

**E13.14** The formula  $B_5H_9$  belongs to a class of borohydrides having the formula  $B_nH_{n+4}$ , which is characteristic of a *nido* species. There are five BH units, which contribute  $5 \times 2 = 10$  electrons (assuming one B–H bond per B atom), and the four additional H atoms, which contribute a further four electrons, giving 14 skeleton electrons in total, or seven skeleton electron pairs, which is  $n+2$  with  $n = 5$ . This is characteristic of *nido* clusters.

**E13.15** (a) The balanced chemical equation for the air oxidation of pentaborane (9) is:



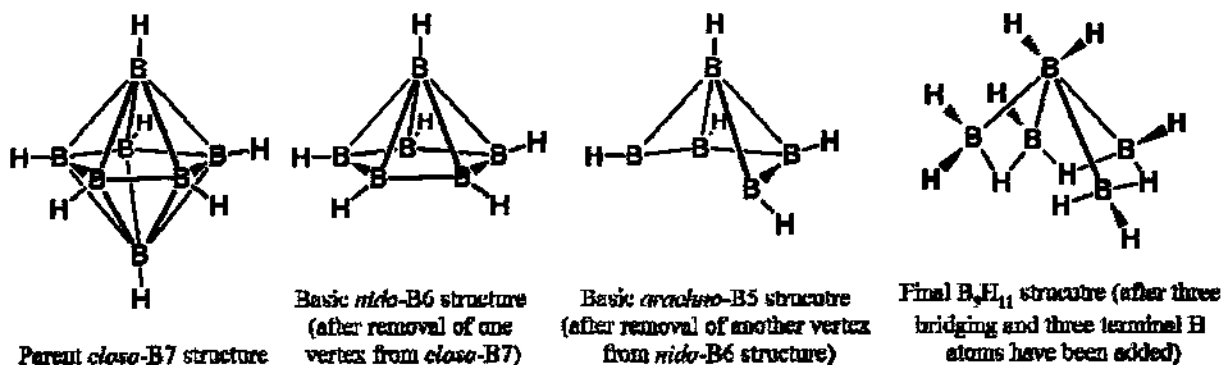
(b) A serious drawback to using pentaborane is that the boron-containing product of combustion is a solid,  $B_2O_3$ . If an internal combustion engine is used, the solid will eventually coat the internal surfaces, increasing friction, and will clog the exhaust valves. Another disadvantage for the use of pentaborane as a fuel is the incomplete combustion to  $B_2O_3$ . Because of this the exhaust nozzles of the rocket become partly blocked with an involatile BO polymer.

**E13.16** (a) The formula  $B_{10}H_{14}$  belongs to a class of borohydrides having the formula  $B_nH_{n+4}$ , which is characteristic of a *nido* species.

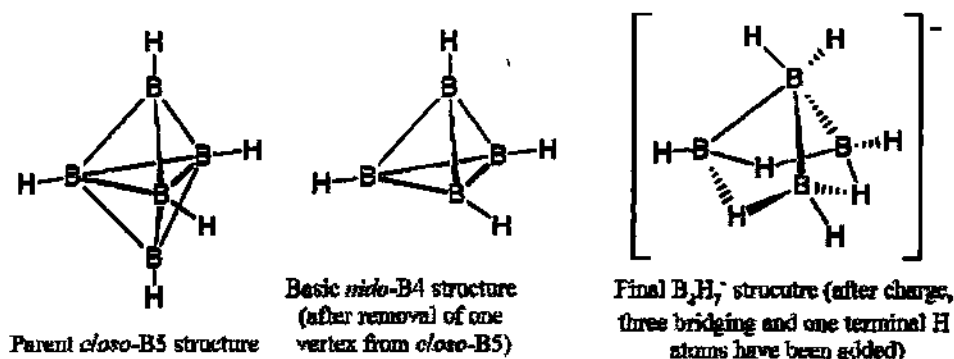
(b) There are 10 BH units, which contribute  $10 \times 2 = 20$  electrons (assuming one B–H bond per B atom), and the four additional H atoms, which contribute four additional electrons, giving a total of 24 electrons, or 12 electron pairs, which is  $n+2$  for  $n = 10$ . This is characteristic of *nido* clusters.

(c) The total number of valence electrons for  $B_{10}H_{14}$  is  $(10 \times 3) + (14 \times 1) = 44$ . Since there are ten  $2c-2e$  B–H bonds, which account for 20 of the total number of valence electrons, the number of cluster electrons is the remainder of  $44 - 20 = 24$ .

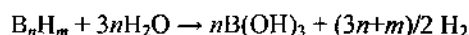
**E13.17** (a) For  $B_5H_{11}$ :  $5 \times 2 = 10$  electrons from 5 B–H units,  $6 \times 1 = 6$  electrons from additional H atoms; in total there are 16 skeletal electrons, or 8 electron pairs. This corresponds to  $n+3$  (for  $n = 5$ ) or *arachno*-type structure.



(b) For  $B_4H_7^-$ :  $4 \times 2 = 8$  electrons from four B–H units,  $3 \times 1 = 3$  electrons from additional H atoms and one extra electron from a minus charge; in total there are 12 skeletal electrons, or six electron pairs. This corresponds to  $n+2$  (for  $n = 4$ ) or *nido*-type structure:



**E13.18** General equation for hydrolysis of borohydrides is:



In our case, six moles of  $B(OH)_3$  have been produced, meaning that  $n$  in above equation is 6. From this value and the fact that 15 moles of  $H_2$  have been liberated, we can find  $m$ :

$$(3n+m)/2 = 15, \text{ hence } 3 \times 6 + m = 15 \times 2, \text{ and } m = 12$$

thus the formula is  $B_6H_{12}$ .

This borohydride has 18 skeletal electrons (12 from six BH units, and six from additional six H atoms) or nine electron pairs. This means the cluster is *arachno* and is based on *closo*-B8 structure cage.

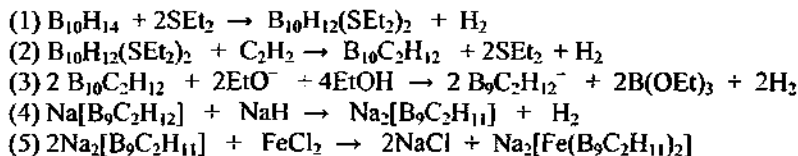
**E13.19** Simple polyhedral boranes come in three basic types:  $B_nH_n^{2-}$  *closo* structures,  $B_nH_{n+4}$  *nido* structures, and  $B_nH_{n+6}$  *arachno* structures.

The first compound given in this exercise,  $B_4H_{10}$ , is an example of a  $B_nH_{n+6}$  compound with  $n = 4$ , so it is an *arachno* borane. Its name is tetraborane(10) and its structure is shown in Structure 10: two B–H units are joined by a (2c,2e) B–B bond; this  $B_2H_2$  unit is flanked by four hydride bridges to two  $BH_2$  units (the B–H–B bridge bonds are (3c,2e) bonds).

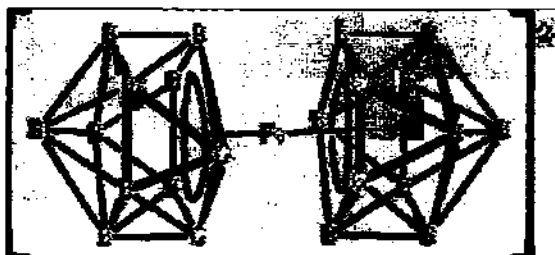
The second compound,  $B_5H_9$ , is an example of a  $B_nH_{n+4}$  compound with  $n = 5$ , so it is a *nido* borane. Its name is pentaborane(9) and its structure is also shown in Structure 4: four B–H units are joined by four hydride bridges; the resulting  $B_4H_8$  unit, in which the four boron atoms are coplanar, is capped by an apical B–H unit that is bonded to all four of the coplanar boron atoms.

The third compound is an example of a carborane in which two C–H units substitute for two B–H units in  $B_{12}H_{12}^{2-}$ , resulting in  $1,2-B_{10}C_2H_{12}$  that retains the *closo* structure of the parent  $B_{12}H_{12}^{2-}$  ion. Its name is 1,2-*closo*-dodecaborane(12): a  $B_5H_5$  pentagonal plane is joined to a  $B_4CH_5$  pentagonal plane that is offset from the first plane by  $36^\circ$ ; the first plane is capped by a B–H unit, whereas the second is capped by a C–H unit.

**E13.20** The target molecule,  $[Fe(nido-B_9C_2H_{11})_2]^{2-}$ , can be prepared in five steps as follows:



The structure of the anion is shown below with H atoms omitted for clarity:



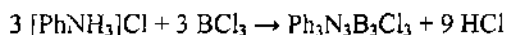
**E13.21** A plausible structure can be determined when we note that the nitrogen atom in the structure provides two more skeletal electrons than the B atom would on its place. Thus, if the compound had only B atoms, we would have 24 skeletal electrons (from 12 B–H units) or 12 skeletal electron pairs. To this we have to add two more electrons (or one more electron pair) to account for two extra valence electrons on the nitrogen atom. This gives 26 skeletal electrons or 13 pairs. This is  $n+1$  (for  $n = 12$ ), and the structure is *closo* and it corresponds to the icosahedral structure with one BH unit replaced with an NH unit.

**E13.22 (a) The structures.** Both of these substances have layered structures. The planar sheets in boron nitride and in graphite consist of edge-shared hexagons such that each B or N atom in BN has three nearest neighbors that are the other type of atom, and each C atom in graphite has three nearest neighbor C atoms. The structure of graphite is shown in Figure 14.2. The B–N and C–C distances within the sheets, 1.45 Å and 1.42 Å, respectively, are much shorter than the perpendicular interplanar spacing, 3.33 Å and 3.35 Å, respectively. In BN, the  $B_3N_3$  hexagonal rings are stacked directly over one another so that B and N atoms from alternating planes are 3.33 Å apart, whereas in graphite the  $C_6$  hexagons are staggered (see Section 13.9) so that C atoms from alternating planes are either 3.35 Å or 3.64 Å apart (you should determine this yourself using trigonometry).

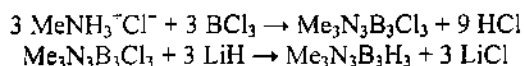
**(b) Their reactivity with Na and  $Br_2$ ?** Graphite reacts with alkali metals and with halogens. In contrast, boron nitride is quite unreactive.

**(c) Explain the differences?** The large HOMO–LUMO gap in BN, which causes it to be an insulator, suggests an explanation for the lack of reactivity: since the HOMO of BN is a relatively low-energy orbital, it is more difficult to remove an electron from it than from the HOMO of graphite, and since the LUMO of BN is a relatively high energy orbital, it is more difficult to add an electron to it than to the LUMO of graphite.

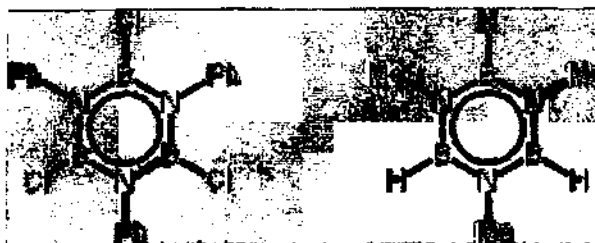
**E13.23 (a)  $Ph_3N_3B_3Cl_3$ ?** The reaction of a primary ammonium salt with boron trichloride yields *N*-substituted *B*-trichloroborazines:



**(b)  $Me_3N_3B_3H_3$ ?** You first prepare  $Me_3N_3B_3Cl_3$  using  $[MeNH_3]Cl$  and the method described above, and then perform a  $Cl^-/H^-$  metathesis reaction using LiH (or  $LiBH_4$ ) as the hydride source:



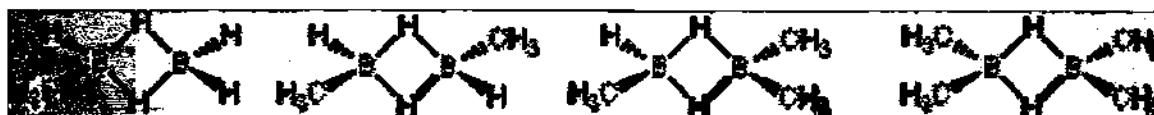
The structures of  $Ph_3N_3B_3Cl_3$  and  $Me_3N_3B_3H_3$  are shown below:



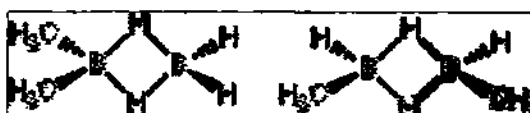
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**E13.24** In a series of boranes, the acidity increases as the size of the borane increases. This is because the negative charge, formed upon deprotonation, can be better delocalized over a large anion with many boron atoms than over a small one. Therefore, the Brønsted acidity increases in the order  $B_2H_6 < B_5H_9 < B_{10}H_{14}$ .

**E13.25** Since  $B(CH_3)_3$  is a monomer we can conclude that the B-CH<sub>3</sub>-B bridges are unlikely to be found in the series given in the problem. It is very likely that all the structures are indeed dimers with B-H-B  $3c,2e$  bonds. The reason why B-CH<sub>3</sub>-B are not observed might be both electronic and steric. Methyl group is a better electron donor than hydrogen atom. As a result monomeric  $B(CH_3)_3$  is less Lewis acidic than monomeric  $BH_3$ . In terms of steric effects, methyl group is larger than hydride. Thus, placing four CH<sub>3</sub> groups around one B atom is sterically more demanding than placing four hydrides or even two hydrides and two methyl groups (as is in the last structure below). Consequently, we can say that all of the structures in the given series are dimeric and have B-H-B bridges:



Note that the second structure can have two more isomers (the one above can be called *trans* while the second below can be called *cis*; the *cis* and *trans* two could be in a rapid exchange):



- E13.26** (a) The  $^{11}B$  NMR spectrum of  $BH_3CO$  would show one quartet resonance due to  $^{11}B$  being coupled to three equivalent H nuclei.  
 (b)  $[B_{12}H_{12}]^{2-}$  has two distinct  $^{11}B$  environments in its structure: two apical B atoms and 10 equivalent B atoms in two five-membered rings. Thus the  $^{11}B$  NMR should show two signals in relative intensity 1 : 5 both of which should be, if we assume no B-B coupling, doublets because each B atom in  $[B_{12}H_{12}]^{2-}$  is bonded to only one H atom.
- E13.27** Statement (a) is incorrect—in fact only boron has some non-metallic properties, all other elements are metallic. Statement (b) is also incorrect—the hardness is decreasing down the group; in fact, of Group 13 elements only boron and aluminium (top of the group) show pronounced oxophilicity and boron fluorophilicity. Statement (c) is only partially correct—while Lewis acidity of  $BX_3$  does increase from F to Br, it is not due to stronger B-Br  $\pi$  bonding (as stated) but exactly due to the opposite trend: the  $\pi$  bonding is decreasing in the same order Lewis acidity is increasing, that is,  $\pi$  bonding in B-Br is weaker than in B-F (the latter explains the former). Statement (d) is incorrect—*arachno* boron hydrides are less stable than *nido*-borohydrides, also, their skeletal electron count is  $n+3$  not  $2(n+3)$ . Statement (e) is correct. Statement (f) is partially incorrect—while layered BN and graphite have similar structures, layered BN has a very large (not small as stated) HOMO-LUMO gap and is in fact an insulator (not a conductor as stated).

## Chapter 14 The Group 14 Elements

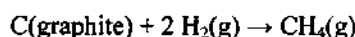
### Self-Test Exercises

**S14.1** (a) The extended  $\pi$  system for each of the planes of graphite results in a band of  $\pi$  orbitals. The band is half filled in pure graphite; that is, all of the bonding MOs are filled and all of the antibonding MOs are empty. The HOMO–LUMO gap is  $\sim 0$  eV, giving rise to the observed electrical conductivity of graphite. Chemical reductants, like potassium, can donate their electrons to the LUMOs (graphite  $\pi^*$  MOs), resulting in a material with a higher conductivity.

(b) Chemical oxidants, like bromine, can remove electrons from the HOMOs ( $\pi$  MOs) of graphite. This also results in a material with a higher conductivity.

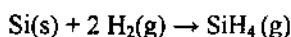
**S14.2** The enthalpy of formation is calculated as the difference between the bonds broken and the bonds formed in the reaction.

Four C–H bonds are formed in the formation of methane from graphite and hydrogen gas:



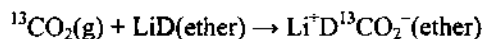
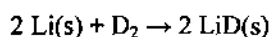
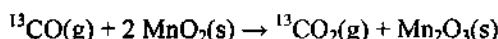
$$\Delta_f H(\text{CH}_4, \text{g}) = (\text{bonds broken}) - (\text{bonds formed}) = [715 + 2(436)] \text{kJ mol}^{-1} - [4(412)] \text{kJ mol}^{-1}$$
$$\Delta_f H = -61 \text{kJ mol}^{-1}$$

Four Si–H bonds are formed in the synthesis of silane from silicon with hydrogen gas:



$$\Delta_f H(\text{SiH}_4, \text{g}) = (\text{bonds broken}) - (\text{bonds formed}) = [439 + 2(436)] \text{kJ mol}^{-1} - [4(318)] \text{kJ mol}^{-1}$$
$$\Delta_f H = +39 \text{kJ mol}^{-1}$$

**S14.3** The first step of synthesis would be the oxidation of  $^{13}\text{CO}$  to  $^{13}\text{CO}_2$ . Carbon dioxide is Lewis acidic and can react with strong Lewis bases. Thus, we can treat  $^{13}\text{CO}_2$  with a source of deuteride ion,  $\text{D}^-$ , a good Lewis base. A convenient source would be  $\text{LiD}$  (or  $\text{NaD}$ ). The entire synthesis would be:



**S14.4** Oxidation of  $\text{C}_2^{2-}$  to  $\text{C}_2^-$  would result in removal of one of the electrons found in  $2\sigma_g$  molecular orbital. This molecular orbital is bonding in character, and removal of one of the electrons from this orbital would give the  $1\sigma_g^2 1\sigma_u^2 1\pi_u^4 2\sigma_g^1$  electronic configuration resulting in a decrease in bond order—from 3 to 2.5:  $b = \frac{1}{2}(2 - 2 + 4 + 1) = 2.5$ . As a consequence C–C bond length in  $\text{C}_2^-$  would be longer than in  $\text{C}_2^{2-}$ .

### End-of-Chapter Exercises

**E14.1** Statement (a) is incorrect—tin and lead are metallic elements.

Statement (b) is correct.

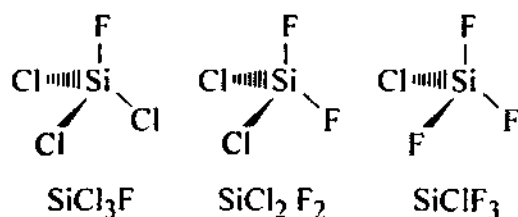
Statement (c) is partially correct—whereas it is true that both  $\text{CO}_2$  and  $\text{CS}_2$  are weak Lewis acids,  $\text{CS}_2$  is softer (not harder) than  $\text{CO}_2$ .

Statement (d) is incorrect—zeolites are framework aluminosilicates (not layered like mica) and they do contain metal cations in their composition to balance the negative charge of the aluminosilicate framework.

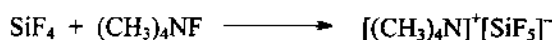
Statement (e) is correct—hydrolysis of  $\text{CaC}_2$ , an ionic compound, produces  $\text{HC}\equiv\text{CH}$  and  $\text{Ca}(\text{OH})_2$ .

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- E14.2** (a) Although two major allotropes of carbon are graphite and diamond, it makes sense to compare diamond with silicon because one of the silicon's solid phases shares the same structure with diamond. In the diamond-type structure, each atom forms single bonds with four neighboring atoms located at the corners of tetrahedron. Each atom in this structure can be seen as having  $sp^3$ -hybridization and a full octet achieved through electron sharing in covalent bonds. This structure results in a wide energy gap between filled and empty bands—a gap that is, however, smaller for Si(diamond) than for C(diamond). As a consequence, C(diamond) is generally considered an insulator, whereas Si(diamond) is a semiconductor.
- (b) Really striking differences between C and the rest of the elements of the Group 14 are the properties and structures of the oxides. Carbon forms a rather stable monoxide, but silicon monoxide is an unstable species. Both carbon and silicon form very stable dioxides but the two compounds could hardly be more different. While  $CO_2$  is gas and a linear molecule,  $SiO_2$  forms a network solid with Si–O–Si bridges, with each Si atom tetrahedrally surrounded with four O atoms throughout the structure. As a consequence of this rigid structure,  $SiO_2$  has high melting and boiling points.
- (c) Silicon tetrahalides are mild Lewis acids whereas analogous carbon compounds are not Lewis acidic. The reason for this difference in acidic properties is in the fact that silicon, unlike carbon, can extend its octet (i.e., it can form hypervalent compounds) allowing for formation of more than four bonds and thus bonding with Lewis bases.
- E14.3**  $SiCl_3F$ ,  $SiCl_2F_2$ , and  $SiClF_3$  have tetrahedral structures as shown below. Each Si has an octet and each molecule conforms with VSEPR theory:



- E14.4** The bond enthalpy of a C–F bond is higher than the bond enthalpy of a C–H bond, making C–F bond more difficult to break. Further, the combustion produces not only  $CO_2$  but  $H_2O$  as well that is thermodynamically a very stable compound. Formation of both  $CO_2$  and  $H_2O$  thermodynamically drive the combustion of  $CH_4$ . There is no equivalent to the formation of  $H_2O$  in the combustion of  $CF_4$ .
- E14.5** The chemical equation for reaction of  $SiF_4$  with  $(CH_3)_4NF$ :

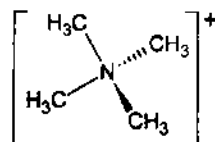


(a) The cation is  $[(CH_3)_4N]^+$

The number of valence electrons present on central N atom = 8

The number of valence electron pairs = 4

Therefore, VSEPR theory predicts that a species with four bonding pairs of electrons should be tetrahedral.



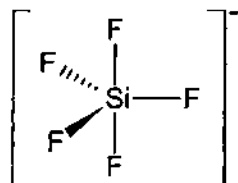
The anion is  $SiF_3^-$ .

The number of valence electrons present on central Si atom = 4 (valence electrons of central Si atom) + 5 (five electrons from 5 F atom) + 1 (negative charge) = 10.



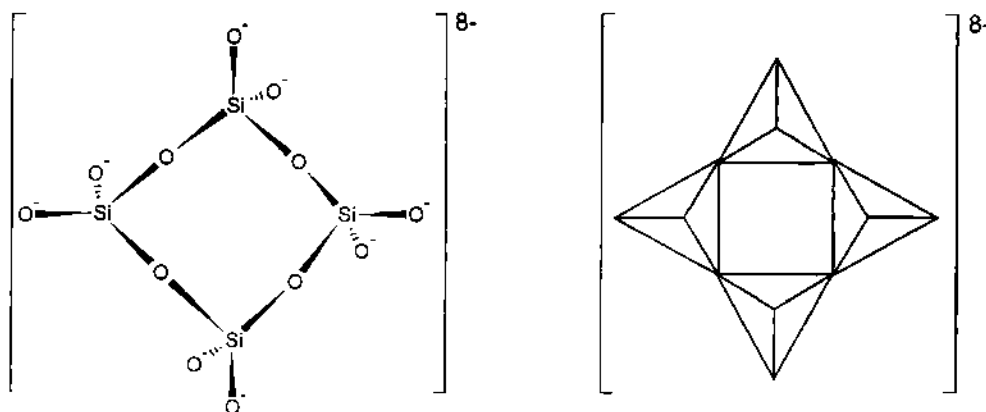
The number of valence electron pairs = 5.

Therefore, VSEPR theory predicts that a species with five bonding pairs of electrons should be trigonal bipyramidal.



(b) The  $^{19}\text{F}$  NMR shows two fluorine environments because in the structure of the anion there are two different fluorine environments: axial and equatorial.

**E14.6** The structure of cyclic anion  $[\text{Si}_4\text{O}_{12}]^{8-}$ :

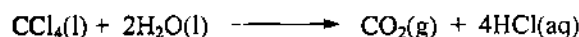


The charge of this anion can be determined if we consider the number of  $\text{Si}^{4+}$  cations and the number of  $\text{O}^{2-}$  anions. There are four  $\text{Si}^{4+}$  cations giving a total charge of  $4 \times (+4) = +16$ . There are 12  $\text{O}^{2-}$  anions with total negative charge  $12 \times (-2) = -24$ . Thus, the total charge of the anion is the sum of total positive and total negative charges:  $+16 + (-24) = -8$ .

**E14.7**  $^{119}\text{Sn}$ -NMR spectrum of  $\text{Sn}(\text{CH}_3)_4$  would show a single environment for  $^{119}\text{Sn}$  ( $I = \frac{1}{2}$ ) nucleus in a tetrahedral geometry. The signal would be split into 13 lines due to coupling of  $^{119}\text{Sn}$  nucleus with 12 equivalent protons from four  $-\text{CH}_3$  groups. The number of lines can be calculated using the formula  $2nI + 1$  given in Section 8.5(c). The  $n$  is the number of equivalent nuclei that  $^{119}\text{Sn}$  nucleus couples to and  $I$  is their spin, in this case 12 equivalent nuclei with  $I = \frac{1}{2}$ . We get:  $2 \times 12 \times \frac{1}{2} + 1 = 13$ .

**E14.8**  $^1\text{H}$ -NMR spectrum of  $\text{Sn}(\text{CH}_3)_4$  contains doublet peak for  $^1\text{H}$  ( $I = \frac{1}{2}$ ) nucleus. This doublet is due to coupling of  $^1\text{H}$  ( $I = 1/2$ ) with  $^{119}\text{Sn}$  ( $I = 1/2$ ) nucleus.

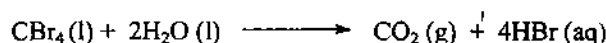
**E14.9** The enthalpy of hydrolysis of a compound can be calculated as the difference in energy between the bonds broken and the bonds formed in the hydrolysis reaction. The relevant equations for the hydrolysis of  $\text{CCl}_4$  and  $\text{CBr}_4$  are:



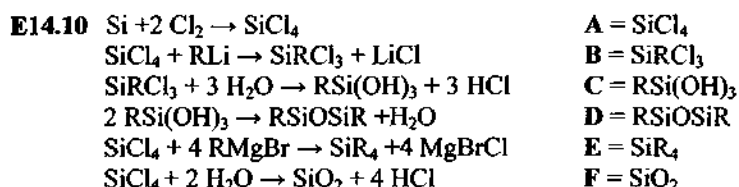
$$\begin{aligned} \Delta_{\text{h}}H_{\text{CCl}_4} &= [(2 \times 743 \text{ kJ mol}^{-1}) + (4 \times 431 \text{ kJ mol}^{-1})] - [(4 \times 322 \text{ kJ mol}^{-1}) + 2(2 \times 463 \text{ kJ mol}^{-1})] \\ &= [1526 \text{ kJ mol}^{-1} + 1724 \text{ kJ mol}^{-1}] - [1288 \text{ kJ mol}^{-1} + 2 \times 926 \text{ kJ mol}^{-1}] \end{aligned}$$

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$$\begin{aligned}
 &= 3250 \text{ kJ mol}^{-1} - [1288 \text{ kJ mol}^{-1} + 1852 \text{ kJ mol}^{-1}] \\
 &= 3250 \text{ kJ mol}^{-1} - 3140 \text{ kJ mol}^{-1} \\
 &= 110 \text{ kJ mol}^{-1}
 \end{aligned}$$



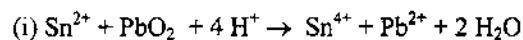
$$\begin{aligned}
 \Delta_r H^\circ_{\text{CBr}_4} &= [(2 \times 743 \text{ kJ mol}^{-1}) + (4 \times 366 \text{ kJ mol}^{-1})] - [(4 \times 288 \text{ kJ mol}^{-1}) + 2(2 \times 463 \text{ kJ mol}^{-1})] \\
 &= [1526 \text{ kJ mol}^{-1} + 1464 \text{ kJ mol}^{-1}] - [1152 \text{ kJ mol}^{-1} + 2 \times 926 \text{ kJ mol}^{-1}] \\
 &= 3090 \text{ kJ mol}^{-1} - [1152 \text{ kJ mol}^{-1} + 1852 \text{ kJ mol}^{-1}] \\
 &= 3090 \text{ kJ mol}^{-1} - 3004 \text{ kJ mol}^{-1} \\
 &= 86 \text{ kJ mol}^{-1}
 \end{aligned}$$



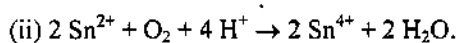
Note that in the reaction with  $\text{RLi}$  the products can be  $\text{RSiCl}_3$ ,  $\text{R}_2\text{SiCl}_2$ ,  $\text{R}_3\text{SiCl}$ , and  $\text{R}_4\text{Si}$  depending on the stoichiometry used; thus product **B** has more than one possibility considering that the stoichiometry is not clearly given. For the reaction with water, however, your product must contain  $\text{Si}-\text{Cl}$  bonds; this excludes  $\text{R}_4\text{Si}$  as a possible product. Considering that product **B** has more than one possibility, products **C** and **D** vary. For example, if **B** is  $\text{R}_2\text{SiCl}_2$ , then reaction with water would give  $\text{R}_2\text{Si}(\text{OH})_2$  as **C** that would further condense to cyclic  $(\text{R}_2\text{SiO})_3$  product **D**. Consult Section 14.16 for further details.

**E14.11 (a)** +4 is the most stable oxidation state for the lighter elements, but +2 is the most stable oxidation state for **Pb**, the heaviest element in Group 14. Recall from Section 9.5 that the inert-pair effect is the relative stability of an oxidation state in which the oxidation number is 2 less than the group oxidation number. **Pb** therefore displays the inert-pair effect.

**(b)** Table 14.1 shows that the most stable oxidation state for **Sn** is +4 and the most stable oxidation state for **Pb** is +2. Reactions (i) and (ii) illustrate **Pb** and **Sn** attaining their respective most stable oxidation states and are therefore both favourable reactions.



This reaction produces  $\text{Pb}^{2+}$ , which is more stable than starting  $\text{Pb}^{4+}$ , and  $\text{Sn}^{4+}$ , which is more stable than  $\text{Sn}^{2+}$ . Thus, the reaction fits the trend.



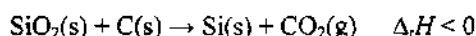
$\text{Sn}^{2+}$  is less stable than  $\text{Sn}^{4+}$ , thus  $\text{Sn}^{2+}$  should be easily oxidized. Again the trend is observed.

**E14.12** Reaction (i) is  $\text{Sn}^{2+} + \text{PbO}_2 + 4\text{H}^+ \rightarrow \text{Sn}^{4+} + \text{Pb}^{2+} + 2\text{H}_2\text{O}$ . In this reaction **Sn** is oxidized from +2 to +4 and **Pb** is reduced from +4 to +2. The standard reduction potential for the **Sn** oxidation is  $-0.15\text{V}$  and  $+1.46\text{V}$  for the **Pb** reduction. The standard reaction potential is  $+1.46\text{V} - (-0.15\text{V}) = +1.31\text{V}$ .

Reaction (ii) is  $2\text{Sn}^{2+} + \text{O}_2 + 4\text{H}^+ \rightarrow 2\text{Sn}^{4+} + 2\text{H}_2\text{O}$ . In this reaction **Sn** is oxidized to +4 from a +2 oxidation state and oxygen is reduced to  $-2$  oxidation state. The standard potential is therefore  $1.229\text{V} - 0.15\text{V} = 1.08\text{V}$ .

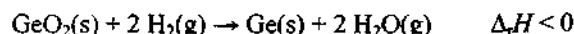
Reaction (i) is therefore more favourable because it has a higher (more positive) standard potential. Both reactions agree with the predictions made in Exercise 14.5 because lead and tin are going to their most stable oxidation states. Keep in mind that a positive reaction potential indicates a spontaneous reaction.

**E14.13** Silicon is recovered from silica ( $\text{SiO}_2$ ) by reduction with carbon:

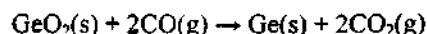


The reaction takes place in an electric arc furnace because it has high activation energy due to the strong Si–O bonds.

Germanium is recovered from its oxide by reduction with hydrogen:



GeO<sub>2</sub> can also be reduced by CO:



**E14.14 (a)** There is a decrease in band gap energy from carbon (diamond) to grey tin (See Section 14.1) as the metallic character of the elements is increasing.

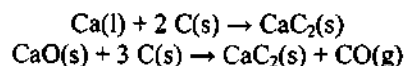
**(b)** Silicon is a semiconductor. This type of material always experiences an increase in conductivity as the temperature is raised. Therefore, the conductivity of Si will be greater at 40°C than at 20°C.

**E14.15** Consult Figure 14.12 and Section 14.13.

	Ionic carbides	Metallic carbides.	Metalloid carbides
Group I elements	Li, Na, K, Rb, Cs		
Group II elements	Be, Mg, Ca, Sr, Ba		
Group 13 elements	Al		B
Group 14 elements			Si
3d-Block elements		Sc, Ti, V, Cr, Mn, Fe, Co, Ni	
4d-Block elements		Zr, Nb, Mo, Tc, Ru	
5d-Block elements		La, Hf, Ta, W, Re, Os	
6d-Block elements		Ac	
Lanthanides		Ce, Pr, Nd, Pm, Sm, Eu, Gd, Tb, Dy, Ho, Er, Tm, Yb, Lu	

**E14.16 (a) KC<sub>8</sub>?** This compound is formed by heating graphite with potassium vapour or by treating graphite with a solution of potassium in liquid ammonia. The potassium atoms are oxidized to K<sup>+</sup> ions; their electrons are added to the LUMO π\* orbitals of graphite. The K<sup>+</sup> ions intercalate between the planes of the reduced graphite so that there is a layered structure of alternating sp<sup>2</sup> carbon atoms and potassium ions. The structure of KC<sub>8</sub>, which is an example of a saline carbide, is shown in Figures 14.4 and 14.13.

**(b) CaC<sub>2</sub>?** There are two ways of preparing calcium carbide, and both require very high temperatures (≥ 2000°C). The first is the direct reaction of the elements, and the second is the reaction of calcium oxide with carbon:

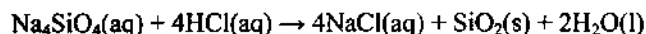
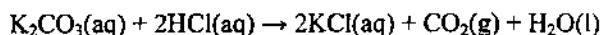


The structure is quite different from that of KC<sub>8</sub>. Instead of every carbon atom bonded to three other carbon atoms, as in graphite and KC<sub>8</sub>, calcium carbide contains discrete C<sub>2</sub><sup>2-</sup> ions with carbon–carbon triple bonds. The structure of CaC<sub>2</sub> is similar to the NaCl structure, but because C<sub>2</sub><sup>2-</sup> is a linear anion (not spherical like Cl<sup>-</sup>) the unit cell of CaCl<sub>2</sub> is elongated in one direction making the unit cell tetragonal (see Figure 14.14). This carbide is, hence, ionic.

## 142 Part 2: The Elements and Their Compounds

(c)  $K_3C_{60}$ ? A solution of  $C_{60}$ , in a high boiling point solvent (such as toluene), can be treated with elemental potassium to form this compound. It is also ionic, and it contains discrete  $K^+$  ions and  $C_{60}^{3-}$  ions (see Section 14.6(a) *Carbon clusters*). The ionic unit cell is based on a face-centred packing of  $C_{60}^{3-}$  anions with  $K^+$  cations occupying every tetrahedral and octahedral hole (see Figure 14.5).

**E14.17** Both of these compounds react with acid to produce the oxide, which for carbon is  $CO_2$  and for silicon is  $SiO_2$ . The balanced equations are:



The second equation represents one of the ways that silica gel is produced. Note that in the second reaction the first product is silicic acid,  $H_4SiO_4$ . However, this acid rapidly polymerizes and loses  $H_2O$ , forming a network of very strong Si–O bonds.

**E14.18** In contrast with the extended three-dimensional structure of  $SiO_2$ , the structures of jadeite and kaolinite consist of extended one- and two-dimensional structures, respectively. The  $[SiO_3]_n$  ions in jadeite are a linear polymer of  $SiO_4$  tetrahedra, each one sharing a bridging oxygen atom with the tetrahedron before it and the tetrahedron after it in the chain (see Structure 16). Each silicon atom has two bridging oxygen atoms and two terminal oxygen atoms. The two-dimensional aluminosilicate layers in kaolinite represent another way of connecting  $SiO_4$  tetrahedra (see Figure 14.15). Each silicon atom has three oxygen atoms that bridge to other silicon atoms in the plane, and one oxygen atom that bridges to an aluminum atom.

**E14.19** (a) A sodalite cage is based on a truncated octahedron (see Figure 14.19 and Structure 18). Each of the heavy lines in the drawing of an octahedron truncated along one of its  $C_4$  axes represents an M–O–M linkage (M = Si or Al). There are eight such lines in the drawing, and because the truncation procedure is carried out six times to produce a sodalite cage, there are  $8 \times 6 = 48$  bridging oxygen atoms.

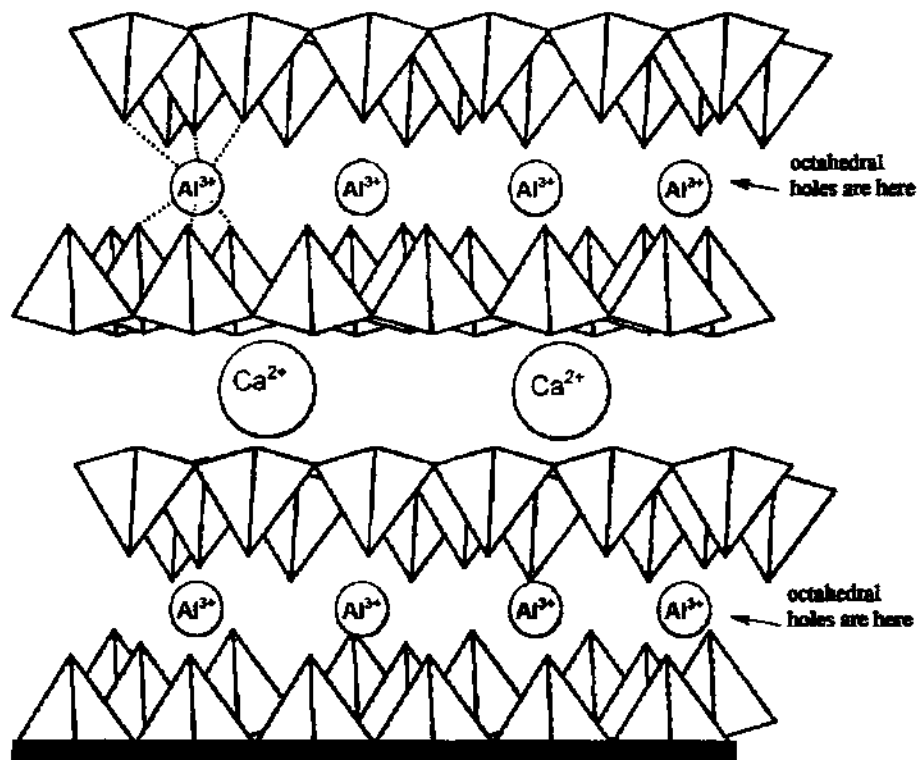
(b) As shown in Figure 14.3, sodalite cages are linked together to form the supercage in zeolite A. The polyhedron at the centre has six octagonal faces (the one in the front of the diagram is the most obvious) and eight smaller square faces. If you look at Structure 19, you will see that a truncated octahedron has eight hexagonal faces and four smaller square faces. Thus the fusing together of eight truncated octahedra produces a central cavity that is different than a truncated octahedron.

**E14.20** Both pyrophyllite,  $Al_2Si_4O_{10}(OH)_2$ , and muscovite,  $KAl_2(Si_3Al)O_{10}(OH)_2$ , belong to the phyllosilicate subclass of silicate class. The phyllosilicates are characterised with two-dimensional sheets composed of vertex-sharing  $SiO_4$ -tetrahedra; each  $SiO_4$ -tetrahedron is connected to three neighbouring  $SiO_4$ -tetrahedra via bridging O atoms. These sheets are negatively charged and held together via electrostatic interactions with cations sandwiched between the sheets. Because of this layered structure, both pyrophyllite and muscovite have excellent cleavage parallel to the layers (just like graphite). The hardness of two minerals is, however, somewhat different—muscovite is harder than pyrophyllite (although both are very soft and can be scratched with a nail). The reason for this is in the chemical composition. Pyrophyllite layers are composed of exclusively  $SiO_4$  tetrahedra held together with sandwiched  $Al^{3+}$  cations located in octahedral holes. In muscovite structure, however, every fourth  $Si^{4+}$  in the layer is replaced with  $Al^{3+}$  (see the formula— $Si_3Al$ ). The replacement of one +4 charge with +3 decreases the overall charge of layers and an additional cation is required to balance the charge. Strictly speaking one  $Si^{4+}$  is replaced with the  $Al^{3+}/K^+$  pair. Lower charge on layers and more cations in between layers hold the muscovite structure tighter than pyrophyllite, and the result is higher hardness in muscovite.

**E14.21** Glasses are amorphous silicon-oxygen compounds. Starting from sand (which is mostly pure  $SiO_2$ ) and other oxide additives, a wide variety of glasses with different properties can be obtained, used and seen every day. Activated carbon (used as adsorbent), carbon fibres (used as additives in plastic to increase the strength), and carbon black (used as pigment) are three examples of amorphous and partially crystalline carbon.

**E14.22** The silicate sheets are represented on Figures 14.17 and 14.18. An edge view of these sheets is sketched below where every tetrahedron represents one  $SiO_4$  unit. There is a rather extensive substitution of  $Si^{4+}$  with  $Al^{3+}$  (every

second  $\text{Si}^{4+}$  has been substituted with  $\text{Al}^{3+}$ , as can be seen from the mineral formula) in these sheets. Note that two tetrahedral AlSi sheets are oriented with respect to each other, in such a way that unshared oxygen atoms on each sheet are facing each other. It is within this space between the sheets that octahedral holes are formed—they are defined by six unshared oxygen atoms, three from the top and three from the bottom SiAl-sheet. The rest of  $\text{Al}^{3+}$  cations (those that are not substituted for  $\text{Si}^{4+}$ ) occupy these holes.  $\text{Ca}^{2+}$  cations are, however, too large for the octahedral holes, and it is more likely that they will be found in larger holes with coordination number 12.



### Guidelines for Selected Tutorial Problems

- T14.1** You can use any mineralogy textbook as a source for this problem. Suggested text would be a classic mineralogy textbook *Dana's Manual of Mineralogy* by C. Klein and B. Dutrow, published by Wiley and Sons, currently in its 23rd edition.
- T14.2** The obvious choice for silicon is, of course, the fact that it is in the same group as carbon. They also share the common highest (and most stable) valence and preferred geometry (tetrahedral). The fact that silicon is the second most abundant element in Earth's crust (as well as in crusts of the other rocky planets—at least as much as we know currently) also goes in favour of silicon-based life. The major part of your arguments against should focus on explaining the reasons behind different catenation preferences for the two elements, lack of Si=Si bonds (or better said, their low stability), and silicon's high affinity toward oxygen (the most abundant element in Earth's crust—explain how this is an issue using thermodynamic parameters provided in the tables within this chapter).
- T14.3** The text suggested for T14.1 also discusses the synthetic diamonds and provides further sources on this topic, thus it is a good starting point for this tutorial problem as well.

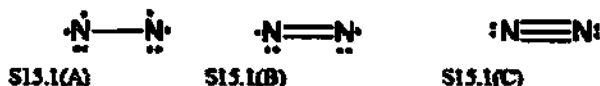
## Chapter 15 The Group 15 Elements

### Self-Test Exercises

- S15.1** (a) Yes, the structure is consistent with the VSEPR model. Considering the three nearest neighbours only, the structure around each Bi atom is trigonal pyramidal, like  $\text{NH}_3$ . VSEPR theory predicts this geometry for an atom that has a Lewis structure with three bonding pairs and a lone pair. A side view of the structure of bismuth is shown below.

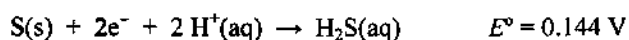
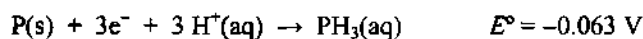


- (b) Two nitrogen atoms in  $\text{N}_2$  molecule have 10 valence electrons (each contributing five electrons). If we make only one bond between N atoms, then we have a sextet around each N atom (as shown in Figure S15.1(A)). Making the double bond gives each N atom an additional electron pair and a septet at each N (Figure S15.1(B)). Only if we make a triple bond between two N atoms (Figure S15.1(C)) each nitrogen can achieve octet giving also a final Lewis structure for  $\text{N}_2$ .



Nitrogen is a gas under standard conditions as can be expected from the final structure: non-polar, low-molecular weight molecule. It is also diamagnetic as can be expected from the fact that all electrons are paired with an octet.  $\text{N}_2$  could also react as a Lewis base: each N atom still has a lone electron pair, but it is likely to be a weak one due to the fact that N atoms have high electronegativity and the electrons have low energy.  $\text{N}_2$  is also a very unreactive gas as can be expected from a triple bond between its atoms.

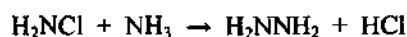
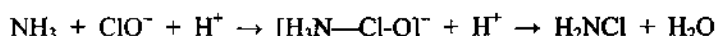
- S15.2** Dimethylhydrazine ignites spontaneously; unlike  $\text{H}_2$  and low hydrocarbons, it is not a gas and does not need to be liquified making its handling easier and more energy efficient. In comparison to hydrocarbons, it produces less  $\text{CO}_2$ .
- S15.3** Sulfur is on the right-hand side of phosphorus in the same period (period 3) in the periodic table. Two trends are important for this pair: 1) moving from left to right the non-metallic character of the elements is increasing, and 2) the electronegativity values are increasing. High electronegativity and strong non-metallic character are typical of good oxidizing agents. Thus, because sulfur is on the right side, it is more non-metallic than phosphorus and has higher electronegativity, making it a better oxidizing agent than phosphorus. This becomes more qualitative if we look at the reduction potentials for phosphorus and sulfur. From the table of standard reduction potentials in Resource Section 3 you can obtain the following information:



Since  $\Delta G = -nFE^\circ$ , sulphur is more readily reduced and is therefore the better oxidizing agent. This is in harmony with the higher electronegativity of sulphur ( $\chi = 2.58$ ) than phosphorus ( $\chi = 2.19$ ).

## 146 Part 2: The Elements and Their Compounds

- S15.4** (a) Brown, gaseous  $\text{NO}_2$  is not easily oxidized. Since it contains N in an intermediate oxidation state (+4), it is prone to disproportionation in aqueous solutions. Unlike  $\text{NO}_2$ , the colourless  $\text{NO}$  is rapidly oxidized by  $\text{O}_2$  in air producing  $\text{NO}_2$ .  $\text{N}_2\text{O}$  is unreactive for purely kinetic reasons.  
 (b) The reactions that are employed to synthesize hydrazine are as follows:



Both of these can be thought of as redox reactions because the formal oxidation state of the N atoms changes (from  $-3$  to  $-1$  in the first reaction and from  $-1$  and  $-3$  to  $-2$  and  $-2$  in the second reaction). Mechanistically, both reactions appear to involve nucleophilic attack by  $\text{NH}_3$  (a Lewis base) on either  $\text{ClO}^-$  or  $\text{NH}_2\text{Cl}$  (acting as Lewis acids).

The reaction employed to synthesize hydroxylamine, which produces the intermediate  $\text{N}(\text{OH})(\text{SO}_3)_2$ , probably involves the attack of  $\text{HSO}_3^-$  (acting as a Lewis base) on  $\text{NO}_2^-$  (acting as a Lewis acid), although, because the formal oxidation state of the N atom changes from  $+3$  in  $\text{NO}_2^-$  to  $+1$  in  $\text{N}(\text{OH})(\text{SO}_3)_2$ , this can also be seen as a redox reaction. Whether one considers reactions such as these to be redox reactions or nucleophilic substitutions may depend on the context in which the reactions are being discussed. It is easy to see that these reactions do not involve simple electron transfer, such as in  $2 \text{Cu}^+(\text{aq}) \rightarrow \text{Cu}^0(\text{s}) + \text{Cu}^{2+}(\text{aq})$ .

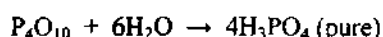
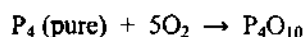
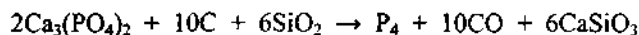
- S15.5** The strongly acidic OH groups are titrated by the first  $30.4 \text{ cm}^3$  and the two terminal OH groups are titrated by the remaining  $45.6 \text{ cm}^3 - 30.4 \text{ cm}^3 = 15.2 \text{ cm}^3$ . The concentrations of analyte and titrant are such that each OH group requires  $15.2 \text{ cm}^3 / 2 = 7.6 \text{ cm}^3$  of NaOH. There are therefore  $(30.4 \text{ cm}^3) / (7.6 \text{ cm}^3) = 4$  strongly acidic OH groups per molecule. A molecule with two terminal OH groups and four further OH groups is a tetrapolyphosphate.

### End-of-Chapter Exercises

- E15.1** The answers are summarized in the table below:

	Type of element	Diatomic gas?	Achieves maximum oxidation state?	Displays inert pair effect?
N	nonmetal	yes	yes	no
P	nonmetal	no	yes	no
As	nonmetal	no	yes	no
Sb	metalloid	no	yes	no
Bi	metalloid	no	yes	yes

- 15.2** (a) **High-purity phosphoric acid.** The starting point is hydroxyapatite,  $\text{Ca}_5(\text{PO}_4)_3\text{OH}$ , which is converted to crude  $\text{Ca}_3(\text{PO}_4)_2$ . This compound is treated with carbon to reduce phosphorus from P(V) in  $\text{PO}_4^{3-}$  to P(0) in  $\text{P}_4$  and with silica,  $\text{SiO}_2$ , to keep the calcium-containing products molten for easy removal from the furnace. The impure  $\text{P}_4$  is purified by sublimation and then oxidized with  $\text{O}_2$  to form  $\text{P}_4\text{O}_{10}$ , which is hydrated to form pure  $\text{H}_3\text{PO}_4$ .

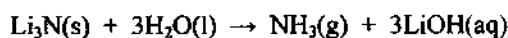
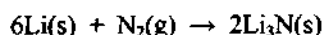


- (b) **Fertilizer-grade  $\text{H}_3\text{PO}_4$ .** In this case, hydroxyapatite is treated with sulfuric acid, producing phosphoric acid that contains small amounts of impurities.

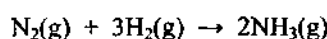


**(c) Account for the difference in cost.** The synthesis of fertilizer-grade (i.e., impure) phosphoric acid involves a single step and gives a product that requires little or no purification for further use. In contrast, the synthesis of pure phosphoric acid involves several synthetic steps and a time-consuming and expensive purification step, the sublimation of white phosphorus,  $\text{P}_4$ .

- E15.3 (a) Hydrolysis of  $\text{Li}_3\text{N}$ .** Lithium nitride can be prepared directly from the elements. Since it contains  $\text{N}^{3-}$  ions, which are very basic,  $\text{Li}_3\text{N}$  can be hydrolyzed with water to produce ammonia:

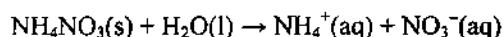


**(b) Reduction of  $\text{N}_2$  by  $\text{H}_2$ .** This reaction requires high temperatures and pressures as well as a presence of the solid-state catalyst to both proceed at an appreciable rate and provide sufficient conversion:

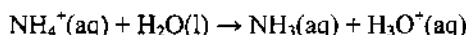


**(c) Account for the difference in cost.** The second process is considerably cheaper than the first, although the second process must be carried out at high temperature and pressure. This is because the cost of using lithium metal is higher than using  $\text{N}_2(\text{g})$  from the air and it is a recyclable (reusable) catalyst.

- E15.4**  $\text{NH}_4\text{NO}_3$  in water dissociates to give ammonium cation and nitrate anion:



The ammonium ion is the conjugate acid of the weak base, ammonia, and hence expected to be moderately acidic (relative to water). Accordingly, the equation below explains the observed acidity of ammonium ions.



Note that  $\text{NO}_3^-$  is the conjugate base of the strong acid  $\text{HNO}_3$  and therefore itself is an extremely weak base.

- E15.5** CO is a strong ligand and is toxic because it forms a complex with haemoglobin in the blood, and this complex is more stable than oxy-haemoglobin. This prevents the haemoglobin in the red blood corpuscles from carrying oxygen around the body. This causes an oxygen deficiency, leading to unconsciousness and then death. CO is a polar molecule and binds to iron in haemoglobin through a lone pair on C atom.

$\text{N}_2$  itself, with a triple bond between the two atoms, is strikingly unreactive. In comparison to CO,  $\text{N}_2$  is a non-polar molecule that has lone electron pairs on nitrogen atoms. The general unreactivity of  $\text{N}_2$  molecule, its non-polarity, and lone pairs on more electronegative nitrogen (in comparison to carbon of CO) make  $\text{N}_2$  a very weak ligand that does not bind to haemoglobin. Consequently  $\text{N}_2$  molecule is not toxic.

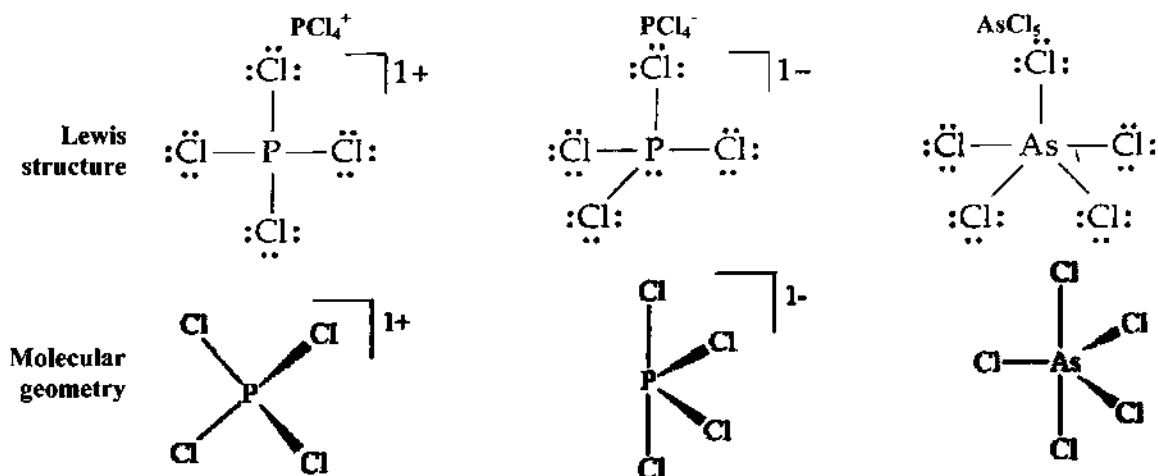
- E15.6** The only isolable nitrogen chloride is  $\text{NCl}_3$ , and it is thermodynamically unstable with respect to its constituent elements (i.e., it is endoergic). The compound  $\text{NCl}_5$  is unknown. In contrast, both  $\text{PCl}_3$  and  $\text{PCl}_5$  are stable and can be prepared directly from phosphorus and chlorine.

- E15.7 (a)  $\text{PCl}_4^+$ :** The Lewis structure is shown in the table below. Four bonding pairs of electrons around the central phosphorus atom, and no lone electron pairs, suggest tetrahedral molecular geometry.

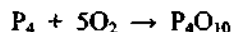
**(b)  $\text{PCl}_4^-$ :** The Lewis structure is shown in the table below. With four bonding pairs of electrons and one lone pair of electrons around the central phosphorus atom, the molecular structure is a see-saw (trigonal bipyramidal electron pair geometry with the lone pair in the equatorial plane).

**(c)  $\text{AsCl}_5$ :** The Lewis structure is shown in the table below. With five bonding pairs of electrons around the central arsenic atom, the structure is a trigonal bipyramid (both the electron pair and molecular geometries).





**E15.8 (a) Oxidation of P<sub>4</sub> with excess O<sub>2</sub>.** The balanced equation is:



**(b) Reaction of the product from part (a) with excess H<sub>2</sub>O.** The balanced equation is:



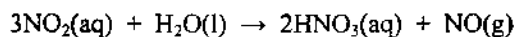
**(c) Reaction of the product from part (b) with solution of CaCl<sub>2</sub>.** The products of this reaction would be calcium phosphate and a solution of hydrochloric acid. The balanced equation is:



**E15.9 (a) Synthesis of HNO<sub>3</sub>.** The synthesis of nitric acid, an example of the most oxidized form of nitrogen, starts with ammonia, the most reduced form:



High temperatures are obviously necessary for this reaction to proceed at a reasonable rate: ammonia is a flammable gas, but at room temperature it does not react rapidly with air. The second step in the formation of nitric acid is the high-temperature disproportionation of NO<sub>2</sub> in water:



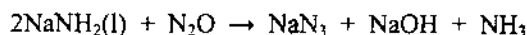
**(b) Synthesis of NO<sub>2</sub><sup>-</sup>.** Whereas the disproportionation of NO<sub>2</sub> in acidic solution yields NO<sub>3</sub><sup>-</sup> and NO (see part (a)), in basic solution nitrite ion is formed:



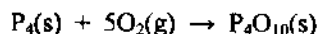
**(c) Synthesis of NH<sub>2</sub>OH.** The protonated form of hydroxylamine is formed in a very unusual reaction between nitrite ion and bisulfite ion in cold aqueous acidic solution (the NH<sub>3</sub>OH<sup>+</sup> ion can be deprotonated with base):



**(d) Synthesis of N<sub>3</sub><sup>-</sup>.** The azide ion can be prepared from anhydrous molten sodium amide (m.p. ~200°C) and either nitrate ion or nitrous oxide at elevated temperatures:

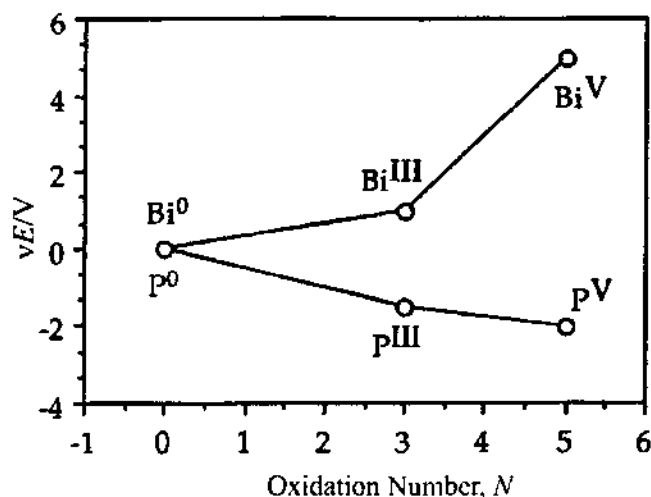


**E15.10** Phosphorus(V) oxide,  $\text{P}_4\text{O}_{10}$ , is formed by the complete combustion of white phosphorus:

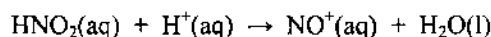


The structure of  $\text{P}_4$  is a tetrahedron of phosphorus atoms with six P–P  $\sigma$  bonds. As discussed in Section 15.1, white phosphorus ( $\text{P}_4$ ) is adopted as the reference phase for thermodynamic calculations although it is not the most stable phase of elemental phosphorus – in this sense using  $\text{P}_4$  as a reference state differs from the usual practice.

**E15.11** The main points you will want to remember are (i) Bi(III) is much more stable than Bi(V), and (ii) P(III) and P(V) are both about equally stable (i.e., Bi(V) is a strong oxidant but P(V) is not). This suggests that the point for Bi(III) on the Frost diagram lies *below* the line connecting Bi(0) and Bi(V), whereas the point for P(III) lies very close to the line connecting P(0) and P(V). The essential parts of the Frost diagrams for these two elements are shown below (see Figure 14.6 for the complete Frost diagrams).



**E15.12** The rates of reactions in which nitrite ion is reduced (i.e., in which it acts as an oxidizing agent) are increased as the pH is lowered. That is, acid enhances the rate of oxidations by  $\text{NO}_2^-$ . The reason is that  $\text{NO}_2^-$  is converted to the nitrosonium ion,  $\text{NO}^+$ , in strong acid:

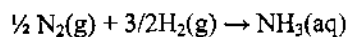


This cationic Lewis acid can form complexes with the Lewis bases undergoing oxidation (species that are oxidizable are frequently electron rich and hence are Lewis basic). Therefore, at low pH the oxidant ( $\text{NO}^+$ ) is a different chemical species than at higher pH ( $\text{NO}_2^-$ ) (see Section 15.13(b) *Nitrogen(IV) and nitrogen(III) oxides and oxoanions*).

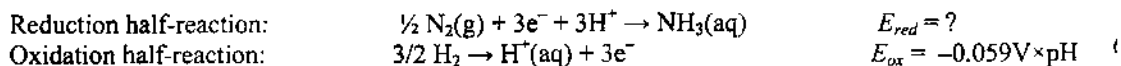
**E15.13** The given observations suggest that more than one NO molecule is involved in the slow step of the reaction mechanism because the rate of reaction is dependent on the concentration of NO. Therefore, the rate law must be more than first order in NO concentration. It turns out to be second order; an equilibrium between NO and its dimer  $\text{N}_2\text{O}_2$  precedes the rate-determining reaction with oxygen. At high concentrations of NO, the concentration of the dimer is higher (see Section 15.13(c) *Nitrogen(II) oxide*).

**E15.14** The problem provides us with  $\Delta_r G = -26.5 \text{ kJ mol}^{-1}$  for the following reaction:

## 150 Part 2: The Elements and Their Compounds



This is a redox reaction, which can be broken into two half-reactions:



We are looking for the standard reduction potential in basic aqueous solution, so the potential of standard hydrogen electrode has to be modified for the pH of the solution (pH = 14).

From the thermodynamic data we can calculate the potential of the overall reaction from  $\Delta_r G = \nu F E^\circ$ :

$$E^\circ = -\frac{\Delta_f G}{\nu F} = -\frac{-26.5 \text{ kJ mol}^{-1}}{3 \times 96.48 \text{ kC mol}^{-1}} = +0.09 \text{ V}$$

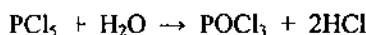
At pH = 14 the potential of  $\text{H}^+/\text{H}_2$  electrode is:

$$E_{\text{ox}} = -0.059\text{V} \times 14 = -0.826 \text{ V}$$

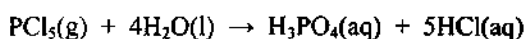
Finally, the unknown potential is:

$$\begin{aligned} E &= +0.09\text{V} = E_{\text{red}} - (-0.826\text{V}) \\ E_{\text{red}} &= -0.736\text{V} \end{aligned}$$

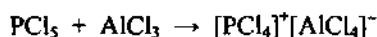
**E15.15 (a)  $\text{H}_2\text{O}$  (1:1).** In this case, water will form a strong P=O double bond, releasing two equivalents of HCl and forming tetrahedral  $\text{POCl}_3$ .



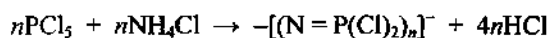
**(b)  $\text{H}_2\text{O}$  in excess.** When water is in excess, all of the P–Cl bonds will be hydrolyzed, and phosphoric acid will result:



**(c)  $\text{AlCl}_3$ .** By analogy to the reaction with  $\text{BCl}_3$ , a Group 13 Lewis acid,  $\text{PCl}_5$  will donate a chloride ion and a salt will result. Both the cation and the anion are tetrahedral.

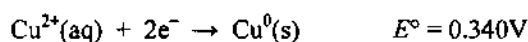
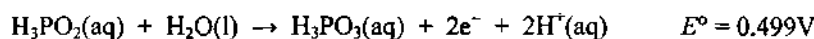


**(d)  $\text{NH}_4\text{Cl}$ .** A phosphazene, either cyclic or linear chain polymers of  $(=\text{P}(\text{Cl})_2\text{N}=\text{P}(\text{Cl})_2\text{N}=\text{P}(\text{Cl})_2\text{N}=\dots)$  bonds will be formed:

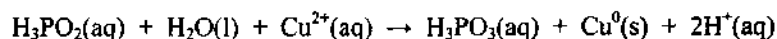


**E15.16** In both  $\text{PF}_3$  and  $\text{POF}_3$  there is only one P environment and we can expect only one signal in  $^{31}\text{P}$  NMR. For both compounds this signal is going to appear as a quartet because in each case P atom is bonded to three F atoms with  $I = \frac{1}{2}$ . Thus, splitting pattern will not be helpful. In  $\text{POF}_3$ , however, P atom is in higher oxidation state (+5) and is bonded to one more electronegative atom (oxygen) in comparison to  $\text{PF}_3$  (P oxidation state +3). As a consequence P atom in  $\text{POF}_3$  is more deshielded and its resonance will appear downfield in comparison to the P resonance in  $\text{PF}_3$ .

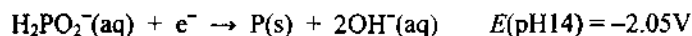
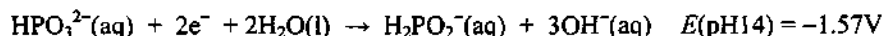
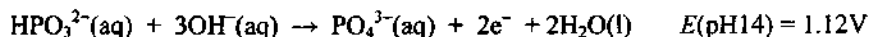
**E15.17** From the standard potentials for the following two half-reactions, the standard potential for the net reaction can be calculated:



Therefore the net reaction is:



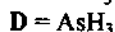
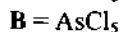
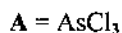
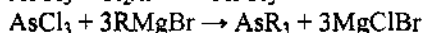
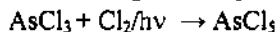
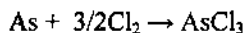
and the net standard potential is  $E^\circ = +0.839 \text{ V}$ . To determine whether  $\text{HPO}_3^{2-}$  and  $\text{H}_2\text{PO}_2^-$  are useful as oxidizing or reducing agents, you must compare  $E$  values for their oxidations and reductions at pH 14 (these potentials are listed in Resource Section 3):



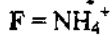
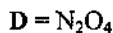
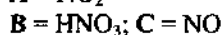
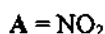
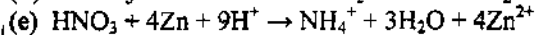
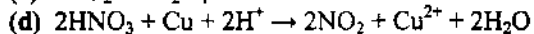
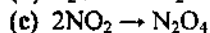
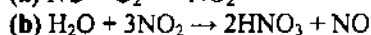
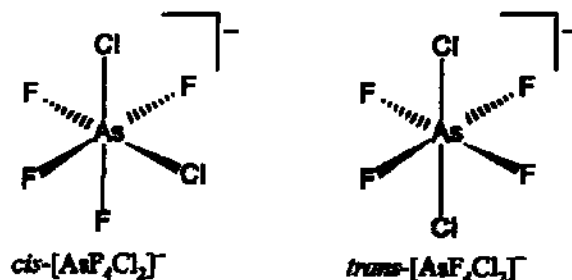
Since a positive potential will give a negative value of  $\Delta G$ , the oxidations of  $\text{HPO}_3^{2-}$  and  $\text{H}_2\text{PO}_2^-$  are much more favourable than their reductions, so these ions will be much better reducing agents than oxidizing agents.

**E15.18** In  $\text{P}_4$  structure, each P atom contributes three valence electrons to the skeletal valence electron count. Since there are four P atoms, there are 12 valence skeletal electrons or six skeletal electron pairs. So  $\text{P}_4$  would be  $n + 2$  cluster ( $n = 4$ ) making the structure *nido* type. Formally, its structure then should be derived from a trigonal bipyramid. This is indeed a reasonable solution because removal of one vertex from a trigonal bipyramid leaves tetrahedral structure.

**E15.19**



**E15.20** The two possible isomers of  $[\text{AsF}_4\text{Cl}_2]^-$  are shown below. The chlorines are adjacent in the *cis* form and opposite in the *trans* form, leading to two fluorine environments in the *cis* form and one in the *trans*. The *cis* isomer gives two  $^{19}\text{F}$  signals (both will appear as doublets) and the *trans* isomer gives one signal (a singlet).



**Note:** The reaction (b) initially produces  $\text{HNO}_3$  and  $\text{HNO}_2$  as first products of  $\text{NO}_2$  disproportionation in water. However,  $\text{HNO}_2$  further disproportionates to produce  $\text{HNO}_3$  and  $\text{NO}$ . Thus, the final products of reaction between  $\text{NO}_2$  and water are  $\text{HNO}_3$  and  $\text{NO}$ .

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**E15.22** Recall that if the potential to the right is more positive than the potential to the left, the species is thermodynamically unstable and likely to disproportionate. However, no kinetic information (i.e., how fast a species would disproportionate) can be deduced. The species of N and P that disproportionate are  $\text{N}_2\text{O}_4$ ,  $\text{NO}$ ,  $\text{N}_2\text{O}$ ,  $\text{NH}_3\text{OH}^+$ ,  $\text{H}_4\text{P}_2\text{O}_6$ , and P.

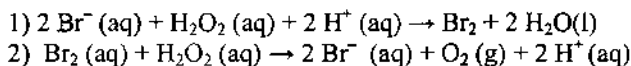
### Guidelines for Selected Tutorial Problems

**T15.3** Note that traditionally phosphates have been removed from sewage waters by precipitation. Recently, however, new methods have been developed, including biological treatment of waters. Try to analyse the chemical precipitation reactions, look at the metals used and issues related to each (including cost and potential side-effects). Any textbook covering water treatment and analysis will have both chemical and engineering sides of the process covered.

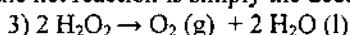
## Chapter 16 The Group 16 Elements

### Self-Test Exercises

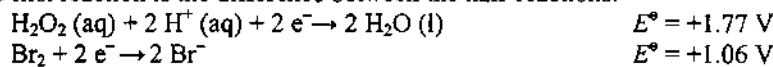
**S16.1** In order to behave as a catalyst,  $\text{Br}^-$  must react with  $\text{H}_2\text{O}_2$  (reaction 1, below) and then be regenerated (reaction 2):



So the net reaction is simply the decomposition of  $\text{H}_2\text{O}_2$ .



The first reaction is the difference between the half-reactions:



And therefore  $E^\circ_{\text{cell}} = +0.71 \text{ V}$ . This reaction is spontaneous because  $E_{\text{cell}} > 0$ .

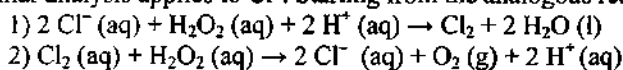
The second reaction is the difference between the half-reactions:



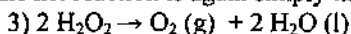
And therefore  $E^\circ_{\text{cell}} = +0.36 \text{ V}$ . This reaction is also spontaneous.

Because both reactions are spontaneous, the decomposition of  $\text{H}_2\text{O}_2$  is thermodynamically favoured in the presence of  $\text{Br}^-$ .

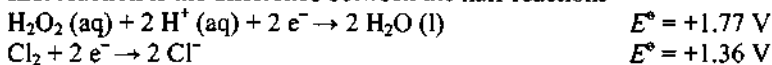
Similar analysis applies to  $\text{Cl}^-$ . Starting from the analogous reactions 1) and 2) we have:



So the net reaction is again simply the decomposition of  $\text{H}_2\text{O}_2$ .

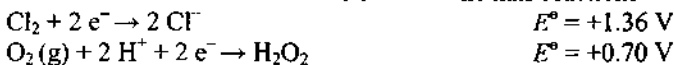


The first reaction is the difference between the half-reactions



And therefore  $E^\circ_{\text{cell}} = +0.41 \text{ V}$ . This reaction is spontaneous.

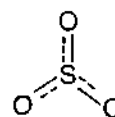
The second reaction is the difference between the half-reactions



And therefore  $E^\circ_{\text{cell}} = +0.66 \text{ V}$ . This reaction is spontaneous.

Because both reactions are spontaneous, the decomposition of  $\text{H}_2\text{O}_2$  is thermodynamically favoured in presence of  $\text{Cl}^-$ .

**S16.2** The Lewis structure of gaseous  $\text{SO}_3$  is shown below. Note that  $\text{SO}_3$  is a hybrid structure of three resonance structures. The  $\text{SO}_3$  molecule is planar and belongs to the  $D_{3h}$  point group.



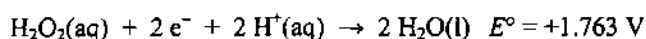
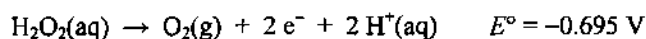
The Lewis structure of  $\text{SO}_3\text{F}^-$  anion is shown below. The molecular geometry is tetrahedral, but the point group is  $C_{3v}$ .



- S16.3** It is reasonable to make the same assumption as in the Example: each S and N have a lone electron pair and form two bonds in the cyclic  $\text{S}_4\text{N}_4$  molecule. That leaves four S atoms each still carrying an electron pair available for  $\pi$  bonding. This gives eight electrons from S atoms that could contribute to the  $\pi$  bonding. Four N atoms have one electron each, thus N atoms combined contribute four electrons. In total there are  $8 + 4 = 12$  electrons in the system that could be used for  $\pi$  bonding. Consequently  $\text{S}_4\text{N}_4$  is aromatic because the  $2n + 2$  rule is satisfied for  $n = 5$ :  $2 \times 5 + 2 = 12$ .

### End-of-Chapter Exercises

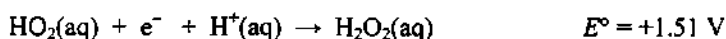
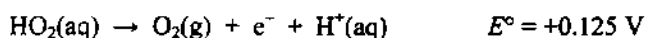
- E16.1** Remember that in general (with some exceptions) the oxides of non-metals are acidic and of metals are basic. Thus,  $\text{CO}_2$ ,  $\text{SO}_3$ , and  $\text{P}_2\text{O}_5$ , are acidic,  $\text{Al}_2\text{O}_3$  can react with either acids or bases, so it is considered amphoteric (an exception). CO is neutral (again an exception); and  $\text{MgO}$  and  $\text{K}_2\text{O}$  are basic. Review Section 4.6 if you had problems with this exercise.
- E16.2** Refer to the Figures 2.12 and 2.17 for the distribution of molecular orbitals in  $\text{O}_2$  molecule. From four valence orbitals on each oxygen atom we can form eight molecular orbitals; in order of increasing energy they are:  $1\sigma_g$ ,  $1\sigma_u$ ,  $2\sigma_g$ ,  $1\pi_u$ ,  $1\pi_g$ ,  $2\sigma_u$  (note that all  $\pi$  molecular orbitals are doubly degenerate). The bonding orbitals are  $1\sigma_g$ ,  $2\sigma_g$ , and  $1\pi_u$ , whereas the rest are antibonding molecular orbitals. Two oxygen atoms in total have 12 valence electrons which, in  $\text{O}_2$  molecule, can be distributed in the molecular orbitals as follows (obeying the Hund's rules and Pauli's exclusion principle):  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^2$ . The bond order in  $\text{O}_2$  molecule is  $\frac{1}{2}[2 - 2 + 2 + 4 - 2] = 2$ , and it corresponds to the bond length of 121 pm. The cation  $\text{O}_2^+$  is obtained when one electron is removed from the  $\text{O}_2$  molecule. Thus,  $\text{O}_2^+$  has the electronic configuration  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^1$ —note that the electron is lost from the  $1\pi_g$  antibonding orbital. The bond order in  $\text{O}_2^+$  cation is  $\frac{1}{2}[2 - 2 + 2 + 4 - 1] = 2.5$ , higher than in  $\text{O}_2$  molecule. This higher bond order is reflected in a shorter bond length of 112 pm. If we add two electrons to  $\text{O}_2$  molecule we obtain the peroxide anion,  $\text{O}_2^{2-}$ , with the electronic configuration  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^4$ —note that this time the electrons are added to the  $1\pi_g$  antibonding orbital. The bond order for  $\text{O}_2^{2-}$  is  $\frac{1}{2}[2 - 2 + 2 + 4 - 4] = 1$ . Of the three dioxygen species,  $\text{O}_2^{2-}$  has the lowest bond order and the longest bond: 149 pm.
- E16.3** (a) **The disproportionation of  $\text{H}_2\text{O}_2$ .** To calculate the standard potential for a disproportionation reaction, you must sum the potentials for the oxidation and reduction of the species in question. For hydrogen peroxide in acid solution, the oxidation and reduction are:



Therefore, the standard potential for the net reaction  $2 \text{H}_2\text{O}_2(\text{aq}) \rightarrow \text{O}_2(\text{g}) + 2 \text{H}_2\text{O}(\text{l})$  is  $(-0.695 \text{ V}) + (+1.763 \text{ V}) = +1.068 \text{ V}$ .

(b) **Catalysis by  $\text{Cr}^{2+}$ .**  $\text{Cr}^{2+}$  can act as a catalyst for the decomposition of hydrogen peroxide if the  $\text{Cr}^{3+}/\text{Cr}^{2+}$  reduction potential falls between the values for the reduction of  $\text{O}_2$  to  $\text{H}_2\text{O}_2$  ( $+0.695 \text{ V}$ ) and the reduction of  $\text{H}_2\text{O}_2$  to  $\text{H}_2\text{O}$  ( $+1.76 \text{ V}$ ). Reference to Resource Section 3 reveals that the  $\text{Cr}^{3+}/\text{Cr}^{2+}$  reduction potential is  $-0.424 \text{ V}$ , so  $\text{Cr}^{2+}$  is *not* capable of decomposing  $\text{H}_2\text{O}_2$ . See also Example and Self-Test 16.1.

(c) **The disproportionation of  $\text{HO}_2$ .** The oxidation and reduction of superoxide ion ( $\text{O}_2^-$ ) in acid solution are:



Therefore, the standard potential for the net reaction  $2 \text{HO}_2(\text{aq}) \rightarrow \text{O}_2(\text{g}) + \text{H}_2\text{O}_2(\text{aq})$  is  $(+0.125 \text{ V}) + (+1.51 \text{ V}) = +1.63 \text{ V}$ .  $\Delta_r G^\circ = -\nu F E_{\text{cell}} = -1 \times 96500 \text{ C mol}^{-1} \times 1.63 \text{ V} = -157 \text{ kJ mol}^{-1}$ . Similarly we can obtain the Gibbs energy for the disproportionation of  $\text{H}_2\text{O}_2$  (part (a)),  $\Delta_r G^\circ = 103 \text{ kJ mol}^{-1}$ .

- E16.4** Statement (a) is incorrect—this group exhibits alternation effect. Selenium, one of the group's middle elements, is not easy to oxidize to  $\text{Se}(\text{VI})$  in contrast to both sulfur and tellurium. Statement (b) is partially correct – the ground state of  $\text{O}_2$  is a triplet state but it does not react as an electrophile in Diels-Alder reactions. The triplet ground state is  $^3\Sigma_g^-$  with two unpaired electrons occupying different  $\pi^*$  ( $1\pi_u$ ) molecular orbitals. The electrophilic  $\text{O}_2$  molecule is one of the singlet states, the one that has two antiparallel electrons in one  $\pi^*$  molecular orbital,  $^1\Delta_g$  singlet state. The triplet state reacts as a radical. Statement (c) is partially correct—while ozone is considered a pollutant, it is very unlikely that the ozone pollution is caused by the diffusion of this gas from the stratosphere. Rather, this ozone is formed from other atmospheric pollutants (such as nitrogen oxides) in gas-phase atmospheric reactions.
- E16.5** Hydrogen bonds are stronger in molecules where hydrogen is bonded directly to a highly electronegative atom such as O, N, or F. Since S has smaller electronegativity compared to oxygen, we expect  $\text{O}-\text{H}\cdots\text{S}$  hydrogen bonds to be stronger.
- E16.6** Anionic species such as  $\text{S}_4^{2-}$  and  $\text{Te}_3^{2-}$  are intrinsically basic species that cannot be studied in solvents that are Lewis acids because complex formation (the Lewis acid–base pair) will destroy the independent identity of the anion. Since the basic solvent ethylenediamine will not react with  $\text{Na}_2\text{S}_4$  or with  $\text{K}_2\text{Te}_3$ , it is a better solvent for them than sulfur dioxide.
- E16.7** The three values of  $E^\circ$  for the  $\text{S}_2\text{O}_8^{2-}/\text{SO}_4^{2-}$ , the  $\text{SO}_4^{2-}/\text{SO}_3^{2-}$ , and the  $\text{SO}_3^{2-}/\text{S}_2\text{O}_3^{2-}$  couples are  $+1.96 \text{ V}$ ,  $+0.158 \text{ V}$ , and  $+0.400 \text{ V}$ , respectively. Peroxydisulfate,  $\text{S}_2\text{O}_8^{2-}$ , is very easily reduced, so it is the strongest oxidizing agent. Sulfate dianion,  $\text{SO}_4^{2-}$ , is neither strongly oxidizing nor strongly reducing. Sulfite dianion,  $\text{SO}_3^{2-}$ , on the other hand, is relatively readily oxidized to sulfate, and hence is a moderate reducing agent.
- E16.8** The reduction potential of sulfite ions in basic solution =  $-0.576 \text{ V}$ . Using the data in Resource Section 3 for Mn we can construct the following table:

Oxidation states of Mn	Standard reduction potential of Mn couples	$E^\circ_{\text{cell}} = E^\circ_{\text{red}} - E^\circ_{\text{ox}}$
7	+7 to +6 = $+0.56 \text{ V}$	+ 1.136 V
6	+6 to +5 = $+0.27 \text{ V}$	+ 0.847 V
5	+5 to +4 = $+0.93 \text{ V}$	+ 1.506 V
4	+4 to +3 = $+0.15 \text{ V}$	+ 0.726 V
3	+3 to +2 = $-0.25 \text{ V}$	+ 0.326 V
2	+2 to 0 = $-1.56 \text{ V}$	-0.984 V



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From the table we can see that except the +2 oxidation state of Mn, all other oxidation states of Mn will be reduced by sulfite ions in basic solution because in each case we can obtain  $E_{\text{cell}} > 0$ , indicating spontaneous reaction.

- E16.9** (a) The formulas for these ions in acidic solution are  $\text{H}_5\text{TeO}_6^-$  and  $\text{HSO}_4^-$  (the parent acids are  $\text{H}_6\text{TeO}_6$ , or  $\text{Te}(\text{OH})_6$ , and  $\text{H}_2\text{SO}_4$ ).  
 (b) Tellurium(VI) is a much larger centre than sulfur(VI) and can readily increase its coordination number (increase from 4 in S(VI) to 6 in Te(VI)). This trend is found in other groups in the p-block.
- E16.10** If the potential to the right is more positive than the potential to the left, the species is unstable and likely to disproportionate.  $\text{S}_2\text{O}_6^{2-}$  and  $\text{S}_2\text{O}_3^{2-}$  are unstable with respect to disproportionation.
- E16.11** In general, from Latimer diagrams the stability of a given species against disproportionation depends on whether the right-hand side potential is greater or smaller than the left-hand side potential. If the right-hand side potential is greater than the left-hand side potential, the species is inherently unstable against disproportionation. Now looking at the Latimer diagram for  $\text{SeO}_3^{2-}$  in both acidic and basic solutions, the right-hand side potential is smaller than the left-hand side potential indicating that  $\text{SeO}_3^{2-}$  is stable both in acidic as well as basic solution. However, if one wants to estimate the relative stability then it would be instructive to calculate the overall potentials for disproportionation reaction.

$$\text{Standard Electrode potential } (E^\circ) = \text{Cathodic reduction potential } (E_c^\circ) - \text{Anodic reduction potential } (E_a^\circ)$$

For  $\text{pH} > 7$ ,

the cathodic reduction potential of  $\text{SeO}_3^{2-} = -0.36\text{V}$

the anodic reduction potential of  $\text{SeO}_3^{2-} = +0.03\text{V}$

$$\begin{aligned} E^\circ_{\text{selenate ion}} &= -0.36\text{V} - (+0.03\text{V}) \\ &= -0.39\text{V} \end{aligned}$$

For  $\text{pH} < 7$ ,

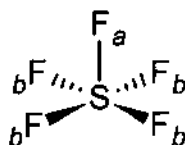
the cathodic reduction potential of  $\text{SeO}_3^{2-} = +0.74\text{V}$

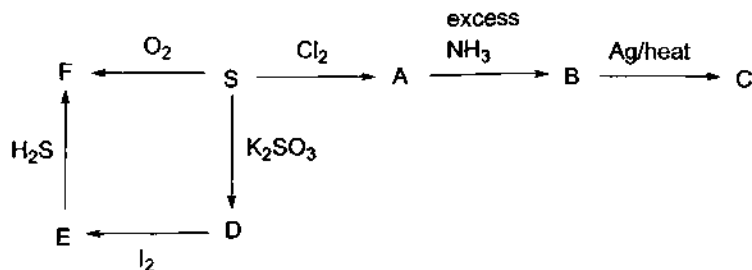
the anodic reduction potential of  $\text{SeO}_3^{2-} = +1.15\text{V}$

$$\begin{aligned} E^\circ_{\text{selenate ion}} &= +0.74\text{V} - (+1.15\text{V}) \\ &= -0.41\text{V} \end{aligned}$$

From this it can be concluded that the  $\text{SeO}_3^{2-}$  is marginally more stable in acid solutions.

- E16.12** The half-potentials for the reduction of  $\text{VO}^{2+}$ ,  $\text{Fe}^{3+}$ , and  $\text{Co}^{3+}$  are +1.00V, +0.771V, and +1.92 V, respectively. All will be reduced as their potentials are greater than the potential of thiosulfate.
- E16.13**  $\text{SF}_3^+$  has a trigonal pyramidal molecular geometry with tetrahedral electron pair geometry,  $\text{BF}_4^-$  tetrahedral (both molecular and electron pair geometry).
- E16.14** (a)  $\text{SF}_4 + (\text{CH}_3)_4\text{NF} \rightarrow [(\text{CH}_3)_4\text{N}]^+[\text{SF}_5]^-$   
 The above reaction is balanced once the stoichiometry of the reaction is determined: convert the masses of the reagents to moles and see that they react in 1 : 1 molar ratio.  
 (b) Square pyramidal structure (see structure below)  
 (c) Two F environments (basal and axial,  $F_b$  and  $F_a$  respectively on the structure below) would result in two signals in the  $^{19}\text{F}$ -NMR. The  $F_a$  resonance, with intensity 1, would show as a quintet due to the coupling to four equivalent basal F atoms. The  $F_b$  resonance, with intensity 4, would appear as a doublet due to the coupling to one axial F atom.



**E16.15 Identify the sulfur-containing compounds A, B, C, D, E, and F.**

**A** =  $\text{S}_2\text{Cl}_2$ , **B** =  $\text{S}_4\text{N}_4$ , **C** =  $\text{S}_2\text{N}_2$ , **D** =  $\text{K}_2\text{S}_2\text{O}_3$ , **E** =  $\text{S}_2\text{O}_6^{2-}$ , **F** =  $\text{SO}_2$

Note: Sulfur reacts with  $\text{Cl}_2$  to produce both  $\text{S}_2\text{Cl}_2$  and  $\text{SCl}_2$ . However, of the two possible chlorides, only  $\text{S}_2\text{Cl}_2$  can be taken in further reactions with  $\text{NH}_3$  (to give  $\text{S}_4\text{N}_4$ ) and Ag (to produce  $\text{S}_2\text{N}_2$  from  $\text{S}_4\text{N}_4$ ). Thus, the acceptable product **A** is  $\text{S}_2\text{Cl}_2$ .

- E16.16** (a)  $\text{S}_3\text{N}_3^-$  has three electron pairs from S atoms, three electrons from N atoms, and one electron from the negative charge available for  $\pi$  bonding. In total there are 10 electrons available for  $\pi$  bonding, and this anion is conforming to the  $2n + 2$  rule with  $n = 4$  ( $2 \times 4 + 2 = 10$ ) and it is expected to exhibit inorganic aromaticity.
- (b) The  $\text{S}_4\text{N}_3^+$  cation has, in total, 10 electrons available for  $\pi$  bonding: eight from electron pairs on four S atoms, three electrons from three N atoms, and minus one for positive charge. It is expected to be aromatic because it obeys the  $2n + 2$  rule with  $n = 4$ .
- (c)  $\text{S}_5\text{N}_5$  has 15 electrons available for  $\pi$  bonding: 10 from five sulfur atoms and five from five N atoms. It is not expected to be aromatic because it does not obey the  $2n + 2$  rule.

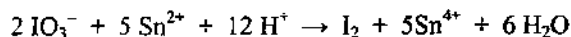
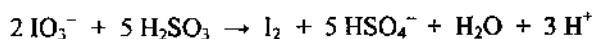
**E16.17** Sulfuric and selenic acids are rather similar. When pure, both are hygroscopic, very viscous liquids. Both form crystalline hydrates. Sulfuric and selenic acids react with their anhydrides,  $\text{SO}_3$  and  $\text{SeO}_3$ , to produce trisulfuric and triselenic acids respectively. Much like sulfuric acid, selenic acid is a strong acid in the first dissociation step, and the acids have the same order of magnitude for  $K_{a2}$  ( $\sim 10^{-2}$ ). Both produce two types of salts: hydrogensulfates/sulfates and hydrogenselenates/selenates. The salts also have similar solubilities. The most important difference between the two acids is their oxidizing power:  $\text{H}_2\text{SeO}_4$  is a very strong oxidizing agent capable even of oxidizing gold and palladium.

Telluric acid is remarkably different from sulfuric and selenic acid. When pure, it is a solid composed of discrete  $\text{Te}(\text{OH})_6$  octahedra. This structure is retained in the solution as well. As it can be expected, it forms more than two types of salts:  $\text{H}_5\text{TeO}_6^-$ ,  $\text{H}_4\text{TeO}_6^{2-}$ ,  $\text{H}_2\text{TeO}_4^{4-}$ , and  $\text{TeO}_6^{6-}$ . It is a weak acid even in the first dissociation step. At elevated temperatures it loses water molecules to produce various polytelluric acids. What is similar to sulfuric and selenic acid is that  $\text{Te}(\text{OH})_6$  can produce well-defined, crystalline hydrates. Telluric acid is a weaker oxidizing agent than selenic acid in both acidic and alkaline medium, but is a stronger oxidant than sulfuric acid in either medium.

## Chapter 17 The Group 17 Elements

### Self-Test Exercises

**S17.1** Since the  $\text{IO}_3^-/\text{I}_2$  standard reduction potential is +1.19 V (see Resource Section 3), many species can be used as reducing agents, including  $\text{SO}_2(\text{aq})$  and  $\text{Sn}^{2+}(\text{aq})$ : the  $\text{HSO}_4^-/\text{H}_2\text{SO}_3$  and  $\text{Sn}^{4+}/\text{Sn}^{2+}$  reduction potentials are +0.158 V and +0.15 V, respectively. The balanced equations would be as follows:



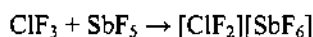
The reduction of iodate with aqueous sulfur dioxide would be far cheaper than reduction with  $\text{Sn}^{2+}$  because sulfur dioxide costs less than tin. One reason this is so is because sulfuric acid, for which  $\text{SO}_2$  is an intermediate, is prepared worldwide on an enormous scale.

**S17.2** Iodine is the central atom in the molecule. Seven valence electrons form bonds with seven fluorine atoms, giving a total of seven bonding electron pairs, and structure is pentagonal bipyramid.



The  $^{19}\text{F}$ -NMR spectrum of  $\text{IF}_7$  contains two resonances. One is sextet for two axial F atoms (coupled to five equatorial F atoms), and another one is a triplet due to the five equatorial F atoms (coupled to two axial F atoms). The intensity ratios of the two resonances is 1 : 5.

**S17.3** The reaction is:



The shape of the reactants:

$\text{ClF}_3$ : This is an  $\text{XY}_3$  interhalogen. The central Cl atom is surrounded by five electron pairs: two are lone electron pairs and three are bonding pairs resulting in a trigonal bipyramidal shape and a distorted T-shaped molecular geometry.

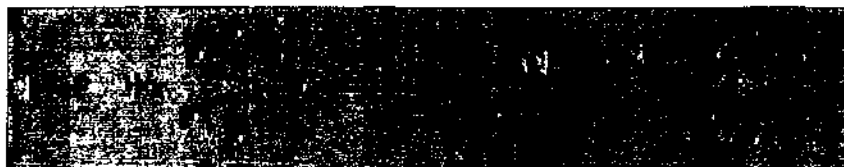
$\text{SbF}_5$ : There are five electron pairs around the central atom, Sb, all of which are bonding pairs resulting in a trigonal bipyramidal geometry.

The shape of the products:

$[\text{ClF}_2]^+$ : After the removal of one  $\text{F}^-$  during the reaction, the central Cl atom is now surrounded by four electron pairs: two bonding and two lone electron pairs. This results in a tetrahedral electron group geometry and a bent molecular shape.

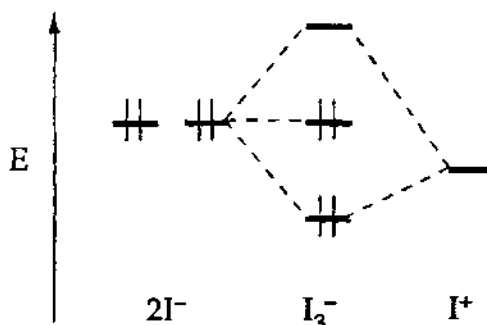
$[\text{SbF}_6]^-$ : After bonding to one  $\text{F}^-$  the central Sb now has six electron pairs around it, all of which are bonding. This results in an octahedral molecular shape.

The structures of all four are shown below:

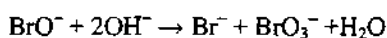


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**S17.4** Examples include  $I_3^-$ ,  $IBr_2^-$ ,  $ICl_2^-$ , and  $IF_2^-$ . In all cases, consider that the central  $I^+$  species has a vacant orbital that interacts with two electron pair donors:  $py$  in the case of  $[py-I-py]^+$  in the example and  $I^-$  in the case of  $I_3^-$ . The three centres contribute four electrons to three molecular orbitals, one bonding, one nonbonding, and one antibonding.

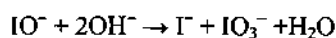
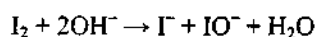


**S17.5** (a) Bromine species that will disproportionate in a basic solution are  $Br_2$  and  $BrO^-$ :



Note that the disproportionation of  $Br_2$  is likely going to produce  $Br^-$  and  $BrO_3^-$  because  $BrO^-$ , the initial product, is also prone to disproportionation.

(b) Iodine species that will disproportionate in a basic solution are:  $I_2$  and  $IO^-$ :



with the similar note pertaining to the  $I_2$  disproportionation product as in (a) for bromine above.

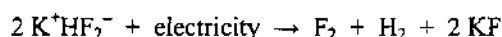
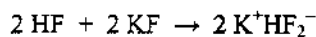
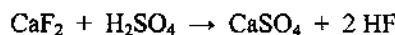
**End-of-Chapter Exercises**

**E17.1** The table summarizes the facts:

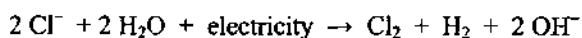
		Physical state	Electronegativity	Hardness of halide ion	Color
Fluorine	$F_2$	gas	highest (4.0)	hardest	light yellow
Chlorine	$Cl_2$	gas	lower	softer	yellow-green
Bromine	$Br_2$	liquid	lower	softer	dark red-brown
Iodine	$I_2$	solid	lowest	softest	dark violet

**E17.2** Since chlorine and fluorine have strongly positive reduction potentials, the oxidation of the chloride and fluoride anions require very strong oxidizing agents. As a result only electrolytic oxidation of  $Cl^-$  and  $F^-$  is commercially reasonable.

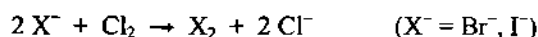
The principal source of fluorine is  $CaF_2$ . It is converted to HF by treating it with a strong acid such as sulfuric acid. Liquid HF is electrolyzed to  $H_2$  and  $F_2$  in an anhydrous cell, with KF as the electrolyte:



The principal source of the other halides is seawater (natural brines). Chlorine is liberated by the electrolysis of aqueous NaCl (the chloralkali process):

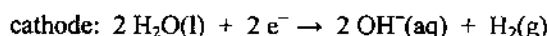
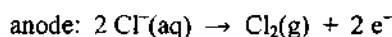


Bromine and iodine are prepared by treating aqueous solutions of the halides with chlorine:



$\text{Cl}_2$  is a stronger oxidizing reagent than  $\text{Br}_2$  and  $\text{I}_2$ , so it can be used as an oxidant to oxidize  $\text{Br}^-$  and  $\text{I}^-$ .

**E17.3** A drawing of the cell is shown in Figure 17.3. Note that  $\text{Cl}_2$  is liberated at the anode and  $\text{H}_2$  is liberated at the cathode, according to the following half-reactions:



To maintain electroneutrality,  $\text{Na}^+$  ions diffuse through the membrane. Because of the chemical properties of the membrane, anions such as  $\text{Cl}^-$  and  $\text{OH}^-$  cannot diffuse through it. If  $\text{OH}^-$  ions did diffuse through the membrane, they would react with  $\text{Cl}_2$  and spoil the yield of the electrolysis because  $\text{Cl}_2$  easily disproportionates in a basic medium:

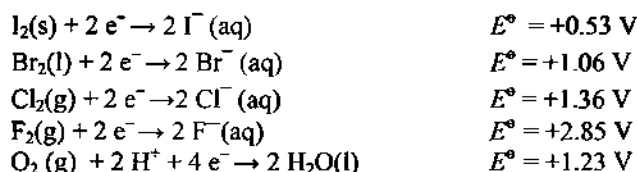


**E17.4** According to Figure 17.5, the vacant anti-bonding orbital of a halogen molecule is  $2\sigma_u^*$  and is composed primarily of halogen atomic p orbitals; recall that the  $ns$ - $np$  gap is larger toward the right-hand side of the periodic table, and the larger the gap, the smaller the amount of s-p mixing. A sketch of the empty  $2\sigma_u^*$  anti-bonding orbital is shown below:

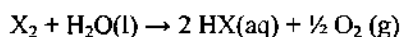


Since the  $2\sigma_u^*$  anti-bonding orbital is empty (hence it is LUMO for an  $\text{X}_2$  molecule), it is the orbital that accepts the pair of electrons from a Lewis base B when a dative  $\text{B} \rightarrow \text{X}_2$  bond is formed. From the shape of the LUMO, we can conclude that the  $\text{B-X-X}$  unit should be linear.

**E17.5** The standard reduction potentials for different dihalogens and  $\text{H}_2\text{O}$  are:



For a halogen to be thermodynamically capable of oxidizing water, the following reaction



should have  $E_{\text{cell}}^\circ = E_{\text{red}}^\circ - E_{\text{ox}}^\circ > 0$ . From the above given data, the reduction potentials of  $\text{I}_2$  and  $\text{Br}_2$  are lower than the reduction potential of  $\text{H}_2\text{O}$ ; thus for these two halogens  $E_{\text{cell}}^\circ < 0$ . The reduction potentials of  $\text{Cl}_2$  and  $\text{F}_2$

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are higher than the reduction potential of  $\text{H}_2\text{O}$ , and for them  $E^\circ_{\text{cell}} > 0$ . Therefore,  $\text{Cl}_2$  and  $\text{F}_2$  are *thermodynamically* capable of oxidizing  $\text{H}_2\text{O}$  to  $\text{O}_2$ .

- E17.6 (a) The difference in volatility.** Ammonia is one of a number of substances that exhibit very strong hydrogen bonding. The very strong  $\text{N} - \text{H}^{\delta+} \cdots \text{N}^{\delta-}$  intermolecular interactions lead to a relatively large enthalpy of vaporization and a relatively high boiling point for  $\text{NH}_3$  ( $-33^\circ\text{C}$ ). In contrast, the intermolecular forces in liquid  $\text{NF}_3$  are relatively weak dipole-dipole forces. In comparison to hydrogen bonding, dipole-dipole forces require less energy to be broken, resulting in a smaller enthalpy of vaporization and a low boiling point ( $-129^\circ\text{C}$ ) for  $\text{NF}_3$ .
- (b) Explain the difference in basicity.** The strong electron-withdrawing effect of the three fluorine atoms in  $\text{NF}_3$  lowers the energy of the nitrogen atom lone pair. This lowering of energy has the effect of reducing the electron-donating ability of the nitrogen atom in  $\text{NF}_3$ , reducing the basicity.

- E17.7 (a) The reaction of  $(\text{CN})_2$  with  $\text{NaOH}$ .** When a halogen such as chlorine is treated with an aqueous base, it undergoes disproportionation to yield chloride ion and hypochlorite ion, as follows:

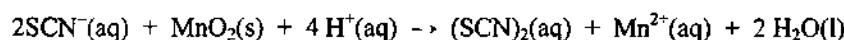


The analogous reaction of cyanogen with base is:

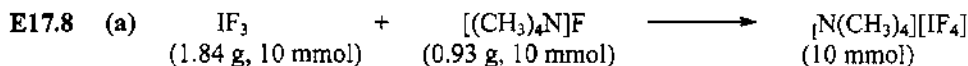


The linear  $\text{NCO}^-$  ion is called cyanate.

- (b) The reaction of  $\text{SCN}^-$  with  $\text{MnO}_2$  in aqueous acid.** If  $\text{MnO}_2$  is an oxidizing agent, then the probable reaction is oxidation of thiocyanate ion to thiocyanogen,  $(\text{SCN})_2$ , coupled with reduction of  $\text{MnO}_2$  to  $\text{Mn}^{2+}$  (if you do not recall that  $\text{Mn}^{3+}$  is unstable to disproportionation, you will discover it when you refer to the Latimer diagram for manganese in Resource Section 3). The balanced equation is:



- (c) The structure of trimethylsilyl cyanide.** Just as halides form  $\text{Si}-\text{X}$  single bonds, trimethylsilyl cyanide contains an  $\text{Si}-\text{CN}$  single bond. Its structure is shown below:



Note that  $\text{IF}_3$  and  $[(\text{CH}_3)_4\text{N}]\text{F}$  react in 1 : 1 ratio and that only one product X is formed; therefore the product X is  $[(\text{CH}_3)_4\text{N}][\text{IF}_4]$ .

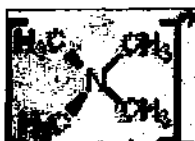
- (b)** A reliable way to predict the structure of  $\text{IF}_3$  is to draw its Lewis structure and then apply VSEPR theory. In the Lewis structure for  $\text{IF}_3$ , iodine is the central atom. Three bonding pairs and two lone pairs on the iodine yield trigonal bipyramidal electron geometry and T-shaped molecular geometry, as shown below.



The shape of anion  $\text{IF}_4^-$  is square planar (see the structure below). The iodine atom is at the centre of the ion. Four electron pairs form bonds to F atoms, and two electron pairs do not take part in bonding.



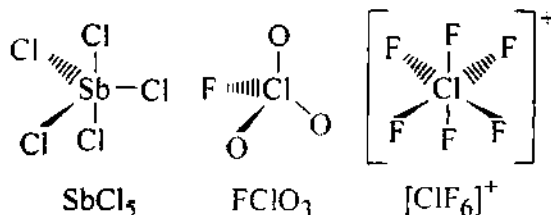
The shape of cation  $(\text{CH}_3)_4\text{N}^+$  is tetrahedral. The nitrogen atom is at the centre of the cation. Nitrogen has five valence electrons. Three electrons form bonds to  $\text{CH}_3$ , plus one lone pair forms coordinate covalent bond with  $\text{CH}_3^+$ .



(c) The  $^{19}\text{F}$ -NMR spectrum of  $\text{IF}_3$  contains two resonances: one doublet is for axial F atoms and another triplet is for an equatorial F atom.

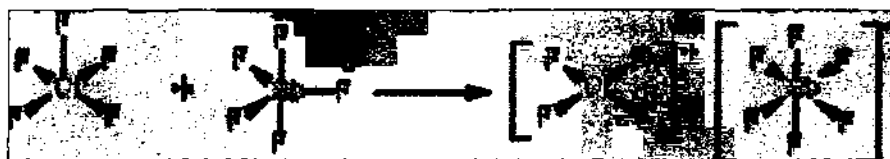
The  $^{19}\text{F}$ -NMR spectrum of  $\text{IF}_4^-$  contains one resonance, a singlet.

**E17.9**  $\text{SbCl}_5$  is trigonal bipyramidal,  $\text{FClO}_3$  is tetrahedral, and  $[\text{ClF}_6]^+$  is octahedral.

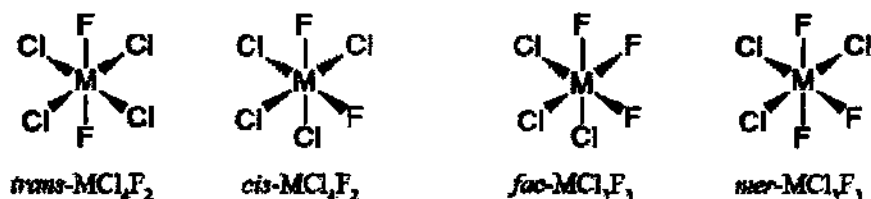


**E17.10**  $\text{SbF}_5$  is a strong Lewis acid and extracts a fluoride ion from the interhalogen compound  $\text{ClF}_5$ , leading to the formation of  $[\text{ClF}_4]^+[\text{SbF}_6]^-$ .

The structures are shown below:



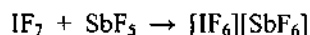
**E17.11** The complex  $\text{MCl}_4\text{F}_2$  can have two isomers: *cis* and *trans* (see below). Both isomers have one resonance in  $^{19}\text{F}$ -NMR.  $\text{MCl}_3\text{F}_3$  also has two isomers: *fac* and *mer*. The *fac* isomer has one resonance and the *mer* isomer has two resonances—one will appear as a doublet for two mutually *trans* F atoms coupled to the *cis* F atom, and one triplet for the *cis* F atom coupled to two mutually *trans* F atoms.



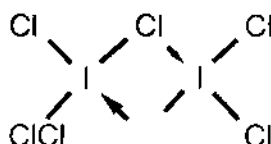
- 17.12 (a) The structures of  $\{\text{IF}_6\}^+$  and  $\text{IF}_7$ . The structures are shown below. The structures actually represent the Lewis structures as well, except that the three lone pairs of electrons on each fluorine atom have been omitted. VSEPR theory predicts that a species with six bonding pairs of electrons, such as  $\text{IF}_6^+$ , should be octahedral. Possible structures of species with seven bonding pairs of electrons, like  $\text{IF}_7$ , were not covered in Section 2.3, but a reasonable and a symmetrical structure would be a pentagonal bipyramid.



- (b) The preparation of  $\{\text{IF}_6\}^+ [\text{SbF}_6]^-$ . Judging from the structures shown above, it should be possible to abstract an  $\text{F}^-$  ion from  $\text{IF}_7$  to produce  $\text{IF}_6^+$ . The strong Lewis acid  $\text{SbF}_5$  should be used for the fluoride abstraction so that the salt  $\{\text{IF}_6\}^+ [\text{SbF}_6]^-$  will result:



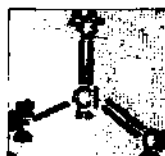
- 17.13  $\text{I}_2\text{Cl}_6$  is the dimer of  $\text{ICl}_3$  with two Cl atoms acting as bridges. Therefore each iodine atom contains 12 valence electrons, or four bonding pairs and two non-bonding pairs. VSEPR theory predicts that the electron geometry around each iodine atom with six pairs of electrons should be octahedral, and with four bonding and two non-bonding electron pairs, the molecular geometry should be square planar for each iodine atom. In this structure four Cl atoms occupy the corners of square plane. In the solid state the compound is a planar dimer ( $\text{I}_2\text{Cl}_6$ ) with bridging Cl atoms.



The point group of  $\text{I}_2\text{Cl}_6$  is  $D_{2h}$ .

- 17.14 The Lewis structure for  $\text{ClO}_2\text{F}$  is shown below. (Note that chlorine is the central atom, not oxygen or fluorine. The heavier, less electronegative element is always the central atom in interhalogen compounds and in compounds containing two different halogens and oxygen). Three bonding pairs and one lone pair yield a trigonal pyramidal molecular geometry, also shown below. This structure possesses only a single symmetry element, a mirror plane that bisects the O–Cl–O angle and contains the Cl and F atoms; therefore,  $\text{ClO}_2\text{F}$  has a  $C_s$  symmetry.

The Lewis structure of  $\text{ClO}_2\text{F}$ :





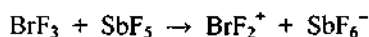
The trigonal pyramidal structure of  $\text{ClO}_2\text{F}$ :



**E17.15** (a)  $\text{SbF}_5$ ? The acid/base properties of liquid  $\text{BrF}_3$  result from the following autoionization reaction:

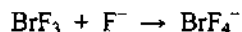


The acidic species is the cation  $\text{BrF}_2^+$  and the basic species is the anion  $\text{BrF}_4^-$ . Adding the powerful Lewis acid  $\text{SbF}_5$  will increase the concentration of  $\text{BrF}_2^+$ , thus increasing the acidity of  $\text{BrF}_3$  by the following reaction:

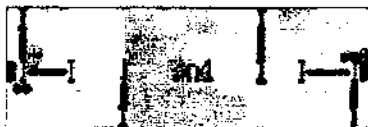


(b)  $\text{SF}_6$ ? Adding  $\text{SF}_6$  will have no effect on the acidity or basicity of  $\text{BrF}_3$  because  $\text{SF}_6$  is neither Lewis acidic nor Lewis basic.

(c)  $\text{CsF}$ ? Adding  $\text{CsF}$ , which contains the strong Lewis base  $\text{F}^-$ , will increase the concentration of  $\text{BrF}_4^-$ , thus increasing the basicity of  $\text{BrF}_3$ , by the following reaction:



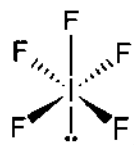
**E17.16** The structure of  $\text{I}_5^+$  cation reveals two different I–I bond lengths: longer central I–I distances (290 pm) and shorter terminal I–I distances (268 pm). The difference in bond lengths can be explained by different bond order – recall that shorter bond lengths correspond to higher bond orders. You can also note that the shorter bond distances in  $\text{I}_5^+$  are identical to I–I distances in  $\text{I}_3^+$  (structure 4) and that the bond angles are about the same. This gives us one description of  $\text{I}_5^+$  structure as a hybrid of two structures:



This description uses two-centre bonding with the overall hybrid structure having bond order lower than one for the three central I atoms thus accounting for the longer bond length between these atoms. Also note that in each structure the positively charged central I atom has four electron pairs—two bonding and two lone pairs—which results in overall bent geometry at those I atoms. This, combined with the relatively large size of an iodine atom, explains the fact that the bond angles are around  $90^\circ$ .

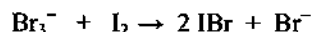
A bit more rigorous bonding analysis can be derived using simplified molecular orbital approach. If we place the z axis along I–I–I bonds then we can consider the overlap of three  $p_z$  atomic orbitals on three I atoms. In this case we are going to place a positive charge on the middle I atom and make the empty p orbital on this  $\text{I}^+$  a  $p_z$  atomic orbital. Two I atoms on either side have filled  $p_z$  atomic orbitals. Starting from these three atomic orbitals we can produce three molecular orbitals: a bonding, a non-bonding, and an anti-bonding molecular orbital. The bonding molecular orbital is going to be filled and will have electron density between all three I nuclei giving a three-centre bonding description. Non-bonding orbital will also be filled but would be mostly located on I atoms on either side of the central cation, thus contributing little to bonding (a more rigorous computational analysis can reveal that this orbital is actually slightly bonding in character). The non-bonding molecular orbital is empty. The central I–I bonds are longer because the bonding orbital contains only two electrons but spans three nuclei. The terminal I–I bonds are shorter because they are typical two-centre, two-electron bonds. This simplified MO diagram looks the same as the MO diagram for Self-test 17.4 with the only difference being that the two  $\text{I}^-$  on the left side of the diagram in Self-Test 17.4 are replaced by two I atoms.

- E17.17** Iodine is the central atom in  $\text{IF}_5$ . Five unpaired electrons form bonds with five fluorine atoms, plus one lone electron, giving a total of six electron pairs. Therefore, the electronic geometry is octahedral with one position occupied by a lone pair giving a square pyramidal arrangement of atoms.



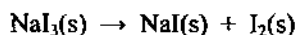
The structure of the cation  $\text{IF}_5^+$  is similar—removal of one electron from  $\text{IF}_5$  converts a lone electron pair into an unpaired electron. There will be less repulsion between a lone electron and bonding electron pairs in I–F bonds but the arrangement of atoms would remain square pyramidal. Thus, the  $^{19}\text{F}$ -NMR spectrum of  $\text{IF}_5^+$  contains two resonances—one is doublet for four basal F atoms coupled to the axial F, and another one is quintet for the axial F atom coupled to the four basal F atoms.

- E17.18** (a)  $\text{SbF}_5$ . All interhalogens, including  $\text{BrF}_3$ , are strong oxidizing agents. The antimony atom in  $\text{SbF}_5$  is already in its highest oxidation state, and the fluorine cannot be chemically oxidized (fluorine is the most electronegative element). Since  $\text{SbF}_5$  cannot be oxidized, it will not form an explosive mixture with  $\text{BrF}_3$ .  
 (b)  $\text{CH}_3\text{OH}$ . Methanol, being an organic compound, is readily oxidized by strong oxidants. Therefore, you should expect it to form an explosive mixture with  $\text{BrF}_3$ .  
 (c)  $\text{F}_2$ . Both  $\text{F}_2$  and  $\text{BrF}_3$  are strong oxidizing agents. However,  $\text{F}_2$  can oxidize Br from +3 in  $\text{BrF}_3$  and produce  $\text{BrF}_5$  with Br in oxidation state +5. The two will not form an explosive mixture but will react.  
 (d)  $\text{S}_2\text{Cl}_2$ . In this compound, sulfur is in the +1 oxidation state. Recall that  $\text{SF}_4$  and  $\text{SF}_6$  are stable compounds. Therefore, you should expect  $\text{S}_2\text{Cl}_2$  to be oxidized to higher valent sulfur fluorides. The mixture  $\text{S}_2\text{Cl}_2 + \text{BrF}_3$  will be an explosion hazard.
- E17.19** Since  $\text{Br}_3^-$  is only moderately stable it is likely going to produce  $\text{Br}_2$  and  $\text{Br}^-$  in solution.  $\text{IBr}$  is, however, fairly stable. Hence, the probable reaction will be:



The  $\text{IBr}$  may associate to some extent with  $\text{Br}^-$  to produce  $\text{IBr}_2^-$ .

- E17.20** This is an example of an important principle of inorganic chemistry: large cations stabilize large anions. This trend appears to have a simple electrostatic origin. A detailed analysis of this particular situation is as follows. The enthalpy change for the reaction



is negative, which is just another way of stating that  $\text{NaI}_3$  is not stable. This enthalpy change for the above reaction is composed of four terms, as shown here:

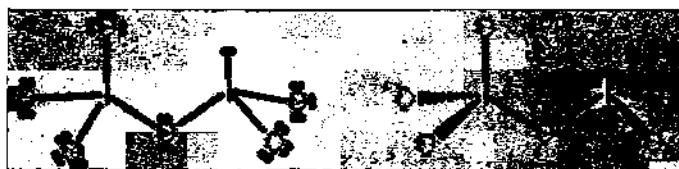
$$\Delta_{\text{rxn}}H = \Delta_{\text{latt}}H(\text{NaI}_3) + D([\text{I} - \text{I}_2]^-) - \Delta_{\text{latt}}H(\text{I}_2(\text{s})) - \Delta_{\text{latt}}H(\text{NaI}(\text{s}))$$

The fourth term, the lattice enthalpy for  $\text{NaI}(\text{s})$ , is larger than the first term, the lattice enthalpy for  $\text{NaI}_3(\text{s})$  because  $\text{I}^-$  is smaller than  $\text{I}_3^-$ . This difference provides the driving force for the reaction to occur as written. If you substitute  $\text{Cs}^+$  for  $\text{Na}^+$ , the two middle terms will remain constant. Now, the fourth term is still larger than the first term, *but by a significantly smaller amount*. The net result is that  $\Delta_{\text{rxn}}H$  for  $\text{CsI}_3$  is positive. In the limit where the cation becomes infinitely large, the difference between the first and fourth terms becomes negligible.

- E17.21** (a)  $\text{ClO}_2$ . The Lewis structure and the predicted shape of  $\text{ClO}_2$  are shown below. The angular shape is a consequence of repulsions between the bonding and non-bonding electrons. With three non-bonding electrons, the O–Cl–O angle in  $\text{ClO}_2$  is  $118^\circ$ . With four non-bonding electrons, as in  $\text{ClO}_2^-$ , the repulsions are greater and the O–Cl–O angle is only  $111^\circ$ . The point group is  $C_{2v}$ .



(b)  $\text{I}_2\text{O}_6$ . The easiest way to determine this structure is to bond one more oxygen atom to any iodine atoms in the structure of  $\text{I}_2\text{O}_5$  (structure 15 in this chapter). This derived Lewis structure and the predicted molecular geometry of  $\text{I}_2\text{O}_6$  are shown below. The central O atom has two bonding pairs of electrons and two lone pairs, like  $\text{H}_2\text{O}$ , so it should be no surprise that the I–O–I bond angle is less than  $180^\circ$ . One iodine atom is trigonal pyramidal because it has three bonding pairs and one lone pair; while the other iodine atom, with four bonding pairs, is tetrahedral. The point group is  $C_2$  for the geometry shown.

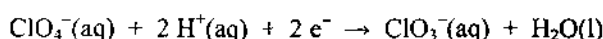


**E17.22 (a) Formulas and acidities.** The formulas are  $\text{HBrO}_4$  and  $\text{H}_5\text{IO}_6$ . The difference lies in iodine's ability to expand its coordination shell, a direct consequence of its large size. Recall from Section 4.4 that the relative strength of an oxoacid can be estimated from the  $q/p$  ratio ( $p$  is the number of *oxo* groups and  $q$  is the number of OH groups attached to the central atom). A high value of  $p/q$  correlates with strong acidity, whereas a low value correlates with weak acidity. For  $\text{HBrO}_4$ ,  $p/q = 3/1$ , so it is a strong acid. For  $\text{H}_5\text{IO}_6$ ,  $p/q = 1/5$ , so it is a weak acid.

(b) **Relative stabilities.** Periodic acid is thermodynamically more stable with respect to reduction than perbromic acid. Bromine, like its period 4 neighbours arsenic and selenium, is more oxidizing in its highest oxidation state than the members of the group immediately above and below.

**E17.23 (a) The expected trend.** Looking at Figure 17.14, we observe that  $E$  decreases as the pH increases.

(b)  **$E$  at pH 0 and pH 7 for  $\text{ClO}_4^-$ .** The balanced equation for the reduction of  $\text{ClO}_4^-$  is:



The value of  $E^\circ$  for this reaction at pH = 0 is +1.201 V. The potential at any  $[\text{H}^+]$ , given by the Nernst equation, is

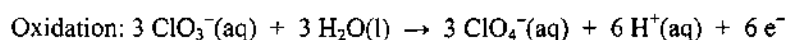
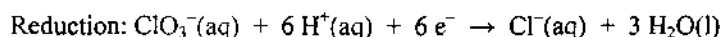
$$E = E^\circ - (0.059 \text{ V}/2)(\log([\text{ClO}_3^-]/[\text{ClO}_4^-][\text{H}^+]^2))$$

At pH 7,  $[\text{H}^+] = 10^{-7} \text{ M}$  and assuming that both perchlorate and chlorate ions are present at unit activity, the reduction potential is

$$E = +1.201 \text{ V} - (0.0295 \text{ V})(\log 10^{14}) = +1.201 \text{ V} - 0.413 \text{ V} = 0.788 \text{ V}$$

Thus the potential at pH = 7 is less positive than at pH = 0 resulting in lower oxidizing power of  $\text{ClO}_4^-$  as we would predict from part (a).

**E17.24** Its disproportionation of  $\text{ClO}_3^-$ , for example, can be broken down into a reduction and an oxidation, as follows:



Any effect that changing the pH has on the potential for the reduction reaction will be counteracted by an equal but opposite change on the potential for the oxidation reaction. In other words, the net reaction does not include  $\text{H}^+$ , so

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the net potential for the disproportionation cannot be pH dependent. Therefore, the promotion of disproportionation reactions of some oxoanions at low pH *cannot* be a thermodynamic promotion. Low pH results in a kinetic promotion. Protonation of an *oxo* group that occurs at low pH values aids oxygen-halogen bond scission (see Section 17.12). The disproportionation reactions have the same driving force at high pH and at low pH, but they are much faster at low pH.

**E17.25** Periodic acid is by far the quicker oxidant. Recall that it exists in two forms in aqueous solution— $\text{H}_5\text{IO}_6$  (the predominant form) and  $\text{HIO}_4$ . Although the concentration of  $\text{HIO}_4$  is low, this four-coordinate species can form a complex with a potential reducing agent, providing for an efficient and rapid mechanism by which the redox reaction can occur (see Sections 17.13 and 17.14).

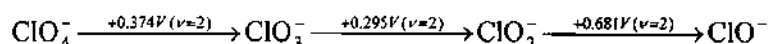
**E17.26** Recall from Chapter 5 that the reduction potential of a non-adjacent couple in the Latimer diagram can be calculated using the formula:

$$E^\circ = \frac{v_a \times E_a^\circ + v_b E_b^\circ + \dots}{v_a + v_b + \dots}$$

From the Frost diagram the potential can be calculated as a slope of the line connecting the points of the two species in question.

Since the reduction potential from the Latimer diagrams are easily accessible (i.e., do not require geometrical constructions), they are a better choice for calculations such as the ones in this exercise.

(a)  $\text{ClO}_4^-/\text{ClO}^-$  potential. The relevant part of the Latimer diagram for chlorine is shown below. The numbers above the arrows connecting two species are the standard reduction potential (as is written per convention) for that redox couple. The numbers in the brackets represent the number of electrons received ( $v$  in the equation above).



Substituting the values from the diagram into the equation we have:

$$E_{\text{ClO}_4^-/\text{ClO}^-}^\circ = \frac{2 \times (+0.374\text{V}) + 2 \times (+0.295\text{V}) + 2 \times (+0.681\text{V})}{2 + 2 + 2} = +0.45\text{V}$$

The same procedure is used to calculate the potentials in (b) and (c).

(b)  $\text{BrO}_4^-/\text{BrO}^-$  potential.

$$E_{\text{BrO}_4^-/\text{BrO}^-}^\circ = \frac{2 \times (+1.025\text{V}) + 4 \times (+0.492\text{V})}{2 + 4} = +0.67\text{V}$$

(c)  $\text{IO}_4^-/\text{IO}^-$  potential.

$$E_{\text{IO}_4^-/\text{IO}^-}^\circ = \frac{2 \times (+0.65\text{V}) + 4 \times (+0.15\text{V})}{2 + 4} = +0.317\text{V}$$

**E17.27** The Frost diagram for chlorine is shown in Figure 17.14. If you connect the points for  $\text{Cl}^-$  and  $\text{ClO}_4^-$  with a line, you will see that the intermediate oxidation state species  $\text{HClO}$ ,  $\text{HClO}_2$ , and  $\text{ClO}_3^-$  lie above that line. Therefore, they are unstable with respect to disproportionation. As discussed in Section 17.13, the redox reactions of halogen *oxo* anions become progressively faster as the oxidation number of the halogen *decreases*. Therefore, the rates of disproportionation are probably  $\text{HClO} > \text{HClO}_2 > \text{ClO}_3^-$ . Note that  $\text{ClO}_4^-$  cannot undergo disproportionation because there are no species with a higher oxidation number.

**E17.28** The key to answering this question is to decide if the perchlorate ion, which is a very strong oxidant, is present along with a species that can be oxidized. If so, the compound *does* represent an explosion hazard.

- (a)  $\text{NH}_4\text{ClO}_4$ . Ammonium perchlorate is a dangerous compound because the N atom of the  $\text{NH}_4^+$  ion is in its lowest oxidation state (-3) and can be oxidized.
- (b)  $\text{Mg}(\text{ClO}_4)_2$ . Since  $\text{Mg}^{2+}$  cannot be oxidized to a higher oxidation state, magnesium perchlorate is a stable compound and is not an explosion hazard.
- (c)  $\text{NaClO}_4$ . The same answer applies here as above for magnesium perchlorate. Sodium has only one common oxidation state. Even the strongest oxidants, such as  $\text{F}_2$ ,  $\text{FOOF}$ , and  $\text{ClF}_3$ , cannot oxidize  $\text{Na}^+$  to  $\text{Na}^{2+}$ .
- (d)  $[\text{Fe}(\text{H}_2\text{O})_6][\text{ClO}_4]_2$ . Although the  $\text{H}_2\text{O}$  ligands cannot be oxidized, the metal ion can. This compound presents an explosion hazard because  $\text{Fe}(\text{II})$  can be oxidized to  $\text{Fe}(\text{III})$  by a strong oxidant such as perchlorate ion.

- E17.29** (a)  $\text{Cr}^{3+}$ . Yes;  $\text{Cr}^{3+}/\text{Cr}_2\text{O}_7^{2-}$  potential is +1.38V; less positive than  $\text{Cl}_2/\text{ClO}^-$  (+1.659V).
- (b)  $\text{V}^{3+}$ . Yes  $E^0(\text{V}^{3+}/\text{VO}_2^+) = +0.668\text{V}$ .
- (c)  $\text{Fe}^{2+}$ . Yes,  $E^0(\text{Fe}^{2+}/\text{Fe}^{3+}) = +0.77\text{V}$ .
- (d)  $\text{Co}^{2+}$ . No. The reduction potential for  $\text{Co}^{2+}/\text{Co}^{3+}$  is +1.92 V, which is more positive than  $\text{Cl}_2/\text{ClO}^-$  potential.

- E17.30** A =  $\text{ClF}$              $\text{F}_2(\text{g}) + \text{Cl}_2(\text{g}) \rightarrow 2\text{ClF}(\text{g})$   
 E =  $\text{CsClF}_2$          $\text{ClF} + \text{CsF} \rightarrow \text{CsClF}_2$   
 B =  $\text{OF}_2$              $2\text{F}_2(\text{g}) + 2\text{OH}^-(\text{aq}) \rightarrow \text{OF}_2(\text{g}) + \text{H}_2\text{O}(\text{l}) + 2\text{F}^-(\text{aq})$   
 C =  $\text{HF}$               $\text{F}_2(\text{g}) + \text{H}_2\text{O}(\text{l}) \rightarrow 2\text{HF}(\text{aq}) + \frac{1}{2}\text{O}_2(\text{g})$   
 D =  $\text{SiF}_4$              $\text{SiO}_2(\text{s}) + 2\text{F}_2(\text{g}) \rightarrow \text{SiF}_4(\text{g}) + \text{O}_2(\text{g})$   
 G =  $\text{CaF}_2$              $\text{CaF}_2(\text{s}) + \text{H}_2\text{SO}_4 \rightarrow 2\text{HF}(\text{g}) + \text{CaSO}_4(\text{s})$

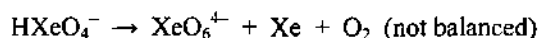
- E17.31** (a) Unlike  $\text{ClO}_4^-$  and  $\text{IO}_4^-$ ,  $\text{BrO}_4^-$  is capable of oxidizing water. This makes preparation and isolation of  $\text{KBrO}_4$  very difficult.
- (b) All compounds are kinetically reasonably stable to be isolated.
- (c) Unlike its Cl and Br analogues,  $\text{IO}_2^-$  ion is too unstable for its salts to be isolated; even the acid  $\text{HIO}_2$  has been identified only as a transient species.
- (d)  $\text{BrO}^-$  and  $\text{IO}^-$  are disproportionating too rapidly to be isolated.

- E17.32** Statement (a) is correct.  
 Statement (b) is incorrect—the two anions do not have identical structures.  
 Statement (c) is incorrect—it is the nucleophilicity of the Cl atom in  $\text{ClO}^-$  that is crucial for the oxidation mechanism.  
 Statement (d) is correct.

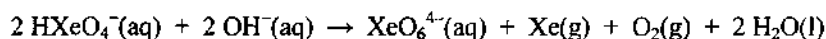
## Chapter 18 The Group 18 Elements

### Self-Test Exercises

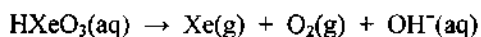
**S18.1** As the self-test states, xenate ( $\text{HXeO}_4^-$ ) decomposes to perxenate ( $\text{XeO}_6^{4-}$ ), xenon, and oxygen, so the equation that must be balanced is:



Since the reaction occurs in a basic solution, we can use  $\text{OH}^-$  and  $\text{H}_2\text{O}$  to balance the equation, if necessary. You notice immediately that there is no species containing hydrogen on the right-hand side of the equation, so obviously  $\text{H}_2\text{O}$  should go on the right and  $\text{OH}^-$  should go on the left. The balanced equation is:



Since the products are perxenate (an Xe(VIII) species) and elemental xenon, this reaction is a disproportionation of the Xe(VI) species  $\text{HXeO}_4^-$ . Oxygen is produced from a thermodynamically unstable intermediate with Xe(IV), possibly as follows:



### End-of-Chapter Exercises

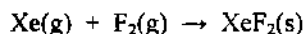
**E18.1** All of the original He and  $\text{H}_2$  that was present in the Earth's atmosphere when our planet originally formed has been lost, Earth's gravitational field is not strong enough to hold these light gases, and they eventually diffuse away into space. The small amount of helium that is present in today's atmosphere is the product of ongoing radioactive decay.

**E18.2 (a) The lowest-temperature refrigerant.** The noble gas with the lowest boiling point would best serve as the lowest-temperature refrigerant. Helium, with a boiling point of 4.2 K, is the refrigerant of choice for very low-temperature applications, such as cooling superconducting magnets in modern NMR spectrometers. The boiling points of the noble gases are directly related to their atomic volume. The larger atoms Kr and Xe are more polarizable than He or Ne, so Kr and Xe experience larger van der Waals attractions and have higher boiling points.

**(b) An electric discharge light source requiring a safe gas with the lowest ionization energy.** The noble gases are safe choice due to their low reactivity. Among them, the largest one, Xe, has the lowest ionization potential (see Table 18.1). Radon is even larger than Xe and has even lower ionization potential, but because it is radioactive it is not safe.

**(c) The least expensive inert atmosphere.** Ar is the choice here because it is, relative to the other noble gases, very abundant in the atmosphere and is generally cheaper than helium, which is rare in the atmosphere. However, a great deal of helium is collected as a by-product of natural gas production. In places where large amounts of natural gas are produced, such as the United States, helium may be marginally less expensive than argon.

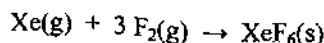
**E18.3 (a) Synthesis of  $\text{XeF}_2$ .**  $\text{XeF}_2$  can be prepared in two different ways. First, a mixture of Xe and  $\text{F}_2$  that contains an excess of Xe is heated to  $400^\circ\text{C}$ . The excess Xe prevents the formation of  $\text{XeF}_4$  and  $\text{XeF}_6$ . The second way is to photolyze a mixture of Xe and  $\text{F}_2$  at room temperature. For either method of synthesis, the balanced equation is:



At  $400^\circ\text{C}$  the product is a gas, but at room temperature it is a solid.

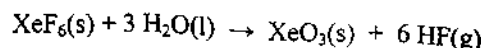
**(b) Synthesis of  $\text{XeF}_6$ .** For the synthesis of this compound you would want also to use a high temperature, but unlike the synthesis of  $\text{XeF}_2$ , you want to have a *large* excess of  $\text{F}_2$ :

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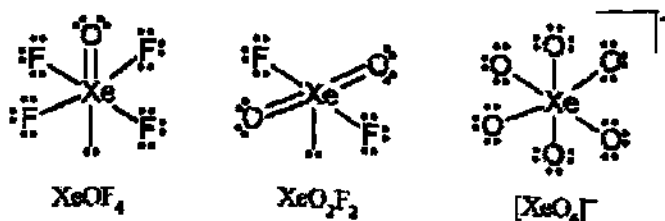
As with  $\text{XeF}_2$ , xenon hexafluoride is a solid at room temperature.

(c) **Synthesis of  $\text{XeO}_3$ .** This compound is endergonic, so it cannot be prepared directly from the elements. However, a sample of  $\text{XeF}_6$  can be carefully hydrolyzed to form the desired product:



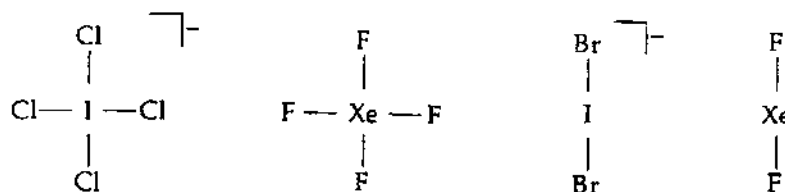
If a large excess of water is used, an aqueous solution of  $\text{XeO}_3$  is formed instead.

**E18.4** The Lewis structures of  $\text{XeOF}_4$ ,  $\text{XeO}_2\text{F}_2$ , and  $\text{XeO}_6^{4-}$  are shown below.

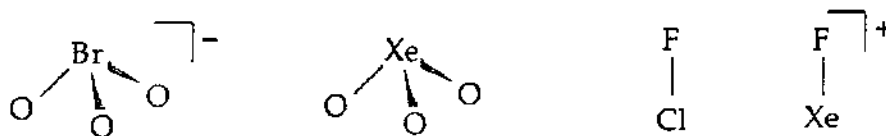


**E18.5 (a) Isostructural with  $\text{ICl}_4^-$ .** The Lewis structure of  $\text{ICl}_4^-$  has four bonding pairs and two lone pairs of electrons around the central iodine atom. Therefore, the anion has a square-planar geometry. The noble gas compound that is isostructural is  $\text{XeF}_4$ . Both structures are shown below.

(b) **Isostructural with  $\text{IBr}_2^-$ .** The Lewis structure of  $\text{IBr}_2^-$  anion has two bonding pairs and three lone pairs of electrons around the central iodine atom. Therefore, the anion has a linear geometry. The noble gas compound that is isostructural is  $\text{XeF}_2$ . Both structures are shown below.

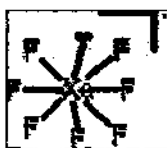


(c) **Isostructural with  $\text{BrO}_3^-$ .** The Lewis structure of  $\text{BrO}_3^-$  anion has three bonding pairs and one lone pair of electrons around the central bromine atom. Therefore, the anion has a trigonal pyramidal geometry. The noble gas compound that is isostructural is  $\text{XeO}_3$ . Both structures are shown below.



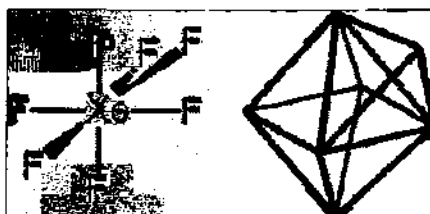
(d) **Isostructural with  $\text{ClF}$ .** The  $\text{ClF}$  diatomic molecule does not have a *molecular* noble gas counterpart (i.e., all noble gas compounds have three or more atoms). However, it is isostructural with the cation  $\text{XeF}^+$ , as shown above.

**E18.6 (a)** The Lewis structure for  $\text{XeF}_7^-$  is shown below.



(b) The structure of  $\text{XeF}_5^-$ , with seven pairs of electrons, is based on a pentagonal bipyramidal array of electron pairs with two stereochemically active lone pairs (see Structure 9) resulting in overall pentagonal planar molecular geometry. The ion  $\text{XeF}_8^{2-}$ , on the other hand, has nine pairs of electrons, but only eight are stereochemically active (see Structure 10) giving a square-antiprism molecular geometry. It is possible that the structure of  $\text{XeF}_7^-$ , with eight pairs, would be a pentagonal bipyramid, with one stereochemically inactive lone pair.

Actually, the real structure of this anion is capped octahedral with a very long "capping" Xe-F bond, as shown below, confirming that the lone pair is indeed stereochemically inert.



**E18.7** According to molecular orbital theory, the electronic configuration of  $\text{He}_2^+$  is  $1\sigma_g^2 1\sigma_u^1$ . There are two electrons in bonding  $\sigma$  ( $1\sigma_g$ ) orbital and one electron in an antibonding  $\sigma^*$  orbital ( $1\sigma_u$ ), therefore the bond order is  $\frac{1}{2}(2 - 1) = 0.5$ . The electronic configuration of  $\text{Ne}_2^+$  is  $1\sigma_g^2 1\sigma_u^2 2\sigma_g^2 1\pi_u^4 1\pi_g^4 2\sigma_u^1$ . Recall that the bonding orbitals are  $1\sigma_g$ ,  $2\sigma_g$ ,  $1\pi_u$ , and  $2\pi_u$ . The bond order is therefore  $\frac{1}{2}(8 - 7) = 0.5$ .

**E18.8** The structures are summarized in the table below. Since the lone pairs on F atoms do not influence the geometry, they have been omitted for clarity.

	(a) $\text{XeF}_3^+$	(b) $\text{XeF}_3^-$	(c) $\text{XeF}_5^+$	(d) $\text{XeF}_5^-$
<b>Lewis structures</b>				
<b>Electron pair geometry</b>	Trigonal bipyramid	Octahedral	Octahedral	Pentagonal bipyramid
<b>Molecular geometry</b>	Trigonal planar	T-shaped	Square pyramidal	Pentagonal planar

**E18.9**  $\text{A} = \text{XeF}_2(\text{g})$        $\text{Xe} + \text{F}_2 \rightarrow \text{XeF}_2$   
 $\text{B} = [\text{XeF}]^+[\text{MeBF}_3]^-$        $\text{XeF}_2(\text{g}) + \text{MeBF}_2 \rightarrow [\text{XeF}]^+[\text{MeBF}_3]^-$   
 $\text{C} = \text{XeF}_6$        $\text{Xe} + \text{F}_2 (\text{excess}) \rightarrow \text{XeF}_6$



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- E18.10** The structure of  $\text{XeOF}_3^+$  is shown below. The  $^{129}\text{Xe}$ -NMR would consist of one resonance split into a 1:3:3:1 quartet due to the coupling to three equivalent  $^{19}\text{F}$  nuclei.



- E18.11** The molecular structure of  $\text{XeOF}_4$  is a square pyramid with the O-atom residing at the apical position (see structure 8). The four fluorine atoms are located at the equatorial positions in a basal plane. Because of the equivalency of the fluorine atoms, only one resonance is expected. Because of the interactions between fluorine and the isotopes of Xe ( $^{129}\text{Xe}$  (spin =  $1/2$ ; abundance 26.4%) and  $^{131}\text{Xe}$  (spin =  $3/2$ ; abundance 21.1%)) we do expect two additional weak features. So the predicted spectra will consist of a central line and two other lines, called satellites, symmetrically distributed around this central line. One set of satellites is due to the coupling between  $^{19}\text{F}$  and  $^{129}\text{Xe}$  nuclei and would be a doublet. The other set is due to the coupling between  $^{19}\text{F}$  and  $^{131}\text{Xe}$  nuclei and would be a non-binomial quartet (four lines of equal intensity).

## Chapter 19 The d-block Elements

### Self-Test Exercises

**S19.1** The Latimer diagram for vanadium in basic solution is provided in Resource Section 3. The reduction potential for  $O_2/H_2O$  couple in alkaline solution is:

$$E = +1.229 \text{ V} - 0.059 \text{ V} \times \text{pH} = +1.229 \text{ V} - 0.059 \text{ V} \times 14 = +0.403 \text{ V}$$

The reduction potential for  $VO/V_2O_3$  couple in the basic solution is  $-0.486 \text{ V}$ . The potential difference for oxidation of  $VO$  to  $V_2O_3$  with oxygen is

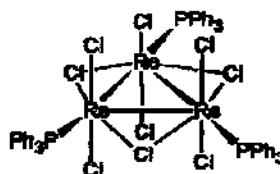
$$E_{\text{cell}} = +0.403 \text{ V} - (-0.486 \text{ V}) = +0.889 \text{ V}$$

Thus,  $VO$  will be oxidized to  $V_2O_3$  by oxygen in air. The next oxidation step is oxidation from  $V_2O_3$  to  $HV_2O_5^-$  with reduction potential  $+0.542 \text{ V}$ . This reaction has the following potential difference:

$$E_{\text{cell}} = +0.403 \text{ V} - (+0.542 \text{ V}) = -0.139 \text{ V}$$

This step has a negative potential and is not a thermodynamically spontaneous process. This means that a basic solution oxidation of  $VO$  to  $V_2O_3$  is a thermodynamically favourable process, and  $V_2O_3$  is more stable than  $VO$  in presence of oxygen.

**S19.2**  $Re_3Cl_9$  is a trimer (see Structure 19). When ligands are added, such as  $PPh_3$ , discrete molecular species such as  $Re_3Cl_9(PPh_3)_3$  are formed (see below). Sterically, the most favourable place for each bulky triphenylphosphine ligand to go is in the terminal position in the  $Re_3$  plane.



### End-of-Chapter Exercises

**E19.1** The table below summarizes the highest oxidation states of the first-row transition metals, gives examples of oxo species containing metals in the highest oxidation state, and contrasts them with the second- and third-row elements.

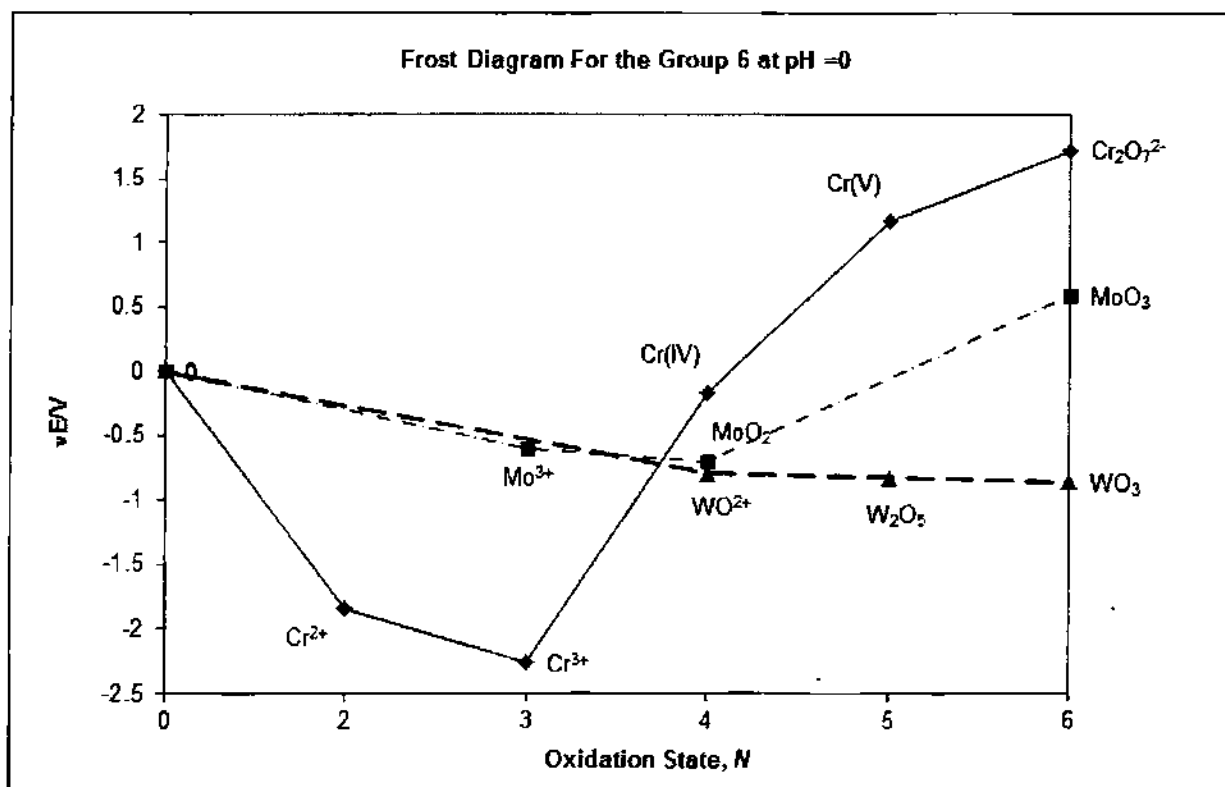
Group	3	4	5	6	7	8	9	10	11	12
1 <sup>st</sup> row	Sc	Ti	V	Cr	Mn	Fe	Co	Ni	Cu	Zn
Max. OS	3	4	5	6	7	6	4	4	2	2
Max. group OS?	Yes	Yes	Yes	Yes	Yes	No	No	No	No	No
Example*	Sc <sub>2</sub> O <sub>3</sub>	TiO <sub>4</sub>	VO <sub>2</sub> <sup>+</sup>	CrO <sub>3</sub>	MnO <sub>4</sub> <sup>-</sup>	FeO <sub>4</sub> <sup>2-</sup>	Co <sub>2</sub> O <sub>3</sub>	NiO	CuO	ZnO
2 <sup>nd</sup> /3 <sup>rd</sup> row	Y/La	Zr/Hf	Nb/Ta	Mo/W	Tc/Re	Ru/Os	Rh/Ir	Pd/Pt	Ag/Au	Cd/Hg
Max. OS	3	4	5	6	7	8	6	4/6	3/5	2
Example	Y <sub>2</sub> O <sub>3</sub> La <sub>2</sub> O <sub>3</sub>	ZrO <sub>2</sub> HfO <sub>2</sub>	Nb <sub>2</sub> O <sub>5</sub> Ta <sub>2</sub> O <sub>5</sub>	MoO <sub>3</sub> WO <sub>3</sub>	Tc <sub>2</sub> O <sub>7</sub> ReO <sub>4</sub> <sup>3-</sup>	RuO <sub>4</sub> OsO <sub>4</sub>	RhO <sub>2</sub> IrO <sub>2</sub>	PdO <sub>2</sub> PtO <sub>2</sub>	AgO Au <sub>2</sub> O <sub>3</sub>	CdO HgO

\*Note that the highest oxidation state oxo species do not exist for all elements, particularly late transition metals. For example, the highest well-defined oxidation state for Rh and Ir is +6, with representative compound being hexafluoride of two metals. However, the maximum oxidation state in which oxo species occur is +4 in  $RhO_2$  and  $IrO_2$ .

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It is clear from the table that the maximum oxidation state of the group increases from left to right, peaks at Group 7 for the first row and at Group 8 for the second- and third-row transition metals, and then steadily decreases toward the end of the transition metal series. Within a group, the heavier elements can achieve higher oxidation states than first-row members (see, for example, Group 8).

- E19.2** Recall that the Frost diagrams can tell us a lot about the thermodynamic stability of an oxidation state but under strict conditions. In this case we are constructing the diagram from the *standard* reduction potentials, thus the diagram below is strictly correct for  $\text{pH} = 0$  and unit activity of all species involved. Nevertheless, the conclusions hold rather generally. Note that a completely correct Frost diagram must clearly indicate chemical species associated with each data point. In some cases, such as for Cr +5 and +4, the chemical species are not well-defined. In these instances it is sufficient to indicate the element's oxidation state (i.e., Cr(V) and Cr(IV)).



- (a) The most oxidizing state for Cr and Mo is +6. Tungsten has no species with oxidizing properties.  
 (b) For Cr, Cr(IV) and Cr(V) are susceptible to disproportionation. Other elements do not have species that would be expected to disproportionate.

**E19.3** (a)  $\text{Cr}_2\text{O}_7^{2-}$



(b)  $\text{VO}^{2+}$

(c)  $\text{VO}_4^{3-}$ (d)  $\text{MnO}_4^{2-}$ 

**Note:** In structures (a), (b), and (d) the terminal metal-oxygen bond order is higher than 1 but lower than 2 due to the resonance effects; these given structures depict the geometry rather than exact bond orders.

**E19.4** The oxides  $\text{FeO}_4$  and  $\text{Co}_2\text{O}_9$  contain iron and cobalt in oxidation states +8 and +9 respectively, which are not stable for either element. The massive amount of energy required to ionize either Fe to +8 or Co to +9 cannot be offset by the lattice energy of the oxides, and the two compounds do not exist. Fe(+8) and Co(+9) would be a sufficiently strong oxidizing agent to oxidize some of the  $\text{O}^{2-}$  anions back to  $\text{O}_2$ .

**E19.5** Statement (a) is correct.

Statement (b) is also correct.

Statement (c) is incorrect: the atomic volumes of the transition metals decrease steadily from left to right; the lanthanide contraction also affects the atomic volumes of third-row transition elements so that their atomic volumes are almost identical to those found for the second-row transition metals directly above. As a consequence, transition metals are very dense. For example, osmium with density of  $22.6 \text{ g/cm}^3$  is one of the densest materials known.

Statement (d) is correct.

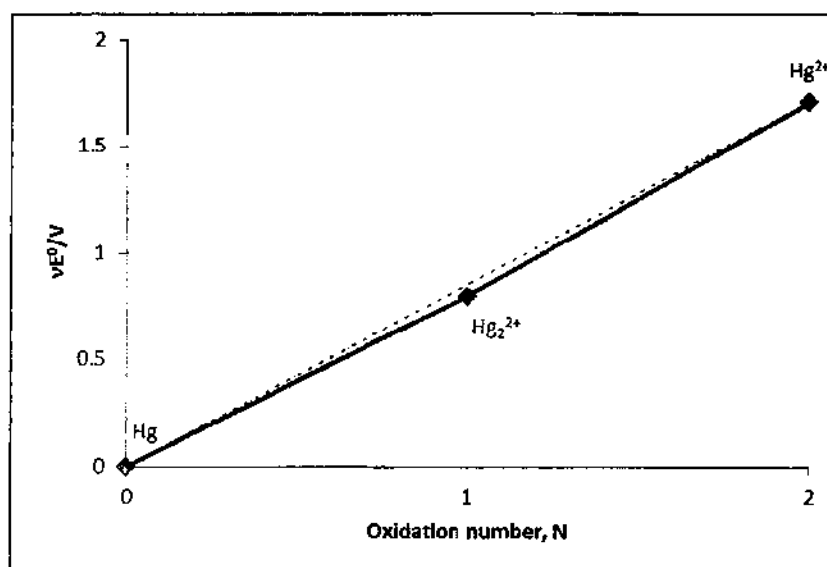
**E19.6** The data required are summarized in the table below:

Electron gain enthalpy ( $\text{kJ mol}^{-1}$ )*		First ionization energies ( $\text{kJ mol}^{-1}$ )	
<b>Cu</b>	119.24	<b>Li</b>	513
<b>Ag</b>	125.86	<b>Na</b>	495
<b>Au</b>	222.75	<b>K</b>	419
		<b>Rb</b>	403
		<b>Cs</b>	375

\*Data from Greenwood, N.N. and Earnshaw, A. (1997). *Chemistry of the Elements*, 2nd ed. Elsevier. (p. 1176). The first ionization energies of the Group 1 metals have been taken from Chapter 11 of the textbook.

Analysing the data from the table we can conclude that most likely compounds of general formula  $\text{MM}'$  are rubidium and cesium aurides,  $\text{RbAu}$  and  $\text{CsAu}$ , containing  $\text{Au}^-$ . This is due to the fact that gold has the highest electron gain enthalpy which is large enough to, in combination with other effects such as lattice energy and ion solvation energy, offset the energy required for ionization of Group 1 elements. Indeed, the evidence points to the formation of  $\text{Au}^-$  in ammonia solutions containing K, Rb, and Cs. Also,  $\text{CsAu}$  can be isolated and has a salt-like character.

- E19.7**  $\text{HfO}_2$  and  $\text{ZrO}_2$  are isostructural and, because ionic radii of  $\text{Hf}^{4+}$  and  $\text{Zr}^{4+}$  are almost identical, they likely have very similar unit cell parameters and consequently unit cell volume. Thus, the difference in density can be explained by difference in atomic mass for Hf and Zr. Since, the atomic mass of Hf (and consequently molecular mass of  $\text{HfO}_2$ ) is higher than Zr (and  $\text{ZrO}_2$  has lower molecular weight than  $\text{HfO}_2$ ) more mass is “packed” in about the same volume. Consider also that the ratio of molecular masses is very similar to the ratio of the densities:  $\text{Mr}(\text{HfO}_2)/\text{Mr}(\text{ZrO}_2) = 210.49/123.22 = 1.72$  vs.  $\rho(\text{HfO}_2)/\rho(\text{ZrO}_2) = 9.68/5.73 = 1.69$ .
- E19.8** The Frost diagram for mercury is shown below:



Considering that the point corresponding to  $\text{Hg}_2^{2+}$  lies below the point connecting Hg and  $\text{Hg}^{2+}$  (dashed line),  $\text{Hg}_2^{2+}$  will not disproportionate. Rather, Hg and  $\text{Hg}^{2+}$  would comproportionate to  $\text{Hg}_2^{2+}$ .

- E19.9** Pigments should be permanent and stable. They should be as inert as possible to the atmosphere—they should be stable toward oxidation with  $\text{O}_2$ , should not react with moisture, and should not be light-sensitive. Considering the increased atmospheric pollution, they should be as resistant as possible to the effects of gases such as  $\text{H}_2\text{S}$ ,  $\text{CO}_2$ ,  $\text{SO}_2$ , etc. They should also be non-toxic and have low vapour pressure. A good pigment would have very good coverage ability; that is, small amount of pigment should cover a large surface area. If the material is natural in origin, then its extraction and storage should be easy. If the pigment is synthetic, then the manufacturing process should be cheap.

#### Guidelines for Selected Tutorial Problems

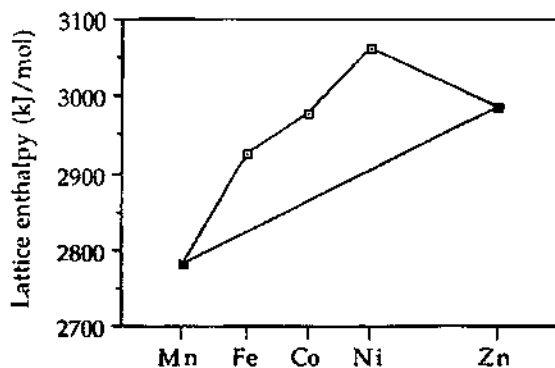
- T19.3** Very good overview of both processes can be found in Greenwood, N.N. and Earnshaw, A. (1997). *Chemistry of the Elements*, 2nd ed. Elsevier, in chapter on the Group 4 elements.
- T19.4** After the Earth's atmosphere became oxidizing, the availability of many biologically important elements changed: Fe and N became very difficult to extract whereas Cu became available. For Fe availability, start by considering in which compounds iron occurs in nature frequently. Then compare the solubilities, solution properties, and movability of  $\text{Fe}^{2+}$  and  $\text{Fe}^{3+}$  analogues. Also, look up biologically important compounds known as siderophores. Compare their structures, coordination properties, and stabilities of Fe-siderophore complexes with the man-made chelating reagents such as edta. Pay attention to the process of Fe release from a siderophore.
- T19.7** A good starting point for this tutorial assignment is the text Schmid, G. (ed.). (2010). *Nanoparticles: From Theory to Application*, 2nd ed. Wiley-VCH. The text gives a general overview of nanoparticles, but has a significant part devoted to gold nanoparticles.

- T19.9** Protiodide was a medical trade name for mercury(I) iodide,  $\text{Hg}_2\text{I}_2$ . Various sources can be used to summarize the side-effects and overdose risks, such as MSDS sheets. Sweetman, S.C. (ed.), *Martindale: The Complete Drug Reference*, published by Pharmaceutical Press, could also be a good source for the toxicity and effects of inorganic mercury salts.

## Chapter 20 d-Metal Complexes: Electronic Structure and Properties

### Self-Test Exercises

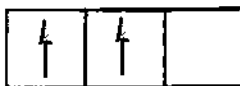
- S20.1** A high-spin  $d^7$  configuration is  $t_{2g}^5 e_g^2$ . To calculate the ligand field stabilization energy LFSE we should note that each electron in the  $t_{2g}$  stabilizes the CFSE for  $-0.4$  units and destabilizes by  $0.6$  units when placed in the  $e_g$  level. Accordingly, for the high spin  $d^7$  configuration, we should expect  $5 \times (-0.4\Delta_o) + 2 \times 0.6\Delta_o$ , or  $-0.8\Delta_o$ . The LFSE of a low-spin  $d^7$  with a configuration of  $t_{2g}^6 e_g^1$ , is expected to have  $-1.8\Delta_o + P [6 \times (-0.4\Delta_o) + 0.6\Delta_o = -1.8\Delta_o]$  where  $P$  is electron-pairing energy. Note that although high-spin  $d^7$  configuration has two electron pairs in  $t_{2g}$  level, they do not contribute to LFSE because they would be paired in a spherical field as well. The low-spin configuration adds one more electron pair (a pair that did not exist in a spherical field before the orbital splitting), and this pair has to be accounted for.
- S20.2** Since each isothiocyanate ligand has a single negative charge, the oxidation state of the manganese ion is  $+2$ . Mn(II) is  $d^5$ , and there are two possibilities for an octahedral complex, a low-spin ( $t_{2g}^5$ ), with one unpaired electron, or a high-spin ( $t_{2g}^3 e_g^2$ ), with five unpaired electrons. The observed magnetic moment of  $6.06 \mu_B$  is close to the spin-only value for five unpaired electrons,  $(5 \times 7)^{1/2} = 5.92 \mu_B$  (see Table 20.3). Therefore, this complex is high spin and has a  $t_{2g}^3 e_g^2$  configuration.
- S20.3** If it were not for LFSE,  $MF_2$  lattice enthalpies would increase from Mn(II) to Zn(II). This is because the decreasing ionic radius, which is due to the increasing  $Z_{eff}$  as you cross through the d-block from left to right, leads to decreasing M-F separations (straight line on diagram below). Therefore, you expect that  $\Delta H_{latt}$  for  $MnF_2$  ( $2780 \text{ kJ mol}^{-1}$ ) would be smaller than  $\Delta H_{latt}$  for  $ZnF_2$  ( $2985 \text{ kJ mol}^{-1}$ ). In addition, as discussed for aqua ions and oxides, we expect additional LFSE for these compounds. From Table 20.2, you see that LFSE = 0 for Mn(II),  $-0.4\Delta_o$  for Fe(II),  $-0.8\Delta_o$  for Co(II),  $-1.2\Delta_o$  for Ni(II), and 0 for Zn(II). The deviations of the observed values from the straight line connecting Mn(II) and Zn(II) are not quite in the ratio 0.4:0.8:1.2, but note that the deviation for Fe(II) is smaller than that for Ni(II).



- S20.4** In the spectrum of  $[Mo(CO)_6]$  (Fig. 20.17), the ionization energy around 8 eV was attributed to the  $t_{2g}$  electrons that are largely metal-based (see Example 20.4). The biggest difference between the photoelectron spectra of ferrocene and magnesocene is in the 6–8 eV region. Fe(II) has six d electrons (like Mo(0)), while Mg(II) has no d electrons. Therefore, the differences in the 6–8 eV region can be attributed to the lack of d electrons in Mg(II). The group of energies around 14 eV and 18 eV in both compounds can be attributed to M-Cp orbitals and ionization of Cp itself, respectively.
- S20.5** A  $p^1 d^1$  configuration will have  $L = 1 + 2 = 3$  (an electron in a p orbital has  $l = 1$ , whereas an electron in a d orbital has  $l = 2$ ). This value of  $L$  corresponds to an F term. Since the electrons may have antiparallel ( $S = -\frac{1}{2} + \frac{1}{2} = 0$ , multiplicity  $2S + 1 = 2 \times 0 + 1 = 1$ ) or parallel spins ( $S = +\frac{1}{2} + \frac{1}{2} = 1$ , multiplicity  $2S + 1 = 2 \times 1 + 1 = 3$ ), both  $^1F$  and  $^3F$  terms are possible.
- S20.6** (a)  $2p^2$  ground term. Two electrons in a p subshell can occupy separate p orbitals and have parallel spins ( $S = +\frac{1}{2} + \frac{1}{2} = 1$ ), so the maximum multiplicity  $2S + 1 = 2 \times 1 + 1 = 3$ . The maximum value of  $M_L$  is  $1 + 0 = 1$ , which

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corresponds to a P term (according to the Pauli principle,  $m_l$  cannot be +1 for both electrons if the spins are parallel, thus one electron has  $m_l = +1$  and the other  $m_l = 0$ ). Thus, the ground term is  $^3P$  (called a "triplet P" term).

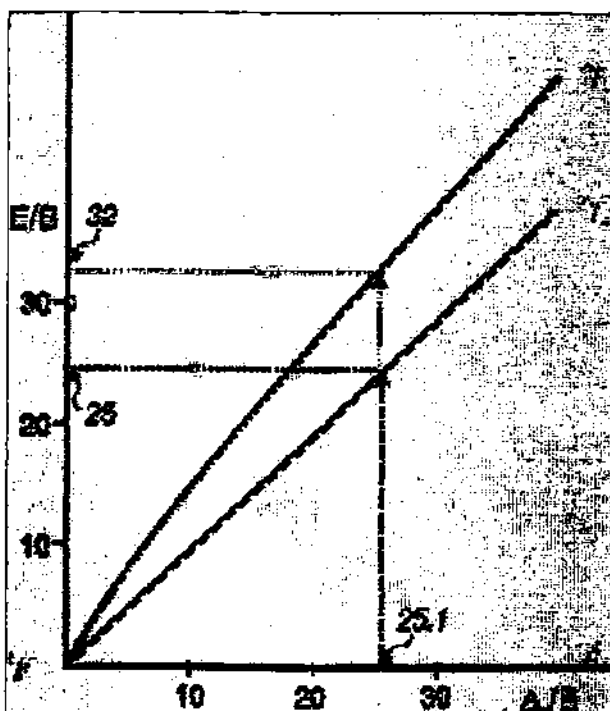


**(b)  $3d^3$  ground term.** The largest value of  $M_S$  for nine electrons in a d subshell is  $1/2$  (eight electrons are paired in four of the five orbitals, while the ninth electron has  $m_s = \pm 1/2$ ). Thus  $S = 1/2$  and the multiplicity  $2S + 1 = 2$ . Notice that the largest value of  $M_S$  is the same for one electron in a d subshell. Similarly, the largest value of  $M_L$  is 2, which results from the following nine values of  $m_l$ : +2, +2, +1, +1, 0, 0, -1, -1, -2. Notice also that  $M_L = 2$  corresponds to one electron in a d subshell. Thus the ground term for a  $d^9$  or a  $d^1$  configuration is  $^2D$  (called a "doublet D" term).



**S20.7** An F term arising from a  $d^n$  configuration correlates with  $T_{1g} + T_{2g} + A_{2g}$  terms in an  $O_h$  complex. The multiplicity is unchanged by the correlation, so the terms in  $O_h$  symmetry are  $^3T_{1g}$ ,  $^3T_{2g}$ , and  $^3A_{2g}$ . Similarly, a D term arising from a  $d^n$  configuration correlates with  $T_{2g} + E_g$  terms in an  $O_h$  complex. The  $O_h$  terms retain the singlet character of the  $^1D$  free ion term, and so are  $^1T_{2g}$  and  $^1E_g$ .

**S20.8** The two transitions in question are  $^4T_2 \leftarrow ^4A_2$  and  $^4T_1 \leftarrow ^4A_2$  (the first one has a lower energy and hence a lower wave number). Since  $\Delta_o = 17\,600\text{ cm}^{-1}$  and  $B = 700\text{ cm}^{-1}$ , you must find the point  $17\,600/700 = 25.1$  on the x axis of the Tanabe-Sugano diagram. Then, the ratios  $E/B$  for the two bands are the y values of the points on the  $^4T_2$  and  $^4T_1$  lines, 25 and 32, respectively, as shown below on a partial Tanabe Sugano diagram for the  $d^3$  configuration. Therefore, the two lowest-energy spin-allowed bands in the spectrum of  $[\text{Cr}(\text{H}_2\text{O})_6]^{3+}$  will be found at  $(700\text{ cm}^{-1})(25) = 17\,500\text{ cm}^{-1}$  and  $(700\text{ cm}^{-1})(32) = 22\,400\text{ cm}^{-1}$ .



**S20.9** This six-coordinate  $d^3$  complex undoubtedly has an  $O_h$  symmetry, so the general features of its spectrum will resemble the spectrum of  $[\text{Cr}(\text{NH}_3)_6]^{3+}$ , shown in Figure 20.23. The very low intensity of the band at  $16\,000\text{ cm}^{-1}$



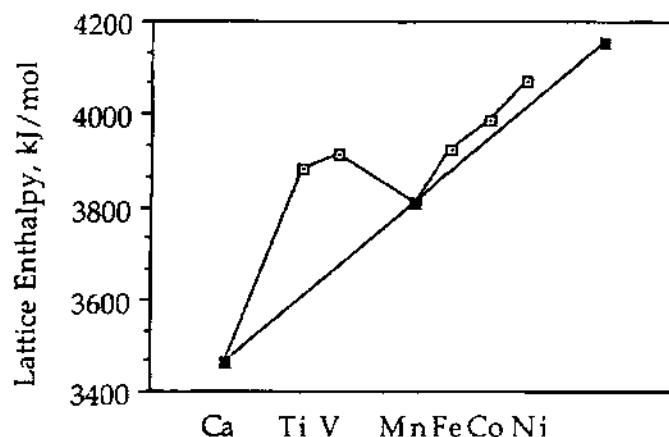
is a clue that it is a spin-forbidden transition, probably  ${}^2E_g \leftarrow {}^4A_{2g}$ . The spin-allowed but Laporte-forbidden bands typically have  $\epsilon \sim 100 \text{ M}^{-1} \text{ cm}^{-1}$ , so it is likely that the bands at  $17\,700 \text{ cm}^{-1}$  and  $23\,800 \text{ cm}^{-1}$  are of this type (they correspond to the  ${}^4T_{2g} \leftarrow {}^4A_{2g}$  and  ${}^4T_{1g} \leftarrow {}^4A_{2g}$  transitions, respectively). The band at  $32\,400 \text{ cm}^{-1}$  is probably a charge transfer band because its intensity is too high to be a ligand field (d-d) band. Since you are provided with the hint that the  $\text{NCS}^-$  ligands have low-lying  $\pi^*$  orbitals, it is reasonable to conclude that this band corresponds to a MLCT transition. Notice that the two spin-allowed ligand field transitions of  $[\text{Cr}(\text{NCS})_6]^{3-}$  are at lower energy than those of  $[\text{Cr}(\text{NH}_3)_6]^{3+}$ , showing that  $\text{NCS}^-$  induces a smaller  $\Delta_o$  on  $\text{Cr}^{3+}$  than does  $\text{NH}_3$ . Also notice that  $[\text{Cr}(\text{NH}_3)_6]^{3+}$  lacks an intense MLCT band at  $\sim 30\,000\text{--}40\,000 \text{ cm}^{-1}$ , showing that  $\text{NH}_3$  does not have low-lying empty molecular orbitals.

### End-of-Chapter Exercises

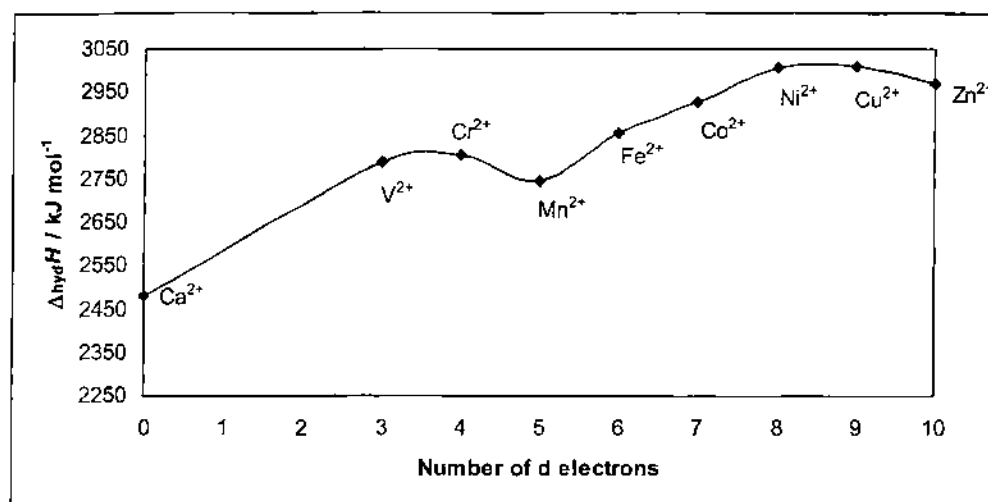
- E20.1** (a)  $[\text{Co}(\text{NH}_3)_6]^{3+}$ . Since the  $\text{NH}_3$  ligands are neutral, the cobalt ion in this octahedral complex is  $\text{Co}^{3+}$ , which is a  $d^6$  metal ion. Ammonia is in the middle of the spectrochemical series but because the cobalt ion has a  $3+$  charge, this is a strong field complex and hence is a low spin complex, with  $S = 0$  and has no unpaired electrons (the configuration is  $t_{2g}^6$ ). The LFSE is  $6(-0.4\Delta_o) = -2.4\Delta_o + 2P$ .
- (b)  $[\text{Fe}(\text{OH}_2)_6]^{2+}$ . The iron ion in this octahedral complex, which contains only neutral water molecules as ligands, is  $\text{Fe}^{2+}$ , which is a  $d^6$ -metal ion. Since water is lower in the spectrochemical series than  $\text{NH}_3$  (i.e., it is a weaker field ligand than  $\text{NH}_3$ ) and since the charge on the metal ion is only  $2+$ , this is a weak field complex and hence is high spin, with  $S = 2$  and four unpaired d electrons (the configuration is  $t_{2g}^4 e_g^2$ ). The LFSE is  $4(-0.4\Delta_o) + 2(0.6\Delta_o) = -0.4\Delta_o$ . Compare this small value to the large value for the low spin  $d^6$  complex in part (a) above.
- (c)  $[\text{Fe}(\text{CN})_6]^{3-}$ . The iron ion in this octahedral complex, which contains six negatively charged  $\text{CN}^-$  ligands, is  $\text{Fe}^{3+}$ , which is a  $d^5$  metal ion. Cyanide ion is a very strong field ligand, so this is a strong-field complex and hence is a low spin complex, with  $S = 1/2$  and one unpaired electron. The configuration is  $t_{2g}^5$  and the LFSE is  $-2.0\Delta_o + 2P$ .
- (d)  $[\text{Cr}(\text{NH}_3)_6]^{3+}$ . The complex contains six neutral  $\text{NH}_3$  ligands, so chromium is  $\text{Cr}^{3+}$ , a  $d^3$  metal ion. The configuration is  $t_{2g}^3$ , and so there are three unpaired electrons and  $S = 3/2$ . Note that, for octahedral complexes, only  $d^4\text{--}d^7$  metal ions have the possibility of being either high spin or low spin. For  $[\text{Cr}(\text{NH}_3)_6]^{3+}$ , the LFSE =  $3(-0.4\Delta_o) = -1.2\Delta_o$ . (For  $d^1\text{--}d^3$ ,  $d^8$ , and  $d^9$  metal ions in octahedral complexes, only one spin state is possible.)
- (e)  $[\text{W}(\text{CO})_6]$ . Carbon monoxide (i.e., the carbonyl ligand) is neutral, so this is a complex of  $\text{W}(0)$ . The W atom in this octahedral complex is  $d^6$ . Since CO is such a strong field ligand (it is even higher in the spectrochemical series than  $\text{CN}^-$ ),  $\text{W}(\text{CO})_6$  is a strong-field complex and hence is low spin, with no unpaired electrons (the configuration is  $t_{2g}^6$ ). The LFSE =  $6(-0.4\Delta_o) + 2P = -2.4\Delta_o + 2P$ .
- (f) Tetrahedral  $[\text{FeCl}_4]^{2-}$ . The iron ion in this complex, which contains four negatively charged  $\text{Cl}^-$  ion ligands, is  $\text{Fe}^{2+}$ , which is a  $d^6$  metal ion. All tetrahedral complexes are high spin because  $\Delta_T$  is much smaller than  $\Delta_o$  ( $\Delta_T = (4/9)\Delta_o$  if the metal ion, the ligands, and the metal-ligand distances are kept constant), so for this complex  $S = 2$  and there are four unpaired electrons. The configuration is  $e^3 t_2^3$ . The LFSE is  $3(-0.6\Delta_T) + 3(0.4\Delta_T) = -0.6\Delta_T$ .
- (g) Tetrahedral  $[\text{Ni}(\text{CO})_4]$ ? The neutral CO ligands require that the metal centre in this complex is  $\text{Ni}^0$ , which is a  $d^{10}$ -metal atom. Regardless of geometry, complexes of  $d^{10}$ -metal atoms or ions will never have any unpaired electrons and will always have LFSE = 0, and this complex is no exception.
- E20.2** It is clear that  $\pi$ -acidity cannot be a requirement for a high position in the spectrochemical series, since  $\text{H}^-$  is a very strong field ligand but is not a  $\pi$ -acid (it has no low-energy acceptor orbitals of local  $\pi$ -symmetry). However, ligands that are very strong  $\sigma$ -bases will increase the energy of the  $e_g$  orbitals in an octahedral complex relative to the  $t_{2g}$  orbitals. Thus, there are two ways for a complex to develop a large value of  $\Delta_o$ , by possessing ligands that are  $\pi$ -acids or by possessing ligands that are strong  $\sigma$ -bases (of course some ligands, like  $\text{CN}^-$ , exhibit both  $\pi$ -acidity and moderately strong  $\sigma$ -basicity). A class of ligands that are also very high in the spectrochemical series are alkyl anions,  $\text{R}^-$  (e.g.,  $\text{CH}_3^-$ ). These are not  $\pi$ -acids but, like  $\text{H}^-$ , are very strong bases.
- E20.3** The formula for the spin-only moment is  $\mu/\mu_B = [(N)(N + 2)]^{1/2}$  where  $N$  is the number of unpaired electrons. Therefore, the spin-only contributions are:

Complex	$N$	$\mu/\mu_B = [(N)(N+2)]^{1/2}$
$[\text{Co}(\text{NH}_3)_6]^{3+}$	0	0
$[\text{Fe}(\text{OH}_2)_6]^{2+}$	4	4.9
$[\text{Fe}(\text{CN})_6]^{3-}$	1	1.7
$[\text{Cr}(\text{NH}_3)_6]^{3+}$	3	3.9
$[\text{W}(\text{CO})_6]$	0	0
$[\text{FeCl}_4]^{2-}$	4	4.9
$[\text{Ni}(\text{CO})_4]$	0	0

- E20.4** The colours of metal complexes are frequently caused by ligand-field transitions involving electron promotion from one subset of d orbitals to another (e.g., from  $t_{2g}$  to  $e_g$  for octahedral complexes or from  $e$  to  $t_2$  for tetrahedral complexes). Of the three complexes given, the lowest energy transition probably occurs for  $[\text{CoCl}_4]^{2-}$  because it is tetrahedral ( $\Delta_T = (4/9)(\Delta_o)$ ) and because  $\text{Cl}^-$  is a weak-field ligand. This complex is blue because a solution of it will absorb low-energy red light and reflect blue—that is, the complement of red. Of the two complexes that are left,  $[\text{Co}(\text{NH}_3)_6]^{3+}$  probably has a higher energy transition than  $[\text{Co}(\text{OH}_2)_6]^{2+}$  because  $\text{NH}_3$  is a stronger field ligand than  $\text{H}_2\text{O}$  (see Table 20.1). The complex  $[\text{Co}(\text{NH}_3)_6]^{2+}$  is yellow because only a small amount of visible light, at the blue end of the spectrum, is absorbed by a solution of this complex. By default, you should conclude that  $[\text{Co}(\text{OH}_2)_6]^{2+}$  is pink.
- E20.5** (a)  $[\text{Cr}(\text{OH}_2)_6]^{2+}$  or  $[\text{Mn}(\text{OH}_2)_6]^{2+}$ . The chromium complex is expected to have a larger crystal field stabilization because of the  $t_{2g}^3 e_g^1$  configuration [ $3 \times (-0.4\Delta_o) + (1 \times 0.6\Delta_o) = -0.6\Delta_o$ ] compared to the manganese complex with an electronic configuration  $t_{2g}^3 e_g^2$  [ $3 \times (-0.4\Delta_o) + (2 \times 0.6\Delta_o) = 0$ ].
- (b)  $[\text{Mn}(\text{OH}_2)_6]^{2+}$  or  $[\text{Fe}(\text{OH}_2)_6]^{3+}$ . Although  $\text{Fe}^{3+}$  and  $\text{Mn}^{2+}$  are iso-electronic, the higher charge on the Fe ion leads to larger LFSE.
- (c)  $[\text{Fe}(\text{OH}_2)_6]^{3+}$  or  $[\text{Fe}(\text{CN})_6]^{3-}$ . Since water is a weak-field ligand compared to  $\text{CN}^-$ , the electronic configurations of these two complexes differ. For  $[\text{Fe}(\text{CN})_6]^{3-}$  the configuration will be  $t_{2g}^5 e_g^0$  [ $5 \times (-0.4\Delta_o) = -2.0\Delta_o$ ], whereas the corresponding configuration for the aquo complex will be  $t_{2g}^3 e_g^2$  [ $3 \times (-0.4\Delta_o) + (2 \times 0.6\Delta_o) = 0$ ]. Hence  $[\text{Fe}(\text{CN})_6]^{3-}$  will have higher LFSE.
- (d)  $[\text{Fe}(\text{CN})_6]^{3-}$  or  $[\text{Ru}(\text{CN})_6]^{3-}$ . The LFSE increases down the group and hence the ruthenium complex will have higher LFSE.
- (e) Tetrahedral  $[\text{FeCl}_4]^{2-}$  or tetrahedral  $[\text{CoCl}_4]^{2-}$ . In general, tetrahedral complexes form high-spin complexes.  $\text{Fe}^{2+}$  with an electronic configuration of  $e^3 t_2^3$  will have smaller stabilization [ $3 \times (-0.6\Delta_T) + (3 \times 0.4\Delta_T) = 0$ ] compared to  $\text{Co}^{2+}$  with a configuration of  $e^4 t_2^3$  [ $4 \times (-0.6\Delta_T) + (3 \times 0.4\Delta_T) = -1.2 \Delta_T$ ].
- E20.6** As in the answer to S20.3, there are two factors that lead to the values given in this question and plotted below: decreasing ionic radius from left to right across the d block, leading to a general increase in  $\Delta H_{\text{lat}}$  from  $\text{CaO}$  to  $\text{NiO}$ , and LFSE, which varies in a more complicated way for high-spin metal ions in an octahedral environment, increasing from  $d^0$  to  $d^3$ , then decreasing from  $d^3$  to  $d^5$ , then increasing from  $d^5$  to  $d^8$ , then decreasing again from  $d^8$  to  $d^{10}$ . The straight line through the black squares is the trend expected for the first factor, the decrease in ionic radius (the last black square is not a data point, but simply the extrapolation of the line between  $\Delta H_{\text{lat}}$  values for  $\text{CaO}$  and  $\text{MnO}$ , both of which have LFSE = 0). The deviations of  $\Delta H_{\text{lat}}$  values for  $\text{TiO}$ ,  $\text{VO}$ ,  $\text{FeO}$ ,  $\text{CoO}$ , and  $\text{NiO}$  from the straight line are a manifestation of the second factor, the non-zero values of LFSE for  $\text{Ti}^{2+}$ ,  $\text{V}^{2+}$ ,  $\text{Fe}^{2+}$ ,  $\text{Co}^{2+}$ , and  $\text{Ni}^{2+}$ .  $\text{TiO}$  and  $\text{VO}$  have considerable metal-metal bonding, and this factor also contributes to their stability.



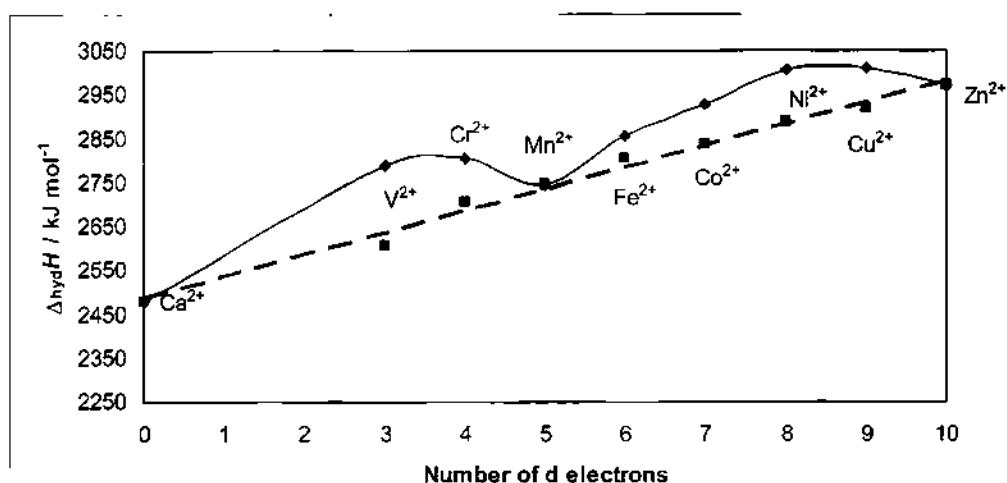
E20.7 (a) The plot is shown below:



(b) The following table lists LFSE in  $\text{kJ mol}^{-1}$ :

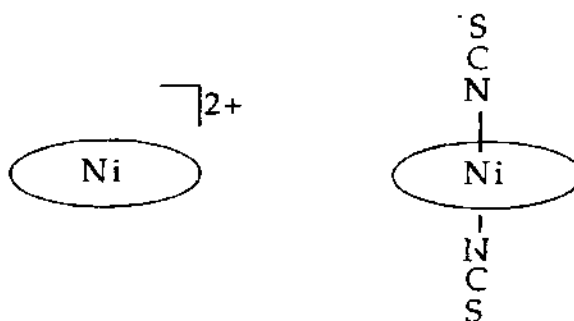
Ion	Ca <sup>2+</sup>	V <sup>2+</sup>	Cr <sup>2+</sup>	Mn <sup>2+</sup>	Fe <sup>2+</sup>	Co <sup>2+</sup>	Ni <sup>2+</sup>	Cu <sup>2+</sup>	Zn <sup>2+</sup>
$\Delta_o$ (in $\text{cm}^{-1}$ )	0	12600	13900	7800	10400	9300	8300	12600	0
$\Delta_o$ (in $\text{kJ mol}^{-1}$ )	0	150.5	166.1	93.2	124.2	111.1	99.2	150.5	0
$t_{2g} e_g$ configuration	$t_{2g}^0 e_g^0$	$t_{2g}^3 e_g^0$	$t_{2g}^3 e_g^1$	$t_{2g}^3 e_g^2$	$t_{2g}^4 e_g^2$	$t_{2g}^5 e_g^2$	$t_{2g}^6 e_g^2$	$t_{2g}^6 e_g^3$	$t_{2g}^6 e_g^4$
LFSE ( $\text{kJ mol}^{-1}$ )	0	-180.6	-99.6	0	-49.7	-88.9	-119	-90.3	0

(c) After the correction for LFSE is applied (add LFSE to  $\Delta_{\text{hyd}}H$ ) the following plot is obtained. The dashed line, which shows almost linear relationship between d electron count and hydration enthalpies, is for LFSE-corrected  $\Delta_{\text{hyd}}H$  values:



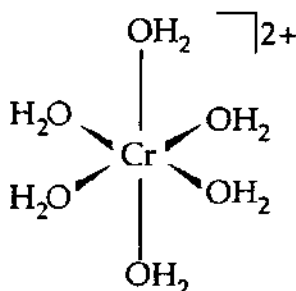
The straight line now shows the expected trend in  $\Delta_{\text{hyd}}H$  as a function of cationic radius only without electronic effects. As we move from  $\text{Ca}^{2+}$  to  $\text{Zn}^{2+}$ ,  $\Delta_{\text{hyd}}H$  steadily increases because the cation radii decrease. A decrease in the ionic radii results in an increase in charge density and stronger electrostatic interaction between cations and partially negative oxygen atom on water molecules. As expected,  $\text{Ca}^{2+}$  without d electrons has no LFSE and there is no effect on its  $\Delta_{\text{hyd}}H$  value. With  $\text{V}^{2+}$  we have a  $t_{2g}^3 e_g^0$  electronic configuration and three electrons in low-energy  $t_{2g}$  level contribute  $-0.4\Delta_o$  each ( $-1.2\Delta_o$  in total) to LFSE, which further stabilize the hydrated cation over  $\text{V}^{2+}(\text{g})$ . Moving to  $\text{Cr}^{2+}$  we have to add one electron in high-energy  $e_g$  level, and LFSE is increased for  $0.6\Delta_o$ —as a result we see a decrease in corrected  $\Delta_{\text{hyd}}H$ .  $\text{Mn}^{2+}$  has a  $t_{2g}^3 e_g^2$  configuration with both  $t_{2g}$  and  $e_g$  half filled and thus no LFSE and no correction to  $\Delta_{\text{hyd}}H$ . As we move from  $\text{Mn}^{2+}$  we keep adding electrons in  $t_{2g}$  level. This results in an increase in stability of hydrated cations for  $\text{Fe}^{2+}$ ,  $\text{Co}^{2+}$  and  $\text{Ni}^{2+}$ . With  $\text{Cu}^{2+}$  we again add an electron into  $e_g$  level.  $\text{Zn}^{2+}$  with completely filled  $t_{2g}$  and  $e_g$  levels has zero LFSE.

- E20.8** Perchlorate,  $\text{ClO}_4^-$ , is a very weak basic anion (consider that  $\text{HClO}_4$  is a very strong Brønsted acid). Therefore, in the compound containing Ni(II), the neutral macrocyclic ligand, and two  $\text{ClO}_4^-$  anions, there are probably a four-coordinate square-planar Ni(II) ( $d^8$ ) complex and two non-coordinated perchlorate anions. Square-planar  $d^8$  complexes are diamagnetic because they have a configuration  $(xz, yz)^4 (z^2)^2 (xy)^2$  with all electrons paired. When  $\text{SCN}^-$  ligands are added, they coordinate to the nickel ion, producing an essentially octahedral complex that has two unpaired electrons (configuration  $t_{2g}^6 e_g^2$ ).



- E20.9** The main consequence of the Jahn-Teller theorem is that a nonlinear molecule or ion with a degenerate ground state is not as stable as a distorted version of the molecule or ion if the distortion removes the degeneracy. The high-spin  $d^4$  complex  $[\text{Cr}(\text{OH}_2)_6]^{2+}$  has the configuration  $t_{2g}^3 e_g^1$ , which is orbitally degenerate because the single  $e_g$  electron can be in either the  $d_{z^2}$  or the  $d_{x^2-y^2}$  orbital. Therefore, by the Jahn-Teller theorem, the complex should not have  $O_h$  symmetry. A tetragonal distortion, whereby two *trans* metal-ligand bonds are elongated and the other four are shortened, removes the degeneracy. This is the most common distortion observed for octahedral complexes of high-spin  $d^4$ , low-spin  $d^7$ , and  $d^9$  metal ions, all of which possess  $e_g$  degeneracies and exhibit

measurable Jahn-Teller distortions. The predicted structure of the  $[\text{Cr}(\text{OH}_2)_6]^{2+}$  ion, with the elongation of the two *trans* Cr–O bonds greatly exaggerated, is shown below.



- E20.10** The ground state of  $[\text{Ti}(\text{OH}_2)_6]^{3+}$ , which is a  $d^1$  complex, is not one of the configurations that usually leads to an observable Jahn-Teller distortion (the three main cases are listed in the answer E20.8, above). However, the electronic excited state of  $[\text{Ti}(\text{OH}_2)_6]^{3+}$  has the configuration  $t_{2g}^0 e_g^1$ , and so the excited state of this complex possesses an  $e_g$  degeneracy. Therefore, the “single” electronic transition is really the superposition of two transitions, one from an  $O_h$  ground-state ion to an  $O_h$  excited-state ion, and a lower energy transition from an  $O_h$  ground-state ion to a lower energy distorted excited-state ion (probably  $D_{4h}$ ). Since these two transitions have slightly different energies, the unresolved superimposed bands result in an asymmetric absorption peak.
- E20.11** (a)  $L = 0, S = 5/2$ . For  $L = 0$ , the term symbol is S. The multiplicity of state with  $S = 5/2$  is  $2S+1 = 2 \times 5/2 + 1 = 6$ . Thus, the term symbol is  ${}^6\text{S}$ .  
 (b)  $L = 3, S = 3/2$ . The term symbol is  ${}^4\text{F}$ .  
 (c)  $L = 2, S = 1/2$ . This set of quantum numbers is described by the term symbol  ${}^2\text{D}$ .  
 (d)  $L = 1, S = 1$ . This set of quantum numbers is described by the term symbol  ${}^3\text{P}$ .
- E20.12** (a)  ${}^3\text{F}, {}^3\text{P}, {}^1\text{P}, {}^1\text{G}$ ? Recall Hund’s rules: (1) the term with the greatest multiplicity lies lowest in energy; (2) for a given multiplicity, the greater the value of  $L$  of a term, the lower the energy. Therefore, the ground term in this case will be a triplet, not a singlet (rule 1). Of the two triplet terms,  ${}^3\text{F}$  lies lower in energy than  ${}^3\text{P}$ :  $L = 3$  for  ${}^3\text{F}$ ,  $L = 1$  for  ${}^3\text{P}$  (rule 2). Therefore, the ground term is  ${}^3\text{F}$ .  
 (b)  ${}^5\text{D}, {}^3\text{H}, {}^3\text{P}, {}^1\text{G}, {}^1\text{I}$ ? The ground term is  ${}^5\text{D}$  because this term has the highest multiplicity.  
 (c)  ${}^6\text{S}, {}^4\text{G}, {}^4\text{P}, {}^2\text{I}$ ? The ground term is  ${}^6\text{S}$  because this term has the highest multiplicity.
- E20.13** (a)  $4s^1$ . You can approach this exercise in the way described in Section 20.2 for the  $d^2$  configuration (see Table 20.6). You first write down all possible microstates for the  $s^1$  configuration, then write down the  $M_L$  and  $M_S$  values for each microstate, then infer the values of  $L$  and  $S$  to which the microstates belong. In this case, the procedure is not lengthy because there are only two possible microstates,  $(0^+)$  and  $(0^-)$ . The only possible values of  $M_L$  and  $M_S$  are 0 and  $1/2$ , respectively. If  $M_L$  can only be 0, then  $L$  must be 0, which gives an S term (remember that  $L$  can take on all values  $M_L, (M_L-1), \dots, 0, \dots, -M_L$ ). Similarly, if  $M_S$  can only be  $+1/2$  or  $-1/2$ , then  $S$  must be  $1/2$ , which gives a multiplicity  $2S+1 = 2$ . Therefore, the one and only term that arises from a  $4s^1$  configuration is  ${}^2\text{S}$ .  
 (b)  $3p^2$ . This case is more complicated because there are 15 possible microstates:

	$M_S = -1$	$M_S = 0$	$M_S = 1$
$M_L = 2$		$(1^+, 1^-)$	
$M_L = 1$	$(1^-, 0^-)$	$(1^+, 0^-), (1^-, 0^+)$	$(1^+, 0^+)$
$M_L = 0$	$(1^-, -1^-)$	$(1^+, -1^-), (0^-, 0^+), (-1^+, 1^-)$	$(1^+, -1^+)$
$M_L = -1$	$(-1^-, 0^-)$	$(-1^+, 0^-), (-1^-, 0^+)$	$(-1^+, 0^+)$
$M_L = -2$		$(-1^+, -1^-)$	

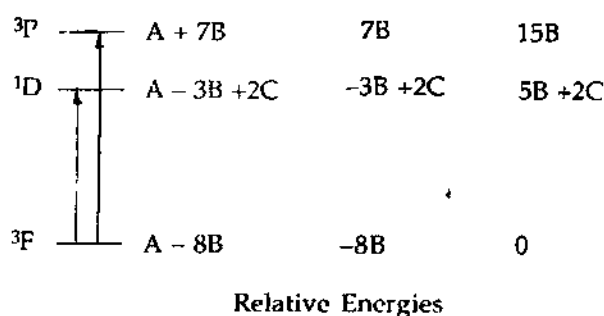
A term that contains a microstate with  $M_L = 2$  must be a D term ( $L = 2$ ). This term can only be a singlet because if both electrons have  $m_l = 1$  they must be spin-paired. Therefore, one of the terms of the  $3p^2$  configuration is  ${}^1\text{D}$ , which contains five microstates. To account for these, you can cross out  $(1^+, 1^-)$ ,  $(-1^+, -1^-)$ , and one microstate

from each of the other three rows under  $M_S = 0$ . That leaves ten microstates to be accounted for. The maximum value of  $M_L$  of the remaining microstates is 1, so you next consider a P term ( $L = 1$ ). Since  $M_S$  can be  $-1$ ,  $0$ , or  $1$ , this term will be  $^3P$ , which contains nine of the ten remaining microstates. The last remaining microstate is one of the original three for which  $M_L = 0$  and  $M_S = 0$ , which is the one and only microstate that belongs to a  $^1S$  term ( $L = 0$ ,  $S = 0$ ). Of the three terms  $^1D$ ,  $^3P$ , and  $^1S$  that arise from the  $3p^2$  configuration, the ground term is  $^3P$  because it has a higher multiplicity than the other two terms (see Hund's rule 1).

- E20.14** The diagram below outlines the relative energies of the  $^3F$ ,  $^1D$ , and  $^3P$  terms. It can be seen that the  $10\,642\text{ cm}^{-1}$  energy gap between the  $^3F$  and  $^1D$  terms is  $5B + 2C$ , while the  $12\,920\text{ cm}^{-1}$  energy gap between the  $^3F$  and  $^3P$  terms is  $15B$ . From the two equations

$$5B + 2C = 10\,642\text{ cm}^{-1} \quad \text{and} \quad 15B = 12\,920\text{ cm}^{-1}$$

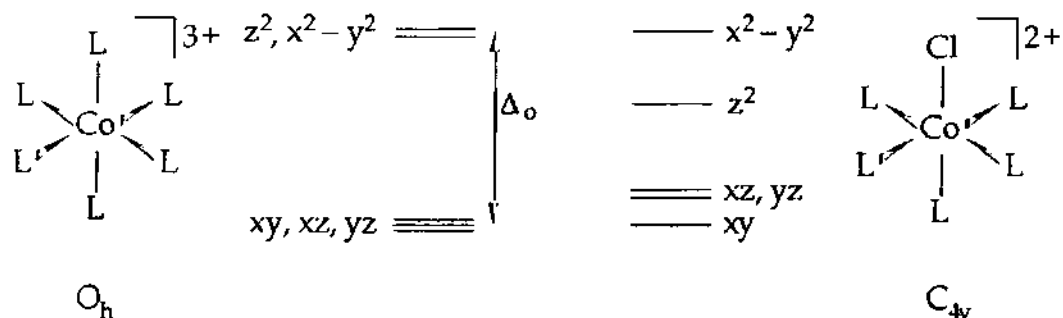
you can determine that  $B = (12\,920\text{ cm}^{-1})/(15) = 861.33\text{ cm}^{-1}$  and  $C = 3\,167.7\text{ cm}^{-1}$ .



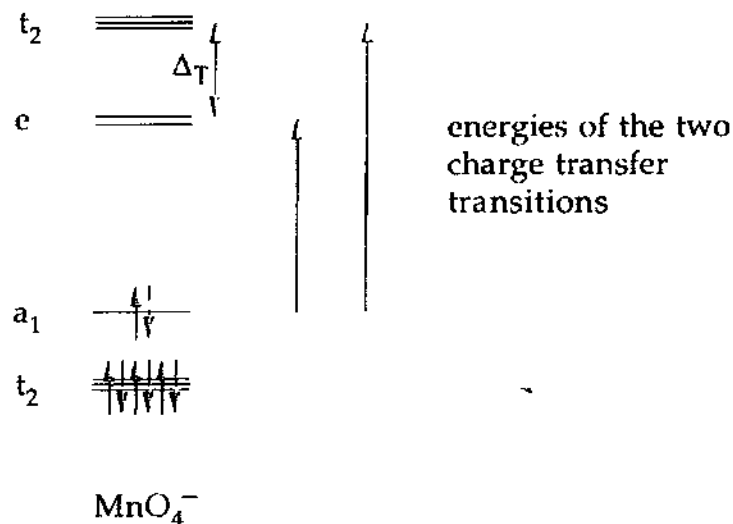
- E20.15** (a) The oxidation number for Rh in  $[\text{Rh}(\text{NH}_3)_6]^{3+}$  complex is  $+3$ , and the electronic configuration of the metal is  $d^6$ . According to the  $d^6$  Tanabe-Sugano diagram (see Resource Section 6), the ground term for a low-spin  $t_{2g}^6$  metal ion is  $^1A_{1g}$ .
- (b) The  $\text{Ti}^{3+}$  ion in the octahedral  $[\text{Ti}(\text{H}_2\text{O})_6]^{3+}$  ion has a  $d^1$  configuration. A correlation diagram for  $d^1$  metal ions is shown in Figure 20.27 (Resource Section 6 does not include the  $d^1$  Tanabe-Sugano diagram). According to this diagram, the ground term for a  $t_{2g}^1$  metal ion is  $^2T_{2g}$ .
- (c) The  $\text{Fe}^{3+}$  ion in the octahedral  $[\text{Fe}(\text{H}_2\text{O})_6]^{3+}$  ion has a  $d^5$  configuration. According to the  $d^5$  Tanabe-Sugano diagram, the ground term for a high-spin  $t_{2g}^3e_g^2$  metal ion is  $^6A_{1g}$ .
- E20.16** (a)  $[\text{Ni}(\text{H}_2\text{O})_6]^{2+}$  (absorptions at  $8\,500$ ,  $15\,400$ , and  $26\,000\text{ cm}^{-1}$ ). According to the  $d^8$  Tanabe-Sugano diagram (Resource Section 6), the absorptions at  $8\,500\text{ cm}^{-1}$ ,  $15\,400\text{ cm}^{-1}$ , and  $26\,000\text{ cm}^{-1}$  correspond to the following spin-allowed transitions, respectively:  $^3T_{2g} \leftarrow ^3A_{2g}$ ,  $^3T_{1g} \leftarrow ^3A_{2g}$ , and  $^3T_{1g} \leftarrow ^3A_{2g}$ . The ratios  $15\,400/8\,500 = 1.8$  and  $26\,000/8\,500 = 3.0$  can be used to estimate  $\Delta_o/B \approx 11$ . Using this value of  $\Delta_o/B$  and the fact that  $E/B = \Delta_o/B$  for the lowest-energy transition,  $\Delta_o = 8\,500\text{ cm}^{-1}$  and  $B \approx 770\text{ cm}^{-1}$ . Note that  $B$  for a gas-phase  $\text{Ni}^{2+}$  ion is  $1\,080\text{ cm}^{-1}$ . The fact that  $B$  for the complex is only  $\sim 70\%$  of the free ion value is an example of the nephelauxetic effect.
- (b)  $[\text{Ni}(\text{NH}_3)_6]^{2+}$  (absorptions at  $10\,750$ ,  $17\,500$ , and  $28\,200\text{ cm}^{-1}$ ). The absorptions for this complex are at  $10\,750\text{ cm}^{-1}$ ,  $17\,500\text{ cm}^{-1}$ , and  $28\,200\text{ cm}^{-1}$ . The ratios in this case are  $17\,500/10\,750 = 1.6$  and  $28\,200/10\,750 = 2.6$ , and lead to  $\Delta_o/B \approx 15$ . Thus,  $\Delta_o = 10\,750\text{ cm}^{-1}$  and  $B \approx 720\text{ cm}^{-1}$ . It is sensible that  $B$  for  $[\text{Ni}(\text{NH}_3)_6]^{2+}$  is smaller than  $B$  for  $[\text{Ni}(\text{H}_2\text{O})_6]^{2+}$  because  $\text{NH}_3$  is higher in the nephelauxetic series than is  $\text{H}_2\text{O}$ .
- E20.17** If  $[\text{Co}(\text{NH}_3)_6]^{3+}$ , a  $d^6$  complex, were high spin, the only spin-allowed transition possible would be  $^5E_g \leftarrow ^5T_{2g}$  (refer to the  $d^6$  Tanabe-Sugano diagram). On the other hand, if it were low spin, several spin-allowed transitions are possible, including  $^1T_{1g} \leftarrow ^1A_{1g}$ ,  $^1T_{2g} \leftarrow ^1A_{1g}$ ,  $^1E_g \leftarrow ^1A_{1g}$ , etc. The presence of two moderate-intensity bands in the visible/near-UV spectrum of  $[\text{Co}(\text{NH}_3)_6]^{3+}$  suggests that it is low spin. The first two transitions listed above correspond to these two bands. The very weak band in the red corresponds to a spin-forbidden transition such as  $^3T_{2g} \leftarrow ^1A_{1g}$ .
- E20.18** The  $d^5\text{ Fe}^{3+}$  ion in the octahedral hexafluorido complex must be high spin ( $\text{F}^-$  is a weak field ligand). According to the  $d^5$  Tanabe-Sugano diagram (Resource Section 6), a high-spin complex has no higher energy terms of the same

multiplicity as the  ${}^6A_{1g}$  ground term. Therefore, since no spin-allowed transitions are possible, the complex is expected to be colourless (i.e., only very weak spin-forbidden transitions are possible). If this Fe(III) complex were low spin, spin-allowed transitions such as  ${}^2T_{1g} \leftarrow {}^2T_{2g}$ ,  ${}^2A_{2g} \leftarrow {}^2T_{2g}$ , etc. would render the complex coloured. The  $d^6$   $Co^{3+}$  ion in  $[CoF_6]^{3-}$  is also high spin, but in this case a single spin-allowed transition,  ${}^5E_g \leftarrow {}^5T_{2g}$ , makes the complex coloured and gives it a one-band spectrum.

- E20.19**  $NH_3$  and  $CN^-$  ligands are quite different with respect to the types of bonds they form with metal ions. Ammonia and cyanide ion are both  $\sigma$ -bases, but cyanide is also a  $\pi$ -acid. This difference means that  $NH_3$  can form molecular orbitals only with the metal  $e_g$  orbitals, while  $CN^-$  can form molecular orbitals with the metal  $e_g$  and  $t_{2g}$  orbitals. The formation of molecular orbitals is the way that ligands “expand the clouds” of the metal d orbitals—the bonding between  $Co^{3+}$  and the ligand has more covalent character in  $[Co(CN)_6]^{3-}$  than in  $[Co(NH_3)_6]^{3+}$ .
- E20.20** The intense band, with  $\epsilon_{max} = 2 \times 10^4 M^{-1} cm^{-1}$ , at relatively high energy is undoubtedly both spin- and Laporte allowed charge-transfer transition because it is too intense to be a ligand field, Laporte-forbidden (d–d) transition. Furthermore, it is probably an LMCT transition, not an MLCT transition because the ligands do not have empty orbitals necessary for an MLCT transition. The two bands with  $\epsilon_{max} = 60$  and  $80 M^{-1} cm^{-1}$  are probably spin-allowed but Laporte-forbidden ligand field (d–d) transitions. Even though the complex is not strictly octahedral, the ligand field bands are still not very intense. The very weak band with  $\epsilon_{max} = 2 M^{-1} cm^{-1}$  is most likely a spin-forbidden ligand field (d–d) transition.
- E20.21** The  $Fe^{3+}$  ions in question are  $d^5$  metal ions. If they were low spin, several spin-allowed ligand field transitions would give the glass a colour even when viewed through the wall of the bottle (see the Tanabe-Sugano diagram for  $d^5$  metal ions in Resource Section 6). Therefore, the  $Fe^{3+}$  ions are high spin, and as such have no spin-allowed transitions (the ground state of an octahedral high-spin  $d^5$  metal ion is  ${}^6A_{1g}$ , and there are no sextet excited states). The faint green colour, which is only observed when looking through a long pathlength of bottle glass, is caused by spin-forbidden ligand field transitions (recall the Lambert-Beer’s law,  $A = \epsilon lc$ , where  $l$  is the optical pathlength).
- E20.22** The blue-green colour of the  $Cr^{3+}$  ions in  $[Cr(H_2O)_6]^{3+}$  is caused by spin-allowed but Laporte-forbidden ligand field transitions. The relatively low-molar-absorption coefficient,  $\epsilon$ , which is a manifestation of the Laporte-forbidden nature of the transitions, is the reason that the intensity of the colour is weak. The oxidation state of chromium in tetrahedral chromate dianion is Cr(VI), which is  $d^0$ . Therefore, no ligand field transitions are possible. The intense yellow colour is due to LMCT transitions (i.e., electron transfer from the oxide ion ligands to the Cr(VI) metal centre). Charge transfer transitions are intense because they are both spin-allowed and Laporte-allowed.
- E20.23** The  $d_{z^2}$  orbital in  $[CrCl(NH_3)_5]^{2+}$  complex is left unchanged by each of the symmetry operations of the  $C_{4v}$  point group. It therefore has  $A_1$  symmetry. The  $Cl^-$  lone electron pairs can form  $\pi$  molecular orbitals with  $d_{xz}$  and  $d_{yz}$ . These metal atomic orbitals are  $\pi$ -antibonding MOs in  $[CoCl(NH_3)_5]^{2+}$  (they are nonbonding in  $[Co(NH_3)_6]^{3+}$ ), and so they will be raised in energy relative to their position in  $[Co(NH_3)_6]^{3+}$ , in which they were degenerate with  $d_{xy}$ . Since  $Cl^-$  ion is not as strong a  $\sigma$ -base as  $NH_3$  is, the  $d_{z^2}$  orbital in  $[CoCl(NH_3)_5]^{2+}$  will be at lower energy than in  $[Co(NH_3)_6]^{3+}$ , in which it was degenerate with  $d_{x^2-y^2}$ . A qualitative d-orbital splitting diagram for both complexes is shown below ( $L = NH_3$ ).



**E20.24** As discussed in Section 20.5 *Charge-transfer bands*, ligand field transitions can occur for d-block metal ions with one or more, but fewer than ten, electrons in the metal  $e$  and  $t_2$  orbitals. However, the oxidation state of manganese in permanganate anion is Mn(VII), which is  $d^0$ . Therefore, no ligand field transitions are possible. The metal  $e$  orbitals are the LUMOs, and can act as acceptor orbitals for LMCT transitions. These fully allowed transitions give permanganate its characteristic *intense purple colour*. You can see that two LMCT transitions are possible,  $e \leftarrow a_1$  and  $t_2 \leftarrow a_1$ . These two transitions give rise to the two absorption bands observed at  $18\,500\text{ cm}^{-1}$  and  $32\,200\text{ cm}^{-1}$ . The difference in energy between the two transitions,  $E(t_2) - E(e) = 13\,700\text{ cm}^{-1}$ , is just equal to  $\Delta_T$ , as shown in the diagram below:



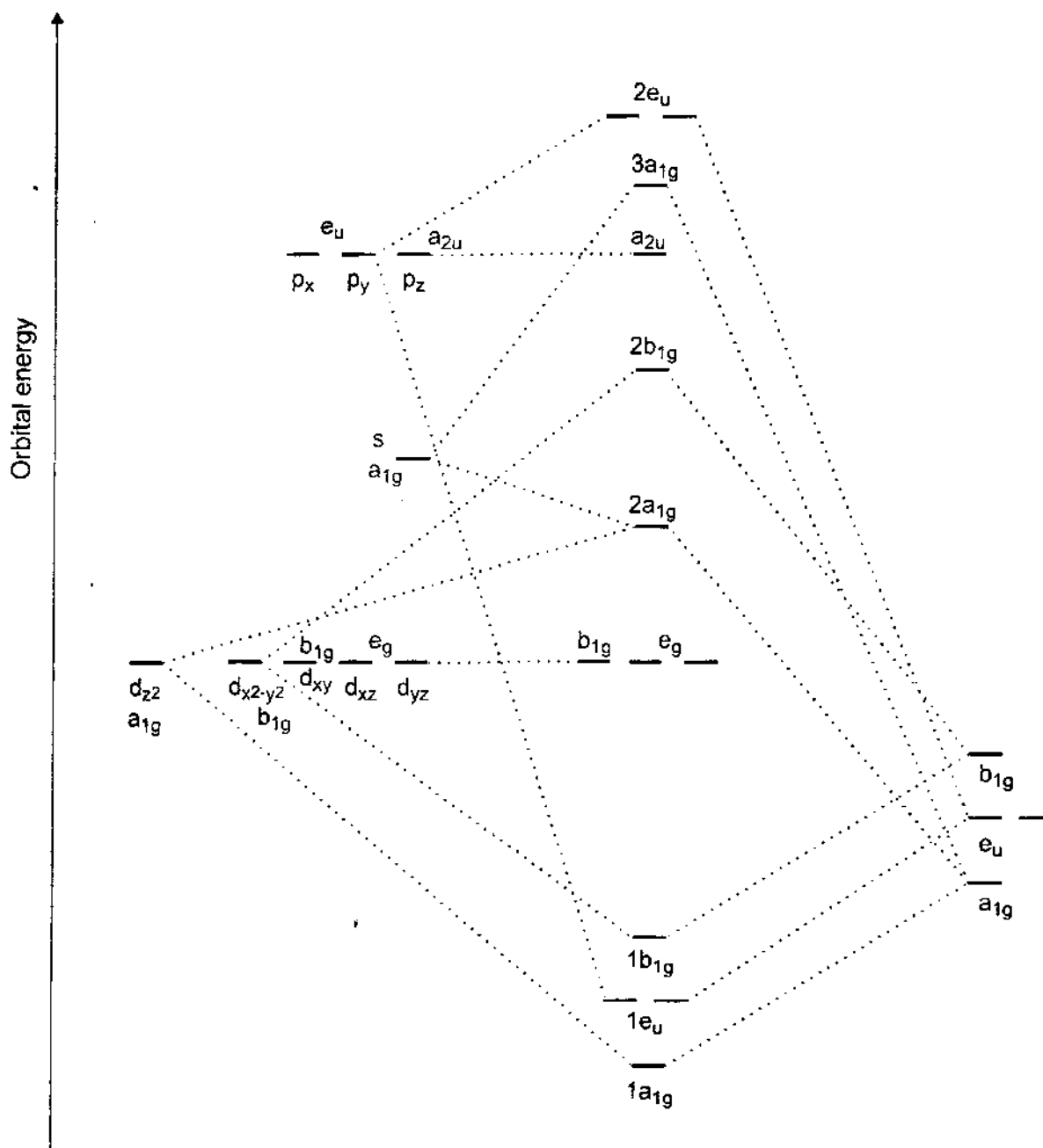
### Guidelines for Selected Tutorial Problems

**T20.3** See Problem 20.4 below for guidelines.

**T20.4** From Table RS5.1 in Resource Section 5 we can see how metal orbitals transform in  $D_{4h}$  point group. Thus,  $d_{z^2}$  and  $s$  orbitals transform as  $A_{1g}$ ,  $d_{yz}$  and  $d_{xz}$  as  $E_g$ ,  $d_{xy}$  as  $B_{2g}$ ,  $d_{x^2-y^2}$  as  $B_{1g}$ ,  $p_z$  as  $A_{2u}$ , and finally  $p_x$  and  $p_y$  as  $E_u$ . Looking in  $D_{4h}$  column we can also find ligand orbitals: singly degenerate  $A_{1g}$  and  $B_{1g}$  and doubly degenerate  $E_u$ . These are the only possible ligand symmetry adapted linear combinations that are relevant for purely  $\sigma$  bonding. The molecular orbital diagram is shown on the next page. Note that the metallic  $d_{xy}$ ,  $d_{xz}$ ,  $d_{yz}$ , and  $p_z$  atomic orbitals have no symmetry match on ligand side and they remain non-bonding in a pure  $\sigma$  bonding scenario. These orbitals do have a match if we include  $\pi$  bonding. Analysis of  $D_{4h}$  column for ligand SALC reveals a singly degenerate  $A_{2u}$  set (a match for  $p_z$  metallic orbital) and a doubly degenerate  $E_g$  set (a match for  $d_{xz}$  and  $d_{yz}$ ). With inclusion of  $\pi$  bonding, only  $d_{xy}$  (of  $B_{2g}$  class) remains non-bonding.

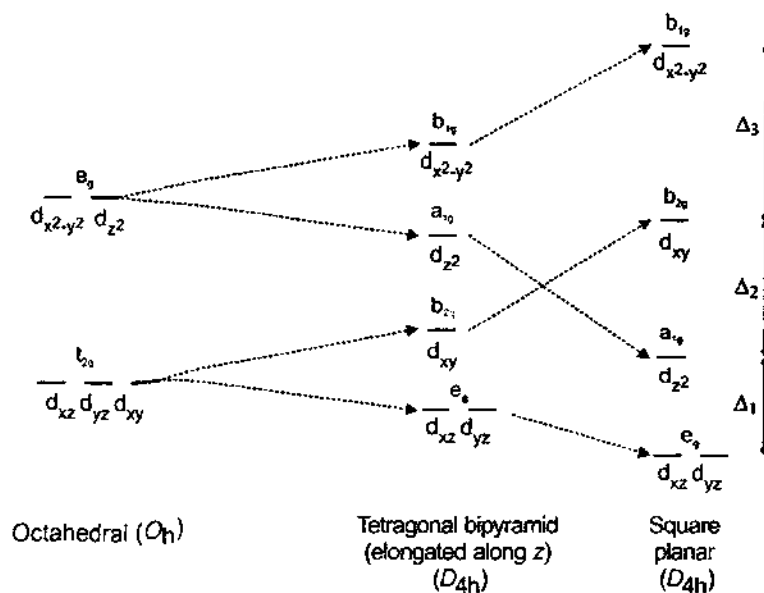
Note that this diagram can serve as a basis for tutorial Problem 20.3 as well. *Trans*- $[\text{ML}_4\text{X}_2]$  complex also has a  $D_{4h}$  symmetry, so the metal orbital classes remain the same. It can be derived from square planar  $\text{ML}_4$  (for which the diagram applies) by adding two X ligands along  $z$  axis. Thus, what we have to add on the ligand side of the molecular orbital diagram is a singly degenerate  $A_1$  set that is a good match for both  $d_{z^2}$  and  $s$  metallic orbitals. The new ligand orbitals should be *higher* in energy than the ones shown in the figure below because X is lower than L in the electrochemical series. Consult also the solution for Exercise 20.23.





**T20.5** The figure below shows the rough orbital diagrams indicating changes in energy as we go from an octahedral complex ( $O_h$ ) to a tetragonally distorted ( $D_{4h}$ ) to finally square planar one when the ligands along z axis have been completely removed. If we elongate the bonds along z axis, the repulsion between ligands (as point charges) and electrons in all d orbitals that have z component ( $d_{z^2}$ ,  $d_{xz}$ , and  $d_{yz}$ ) is going to decrease. As a consequence, these d-metallic orbitals are going to drop in energy in a tetragonally distorted complex and will break the degeneracy of  $t_{2g}$  and  $e_g$  sets (the Jahn-Teller theorem). The ligands along x and y axes now can approach metal a bit closer (due to less steric crowding), will repel the electrons in  $d_{x^2-y^2}$  and  $d_{xy}$  more than in  $O_h$  symmetry, and will consequently increase in energy in comparison to starting octahedral complex. Square planar geometry results when we completely remove the ligands along z axis. In this case the ligands are approaching the metal centre along x and y axes and strongly repel with the electrons in  $d_{x^2-y^2}$  orbital (remember that this orbital has its lobes located exactly along x and y axes). The energy of this orbital increases significantly. The energy of  $d_{xy}$  orbital is also increasing because its lobes are between x and y axes. All orbitals that have z axis component decrease in energy because the

point charges have been removed along this axis. Note, however, that the energy of  $d_{z^2}$  orbital is not the lowest one, as we might expect. This is because  $d_{z^2}$  orbital has some electron density in  $xy$  plane in a torus shape. Similar analysis can be applied to derive  $d$  orbital splitting for linear two coordinate complexes if we, starting from the octahedral complex, remove ligands along  $x$  and  $y$  axes. In this case we can consider a squished octahedron as an intermediate geometry (with axial  $M-L$  bonds shorter than equatorial  $M-L$  bonds). Your result should have  $d_{z^2}$  as the orbital of highest energy, followed by doubly degenerate  $d_{xz}$  and  $d_{yz}$ , and finally lowest in energy is another doubly degenerate set of  $d_{xy}$  and  $d_{x^2-y^2}$ .



## Chapter 21 Coordination Chemistry: Reactions of Complexes

### Self-Test Exercises

S21.1 We can use Equation 21.6 to calculate the rate constant:

$$\log k_2(\text{NO}_2^-) = S n_{\text{Pt}}(\text{NO}_2^-) + C$$

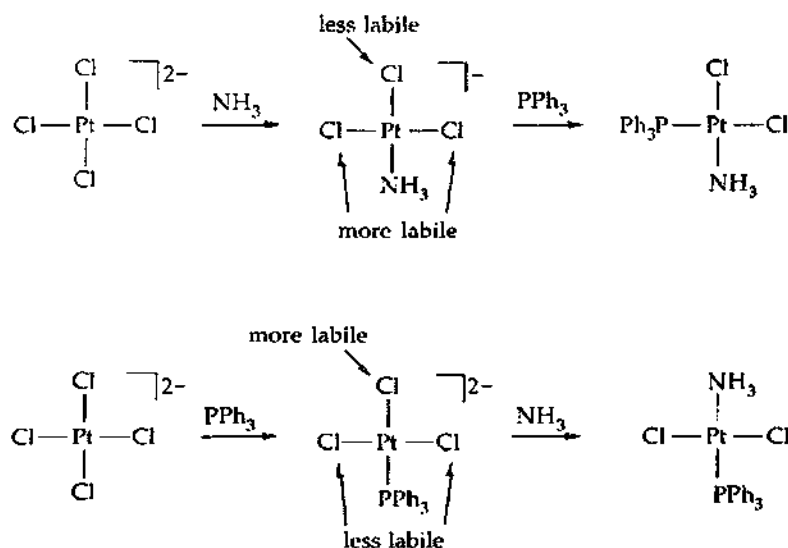
where  $S$  is the nucleophilic discrimination factor for this complex,  $n_{\text{Pt}}(\text{NO}_2^-)$  is the nucleophilicity parameter of nitrite ion, and  $C$  is the logarithm of the second order rate constant for the substitution for  $\text{Cl}^-$  in this complex by  $\text{MeOH}$ .  $S$  was determined to be 0.41 in the example, and  $n_{\text{Pt}}(\text{NO}_2^-)$  is given as 3.22.  $C$  is a constant for a given complex and is  $-0.61$  in this case, as determined in the example also. Therefore,  $k_2(\text{NO}_2^-)$  can be calculated as follows:

$$\log k_2(\text{NO}_2^-) = (0.41)(3.22) - 0.61 = 0.71$$

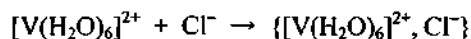
$$k_2(\text{NO}_2^-) = 10^{0.71} = 5.1 \text{ dm}^3\text{mol}^{-1}\text{s}^{-1}$$

S21.2 For the three ligands in question,  $\text{Cl}^-$ ,  $\text{NH}_3$ , and  $\text{PPh}_3$ , the *trans* effect series is  $\text{NH}_3 < \text{Cl}^- < \text{PPh}_3$ . This means that a ligand *trans* to  $\text{Cl}^-$  will be substituted at a faster rate than a ligand *trans* to  $\text{NH}_3$ , and a ligand *trans* to  $\text{PPh}_3$  will be substituted at a faster rate than a ligand *trans* to  $\text{Cl}^-$ . Since our starting material is  $[\text{PtCl}_4]^{2-}$ , two steps involving substitution of  $\text{Cl}^-$  by  $\text{NH}_3$  or  $\text{PPh}_3$  must be used.

If you first add  $\text{NH}_3$  to  $[\text{PtCl}_4]^{2-}$ , you will produce  $[\text{PtCl}_3(\text{NH}_3)]^-$ . Now if you add  $\text{PPh}_3$ , one of the mutually *trans*  $\text{Cl}^-$  ligands will be substituted faster than the  $\text{Cl}^-$  ligand *trans* to  $\text{NH}_3$ , and the *cis* isomer will be the result. If you first add  $\text{PPh}_3$  to  $[\text{PtCl}_4]^{2-}$ , you will produce  $[\text{PtCl}_3(\text{PPh}_3)]^-$ . Now if you add  $\text{NH}_3$ , the  $\text{Cl}^-$  ligand *trans* to  $\text{PPh}_3$  will be substituted faster than one of the mutually *trans*  $\text{Cl}^-$  ligands, and the *trans* isomer will be the result.

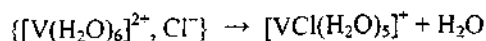


S21.3 As discussed in Section 21.6, the Eigen-Wilkins mechanism for substitution in octahedral complexes suggests the formation of an encounter complex  $\{[\text{V}(\text{H}_2\text{O})_6]^{2+}, \text{Cl}^-\}$ , in the first, fast step:



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The second, slow step of the mechanism is producing the product:



The observed rate constant,  $k_{\text{obs}}$ , is given by:

$$k_{\text{obs}} = kK_{\text{E}}$$

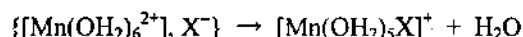
and in the case of the substitution of  $\text{H}_2\text{O}$  by  $\text{Cl}^-$  in  $[\text{V}(\text{H}_2\text{O})_6]^{2+}$   $k_{\text{obs}} = 1.2 \times 10^2 \text{ dm}^3\text{mol}^{-1}\text{s}^{-1}$ . You will be able to calculate  $k$  if you can estimate a proper value for  $K_{\text{E}}$ . Inspection of Table 21.6 shows that  $K_{\text{E}} = 1 \text{ dm}^3\text{mol}^{-1}$  for the encounter complex formed by  $\text{F}^-$  or  $\text{SCN}^-$  and  $[\text{Ni}(\text{H}_2\text{O})_6]^{2+}$ . This value can be used for the reaction in question because (i) the charge and size of  $\text{Cl}^-$  are similar to those of  $\text{F}^-$  and  $\text{SCN}^-$ , and (ii) the charge and size of  $[\text{Ni}(\text{H}_2\text{O})_6]^{2+}$  are similar to those of  $[\text{V}(\text{H}_2\text{O})_6]^{2+}$ . Therefore,  $k = k_{\text{obs}}/K_{\text{E}} = (1.2 \times 10^2 \text{ dm}^3\text{mol}^{-1} \text{ s}^{-1})/(1 \text{ dm}^3\text{mol}^{-1}) = 1.2 \times 10^2 \text{ s}^{-1}$ .

### End-of-Chapter Exercises

- E21.1** If the mechanism of substitution were to be associative, the nature of incoming ligand should affect the rate of the reaction. This is because the rate-limiting step would require the formation of  $\text{M}-\text{X}$  bonds ( $\text{X}$  = incoming ligand). In the present case, however, the rate of the reaction does not vary much with the nature or the size of the incoming ligand. Therefore, the more likely mechanism would be *dissociative*.
- E21.2** The rate of an associative process depends on the identity of the entering ligand and, therefore, it is not an inherent property of  $[\text{M}(\text{OH}_2)_6]^{n+}$ .
- E21.3** Since the rate of substitution is the same for a variety of different entering ligands  $\text{L}$  (i.e., phosphines and or phosphites), the activated complex in each case must not include any significant bond making to the entering ligand. Thus, the reaction must be *d*. If the rate-determining step included any  $\text{Ni}-\text{L}$  bond making, the rate of substitution would change as the electronic and steric properties of  $\text{L}$  were changed.
- E21.4** The rate law for this substitution reaction is:

$$\text{rate} = (kK_{\text{E}}[\text{Mn}(\text{OH}_2)_6^{2+}][\text{X}^-])/(1 + K_{\text{E}}[\text{X}^-])$$

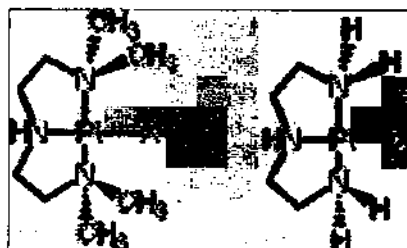
where  $K_{\text{E}}$  is the equilibrium constant for the formation of the encounter complex  $\{[\text{Mn}(\text{OH}_2)_6]^{2+}, \text{X}^-\}$ , and  $k$  is the first-order rate constant for the reaction:



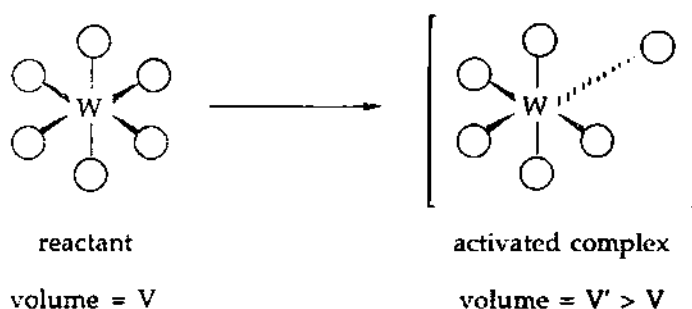
The rate law will be the same regardless of whether the transformation of the encounter complex into products is dissociatively or associatively activated. However, you can distinguish *d* from *a* by varying the nature of  $\text{X}^-$ . If  $k$  varies as  $\text{X}^-$  varies, then the reaction is *a*. If  $k$  is relatively constant as  $\text{X}^-$  varies, then the reaction is *d*. Note that  $k$  cannot be measured directly. It can be found using the expression  $k_{\text{obs}} = kK_{\text{E}}$  and an estimate of  $K_{\text{E}}$ .

- E21.5** If ligand substitution takes place by a *d* mechanism, the strength of the metal-leaving group bond is directly related to the substitution rate. Metal centres with high oxidation numbers will have stronger bonds to ligands than metal centres with low oxidation numbers. Furthermore, period 5 and 6 d-block metals have stronger metal ligand bonds (see Section 21.1). Therefore, for reactions that are dissociatively activated, complexes of period 5 and 6 metals are less labile than complexes of period 3 metals, and complexes of metals in high oxidation states are less labile than complexes of metals in low oxidation states (all other factors remaining equal).
- E21.6** The two  $\text{Pt}(\text{II})$  complexes are shown below. Both are square planar and thus the ligand substitution reactions would follow associative mechanism. The methyl-substituted complex presents a greater degree of steric

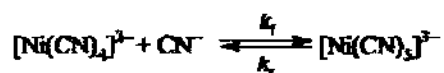
hindrance to an incoming  $\text{Cl}^-$  ion nucleophile. Since the rate-determining step for associative substitution of  $\text{X}^-$  by  $\text{Cl}^-$  is the formation of a  $\text{Pt}-\text{Cl}$  bond, the more hindered complex will react more slowly.



- E21.7** Since the rate of loss of chlorobenzene,  $\text{PhCl}$ , from the tungsten complex becomes faster as the cone angle of  $\text{L}$  increases, this is a case of dissociative activation (i.e., steric crowding in the transition state accelerates the rate).
- E21.8** Since the volume of activation is positive ( $+11.3 \text{ cm}^3 \text{ mol}^{-1}$ ), the activated complex takes up more volume in solution than the reactants, as shown in the drawing below. Therefore, the mechanism of substitution must be dissociative.



- E21.9** The fact that the five-coordinate complex  $[\text{Ni}(\text{CN})_5]^{3-}$  can be detected does indeed explain why substitution reactions of the four-coordinate complex  $[\text{Ni}(\text{CN})_4]^{2-}$  are fast. The reason is that, for a detectable amount of  $[\text{Ni}(\text{CN})_5]^{3-}$  to build up in solution, the forward rate constant  $k_f$  must be numerically close to or greater than the reverse rate constant  $k_r$ :



If  $k_f$  were much smaller than  $k_r$ , the equilibrium constant  $K = k_f/k_r$  would be small and the concentration of  $[\text{Ni}(\text{CN})_5]^{3-}$  would be too small to detect. Therefore, because  $k_f$  is relatively large, you can infer that rate constants for the association of other nucleophiles are also large, with the result that substitution reactions of  $[\text{Ni}(\text{CN})_4]^{2-}$  are very fast.

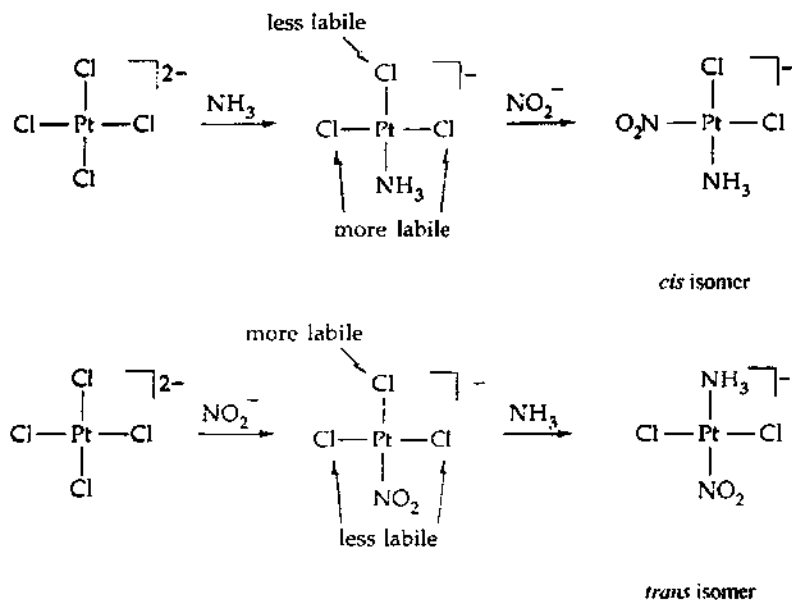
- E21.10** The entropy of activation is positive, ruling out an associative mechanism (associative mechanisms have uniformly negative entropies of activation). A possible mechanism is loss of one dimethyl sulfide ligand, followed by the coordination of 1,10-phenanthroline, giving an unstable, intermediate complex that can be either five-coordinate (both phen donor atoms coordinated) or four-coordinate (only one phen donor atom coordinated). In the final step, the second dimethyl sulfide ligand leaves and rearranges to form a square-planar complex.
- E21.11** Starting with  $[\text{PtCl}_4]^{2-}$ , you need to perform two separate ligand substitution reactions. In one,  $\text{NH}_3$  will replace  $\text{Cl}^-$  ion. In the other,  $\text{NO}_2^-$  ion will replace  $\text{Cl}^-$  ion. The question is which substitution to perform first. According to the *trans* effect series shown in Section 21.4, the strength of the *trans* effect for the three ligands in question is

$\text{NH}_3 < \text{Cl}^- < \text{NO}_2^-$ . This means that a  $\text{Cl}^-$  ion *trans* to another  $\text{Cl}^-$  will be substituted faster than a  $\text{Cl}^-$  ion *trans* to  $\text{NH}_3$ , while a  $\text{Cl}^-$  ion *trans* to  $\text{NO}_2^-$  will be substituted faster than a  $\text{Cl}^-$  ion *trans* to another  $\text{Cl}^-$  ion.

If you first add  $\text{NH}_3$  to  $[\text{PtCl}_4]^{2-}$ , you will produce  $[\text{PtCl}_3(\text{NH}_3)]^-$ . Now if you add  $\text{NO}_2^-$ , one of the mutually *trans*  $\text{Cl}^-$  ligands will be substituted faster than the  $\text{Cl}^-$  ligand *trans* to  $\text{NH}_3$ , and the *cis* isomer will be the result.

If you first add  $\text{NO}_2^-$  to  $[\text{PtCl}_4]^{2-}$ , you will produce  $[\text{PtCl}_3(\text{NO}_2)]^{2-}$ . Now if you add  $\text{NH}_3$ , the  $\text{Cl}^-$  ligand *trans* to  $\text{NO}_2^-$  will be substituted faster than one of the mutually *trans*  $\text{Cl}^-$  ligands, and the *trans* isomer will be the result.

These two-step syntheses are shown below:



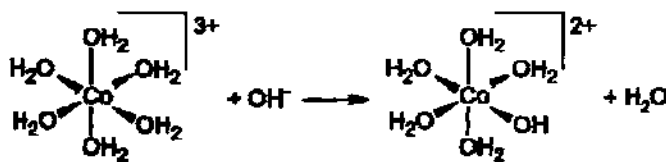
**E21.12 (a) Changing a *trans* ligand from  $\text{H}^-$  to  $\text{Cl}^-$ .** Hydride ion lies higher in the *trans* effect series than does chloride ion. Thus if the ligand *trans* to  $\text{H}^-$  or  $\text{Cl}^-$  is the leaving group, its rate of substitution will be decreased if  $\text{H}^-$  is changed to  $\text{Cl}^-$ . The change in rate can be as large as a factor of  $10^4$  (see Table 21.4).

**(b) Changing the leaving group from  $\text{Cl}^-$  to  $\text{I}^-$ .** The rate at which a ligand is substituted in a square-planar complex is related to its position in the *trans* effect series. If a ligand is high in the series, it is a *good* entering group (i.e., a good nucleophile) and a *poor* leaving group. Since iodide ion is higher in the *trans* effect series than chloride ion, it is a poorer leaving group than chloride ion. Therefore, the *iodido* complex will undergo  $\text{I}^-$  substitution more slowly than the *chlorido* complex will undergo  $\text{Cl}^-$  substitution.

**(c) Adding a bulky substituent to a *cis* ligand.** This change will hinder the approach of the entering group and will slow the formation of the five-coordinate activated complex. The rate of substitution of a square-planar complex with bulky ligands will be slower than that of a comparable complex with sterically smaller ligands.

**(d) Increasing the positive charge on the complex.** If all other factors are kept equal, increasing the positive charge on a square-planar complex will increase the rate of substitution. This is because the entering ligands are either anions or have the negative ends of their dipoles pointing at the metal ion. As explained in Section 21.3, if the charge density of the complex decreases in the activated complex, as would happen when an anionic ligand adds to a cationic complex, the solvent molecules will be *less* ordered around the complex (the opposite of the process called electrostriction). The increased disorder of the solvent makes  $\Delta S$  less negative (compare the values of  $\Delta S$  for the  $\text{Pt(II)}$  and  $\text{Au(III)}$  complexes in Table 21.5).

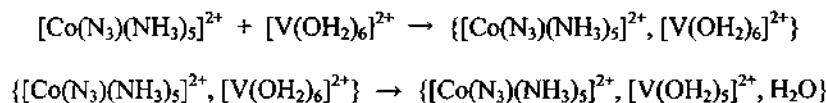
**E21.13** The general trend is easy to explain: the octahedral  $[\text{Co}(\text{H}_2\text{O})_6]^{3+}$  complex undergoes dissociatively activated ligand substitution. The rate of substitution depends on the nature of the bond between the metal and the leaving group because this bond is partially broken in the activated complex. The rate is independent of the nature of the bond to the entering group because this bond is formed in a step subsequent to the rate-determining step. The anomalously **high** rate of substitution by  $\text{OH}^-$  signals an alternate path, that of base hydrolysis, as shown below (see Section 21.7):

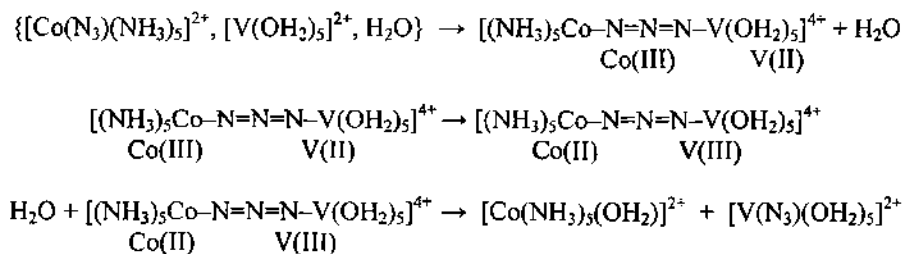


The deprotonated complex  $[\text{Co}(\text{H}_2\text{O})_5(\text{OH})]^{2+}$  will undergo loss of  $\text{H}_2\text{O}$  faster than the starting complex  $[\text{Co}(\text{H}_2\text{O})_6]^{3+}$ , because the anionic  $\text{OH}^-$  ligand is both better  $\sigma$  and  $\pi$  donor than  $\text{H}_2\text{O}$ . As a consequence the bond *trans* to  $\text{Co}-\text{OH}$  bond is going to be weaker, and substitution is going to proceed faster. The implication is that a complex without protic ligands will not undergo anomalously fast substitution reaction in the presence of  $\text{OH}^-$ .

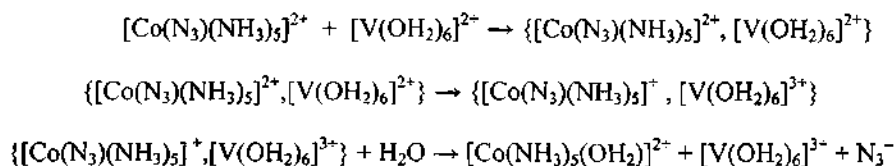
- E21.14** (a)  $[\text{Pt}(\text{PR}_3)_4]^{2+} + 2\text{Cl}^-$ . The first  $\text{Cl}^-$  ion substitution will produce the reaction intermediate  $[\text{Pt}(\text{PR}_3)_3\text{Cl}]^+$ . This will be attacked by the second equivalent of  $\text{Cl}^-$  ion. Since phosphines are higher in the *trans* effect series than chloride ion, a phosphine *trans* to another phosphine will be substituted, giving *cis*- $[\text{PtCl}_2(\text{PR}_3)_2]$ .
- (b)  $[\text{PtCl}_4]^{2-} + 2\text{PR}_3$ . The first  $\text{PR}_3$  substitution will produce the reaction intermediate  $[\text{PtCl}_3(\text{PR}_3)]^-$ . This will be attacked by the second equivalent of  $\text{PR}_3$ . Since phosphines are higher in the *trans* effect series than chloride ion, the  $\text{Cl}^-$  ion *trans* to  $\text{PR}_3$  will be substituted, giving *trans*- $[\text{PtCl}_2(\text{PR}_3)_2]$ .
- (c) *cis*- $[\text{Pt}(\text{NH}_3)_2(\text{py})]^{2+} + 2\text{Cl}^-$ . You should assume that  $\text{NH}_3$  and pyridine are about equal in the *trans* effect series. The first  $\text{Cl}^-$  ion substitution will produce one of two reaction intermediates, *cis*- $[\text{PtCl}(\text{NH}_3)(\text{py})_2]^+$  or *cis*- $[\text{PtCl}(\text{NH}_3)_2(\text{py})]^+$ . Either of these will produce the same product when they are attacked by the second equivalent of  $\text{Cl}^-$  ion. This is because  $\text{Cl}^-$  is higher in the *trans* effect series than  $\text{NH}_3$  or pyridine. Therefore, the ligand *trans* to the first  $\text{Cl}^-$  ligand will be substituted faster, and the product will be *trans*- $[\text{PtCl}_2(\text{NH}_3)(\text{py})]$ .
- E21.15** The three amine complexes will undergo substitution more slowly than the two aqua complexes. This is because of the higher overall complex charge and their low-spin  $d^6$  configurations. You should refer to Table 21.8, which lists ligand field activation energies (LFAE) for various  $d^n$  configurations. While low-spin  $d^6$  is not included, note the similarity between  $d^3$  ( $t_{2g}^3$ ) and low-spin  $d^6$  ( $t_{2g}^6$ ). A low-spin octahedral  $d^6$  complex has  $\text{LFAE} = 0.4\Delta_{\text{oct}}$ , and consequently is inert to substitution. Of the three amine complexes listed above, the iridium complex is the most inert, followed by the rhodium complex, which is more inert than the cobalt complex. This is because  $\Delta_{\text{oct}}$  increases on descending a group in the d-block. Of the two aqua complexes, the Ni complex, with  $\text{LFAE} = 0.2\Delta_{\text{oct}}$ , undergoes substitution more slowly than the Mn complex, with  $\text{LFAE} = 0$ . Thus the order of increasing rate is  $[\text{Ir}(\text{NH}_3)_6]^{3+} < [\text{Rh}(\text{NH}_3)_6]^{3+} < [\text{Co}(\text{NH}_3)_6]^{3+} < [\text{Ni}(\text{OH}_2)_6]^{2+} < [\text{Mn}(\text{OH}_2)_6]^{2+}$ .
- E21.16** (a) **An increase in the positive charge on the complex.** Since the leaving group (X) is invariably negatively charged or the negative end of a dipole, increasing the positive charge on the complex will retard the rate of  $\text{M}-\text{X}$  bond cleavage. For a dissociatively activated reaction, this change will result in a decreased rate.
- (b) **Changing the leaving group from  $\text{NO}_3^-$  to  $\text{Cl}^-$ .** Change of the leaving group from nitrate ion to chloride ion results in a decreased rate. The explanation offered in Section 21.6 is that the  $\text{Co}-\text{Cl}$  bond is stronger than the  $\text{Co}-\text{ONO}_2$  bond. For a dissociatively activated reaction, a stronger bond to the leaving group will result in a decreased rate.
- (c) **Changing the entering group from  $\text{Cl}^-$  to  $\text{I}^-$ .** This change will have little or no effect on the rate. For a dissociatively activated reaction, the bond between the entering group and the metal is formed subsequent to the rate-determining step.
- (d) **Changing the *cis* ligands from  $\text{NH}_3$  to  $\text{H}_2\text{O}$ .** These two ligands differ in their  $\sigma$  basicity. The less basic ligand,  $\text{H}_2\text{O}$ , will decrease the electron density at the metal and will destabilize the coordinatively unsaturated activated complex. Therefore, this change from  $\text{NH}_3$  to the less basic ligand  $\text{H}_2\text{O}$  will result in a decreased rate (see Section 21.6(b)).

**E21.17** The inner-sphere pathway is shown below (solvent =  $\text{H}_2\text{O}$ ):





The pathway for outer-sphere electron transfer is shown below:



In both cases, the cobalt-containing product is the aqua complex because  $\text{H}_2\text{O}$  is present in abundance, and high-spin  $d^7$  complexes of  $\text{Co(II)}$  are substitution labile. However, something that distinguishes the two pathways is the composition of the vanadium-containing product. If  $[\text{V}(\text{N}_3)(\text{OH}_2)_5]^{2+}$  is the product, then the reaction has proceeded via an inner-sphere pathway. If  $[\text{V}(\text{OH}_2)_6]^{3+}$  is the product, then the electron-transfer reaction is outer-sphere. The complex  $[\text{V}(\text{N}_3)(\text{OH}_2)_5]^{2+}$  is inert enough to be experimentally observed before the water molecule displaces the azide anion to give  $[\text{V}(\text{OH}_2)_6]^{3+}$ .

**E21.18** The direct transfer of a ligand from the coordination sphere of one redox partner (in this case the oxidizing agent,  $[\text{Co}(\text{NCS})(\text{NH}_3)_5]^{2+}$ ) to the coordination sphere of the other (in this case the reducing agent,  $[\text{Fe}(\text{OH}_2)_6]^{2+}$ ) signals an inner-sphere electron-transfer reaction. Even if the first formed product  $[\text{Fe}(\text{NCS})(\text{OH}_2)_5]^{2+}$  is short lived and undergoes hydrolysis to  $[\text{Fe}(\text{OH}_2)_6]^{3+}$ , its fleeting existence demands that the electron was transferred across a  $\text{Co}(\text{NCS})\text{--Fe}$  bridge.

**E21.19** In the case of reactions with  $\text{Co(II)}$ , the difference in the rate of reduction can be explained by different mechanisms for the two reactions. The reduction of  $[\text{Co}(\text{NH}_3)_5(\text{OH})]^{2+}$  proceeds via inner-sphere mechanism:  $\text{Co(II)}$  complexes are labile (see Fig. 21.1) whereas  $[\text{Co}(\text{NH}_3)_5(\text{OH})]^{2+}$  has  $\text{OH}^-$  ligand that can serve as a bridging ligand. The  $[\text{Co}(\text{NH}_3)_5(\text{H}_2\text{O})]^{3+}$  has no bridging ligands and the only mechanistic pathway for the electron-transfer is outer sphere.

On the other hand, both reactions with  $[\text{Ru}(\text{NH}_3)_6]^{2+}$  as a reducing agent likely proceed via the same mechanism, the outer-sphere mechanism because  $\text{Ru(II)}$  complex, being a complex of the second row transition element with high LFSE, is more inert than  $\text{Co(II)}$  complex.

**E21.20** Using the Marcus cross-relation (Equation 21.16), we can calculate the rate constants. In this equation  $[k_{12} = \{k_{11} \cdot k_{22} \cdot K_{12} \cdot f_{12}\}^{1/2}]$ , the values of  $k_{11}$  and  $k_{22}$  can be obtained from Table 21.12. We can assume  $f_{12}$  to be unity. The redox potential data allows us to calculate  $K_{12}$  because  $E^\circ = [RT/vF] \ln K$ . The value of  $E^\circ$  can be calculated by subtracting the anodic reduction potential (the  $\text{V}^{3+}/\text{V}^{2+}$  couple serves as the anode) from the cathodic one.

$$\text{(a) } [\text{Ru}(\text{NH}_3)_6]^{3+} \quad k = 4.53 \times 10^3 \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$$

$$\text{(b) } [\text{Co}(\text{NH}_3)_6]^{3+} \quad k = 1.41 \times 10^{-2} \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$$

**Relative sizes?** The reduction of the  $\text{Ru}$  complex is more thermodynamically favoured than the reaction of the  $\text{Co}$  complex, and it is faster as evident from its larger  $k$  value.

**E21.21** Using the Marcus cross-relation (Equation 21.16), we can calculate the rate constants. In this equation  $[k_{12} = \{k_{11} \cdot k_{22} \cdot K_{12} \cdot f_{12}\}^{1/2}]$ , the values of  $k_{11}$  and  $k_{22}$  can be obtained from Table 21.12. We can assume  $f_{12}$  to be unity. The redox potential data allows us to calculate  $K_{12}$  because  $E^\circ = [RT/vF] \ln K$ . The value of  $E^\circ$  can be calculated by subtracting the anodic reduction potential (the  $\text{Cr}^{3+}/\text{Cr}^{2+}$  couple serves as the anode) from the cathodic one.

$$\text{(a) } k_{11} (\text{Cr}^{3+}/\text{Cr}^{2+}) = 1 \times 10^{-5} \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}; k_{22} (\text{Ru}^{3+}/\text{Ru}^{2+} \text{ for the hexamine complex}) = 6.6 \times 10^3 \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}; f_{12} = 1; K_{12} = e^{[nF \varepsilon^\circ / RT]} \text{ where } \varepsilon^\circ = 0.07 \text{ V} - (-0.41 \text{ V}) = 0.48 \text{ V}; n = 1; F = 96485 \text{ C}; R = 8.31 \text{ J mol}^{-1} \text{ K}^{-1} \text{ and } T = 298$$



K. Using these values we get  $K_{12} = 1.32 \times 10^8$ . Substitution of these values in the Marcus-Cross relationship gives  $k_{12} = 2.95 \times 10^3 \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ .

(b)  $k_{11} (\text{Cr}^{3+}/\text{Cr}^{2+}) = 1 \times 10^{-5} \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ ;  $k_{22} (\text{Fe}^{3+}/\text{Fe}^{2+} \text{ for the aqua complex}) = 1.1 \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ ;  $f_{12} = 1$ ;  $K_{12} = e^{(vF E^{\circ}/RT)}$  where  $E^{\circ} = 0.77 \text{ V} - (-0.41 \text{ V}) = +1.18 \text{ V}$ ;  $v = 1$ ;  $F = 96485 \text{ C mol}^{-1}$ ;  $R = 8.31 \text{ J mol}^{-1} \text{ K}^{-1}$  and  $T = 298 \text{ K}$ . Using these values we get  $K_{12} = 9.26 \times 10^{19}$ . Substitution of these values in the Marcus cross-relation gives  $k_{12} = 3.19 \times 10^7 \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ .

(c)  $k_{11} (\text{Cr}^{3+}/\text{Cr}^{2+}) = 1 \times 10^{-5} \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ ;  $k_{22} (\text{Ru}^{3+}/\text{Ru}^{2+} \text{ for the bpy complex}) = 4 \times 10^8 \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ ;  $f_{12} = 1$ ;  $K_{12} = e^{(vF E^{\circ}/RT)}$  where  $E^{\circ} = 1.26 \text{ V} - (-0.41 \text{ V}) = 1.67 \text{ V}$ ;  $v = 1$ ;  $F = 96485 \text{ C mol}^{-1}$ ;  $R = 8.31 \text{ J mol}^{-1} \text{ K}^{-1}$  and  $T = 298 \text{ K}$ . Using these values we get  $K_{12} = 1.81 \times 10^{28}$ . Substitution of these values in the Marcus cross-relation gives  $k_{12} = 8.51 \times 10^{15} \text{ dm}^3 \text{ mol}^{-1} \text{ s}^{-1}$ .

Note: The assumption that  $f_{12} = 1$  is used in all cases; however, a more precise value would be needed for cases (b) and (c) because of higher values of the equilibrium constant.

To compare the obtained value we first note that  $k_{11}$  is the same for all three reactions because the reducing agent is the same and that we approximated  $f_{12}$  to be 1. Thus, the differences lie in the reduction potential differences (essentially  $K_{12}$  with all reactions being one electron processes) and  $k_{22}$  values. Although the iron aqua complexes have a slower self-exchange rate than Ru hexamine ones, the  $E_{\text{red}} - E_{\text{ox}}$  difference (and hence larger  $K_{12}$  value) for the reduction of  $[\text{Fe}(\text{H}_2\text{O})_6]^{3+}$  is large enough (and hence  $K_{12}$ ) to significantly influence the reaction rate with Fe complex. In the case of Ru bpy complexes both the reduction potential difference and the self-exchange rate are large and this reaction has the highest  $k_{12}$ .

**E21.22** Since the intermediate is believed to be  $[\text{W}(\text{CO})_5]$ , the properties of the entering group (triethylamine versus triphenylphosphine) should not affect the quantum yield of the reaction, which is a measure of the rate of formation of  $[\text{W}(\text{CO})_5]$  from the excited state of  $[\text{W}(\text{CO})_5(\text{py})]$ . The product of the photolysis of  $[\text{W}(\text{CO})_5(\text{py})]$  in the presence of excess triethylamine will be  $[\text{W}(\text{CO})_5(\text{NEt}_3)]$ , and the quantum yield will be 0.4. This photosubstitution is initiated from a ligand field excited state, not an MLCT excited state. A metal-ligand charge transfer increases the oxidation state of the metal, which would strengthen, not weaken, the bond between the metal and a  $\sigma$ -base-like pyridine.

**E21.23** The intense band at  $\sim 250 \text{ nm}$  is an LMCT transition (specifically a  $\text{Cl}^-$ -to- $\text{Cr}^{3+}$  charge transfer). Irradiation at this wavelength should produce a population of  $[\text{CrCl}(\text{NH}_3)_5]^{2+}$  ions that contain  $\text{Cr}^{2+}$  ions and Cl atoms instead of  $\text{Cr}^{3+}$  ions and  $\text{Cl}^-$  ions. Irradiation of the complex at wavelengths between 350 and 600 nm will not lead to photoreduction. The bands that are observed between these two wavelengths are ligand field transitions: the electrons on the metal are rearranged, and the electrons on the  $\text{Cl}^-$  ion are not involved.

### Guidelines for Selected Tutorial Problems

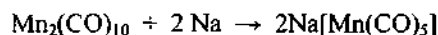
**T21.2** As  $\text{PEt}_3$  is added, an exchange between coordinated and free  $\text{PEt}_3$  would affect the shape of the hydride signal. Once a large excess of  $\text{PEt}_3$  is added it is likely that a pentacoordinate complex  $[\text{Pt}(\text{H})(\text{PEt}_3)_4]^+$  is formed. If this complex is fluxional, then rapid Berry pseudorotation can make any coupling between hydride and phosphorus atom unobservable.

**T21.8** See Exercises 21.20 and 21.21 for instructions.

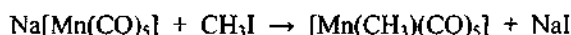
## Chapter 22 d-Metal Organometallic Chemistry

### Self-Test Exercises

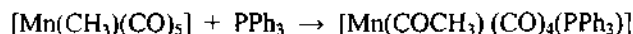
- S22.1** A Mo atom (group 6) has six valence electrons, and each CO ligand is a two-electron donor. Therefore, the total number of valence electrons on the Mo atom in this compound would be  $6 + 7(2) = 20$ . Since organometallic compounds with more than 18 valence electrons on the central metal are unstable,  $[\text{Mo}(\text{CO})_7]$  is *not* likely to exist. On the other hand, the compound  $[\text{Mo}(\text{CO})_6]$ , with exactly 18 valence electrons, is very stable.
- S22.2** For the donor-pair method, treat Cl as a chloride anion,  $\text{Cl}^-$ , and  $\text{CH}_2=\text{CH}_2$  as a neutral, two-electron donor as stated in the exercise (and Table 22.2). Considering that the anion of Zeise's salt has  $-1$  overall charge, the charge on Pt centre must be  $+2$ . Since Pt has 10 valence electrons, Pt(II) must have eight and electronic configuration  $d^8$ . Then, the electron count is  $8$  (from Pt(II))  $+ 3 \times 2e$  (from 3  $\text{Cl}^-$ )  $+ 1 \times 2e$  (from  $\text{CH}_2=\text{CH}_2$ ) = 16 electrons. This is a common electron count for  $d^8$  square planar complexes like this one.
- S22.3** The formal name of  $[\text{Ir}(\text{Br})_2(\text{CH}_3)(\text{CO})(\text{PPh}_3)_2]$  is dibromidocarbonylmethylbis(triphenylphosphine)iridium(III).
- S22.4**  $\text{Fe}(\text{CO})_5$  will have the higher CO stretching frequency and the longer bond. As noted in Example 22.4,  $\text{PEt}_3$  is a good  $\sigma$  donor and causes increased  $\text{M} \rightarrow \text{CO}$  backbonding, a lower CO stretching frequency, and a shorter Fe-C bond.
- S22.5** (a)  $[(\eta^6\text{-C}_7\text{H}_8)\text{Mo}(\text{CO})_3]$  (54). The  $\eta^6\text{-C}_7\text{H}_8$  provides six electrons, as does a formally neutral Mo atom. Each carbonyl provides another two electrons, giving a total of 18.  
(b)  $[(\eta^7\text{-C}_7\text{H}_7)\text{Mo}(\text{CO})_3]^+$  (56)? The  $\eta^7\text{-C}_7\text{H}_7^+$  group provides six electrons, leaving a formally neutral Mo atom and the three carbonyl groups each providing a further six, giving a total of 18.
- S22.6** Consider the reactions of carbonyl complexes discussed in Section 22.18. The Mn-Mn bond in the starting material,  $[\text{Mn}_2(\text{CO})_{10}]$ , can be reductively cleaved with sodium, forming  $\text{Na}[\text{Mn}(\text{CO})_5]$ :



The anionic carbonyl complex,  $[\text{Mn}(\text{CO})_5]^-$ , is a relatively good nucleophile. When treated with  $\text{CH}_3\text{I}$ , it displaces  $\text{I}^-$  to form  $[\text{Mn}(\text{CH}_3)(\text{CO})_5]$ :



Many alkyl-substituted metal carbonyls undergo a migratory insertion reaction when treated with basic ligands. The alkyl group (methyl in this case) migrates from the Mn atom to an adjacent C atom of a CO ligand, leaving an open coordination site for the entering group ( $\text{PPh}_3$  in this case) to attack:

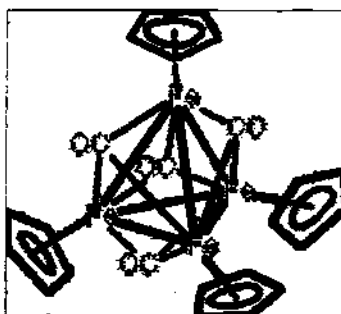


- S22.7** The CO stretching bands at  $1857 \text{ cm}^{-1}$  and  $1897 \text{ cm}^{-1}$  are both lower in frequency than typical terminal CO ligands (recall that for terminal CO ligands,  $\nu(\text{CO}) > 1900 \text{ cm}^{-1}$ ). Therefore, it seems likely that  $[\text{Ni}_2(\eta^5\text{-Cp})_2(\text{CO})_2]$  only contains bridging CO ligands. The presence of two bands suggests that the bridging CO ligands are probably *not* colinear because only one band would be observed if they were.
- S22.8** The neutral ferrocene contains 18 valence electrons (six from  $\text{Fe}^{2+}$  and 12 from the two  $\text{Cp}^-$  ligands). The MO diagram for ferrocene is shown in Figure 22.13. The 18 electrons will fill the available molecular orbitals up to the second  $\alpha_1'$  orbital. Since this orbital is the highest occupied molecular orbital (HOMO), oxidation of ferrocene will result in removal of an electron from it, leaving the 17-electron ferricenium cation,  $[\text{Fe}(\eta^5\text{-Cp})_2]^+$ . If this orbital were strongly bonding, removal of an electron would result in weaker Fe-C bonds. If this orbital were strongly antibonding, removal of an electron would result in stronger Fe-C bonds. However, this orbital is essentially nonbonding (see Figure 22.13). Therefore, oxidation of  $[\text{Fe}(\eta^5\text{-Cp})_2]$  to  $[\text{Fe}(\eta^5\text{-Cp})_2]^+$  will not produce a substantial change in the Fe-C bond order or the Fe-C bond length.

- S22.9** There are four relevant pieces of information provided. First of all, the fact that  $[\text{Fe}_4(\text{Cp})_4(\text{CO})_4]$  is a highly coloured compound suggests that it contains metal–metal bonds. Second, the composition can be used to determine the cluster valence electron count, which can be used to predict which polyhedral structure is the likely one:

$$\begin{array}{rcl}
 (\text{Fe}^{\rightarrow})_4 & 4(7e^-) & = 28 \text{ valence } e^- \\
 (\text{Cp}^-)_4 & 4(6e^-) & = 24 \text{ valence } e^- \\
 (\text{CO})_4 & 4(2e^-) & = 8 \text{ valence } e^- \\
 \hline
 \text{Total} & & = 60 \text{ valence } e^- \text{ (a tetrahedral cluster)}
 \end{array}$$

Third, the presence of only one line in the  $^1\text{H}$  NMR spectrum suggests that the Cp ligands are all equivalent and are  $\eta^5$ . Finally, the single CO stretch at  $1640 \text{ cm}^{-1}$  suggests that the CO ligands are triply bridging. Also, the facts that there is only one line in  $^1\text{H}$ -NMR and only one CO stretch suggest a structure of high symmetry (otherwise both NMR and IR spectra would show more lines). A likely structure for  $[\text{Fe}_4\text{Cp}_4(\text{CO})_4]$  is shown below.



The tetrahedral  $\text{Fe}_4$  core of this cluster exhibits six equivalent Fe–Fe bond distances and corresponds to the CVE count from above. Each Fe atom has a Cp ligand with  $\eta^5$  bonding mode, each able to freely rotate around Fe–Cp bond even at low temperatures (hence one line in  $^1\text{H}$  NMR), and each of the four triangular faces of the  $\text{Fe}_4$  tetrahedron are capped by a triply bridging CO ligand—the CO ligands are all symmetrical and give one IR stretch.

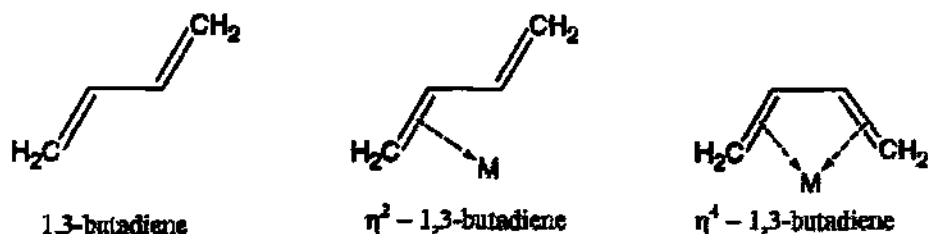
- S22.10** Since  $[\text{Mo}(\text{CO})_3\text{L}_3]$  is a highly substituted complex, the effects of steric crowding must be considered. The steric crowding is particularly important in this case because six-coordinate tricarbonyl complexes adopt a *fac* geometry—all three L ligands would be “squeezed” forming one side of the coordination octahedron. In this case, the two ligands should be very similar electronically but very different sterically. The cone angle for  $\text{P}(\text{CH}_3)_3$ , given in Table 22.11, is  $118^\circ$ . The cone angle for  $\text{P}(t\text{-Bu})_3$ , also given in the table, is  $182^\circ$ . Therefore, because of its smaller size,  $\text{PMe}_3$  would be preferred.
- S22.11** Fluorenyl compounds are more reactive than indenyl because fluorenyl compounds have two aromatic resonance forms when they bond in the  $\eta^3$  mode.
- S22.12** The starting, six-coordinate palladium compound is an 18-electron Pd(IV) species. The four-coordinate product is a 16-electron Pd(II) species. The decrease in both coordination number and oxidation number by 2 identifies the reaction as a reductive elimination.
- S22.13** The ethyl group in  $[\text{Pt}(\text{PEt}_3)_2(\text{Et})(\text{Cl})]$  is prone to  $\beta$ -hydride elimination giving a hydride complex with the loss of ethene, whereas the methyl group in  $[\text{Pt}(\text{PEt}_3)_2(\text{Me})(\text{Cl})]$  is not.

### End-of-Chapter Exercises

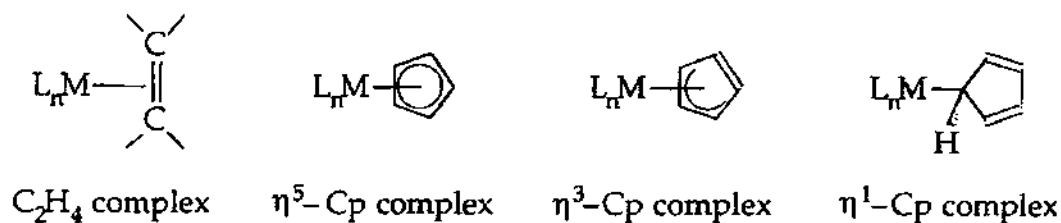
- E22.1 (a)**  $[\text{Fe}(\text{CO})_5]$ . Pentacarbonyliron(0),  $18e^-$

- (b)  $[\text{Mn}_2(\text{CO})_{10}]$ . Decacarbonyldimanganese(0),  $18e^-$   
 (c)  $[\text{V}(\text{CO})_6]$ . Hexacarbonylvandium(0),  $17e^-$ ; can be easily reduced to  $[\text{V}(\text{CO})_6]^-$   
 (d)  $[\text{Fe}(\text{CO})_4]^{2-}$ . Tetracarbonylferrate(II),  $18e^-$   
 (e)  $[\text{La}(\eta^5\text{-Cp}^*)_3]$ . Tris(pentamethylcyclopentadienyl)lanthanum(III),  $18e^-$   
 (f)  $[\text{Fe}(\eta^3\text{-allyl})(\text{CO})_3\text{Cl}]$ .  $\eta^3$ -allyltricarbonylchloridoiron(II),  $18e^-$   
 (g)  $[\text{Fe}(\text{CO})_4(\text{PEt}_3)]$ . Tetracarbonyltriethylphosphineiron(0)  $18e^-$   
 (h)  $[\text{Rh}(\text{CO})_2(\text{Me})(\text{PPh}_3)_3]$ . Dicarbonylmethyltriphenylphosphinerhodium(I),  $16e^-$ ; a square planar complex, undergoes oxidative addition easily  
 (i)  $[\text{Pd}(\text{Cl})(\text{Me})(\text{PPh}_3)_2]$ . Chloridomethylbis(triphenylphosphine)palladium(II),  $16e^-$ ; a square planar complex, undergoes oxidative addition easily  
 (j)  $[\text{Co}(\eta^5\text{-C}_5\text{H}_5)(\eta^4\text{-C}_4\text{Ph}_4)]$ .  $\eta^5$ -cyclopentadienyl- $\eta^4$ -tetraphenylcyclobutadienecobalt(I),  $18e^-$   
 (k)  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_2]^-$ .  $\eta^5$ -cyclopentadienyldicarbonylferrate(0),  $18e^-$   
 (l)  $[\text{Cr}(\eta^6\text{-C}_6\text{H}_6)(\eta^6\text{-C}_7\text{H}_8)]$ .  $\eta^6$ -benzene- $\eta^6$ -cycloheptatrienechromium(0),  $18e^-$   
 (m)  $[\text{Ta}(\eta^5\text{-C}_5\text{H}_5)_2\text{Cl}_3]$ . Trichloridobis( $\eta^5$ -cyclopentadienyl)tanatalum(V),  $18e^-$   
 (n)  $[\text{Ni}(\eta^5\text{-C}_5\text{H}_5)\text{NO}]$ .  $\eta^5$ -cyclopentadienylnitrosylnickel(II),  $16e^-$ ; a rather reactive complex

## E22.2

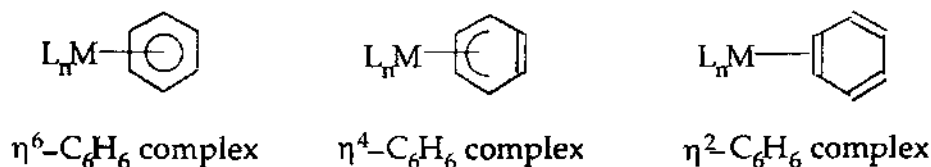


- E22.3 (a)  $\text{C}_2\text{H}_4$ ? Ethylene coordinates to d-block metals in only one way, using its  $\pi$ -electrons to form a metal-ethylene  $\sigma$ -bond (there may also be a significant amount of back donation if ethylene is substituted with electron-withdrawing groups; see Section 22.9). Therefore,  $\text{C}_2\text{H}_4$  is always  $\eta^2$ , as shown below.



(b) **Cyclopentadienyl?** This is a very versatile ligand that can be  $\eta^5$  (a six-electron donor in the donor-pair method for electron counting),  $\eta^3$  (a four-electron donor similar to simple allyl ligands), or  $\eta^1$  (a two-electron donor similar to simple alkyl and aryl ligands). These three bonding modes are shown above.

(c)  $\text{C}_6\text{H}_6$ ? This is also a versatile ligand, which can form  $\eta^6$ ,  $\eta^4$ , and  $\eta^2$  complexes. In such complexes, the ligands are, respectively, six-, four-, and two-electron donors. These three bonding modes are shown below.

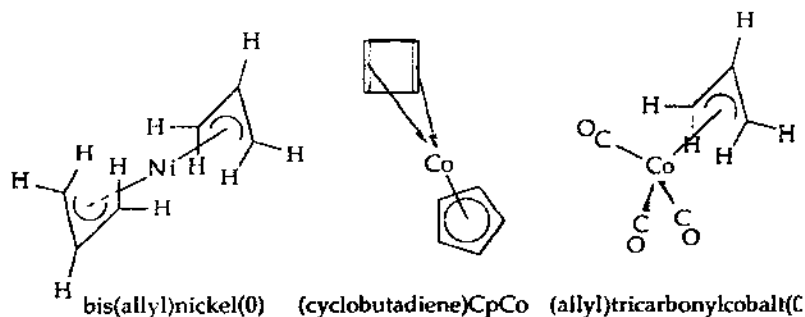


(d) **Cyclooctadiene?** This ligand can form  $\eta^2$  (two-electron donor) and  $\eta^4$  (four-electron donor) complexes.

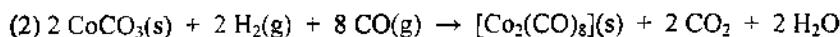
(e) **Cyclooctatetraene?** This ligand contains four C=C double bonds, any combination of which can coordinate to a d-block (or f-block) metal. Thus *cyclo*- $\text{C}_8\text{H}_8$  can be  $\eta^8$  (an eight-electron donor),  $\eta^6$  (a six-electron donor),  $\eta^4$

(a four-electron donor), and  $\eta^2$  (a two-electron donor, in which it would resemble an  $\eta^2$ -ethylene complex, except that three of the four C=C double bonds would remain uncoordinated).

- E22.4** (a)  $[\text{Ni}(\eta^3\text{-C}_3\text{H}_5)_2]$ . Bis(allyl)nickel(0) has the structure shown below. Each allyl ligand, which is planar, is a four-electron donor in donor-pair method, so the number of valence electrons around the  $\text{Ni}^{2+}$  cation (Group 10) is  $8 + 2 \times (4) = 16$ . Sixteen-electron complexes are very common for Group 9 and Group 10 elements, especially for  $\text{Rh}^+$ ,  $\text{Ir}^+$ ,  $\text{Ni}^{2+}$ ,  $\text{Pd}^{2+}$ , and  $\text{Pt}^{2+}$  (all of which are  $d^8$ ).
- (b)  $[\text{Co}(\eta^4\text{-C}_4\text{H}_4)(\eta^5\text{-C}_5\text{H}_5)]$ . This complex has the structure shown below. Since the  $\eta^4\text{-C}_4\text{H}_4$  ligand is a four-electron donor and the  $\eta^5\text{-C}_5\text{H}_5$  ligand is a six-electron donor, the number of valence electrons around the  $\text{Co}^+$  cation (Group 9) is  $8 + 4 + 6 = 18$ .
- (c)  $[\text{Co}(\eta^3\text{-C}_3\text{H}_5)(\text{CO})_3]$ . This complex has the structure shown below. The electron count for the  $\text{Co}^+$  cation is eight, giving a total of  $8 + 4 + 3 \times 2 = 18$  electrons.



- E22.5** As discussed in Section 22.18, the two principal methods for the preparation of simple metal carbonyls are (1) direct combination of CO with a finely divided metal and (2) reduction of a metal salt under CO pressure with a presence of a reducing agent. Two examples are shown below, the preparation of hexacarbonylmolybdenum(0) and octacarbonyldicobalt(0). Other examples are given in the text.

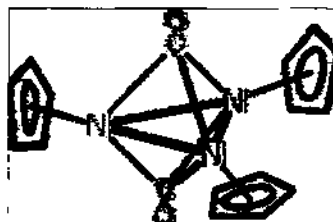


The reason that the second method is preferred is kinetic, not thermodynamic. The atomization energy (i.e., sublimation energy) of most metals is simply too high for the first method to proceed at a practical rate.

- E22.6** In general, the lower the symmetry of an  $[\text{M}(\text{CO})_n]$  fragment, the greater the number of CO stretching bands in the IR spectrum. Therefore, given complexes with  $[\text{M}(\text{CO})_3]$  fragments that have  $C_{3v}$ ,  $D_{3h}$ , or  $C_s$  symmetry, the complex that has  $C_s$  symmetry will have the greatest number of bands. When you consult Table 22.7, you will see that an  $[\text{M}(\text{CO})_3]$  fragment with  $D_{3h}$  symmetry will give rise to one band, a fragment with  $C_{3v}$  symmetry will give rise to two bands, and finally a fragment with  $C_s$  symmetry will give rise to three bands.
- E22.7** (a)  $[\text{Mo}(\text{PF}_3)_3(\text{CO})_3]$  2040, 1991  $\text{cm}^{-1}$  versus  $[\text{Mo}(\text{PMe}_3)_3(\text{CO})_3]$  1945, 1851  $\text{cm}^{-1}$ . The two CO bands of the trimethylphosphine complex are 100  $\text{cm}^{-1}$  or more lower in frequency than the corresponding bands of the trifluorophosphine complex because  $\text{PMe}_3$  is a  $\sigma$ -donor ligand, whereas  $\text{PF}_3$  is a strong  $\pi$ -acid ligand ( $\text{PF}_3$  is the ligand that most resembles CO in  $\pi$  acidity). The CO ligands in  $[\text{Mo}(\text{PF}_3)_3(\text{CO})_3]$  have to compete with the  $\text{PF}_3$  ligands for electron density from the Mo atom for back donation. Therefore, less electron density is transferred from the Mo atom to the CO ligands in  $[\text{Mo}(\text{PF}_3)_3(\text{CO})_3]$  than in  $[\text{Mo}(\text{PMe}_3)_3(\text{CO})_3]$ . This makes the Mo–C bonds in  $[\text{Mo}(\text{PF}_3)_3(\text{CO})_3]$  weaker than those in  $[\text{Mo}(\text{PMe}_3)_3(\text{CO})_3]$ , but it also makes the C–O bonds in  $[\text{Mo}(\text{PF}_3)_3(\text{CO})_3]$  stronger than those in  $[\text{Mo}(\text{PMe}_3)_3(\text{CO})_3]$ , and stronger C–O bonds will have higher CO stretching frequencies.
- (b)  $[\text{MnCp}(\text{CO})_3]$  2023, 1939  $\text{cm}^{-1}$  vs.  $[\text{MnCp}^*(\text{CO})_3]$  2017, 1928  $\text{cm}^{-1}$ ? The two CO bands of the  $\text{Cp}^*$  complex are slightly lower in frequency than the corresponding bands of the Cp complex. Recall that the  $\text{Cp}^*$  ligand is  $\eta^5\text{-C}_5\text{Me}_5$  (pentamethylcyclopentadienyl). Due to the presence of five electron donating  $\text{CH}_3$  groups, this ligand is a stronger electron donor than unsubstituted Cp (the inductive effect of the five methyl groups).

Therefore, the Mn atom in the Cp\* complex has a greater electron density than in the Cp complex, and hence there is a greater degree of back-donation to the CO ligands in the Cp\* complex than in the Cp complex. As explained in part (a) above, more back-donation leads to lower stretching frequencies.

- E22.8** (a) The structure below is consistent with the IR spectroscopic data. This  $D_{3h}$  complex has all three  $\eta^5\text{-C}_5\text{H}_5$  ligands in identical environments. Furthermore, it has two CO ligands bridging three Ni centres, which agrees with the observed single CO stretching band at a relatively low CO stretching frequency.

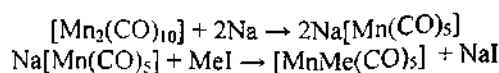


- (b) The three Ni atoms are in identical environments, so you only have to determine the number of valence electrons for one of them:

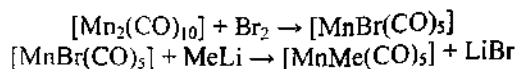
Ni <sup>+</sup>	9 valence e <sup>-</sup>
$\eta^5\text{-C}_5\text{H}_5^-$	6
2 Ni – Ni	2
1/3 (2 CO)	4/3
	—
Total	18 1/3

Therefore, the Ni atoms in this trinuclear complex do not obey the 18-electron rule. Deviations from the rule are common for cyclopentadienyl complexes to the right of the d-block.

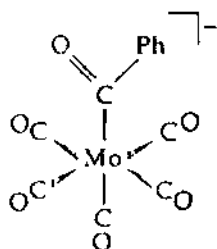
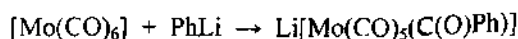
- E22.9** The 18-electron  $[\text{W}(\text{CO})_6]$  complex undergoes ligand substitution by a dissociative mechanism. The rate-determining step involves cleavage of a relatively strong W–CO bond. In contrast, the 16-electron  $[\text{Ir}(\text{CO})\text{Cl}(\text{PPh}_3)_2]$  complex undergoes ligand substitution by an associative mechanism, which does not involve Ir–CO bond cleavage in the activated complex. Accordingly,  $[\text{IrCl}(\text{CO})(\text{PPh}_3)_2]$  undergoes faster exchange with  $^{13}\text{CO}$  than does  $[\text{W}(\text{CO})_6]$ .
- E22.10** (a) The dianionic complex  $[\text{Fe}(\text{CO})_4]^{2-}$  should be the more basic. The trend involved is the greater affinity for a cation toward a species with a higher negative charge, all other factors being equal. In this case the “other factors” are (1) same set of ligands, (2) same structure (tetrahedral), and (3) same electron configuration ( $d^{10}$ ) at the metal.  
 (b) The rhenium complex is the more basic. The trend involved is the greater M–H bond enthalpy for a period 6 metal ion relative to a period 4 metal ion in the same group, all other factors being equal. In this case the “other factors” are (1) same set of ligands, (2) same structure (trigonal bipyramidal), and (3) same metal oxidation number (-1). Remember that in the d-block, bond enthalpies such as M–M, M–H, and M–R increase down a group. This behaviour is opposite to that exhibited by the p-block elements.
- E22.11** (a) In  $[\text{W}(\eta^6\text{-C}_6\text{H}_6)(\text{CO})_n]$   $n = 3$  (W contributes six electrons and the benzene ring gives six electrons; three carbonyls at two electrons each gives us 18 electrons for the complex);  
 (b) In  $[\text{Rh}(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_n]$   $n = 2$  ( $\text{Rh}^+$  contributes eight electrons and the  $\text{Cp}^-$  ring gives six electrons; two COs at two electrons each yield an 18-electron complex);  
 (c) In  $[\text{Ru}_3(\text{CO})_n]$   $n = 12$  (This is a cluster compound with three Ru atoms in the centre. Table 22.9 predicts a CVE count of 48 electrons. Each Ru contributes eight electrons, giving 24 electrons; to reach 48 we need 12 COs that each contribute two electrons.)
- E22.12** (i) Reduce  $[\text{Mn}_2(\text{CO})_{10}]$  with Na to give  $[\text{Mn}(\text{CO})_5]^-$ ; react this anion with MeI to give  $[\text{MnMe}(\text{CO})_5]$ :



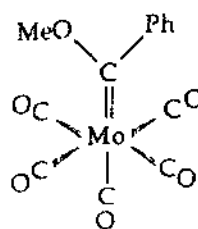
(ii) Oxidize  $[\text{Mn}_2(\text{CO})_{10}]$  with  $\text{Br}_2$  to give  $[\text{MnBr}(\text{CO})_5]$ ; displace the bromide with  $\text{MeLi}$  to give  $[\text{MnMe}(\text{CO})_5]$ :



**E22.13** The product of the first reaction contains a  $-\text{C}(=\text{O})\text{Ph}$  ligand formed by the nucleophilic attack of  $\text{Ph}^-$  on one of the carbonyl C atoms:

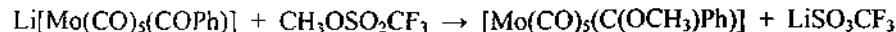


$[\text{Mo}(\text{CO})_5(\text{COPh})]^-$



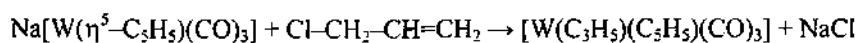
$\text{Mo}(\text{CO})_5(\text{C}(\text{OMe})\text{Ph})$

The most basic site on this anion is the acyl oxygen atom, and it is the site of attack by the methylating agent  $\text{CH}_3\text{OSO}_2\text{CF}_3$ :

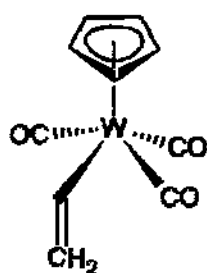


The final product is a carbene (alkylidene) complex. Since the carbene C atom has an oxygen-containing substituent, it is an example of a Fischer carbene (see Section 22.19). The structures of two reaction products are shown above.

**E22.14** The compound **A** is prepared from the starting  $\text{Na}[\text{W}(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_3]$  complex and 3-chloroprop-1-ene and has the molecular formula  $[\text{W}(\text{C}_3\text{H}_5)(\text{C}_5\text{H}_5)(\text{CO})_3]$ . We can write the following chemical equation for this reaction:

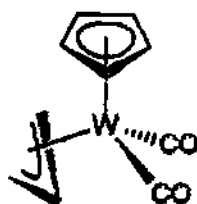


Thus, from the reaction it is clear that  $\text{C}_3\text{H}_5$  is an anionic ligand. Recall that both anionic ligands in this complex,  $\text{C}_3\text{H}_5$  (allyl) and  $\text{C}_5\text{H}_5$  (cyclopentadienyl), can have multiple hapticities. To decide on the most likely structure of the complex **A** and hence hapticities of the ligands, we should look at the electron count for several possible hapticities. At maximum hapticity (i.e.,  $\eta^3$ )  $\text{C}_3\text{H}_5^-$  contributes four electrons, at maximum hapticity ( $\eta^5$ )  $\text{C}_5\text{H}_5^-$  contributes six electrons, three CO ligands contribute six electrons, and  $\text{W}(\text{II})$  provides four electrons. This would give a total of 20 electrons, that is, an unstable species. This means that either  $\text{C}_3\text{H}_5$  or  $\text{C}_5\text{H}_5$  have lower hapticity than originally assumed. Considering that we are just adding a ligand to the complex that already contains  $\eta^5\text{-C}_5\text{H}_5$  it is reasonable to expect that in **A**  $\text{C}_5\text{H}_5^-$  is going to remain  $\eta^5$  but that  $\text{C}_3\text{H}_5^-$  is going to be  $\eta^1$  not  $\eta^3$ . Lowering the hapticity would lower the overall electron count from 20 to 18 resulting in a stable species. Thus compound **A** is likely to be  $[\text{W}(\eta^1\text{-C}_3\text{H}_5)(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_3]$  with the structure shown below:



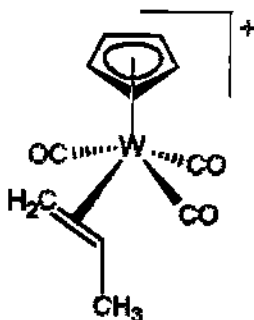
Compound A:  
 $[\text{W}(\eta^1\text{-C}_5\text{H}_5)(\eta^3\text{-C}_3\text{H}_5)(\text{CO})_3]$

Going from compound **A** to compound **B** involves the loss of one CO ligand. If we were to just remove one CO from the structure of **A**, without changing the hapticities of either  $\text{C}_5\text{H}_5^-$  or  $\text{C}_3\text{H}_5^-$  ligands, the electron count for the compound **B** would be 16—an unstable compound. Thus, it is very likely that in **B**, the hapticity of  $\text{C}_3\text{H}_5^-$  increases from  $\eta^1$  to  $\eta^3$  and thus compensates for the two electrons lost with CO dissociation. Compound **B** is therefore  $[\text{W}(\eta^3\text{-C}_3\text{H}_5)(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_2]$  with the likely structure shown below.



Compound B:  
 $[\text{W}(\eta^3\text{-C}_3\text{H}_5)(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_2]$

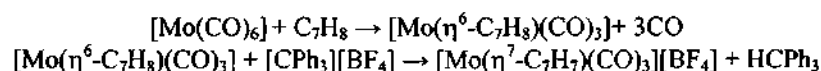
Compound **C**, with the molecular formula  $[\text{W}(\text{C}_3\text{H}_6)(\text{C}_5\text{H}_5)(\text{CO})_3][\text{PF}_6]$ , is formed when **A** is treated with HCl followed by the addition of  $\text{KPF}_6$ . Note that in **C**  $\text{C}_3\text{H}_5^-$  ligand has been protonated to give neutral, two electron donor  $\text{H}_3\text{C-CH=CH}_2$  ligand. The only simple possibility in this case is  $\eta^2$  bonding mode. The likely structure of compound **C** is shown below.



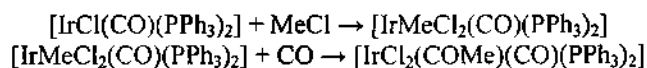
Compound C:  
 $[\text{W}(\text{H}_2\text{C=CH-CH}_3)(\eta^2\text{-C}_3\text{H}_5)(\text{CO})_3]$

**E22.15 Suggest syntheses of (a) and (b)?**

(a)  $[\text{Mo}(\eta^7\text{-C}_7\text{H}_7)(\text{CO})_3][\text{BF}_4]$  from  $[\text{Mo}(\text{CO})_6]$ . Reflux  $[\text{Mo}(\text{CO})_6]$  with cycloheptatriene to give  $[\text{Mo}(\eta^6\text{-C}_7\text{H}_8)(\text{CO})_3]$ ; treat this product with the trityl tetrafluoroborate to abstract a hydride from coordinated cycloheptatriene and give the final  $[\text{Mo}(\eta^7\text{-C}_7\text{H}_7)(\text{CO})_3][\text{BF}_4]$ .

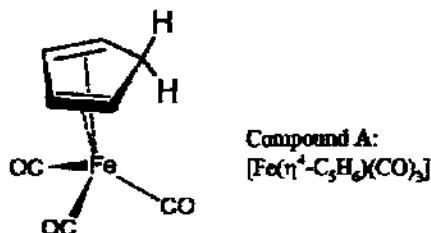


(b)  $[\text{IrCl}_2(\text{COMe})(\text{CO})(\text{PPh}_3)_2]$  from  $[\text{IrCl}(\text{CO})(\text{PPh}_3)_2]$ . React  $[\text{IrCl}(\text{CO})(\text{PPh}_3)_2]$  with MeCl to give  $[\text{IrMeCl}_2(\text{CO})(\text{PPh}_3)_2]$  (oxidative addition) and then expose to CO atmosphere to induce the  $-\text{CH}_3$  group migration and produce  $[\text{IrCl}_2(\text{COMe})(\text{CO})(\text{PPh}_3)_2]$ :



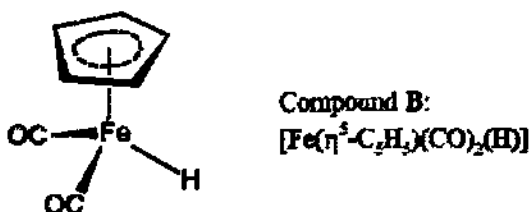


**E22.16** The reaction between  $[\text{Fe}(\text{CO})_5]$  and cyclopentadiene ( $\text{C}_5\text{H}_6$ ) gives compound **A** about which we know the following: it has empirical formula  $\text{C}_8\text{H}_6\text{O}_3\text{Fe}$ , is an 18-electron species, and has a complicated  $^1\text{H}$ -NMR spectrum. From the empirical formula we can see that **A** must still have three CO ligands—the only way we can explain three O atoms in the empirical formula because cyclopentadiene does not contain oxygen. Also, the only source of hydrogen can be cyclopentadiene,  $\text{C}_5\text{H}_6$ . Both of these facts tell us that cyclopentadiene is not deprotonated during the reaction, rather it coordinates through either one or both localized  $\text{C}=\text{C}$  bonds in its structure; that is, it can be either  $\eta^2$  or  $\eta^4$ . Of these, hapticity four gives an 18-electron species: Fe provides eight electrons, three CO ligands six electrons, and  $\eta^2$   $\text{C}_5\text{H}_6$  provides four electrons. Thus, the most likely structure for compound **A** is shown below:



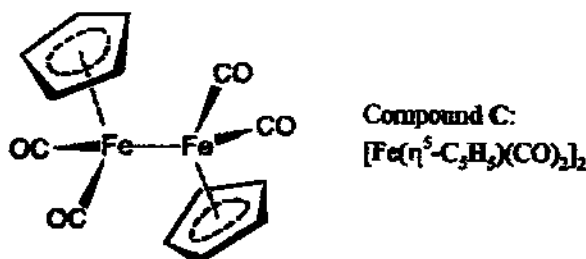
A complicated  $^1\text{H}$ -NMR spectrum arises because there are four different hydrogen environments in the structure of **A**—note that the two hydrogens of  $\text{CH}_2$  group are not equivalent. This results in four chemical shifts that are not so different in ppm values but have extensive couplings. In the case of **A**, the empirical formula matches the molecular formula.

About compound **B** we know the following: it is formed from **A** and no other reagents/reactants, it has one CO ligand less than **A**, it is an 18-electron species and has two different proton environments—the less shielded one contains five more protons than the shielded one. Simple removal of CO from **A** results in a 16-electron species, thus it does not produce **B**. However, the CO loss could be followed by a proton migration from  $\text{CH}_2$  group on the coordinated  $\text{C}_5\text{H}_6$  to the Fe centre. This pathway produces cyclopentadienyl and hydride ligands. The cyclopentadienyl must be  $\eta^5$ : six electrons from  $\eta^5\text{-C}_5\text{H}_5^-$ , two electrons from  $\text{H}^-$ , four electrons from the remaining two CO ligands, and six electrons from the  $\text{Fe}^{2+}$  centre give a total of 18 electrons. The most likely structure is shown below:



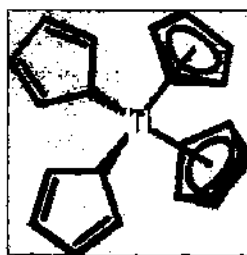
The above structure also explains the observed  $^1\text{H}$  NMR. The protons of  $\text{Cp}^-$  ring will appear as a singlet at 5 ppm due to the rapid rotation of the ring; the deshielded resonance corresponds to the hydride ligand.

Compound **C**, with empirical formula  $\text{C}_7\text{H}_5\text{O}_2\text{Fe}$ , is also an 18-electron species but has only one singlet in  $^1\text{H}$  NMR and is formed when compound **B** loses  $\text{H}_2$ . In this case, a simple removal of the coordinated  $\text{H}^-$  from **B** would result in a 16-electron species. Another possibility is to combine two 17-electron  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_2]$  fragments, obtained after removal of  $\text{H}^-$  radical (two of which produce  $\text{H}_2$ ), and obtain a dimer  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_2]_2$  that has Fe-Fe bond and an 18-electron count:

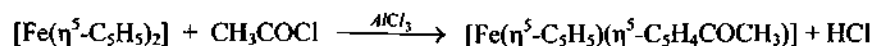


Note that the above structure of compound C is a very fluxional one—not only can the Cp rings freely rotate, but the dimer can rotate around Fe–Fe bond, and the CO ligands can change from terminal to bridging mode, resulting only in one signal in the  $^1\text{H-NMR}$  spectrum. Actually, compound C probably contains two bridging CO and two terminal CO ligands. However, to really support this bridging structure we would need additional IR data (see Figure 22.12 in your textbook). While compound A had molecular and empirical formulas the same, the molecular formula of compound C is twice its empirical formula.

- E22.17** In either case compounds formed are tetraalkyl titanium(IV) complexes,  $\text{TiR}_4$ . Notice that neither the methyl or trimethylsilyl groups have  $\beta$  hydrogens. Thus, unlike  $[\text{TiEt}_4]$ ,  $[\text{TiMe}_4]$  and  $[\text{Ti}(\text{CH}_2\text{SiMe}_3)_4]$  cannot undergo a low energy  $\beta$ -hydride elimination decomposition reaction.
- E22.18** Recall that  $\pi$ -bound aromatic cyclic ligands (such as  $\text{Cp}^-$  and  $\text{C}_6\text{H}_6$ ) are not only free to rotate around ring-metal axis, but can also “slip” from higher to lower hapticity modes. It is reasonable to expect tetracyclopentadienyl-titanium(IV) to be the product in the reaction between  $\text{TiCl}_4$  and  $\text{NaCp}$ . However, due to small radius of  $\text{Ti}^{4+}$ , it is very unlikely that all four  $\text{Cp}^-$  rings are  $\eta^5$ ; this coordination mode for all four would place 20 CH groups around small  $\text{Ti}^{4+}$  and result in significant steric crowding. Thus it is more likely that some  $\text{Cp}^-$  rings have lower hapticities (i.e., 3 or 1). Considering that  $\text{Cp}^-$  can both “slip” and rotate, at room temperature we see only one resonance as an effect of averaging the proton environments. At  $-40^\circ\text{C}$  we observe two different signals of equal intensity. This tells us that there are two different environments, both of which contain two  $\text{Cp}^-$  rings. If we continue cooling, *one* of these signals is split into three signals of intensity 1 : 2 : 2. The ratio corresponds to the  $\eta^1$ -Cp coordination mode that has three distinct proton environments. Based on the above analysis, the actual product is most likely  $[\text{Ti}(\eta^1\text{-C}_5\text{H}_5)_2(\eta^5\text{-C}_5\text{H}_5)_2]$  with the low-temperature structure shown below:

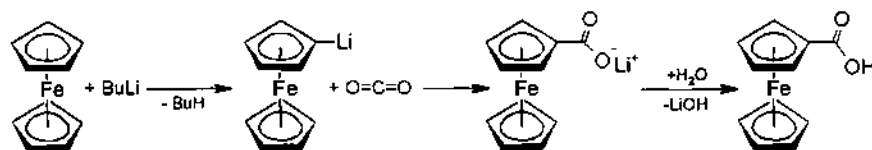


- E22.19** Give the equation for a workable reaction for the conversion of
- (a)  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)_2]$  to  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)(\eta^5\text{-C}_5\text{H}_4\text{COCH}_3)]$ . The  $\text{Cp}^-$  rings in cyclopentadienyl complexes behave like simple aromatic compounds such as benzene, and so are subject to typical reactions of aromatic compounds such as Friedel-Crafts alkylation and acylation. If you treat ferrocene with acetyl chloride and some aluminum(III) chloride as a catalyst, you will obtain the desired compound:



- (b)  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)_2]$  to  $[\text{Fe}(\eta^5\text{-C}_5\text{H}_5)(\eta^5\text{-C}_5\text{H}_4\text{CO}_2\text{H})]$ . The following sequence of reaction is the best route:

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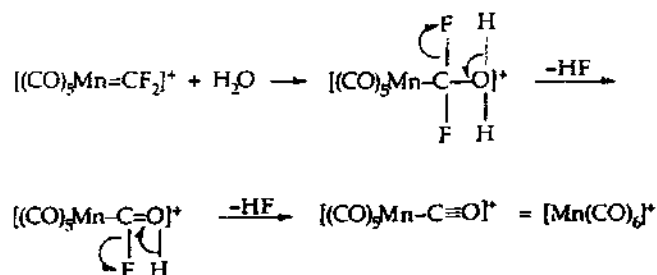
**E22.20** The symmetry-adapted orbitals of the two eclipsed C<sub>5</sub>H<sub>5</sub> rings in a metallocene are shown in Resource Section 5. On the metal the d<sub>22</sub> and s orbitals have an a<sub>1</sub>' symmetry and thus have correct symmetry to form the MOs with the a<sub>1</sub>' symmetry-adapted orbital on Cp rings. Other atomic orbitals on the metal do not have the correct symmetry. Therefore, three a<sub>1</sub>' MOs will be formed. Figure 22.13 shows the energies of the three a<sub>1</sub>' MOs: one is the most stable orbital of a metallocene involving metal-ligand bonding, one is relatively nonbonding (it is the HOMO in [FeCp<sub>2</sub>]), and one is a relatively high-lying antibonding orbital.

**E22.21** Protonation of [FeCp<sub>2</sub>] at iron does not change its number of valence electrons: both [FeCp<sub>2</sub>] and [FeCp<sub>2</sub>H]<sup>+</sup> are 18-electron species:

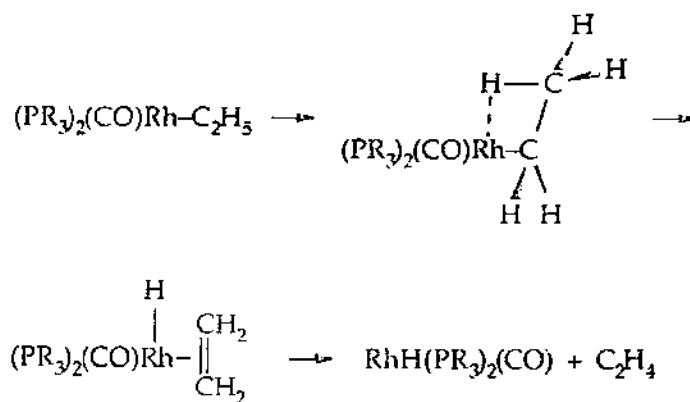
[FeCp <sub>2</sub> ]		[FeCp <sub>2</sub> H] <sup>+</sup>	
Fe <sup>2+</sup>	6 electrons	Fe <sup>3+</sup>	5 electrons
2 Cp <sup>-</sup> (6 electrons each)	12 electrons	2 Cp <sup>-</sup> (6 electrons each)	12 electrons
		H <sup>-</sup>	2 electrons
		Positive charge	-1 electron
<b>Total</b>	<b>18 electrons</b>	<b>Total</b>	<b>18 electrons</b>

Since [NiCp<sub>2</sub>] is a 20-electron complex, the hypothetical metal-protonated species [NiCp<sub>2</sub>H]<sup>+</sup> would also be a 20-electron complex. On the other hand, protonation of [NiCp<sub>2</sub>] at a Cp carbon atom produces the 18-electron complex [NiCp(η<sup>4</sup>-C<sub>5</sub>H<sub>6</sub>)]<sup>+</sup>. Therefore, the reason that the Ni complex is protonated at a carbon atom is that a more stable (i.e., 18-electron) product is formed.

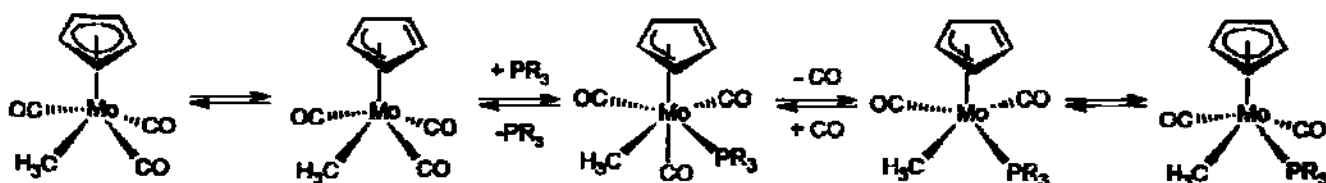
**E22.22 (a)** [Mn(CO)<sub>5</sub>(CF<sub>2</sub>)]<sup>+</sup> + H<sub>2</sub>O → [Mn(CO)<sub>5</sub>]<sup>+</sup> + 2HF. The =CF<sub>2</sub> carbene ligand is similar electronically to a Fischer carbene (see Section 22.19). The electronegative F atoms render the C atom subject to nucleophilic attack, in this case by a water molecule. The initially formed [(CO)<sub>5</sub>Mn(CF<sub>2</sub>(OH<sub>2</sub>))] complex (as a result of nucleophilic attack of H<sub>2</sub>O) can then eliminate two equivalents of HF, as shown in the mechanism below:



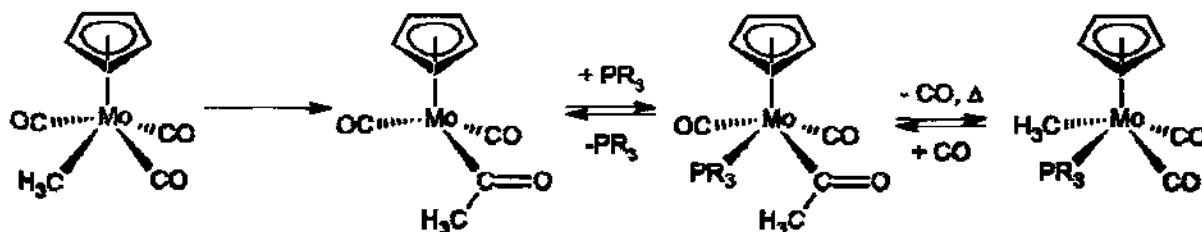
**(b)** Rh(C<sub>2</sub>H<sub>5</sub>)(CO)(PR<sub>3</sub>)<sub>2</sub> → RhH(CO)(PR<sub>3</sub>)<sub>2</sub> + C<sub>2</sub>H<sub>4</sub>. This is an example of a β-hydrogen elimination reaction, discussed at the beginning of Section 22.8. This reaction is believed to proceed through a cyclic intermediate involving a (3c,2e) M-H-C interaction, as shown in the mechanism below:



E22.23 One of the possible routes involves initial slip of  $\text{Cp}^-$  ring from  $\eta^5$  to  $\eta^3$  bonding mode creating a 16-electron complex that can coordinate a phosphine ligand producing new 18-electron  $[\text{Mo}(\eta^3\text{-C}_5\text{H}_5)(\text{CO})_3\text{Me}(\text{PR}_3)]$  complex. This complex loses one CO ligand giving a new 16-electron intermediate  $[\text{Mo}(\eta^3\text{-C}_5\text{H}_5)(\text{CO})_2\text{Me}(\text{PR}_3)]$  that converts to the stable 18-electron complex  $[\text{Mo}(\eta^5\text{-C}_5\text{H}_5)(\text{CO})_2\text{Me}(\text{PR}_3)]$ . The steps of this route are shown below:



The second route starts with CO insertion (or methyl group migration) to produce a 16-electron acyl complex. This complex can coordinate one  $\text{PR}_3$  ligand to give an 18-electron species, which if heated can lose one CO ligand and undergo reverse alkyl group migration. The steps for this route are outlined below:



E22.24 (a) CVE count characteristic of octahedral and trigonal prismatic complexes. According to Table 22.9, an octahedral  $\text{M}_6$  will have 86 cluster valence electrons and a trigonal prismatic  $\text{M}_6$  cluster will have 90.

(b) Can these CVE values be derived from the 18-electron rule? In the case of the trigonal prismatic arrangement, the CVE value can be derived from the 18-electron rule:  $(6 \text{ M centres} \times 18 \text{ electrons at each}) - (9 \text{ M-M bonds in the cluster} \times 2 \text{ electrons in each M-M bond}) = 90$  electrons. However, for the octahedral arrangement, the CVE value cannot be derived from the 18-electron rule.

(c) Determine the probable geometry of  $[\text{Fe}_6(\text{C})(\text{CO})_{16}]^{2-}$  and  $[\text{Co}_6(\text{C})(\text{CO})_{15}]^{2-}$ . The iron complex has 86 CVEs, whereas the cobalt complex has 90 (see the calculations below). Therefore, the iron complex probably contains an octahedral  $\text{Fe}_6$  array, whereas the cobalt complex probably contains a trigonal-prismatic  $\text{Co}_6$  array.

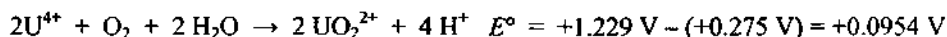
$[\text{Fe}(\text{C})(\text{CO})_{16}]^{2-}$		$[\text{Co}(\text{C})(\text{CO})_{15}]^{2-}$	
6 Fe (8 electrons each)	48 electrons	6 Co (9 electrons each)	54 electrons
C (4 electrons)	4 electrons	C (4 electrons)	4 electrons
16 CO (2 electrons each)	32 electrons	15 CO (2 electrons each)	30 electrons
2- charge	2 electrons	2- charge	2 electrons
<b>Total</b>	<b>86 electrons</b>	<b>Total</b>	<b>90 electrons</b>

- E22.25 (a)**  $[\text{Co}_3(\text{CO})_9\text{CH}] \rightarrow \text{OCH}_3, \text{N}(\text{CH}_3)_2, \text{ or } \text{SiCH}_3$ . Isolobal groups have the same number and shape of valence orbitals *and* the same number of electrons in those orbitals. The CH group has three  $sp^3$  hybrid orbitals that contain a single electron each. The  $\text{SiCH}_3$  group has three similar orbitals, similarly occupied, so it is isolobal with CH and would probably replace CH in  $[\text{Co}_3(\text{CO})_9\text{CH}]$  to form  $[\text{Co}_3(\text{CO})_9\text{SiCH}_3]$ . In contrast, the  $\text{OCH}_3$  and  $\text{N}(\text{CH}_3)_2$  groups are not isolobal with CH. Instead, they have, respectively, three  $sp^3$  orbitals that contain a pair of electrons each and two  $sp^3$  orbitals that contain a pair of electrons each.
- (b)**  $[(\text{OC})_5\text{MnMn}(\text{CO})_5] \rightarrow \text{I}, \text{CH}_2, \text{ or } \text{CCH}_3?$  The  $\text{Mn}(\text{CO})_5$  group has a single  $\sigma$ -type orbital that contains a single electron. An iodine atom is isolobal with it because I atom also has a singly occupied s orbital. Therefore, you can expect the compound  $[\text{Mn}(\text{CO})_5\text{I}]$  to be reasonably stable. In contrast, the  $\text{CH}_2$  and  $\text{CCH}_3$  are not isolobal with  $\text{Mn}(\text{CO})_5$ . The  $\text{CH}_2$  group has either a doubly occupied  $\sigma$  orbital and an empty p orbital or a singly occupied  $\sigma$  orbital and a singly occupied p orbital. The  $\text{CCH}_3$  group has three singly occupied  $\sigma$  orbitals (note that it is isolobal with  $\text{SiCH}_3$ ).
- E22.26** If the rate-determining step in the substitution is cleavage of one of the metal–metal bonds in the cluster, the cobalt complex will exhibit faster exchange. This is because metal–metal bond strengths *increase* down a group in the d-block. Therefore, Co–Co bonds are weaker than Ir–Ir bonds if all other factors (such as geometry and ligand types) are kept the same.

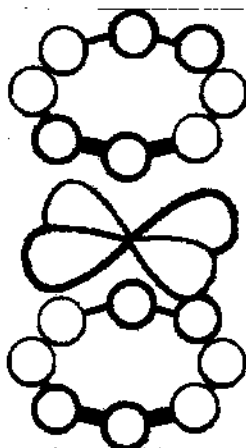
## Chapter 23 The f-Block Metals

### Self-Test Exercises

- S23.1**  $\text{Tm}^{3+}$  is a  $4f^{12}$  system. Therefore, the maximum value of  $M_L$  is +5 and  $L = 5$ . There are two unpaired electrons giving  $S = 1$ , a triplet state. Thus, the term will be  ${}^3\text{H}$ . According to the Clebsch-Gordan series, the total angular momentum of a term with  $L = 5$  and  $S = 1$  will be  $J = 6, 5, 4$ . According to Hund's rules for a more than half-full shell, the level with the highest value of  $J$  lies lowest (in this case  $J = 6$ ), so we can expect its term symbol to be  ${}^3\text{H}_6$ .
- S23.2** The lack of steric hindrance in the  $[(\text{Cp})_2\text{LnBu}]$  complex is likely to result in a product containing two  $(\text{Cp})_2\text{Ln}$  units bridged by a ligand system. In fact the product consists of two  $(\text{Cp})_2\text{Ln}$  units bridged by a hydrido ligand.
- S23.3** From the Frost diagram in Figure 23.15, it can be seen that the most stable oxidation state of uranium in aqueous acid is  $\text{U}^{4+}$  (i.e., it has the most negative free energy of formation, the quantity plotted on the  $y$  axis). However, the reduction potentials for the  $\text{UO}_2^{2+}/\text{UO}_2^+$  and  $\text{UO}_2^+/\text{U}^{4+}$  couples are quite small, +0.170 and +0.38 V, respectively (hence, the  $\text{UO}_2^+/\text{U}^{4+}$  potential is +0.275 V). Therefore, because the  $\text{O}_2/\text{H}_2\text{O}$  reduction potential is 1.229 V, the most stable uranium ion is  $\text{UO}_2^{2+}$  if sufficient oxygen is present:

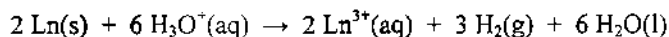


- S23.4** The  $e_{2g}$  interactions are sketched below. Note that this overlap involves a 6d atomic orbital on the actinoid atom and that the overlap is  $\delta$  type.



### End-of-Chapter Exercises

- E23.1 (a) Balanced equation.** All lanthanoids are very electropositive and reduce water (or protons) to  $\text{H}_2$  while being oxidized to the trivalent state. If Ln is used as the symbol for a generic lanthanoid element, the balanced equation is:



**(b) Reduction potentials.** The reduction potentials for the  $\text{Ln}^{3+}/\text{Ln}^0$  couples in acid solution range from  $-1.99\text{ V}$  for europium to  $-2.38\text{ V}$  for lanthanum, a remarkably self-consistent set of values spanning 15 elements. Since the potential for the  $\text{H}_3\text{O}^+/\text{H}_2$  reduction is  $0\text{ V}$ , the  $E^\circ$  values for the equation shown in part (a) for all lanthanides range from  $1.99$  to  $2.38\text{ V}$ , a very large driving force.

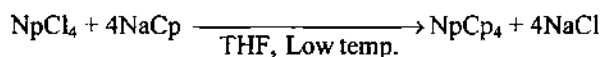
**(c) Two unusual lanthanides.** The usual oxidation state for the lanthanide elements in aqueous acid is +3. There are two lanthanides that deviate slightly from this trend. The first is  $\text{Ce}^{4+}$ , which, while being a strong oxidizing agent, is kinetically stable in aqueous acid. Since  $\text{Ce}^{3+}$  is  $4f^1$  and  $\text{Ce}^{4+}$  is  $4f^0$ , you can see that the special stability of tetravalent cerium is because of its stable  $4f^0$  electron configuration. The second deviation is  $\text{Eu}^{2+}$ , which is a

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- strong reducing agent but exists in a growing number of compounds. Since  $\text{Eu}^{2+}$  is  $4f^7$  and  $\text{Eu}^{3+}$  is  $4f^6$ , you can see that the special stability of divalent europium is because of its stable  $4f^7$  electron configuration (half-filled  $f$  subshell).
- E23.2** The ionic radius of  $\text{Lu}^{3+}$  is significantly smaller than  $\text{La}^{3+}$  because of the incomplete shielding of the  $4f$  electrons of the former. This is also sometimes referred to as lanthanide contraction.
- E23.3** The unusual oxidation states displayed by two of the lanthanoids, +4 for Ce and +2 for Eu (see Exercise 23.1) were exploited in separation procedures because their charge/radius ratios are very different than those of the typical  $\text{Ln}^{3+}$  ions. Tetravalent cerium can be precipitated as  $\text{Ce}(\text{IO}_3)_4$ , leaving all other  $\text{Ln}^{3+}$  ions in solution because their iodates are soluble. Divalent europium, which resembles  $\text{Ca}^{2+}$ , can be precipitated as  $\text{EuSO}_4$  leaving all other  $\text{Ln}^{3+}$  ions in solution because their sulfates are soluble.
- E23.4**  $\text{UF}_6$  is a molecular solid—its solid state structure contains isolated, octahedral  $\text{UF}_6$  molecules held together via relatively weak intermolecular forces. The intermolecular forces are very easy to break and this compound sublimates easily. On the other hand,  $\text{UF}_3$  and  $\text{UF}_4$  form network solids in which each U atom is surrounded by nine and eight fluorines respectively. As a consequence,  $\text{UF}_3$  and  $\text{UF}_4$  have high melting points.
- E23.5** The reduction potentials for  $\text{Pu}^{4+}/\text{Pu}$ ,  $\text{Pu}^{3+}/\text{Pu}$  are  $-1.25$  V and  $-2.00$  V respectively, indicating that Pu metal is going to readily (at least from the thermodynamic point of view) dissolve in HCl. However, the composition of the solution can be complicated and could contain Pu(III), Pu(IV), Pu(V), and even Pu(VI) species because the potentials for the couples  $\text{Pu(VI)}/\text{Pu(V)}$ ,  $\text{Pu(V)}/\text{Pu(IV)}$ , and  $\text{Pu(IV)}/\text{Pu(III)}$  are very similar (ca. +1 V). Addition of  $\text{F}^-$  to the solution is likely going to precipitate  $\text{PuF}_3$ , which is insoluble in water, like  $\text{UF}_3$ .
- E23.6** Refer to Figure 23.16 for a molecular orbital diagram for  $\text{AnO}_2^{2+}$  cations. A short analysis reveals that  $6p$  electrons from the An atom do not contribute to the bonding orbitals, that is, they remain core electrons largely located on the An atom. Thus, the important An valence orbitals are  $5f$  and  $6d$ . We can also note that all bonding molecular orbitals are filled. The 12 electrons shown in these orbitals all come from the two oxygen atoms bonded to the An atom that has an oxidation state +6. This is the electronic configuration found in  $\text{UO}_2^{2+}$  because U(VI) has an electronic configuration  $5f^0 6d^0$ . Therefore, the overall bond order would be  $\frac{1}{2}$  [12 electrons in bonding orbitals] = 6. If we further divide this with two U-O bonds we get a bond order of 3 *per* U-O bond. Moving to  $\text{NpO}_2^{2+}$  we have to add one electron to the diagram because Np(VI) has electronic configuration  $5f^1 6d^0$ . This extra electron would occupy a  $\phi_u$  molecular orbital. However, this orbital is non-bonding with respect to the  $\text{NpO}_2^{2+}$  unit. Hence, the bond order should not change and Np-O bonds should have a bond order equal to three. Similar analysis for  $\text{PuO}_2^{2+}$  (Pu(VI)  $5f^2 6d^0$ ) and  $\text{AmO}_2^{2+}$  (Am(VI)  $5f^3 6d^0$ ) shows that in all these species the An-O bond order is three. All these fragments are linear because this geometry maximizes the strong  $\sigma$ -overlap between  $2p$  orbitals on the oxygen atoms and  $6d_{z^2}$  and  $5f_{z^3}$  orbitals on the An atom.
- E23.7** Refer to Resource Section 2 for the electronic configuration of neutral atoms.  
 $\text{Tb}^{3+}$  is a  $4f^8$  system. Therefore  $M_L = +3$  and  $S = 3$ . The term will be  ${}^7F$ . The expected term symbol is  ${}^7F_6$ .  
 $\text{Nd}^{3+}$  is a  $4f^3$  system. Therefore  $M_L = +6$  and  $S = 3/2$ . The term will be  ${}^4I$ . The term symbol is  ${}^4I_{9/2}$ .  
 $\text{Ho}^{3+}$  is a  $4f^{10}$  system. Therefore  $M_L = +6$  and  $S = 2$ . The term will be  ${}^3I$ . The term symbol is  ${}^3I_8$ .  
 $\text{Er}^{3+}$  is a  $4f^{11}$  system. Therefore  $M_L = +6$  and  $S = 3/2$ . The term will be  ${}^4I$ . The term symbol is  ${}^4I_{15/2}$ .  
 $\text{Lu}^{3+}$  is a  $4f^{14}$  system. Therefore  $M_L = 0$  and  $S = 0$ . The term will be  ${}^1S$ . The term symbol is  ${}^1S_0$ .  
 Compare your answer with Table 23.5.
- E23.8** Statement (a) is correct because the half-filled shell contributes zero angular momentum, that is,  $J = S$ .  
 Statement (b) is incorrect— $\text{Ln}^{3+}$  cations exchange water molecules very rapidly, on the nanosecond timescale. This is about the same timescale as the water substitution rates for  $\text{Zn}^{2+}$ , but much faster than for the transition metal ions of the same charge (i.e.,  $\text{Fe}^{3+}$  or  $\text{Ti}^{3+}$ ).  
 Statement (c) is correct— $\text{Ln}^{3+}$  cations do form stable complexes only with multidentate ligands, particularly if they are negatively charged.
- E23.9** Apart from the fact that the discovery of a Ln(V) species would open a whole new avenue of chemistry, it would also shake the theoretical foundation of the claim that the lanthanide  $4f$  subshell is rather inert. A good candidate

could be Pr. This element is early in the lanthanoid series, meaning that its 4f orbitals are still comparatively high in energy. Also, removal of an electron from Pr(IV), a somewhat stable species, would produce a 4f<sup>0</sup> electronic configuration for Pr(V), the same 4f<sup>0</sup> configuration that stabilizes Ce(IV).

- E23.10** Eu is similar to Mn because both have 2+ as a stable oxidation state. In both cases the stability of +2 oxidation state can be attributed to a half-filled subshell—in the case of Eu<sup>2+</sup> that is 4f<sup>7</sup>, whereas in the case of Mn<sup>2+</sup> that is 3d<sup>5</sup>. Consequently, both elements have very high third ionization energies. A similar parallel exists between Gd and Fe. The third ionization energies for these two elements are relatively low because in each case the removal of the third electron leads to the stable half-filled subshell: Gd<sup>3+</sup> has 4f<sup>7</sup>, whereas Fe<sup>3+</sup> has the 3d<sup>5</sup> configuration.
- E23.11** Stable carbonyl compounds need backbonding from metal orbitals of the appropriate symmetry. With the lanthanoids, the 5d orbitals are empty, and the 4f orbitals are deeply buried in the inert [Xe] core and cannot participate in bonding.
- E23.12** Neptunocene (NpCp<sub>4</sub>) can be prepared from NpCl<sub>4</sub> and an alkali metal cyclopentadienyl organometallic compound (e.g., NaCp) in ether solvent (commonly THF) with cooling:



- E23.13** There is a considerable difference between the interactions of the 4f orbitals of the lanthanide ions with ligand orbitals and the 5f orbitals of the actinide ions with ligand orbitals. In the case of the 4f orbitals, interactions with ligand orbitals are negligible. Therefore, splitting of the 4f subshell by the ligands is also negligible and does not vary as the ligands vary. Since the colors of lanthanide ions arise due to 4f–4f electronic transitions, the colours of Eu<sup>3+</sup> complexes are invariant as a function of ligand. In contrast, the 5f orbitals of the actinide ions interact more strongly with ligand orbitals, and the splitting of the 5f subshell, as well as the colour of the complex, varies as a function of ligand.
- E23.14** The radius ratio is  $\gamma = 96/146 = 0.657$ . Using Table 3.6, the rock-salt structure is predicted as this ratio falls between 0.414 and 0.732.

### Guidelines for Selected Tutorial Problems

- T23.6** It would be a good idea (and practice as well) not only to compare the Latimer diagrams provided in the Resource Section 3, but also to construct one Frost diagram with data for both Np and Re to compare the two elements directly. Also note which oxidation states are missing for Re and Np and the chemical composition of the species for each oxidation state of the elements—this gives you a more complete idea of the differences between the two elements.
- T23.8** Consult Greenwood, N.N., Earnshaw, A. (1997). *Chemistry of the Elements*, 2nd ed. Elsevier (pp. 1260–1262), and references therein. Also, a good source is Morss, L. R., Edelstein, N. M., Fuger, J. (eds.). (2006). *Chemistry of the Actinide and Transactinide Elements*, Vol. 2. Dordrecht, NLD: Springer.



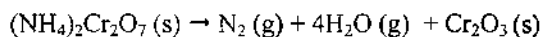
## Chapter 24 Materials Chemistry and Nanomaterials

### Self-Test Exercises

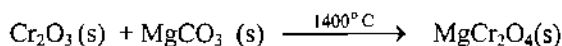
- S24.1** (a) SrTiO<sub>3</sub> can be prepared from SrCO<sub>3</sub> and TiO<sub>2</sub> in 1 : 1 ratio. The two are grinded together and the well-mixed material is heated to the temperature above the temperature of SrCO<sub>3</sub> thermal decomposition.  
(b) Sr<sub>3</sub>Ti<sub>2</sub>O<sub>7</sub> can be prepared in similar manner to SrTiO<sub>3</sub> but starting from 3 : 2 stoichiometry (SrCO<sub>3</sub> : TiO<sub>2</sub>); alternatively, it can be prepared from SrTiO<sub>3</sub> and SrO in 2 : 1 stoichiometry.
- S24.2** Increasing the pressure on a crystal compresses it, reducing the spacing between ions (e.g., subjecting NaCl to a pressure of 24,000 atm reduces the Na–Cl distance from 2.82 Å to 2.75 Å). In a rigid lattice such as β-alumina, larger ions migrate more slowly than smaller ions with the same charge (as discussed in the example). At higher pressures, with smaller conduction plane spacings, *all* ions will migrate more slowly than they do at atmospheric pressure. However, larger ions will be impeded to a greater extent by smaller spacings than will smaller ions. This is because the ratio (radius of migrating ion)/(conduction plane spacing) changes more, per unit change in conduction plane spacing, for a large ion than for a small ion. Therefore, increased pressure reduces the conductivity of K<sup>+</sup> more than that of Na<sup>+</sup> because K<sup>+</sup> is larger than Na<sup>+</sup>.
- S24.3** In the normal AB<sub>2</sub>O<sub>4</sub> spinel structure, the A<sup>2+</sup> ions (Fe<sup>2+</sup> in this example) occupy tetrahedral sites and the B<sup>3+</sup> ions (Cr<sup>3+</sup> in this example) occupy octahedral sites. The fact that FeCr<sub>2</sub>O<sub>4</sub> exhibits the normal spinel structure can be understood by comparing the ligand-field stabilization energy of high-spin octahedral Fe<sup>2+</sup> and octahedral Cr<sup>3+</sup>. With six d electrons, LFSE = –0.4Δ<sub>o</sub> for high-spin Fe<sup>2+</sup>. With only three d electrons, LFSE = –1.2Δ<sub>o</sub> for Cr<sup>3+</sup>. Since the Cr<sup>3+</sup> ions experience more stabilization in octahedral sites than do the Fe<sup>2+</sup> ions, the normal spinel structure is more stable than the inverse spinel structure, which would exchange the positions of the Fe<sup>2+</sup> ions with half of the Cr<sup>3+</sup> ions.
- S24.4** MCM-41 is a better choice as it has a range of pore sizes from 2 to 10 nm. These can better accommodate QDs with diameters ranging from 2 to 8 nm than typical ZSM-5 with pore sizes of less than 1 nm.

### End-of-Chapter Exercises

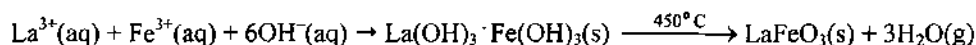
- E24.1** (a) MgCr<sub>2</sub>O<sub>4</sub> can be prepared by heating a 1 : 1 mixture of MgCO<sub>3</sub> (or Mg(NO<sub>3</sub>)<sub>2</sub>) and (NH<sub>4</sub>)<sub>2</sub>Cr<sub>2</sub>O<sub>7</sub> at high temperature. Note that thermal decomposition of (NH<sub>4</sub>)<sub>2</sub>Cr<sub>2</sub>O<sub>7</sub> produces Cr<sub>2</sub>O<sub>3</sub> in a finely divided and reactive form:



Then

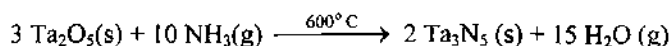


- (b) LaFeO<sub>3</sub> can be prepared by coprecipitating La<sup>3+</sup> and Fe<sup>3+</sup> hydroxides and then, after filtration, heat the precipitate and eliminate water:



Note the low final thermal decomposition temperature as a result of the fine atomic mixing achieved by the initial solution stage.

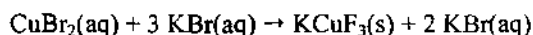
- (c) Ta<sub>3</sub>N<sub>5</sub> can be prepared heating Ta<sub>2</sub>O<sub>5</sub> under a flow of NH<sub>3</sub> at high temperature:



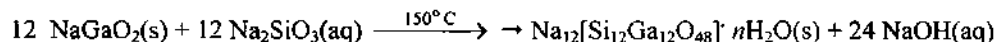
Note that the equilibrium is pushed to the right by the removal of steam in the gas stream.

(d)  $\text{LiMgH}_3$  can be prepared by heating a molar mixture of  $\text{LiH}$  and  $\text{MgH}_2$  (under hydrogen or an inert gas) in a direct reaction, or by heating a mixture of the elements under hydrogen.

(e) This complex fluoride can be prepared from solution of  $\text{CuBr}_2$  and  $\text{KF}$  as a precipitate:



(f) The gallium analogue of zeolite A can be prepared starting from sodium gallate,  $\text{NaGaO}_2$  (instead of sodium aluminate) and sodium silicate. The reaction would be undertaken hydrothermally in a sealed reaction vessel:



**E24.2** (a)  $\text{LiCoO}_2$ , (b)  $\text{Sr}_2\text{WMnO}_6$  (=  $\text{Sr}(\text{W}_{0.5}\text{Mn}_{0.5})\text{O}_3$ , a perovskite).

**E24.3** The electronic conductivity of the solid increases owing to formation of  $(\text{Ni}_{1-x}\text{Li}_x)\text{O}$  containing  $\text{Ni}(\text{III})$  and a free electron that can hop through the structure from  $\text{Ni}(\text{II})$  to  $\text{Ni}(\text{III})$ , thus promoting increased conductivity in the structure.

**E24.4**  $\text{Fe}_x\text{O}$  contains vacancies. Since  $\text{Fe}(\text{II})$  is easily oxidized to  $\text{Fe}(\text{III})$ , the vacancies are compensated by the conversion of two  $\text{Fe}^{2+}$  ions to two  $\text{Fe}^{3+}$  ions. This can also be seen as a substitution of three  $\text{Fe}^{2+}$  ions with two  $\text{Fe}^{3+}$  ions and a vacancy.

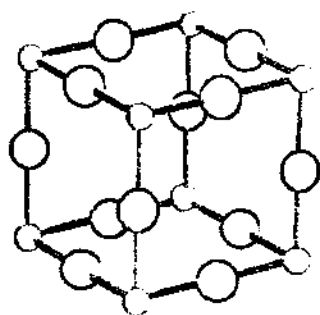
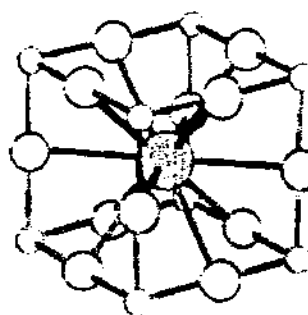
**E24.5** A solid solution would contain a random collection of defects, whereas a series of crystallographic shear plane structures would contain ordered arrays of crystallographic shear planes. Because of the lack of long-range order, the solid solution would give rise to an electron micrograph showing a random distribution of shear planes. In addition, the solid solution would not give rise to new X-ray diffraction peaks. In contrast, the ordered phases of the solid on the right would be detectable by electron microscopy and by the presence of a series of new peaks in the X-ray diffraction pattern, arising from the evenly spaced shear planes.

**E24.6** Generally, to increase anion conductivity we must increase anion mobility by creating vacancies in anion sites. This can be achieved via cation substitution: doping the compound with a cation of similar size but lower charge will create anion vacancies.

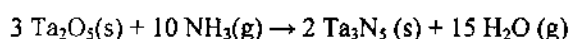
(a) To increase the anion conductivity in  $\text{PbF}_2$  we must replace  $\text{Pb}^{2+}$  with an  $\text{M}^+$  cation of a similar radius. Since  $\text{PbF}_2$  has the fluorite structure  $\text{Pb}^{2+}$  is eight coordinate and its radius is 129 pm. Thus, a good candidate for doping might be  $\text{Na}^+$  with eight-coordinate radius of 132 pm.

(b) The radius of a six-coordinate  $\text{Bi}^{3+}$  is 103 pm. Good candidate for a dopant in this case could be  $\text{Ca}^{2+}$  (six-coordinate radius is 100 pm) or again  $\text{Na}^+$  (six-coordinate radius is 102 pm).  $\text{Hg}^{2+}$  is too poisonous, but with respect to radius, it is a good candidate as well (102 pm, six coordinate).

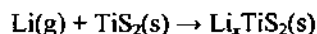
**E24.7** The unit cell for  $\text{ReO}_3$ , which is shown in Figure 24.16(a), is reproduced in the figure on the left below (the  $\text{O}^{2-}$  ions are the open spheres). As you can see, the structure is very open, with a very large hole in the centre of the cell, and it does appear to be sufficiently open to undergo  $\text{Na}^+$  ion intercalation. We can calculate if this is indeed possible if we note that the length of the  $\text{ReO}_3$  unit cell,  $a$ , can be calculated as  $a = 2r(\text{O}^{2-}) + 2r(\text{Re}^{6+})$ .  $\text{Re}^{6+}$  is six coordinate and, from Resource Section 1, its radius is 55 pm. There is no  $\text{O}^{2-}$  radius for the coordination two, but we can approximate it with about 140 pm. Then  $a = 2 \times 55 \text{ pm} + 2 \times 140 \text{ pm} = 390 \text{ pm}$ . The face diagonal of the cube,  $d$ , can be calculated as  $d = 2^{1/2}a$  (we are looking at the face diagonal because any cation that would fill the hole would be in contact with larger  $\text{O}^{2-}$  anions; see figure on the right). Hence  $d = 1.414 \times 390 \text{ pm} = 551.5 \text{ pm}$ . To really calculate the maximum radius of a metal that can fit in the central hole, we must subtract  $2r(\text{O}^{2-})$  from  $d$  (because that is the part of the diagonal "occupied" by neighbouring  $\text{O}^{2-}$  ions) and then divide the difference by 2:  $r(\text{M}^+) = (551.5 \text{ pm} - 2 \times 140 \text{ pm})/2 = 135.7 \text{ pm}$ . Since the radius of  $\text{Na}^+$  (eight coordinate, the maximum provided in Resource Section 1) is 132 pm, we can say that  $\text{Na}^+$  can indeed fit inside the hole. An  $\text{ReO}_3$  unit cell containing an  $\text{Na}^+$  ion (large, heavily shaded sphere) at its centre is shown on the right below. For the 1 : 1 Na:Re ratio the structure type can be described as that of perovskite ( $\text{CaTiO}_3$ ).

ReO<sub>3</sub>Na<sub>x</sub>ReO<sub>3</sub>

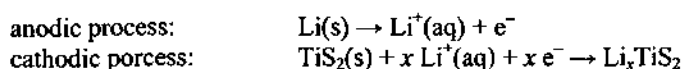
- E24.8** The Néel temperature for CrO should be below 122 K (i.e., below the Néel temperature for MnO).
- E24.9** A sulfide with the spinel structure could be ZnCr<sub>2</sub>S<sub>4</sub> and a fluoride NiLi<sub>2</sub>F<sub>4</sub>.
- E24.10** Copper-containing high-temperature superconductors contain mixed oxidation states of Cu. Thus, once the Cu oxidation states are worked out for each complex oxide given, all except Gd<sub>2</sub>Ba<sub>2</sub>Ti<sub>2</sub>Cu<sub>2</sub>O<sub>11</sub> (compound c), which contains only Cu<sup>2+</sup>, are superconductors. The average oxidation state of copper in compound (a) is +2.25, in (b) +2.2, and in (d) is +2.24.
- E24.11** White Ta<sub>2</sub>O<sub>5</sub> reacts with ammonia at high temperature to produce red Ta<sub>3</sub>N<sub>5</sub>:



- E24.12** According to Zachariasen, the formation of a glass is favoured for the substances that have polyhedral, corner-sharing oxygen atoms (rather than face- or edge-shared O atoms) and that can retain the coordination sphere around a glass-forming element while having variable bond angles around O atom. Compounds having strong covalent bonds are likely to conform to these rules because the bonds are not easy to break. CaF<sub>2</sub> is an example of a compound that does not have strong covalent bonds—it is ionic compound. On cooling, mobile, and more or less free Ca<sup>2+</sup> and F<sup>-</sup> ions, simply pack into the fluorite structure. This is not the case with SiO<sub>2</sub>—this oxide has a framework structure composed of SiO<sub>4</sub> tetrahedra connected through O atoms shared at corners. The Si–O bond has significant covalent character and is very strong. This network is not easily broken (and reformed) with temperature.
- E24.13** BeO, B<sub>2</sub>O<sub>3</sub>, and to some extent GeO<sub>2</sub> because they involve metalloid and non-metal oxides. Transition metal and rare earth oxides are typically non-glass-forming oxides, many of which have crystalline phases.
- E24.14** Transition metal and rare earth sulfides are typically non-glass-forming sulfides, many of which have crystalline and layered phases. Any metal sulfide glasses would involve metalloid and non-metal sulfides.
- E24.15** The two methods for the preparation of the intercalation compound Li<sub>x</sub>TiS<sub>2</sub> (0 ≤ x ≤ 1) are:



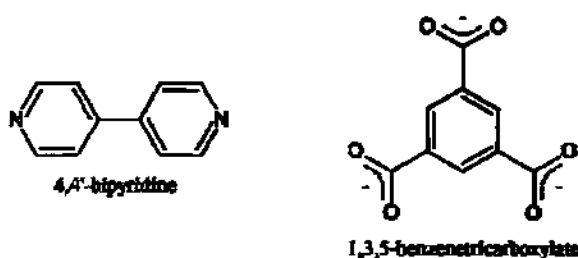
- (b) electrointercalation, with the following process occurring on electrodes:



- E24.16** The metallocene compounds undergo oxidation when intercalated. Both [Co(η<sup>5</sup>-C<sub>5</sub>H<sub>5</sub>)<sub>2</sub>] and [Co(η<sup>5</sup>-C<sub>5</sub>Me<sub>5</sub>)<sub>2</sub>] are 19-electron species (C<sub>5</sub>Me<sub>5</sub><sup>-</sup> is pentamethylcyclopentadienyl anion) and can be easily oxidized to 18-electron species, [Co(η<sup>5</sup>-Cp)<sub>2</sub>]<sup>+</sup> and [Co(η<sup>5</sup>-C<sub>5</sub>Me<sub>5</sub>)<sub>2</sub>]<sup>+</sup> respectively. On the other hand, ferrocene [Fe(η<sup>5</sup>-C<sub>5</sub>H<sub>5</sub>)<sub>2</sub>] is an 18-

electron compound and cannot be easily oxidized. Since the metallocenes are “squeezed” between the sheets of the original structure, the unit cell parameters must increase.

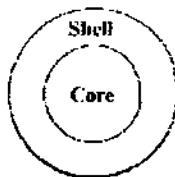
- E24.17** The structure of  $\text{Mo}_6\text{S}_8$  unit can be described as a cube of S atoms with an octahedron of Mo atoms inside so that each cube face has an Mo atom in the centre. The  $\text{Mo}_6\text{S}_8$  units are further bonded via Mo – S bridges. The S atoms in one cube donate an electron pair from a filled p orbital to the empty  $4d_{z^2}$  orbital on Mo located on a neighbouring cube.
- E24.18** Be, Ga, Zn, and P all form stable tetrahedral units with oxygen. Mg would prefer an octahedral environment (i.e., the structure of brucite,  $\text{Mg}(\text{OH})_2$ ), whereas Cl would likely be an anion.
- E24.19** The following zeotypes are possible:  $(\text{AlP})\text{O}_4$ ,  $(\text{BP})\text{O}_4$ ,  $(\text{ZnP}_2)\text{O}_6$ .
- E24.20** MOFs (or metal-organic frameworks) require ambidentate ligands that are capable of binding two or more different metal centres simultaneously. An example of such ligand is  $\text{CN}^-$  which can bind one metal through carbon and another through nitrogen atom. Most commonly, however, the ligands used to construct MOFs are based on organic compounds commonly with pyridine rings or carboxyl groups. 4,4'-bipyridine and 1,3,5-benzenetricarboxylate are the examples (for more examples, consult Fig. 24.57):



- E24.21** The mass percent of hydrogen in  $\text{NaBH}_4$  is 10.6%. This is above the range for technical targets (6–9%) and  $\text{NaBH}_4$  could be a good candidate to consider. The problem, however, is that elevated temperatures for decomposition are required to liberate the hydrogen gas (typically above  $500^\circ\text{C}$ ).
- E24.22** The formula of Li- and Al-doped  $\text{MgH}_2$  could be written as  $\text{Li}_x\text{Mg}_{1-x/2-2y/3}\text{Al}_y\text{H}_{2+2z}$ . The doped material can be prepared from the elements because all metals involved directly combine with  $\text{H}_2$ : heating an alloy with desired Li : Mg : Al ratio (which can be prepared by mulling) under  $\text{H}_2$  atmosphere.
- E24.23** With 18.1% per weight of hydrogen,  $\text{BeH}_2$  would be an excellent candidate for hydrogen storage. Unfortunately this compound is thermodynamically unstable ( $\Delta_f H \sim 0 \text{ kJ mol}^{-1}$ ) and very easily decomposes to give  $\text{Be}(\text{s})$  and  $\text{H}_2(\text{g})$ . Consequently the synthesis of  $\text{BeH}_2$  is not straightforward like the synthesis of, for example,  $\text{MgH}_2$ .
- E24.24** The Cu site in Egyptian blue is square planar and thus has a centre of symmetry (see Fig. 24.63). The  $d-d$  transitions that give rise to the colour are, consequently, symmetry-forbidden (Laporte rule) and less intense. In copper aluminate spinel blue, the site is tetrahedral with no centre of symmetry and the transitions are not symmetry-forbidden. This leads to the increased intensity of blue colour in the spinel.
- E24.25** The blue colour of the solution is due to the presence of anionic radical  $\text{S}_3^-$ , identical to that found as  $\text{S}_3^-$  in lapis lazuli described in Section 24.15. The cause of colour is the excitation of the unpaired electron in the electronic structure. In solution polysulfide, radical anions are very sensitive to  $\text{O}_2$  from the atmosphere; upon oxidation the colour is lost.
- E24.26** An ideal photocatalyst for water splitting would have (a) high efficiency of light absorption (low-intensity light would be sufficient to run the reaction), (b) efficient electron-hole separation process (if this separation process is not efficient then electron and hole recombine fast and do not liberate  $\text{H}_2$  and  $\text{O}_2$  respectively), and (c) high surface

area of bulk material (the reaction takes place on the catalyst surface—higher surface area gives more “contact points” between the catalyst and water thus the reaction proceeds faster).

- E24.27**  $\text{BN} > \text{C}(\text{diamond}) > \text{AlP} > \text{InSb}$ . See Sections 3.19, 24.18, and 24.19 for more details.
- E24.28** In  $\text{Na}_2\text{C}_{60}$ , all of the tetrahedral holes are filled with sodium cations within the close-packed array of fulleride anions—in other words, it has an antifluorite structure (see Section 3.9(a)). In  $\text{Na}_3\text{C}_{60}$ , all of the tetrahedral holes and all of the octahedral holes are filled with sodium cations within the fcc lattice of fulleride anions.
- E24.29** (a) **Surface areas.**  $1.256 \times 10^3 \text{ nm}^2$  versus  $1.256 \times 10^7 \text{ nm}^2$  (a factor of  $10^4$ ).  
 (b) **Nanoparticles based on size.** Recall that nanoparticles are particles or layers with at least one dimension in the 1–100 nm range. Thus, the 10 nm particle can be considered a nanoparticle, whereas the 1000 nm particle cannot.  
 (c) **Nanoparticles based on properties.** A true nanoparticle should have a localized surface plasmon without characteristic momentum and of high intensity.
- E24.30** (a) **Top-down versus bottom-up.** The “top-down” approach requires one to “carve out” nanoscale features from a larger object. The “bottom-up” approach requires one to “build up” nanoscale features from smaller entities. Lithography is a standard approach to “top-down,” and thin film deposition of quantum wells or superlattices is a standard approach to “bottom-up.”  
 (b) **Advantages and disadvantages.** Top-down methods allow for precise control over the spatial relationships between nanoscale entities, but they are limited to the design of rather large nanoscale items. Bottom-up methods allow for the precise spatial control over atoms and molecules relative to each other, but the long-range spatial arrangement is often difficult to realize.
- E24.31** (a) **Steps in solutions synthesis of nanoparticles.** All reacting species and additives must first be solvated; then stable nuclei of nanometer dimensions must be formed from solution and finally growth of particles to the final desired size will occur.  
 (b) **Why should the last two steps occur independently?** The last two steps should be independent so that nucleation fixes the total number of particles and growth leads to a controlled size and a narrow size distribution.  
 (c) **Role of stabilizer molecules.** Stabilizers prevent unwanted Ostwald ripening, a process in which smaller particles present in the solution dissolve and the re-solvated material from these particles precipitate again but on the surface of larger particles. The Ostwald ripening decreases the number of particles in the solution and increases size distribution and thus is unwanted process during nanoparticle synthesis.
- E24.32** Ostwald ripening is a process in which smaller particles present in the solution dissolve and this redissolved material precipitates again but on the surface of existing particles. The Ostwald ripening decreases the number of particles in the solution and increases size distribution and thus is an unwanted process during nanoparticle synthesis.
- E24.33** (a) **Core-shell nanoparticle diagram.** A schematic of the core and shell of the nanoparticle is shown below.



- (b) **Production.** i) *Solution based method:* first grow the core in solution and then add the additive and material for the growth of shell. ii) *Vapor-deposition method:* first deposit the material for the core and then the material for the shell.  
 (c) **Use.** In biosensing, the dielectric property of the shell can control the surface plasmon of the core, while the shell can be affected by the environment. In drug delivery, the shell could react with a specific location and the core could be used as a treatment (drug).

**E24.34** Examples include:

- Hexagonal boron nitride: layers contain strong B-N
- Sheet silicates (mica and clay minerals): strong Si-O bonds within sheets, weaker ionic or (less common) van der Waals interactions
- Molybdenum sulphide, MoS<sub>2</sub> (molybdenite): strong Mo-S bonds within layers, weak van der Waals interaction between

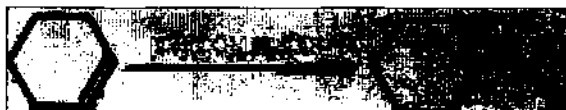
### Guidelines for Selected Tutorial Problems

- T24.1** One of the most popular lambda sensors contains zirconia (ZrO<sub>2</sub>) as a solid electrolyte. This material has a high conductivity for O<sup>2-</sup> ions at elevated temperatures. The cell responds to the changes in O<sub>2</sub> partial pressure in exhaust gas. The reduction potential for O<sub>2</sub>(g) + 4e<sup>-</sup> → 2O<sup>2-</sup>(s) is proportional to p(O<sub>2</sub>, reference)/p(O<sub>2</sub>, exhaust gas), with partial pressure of O<sub>2</sub> in the air as the reference. (See Section 24.49(b) *Solid anionic electrolytes* and refer to Fig. 24.9).
- T24.3** Recall from Section 24.9(a) that heating complex oxides under stream of ammonia can lead to the partial reduction of metal oxide. It can also lead to the nitridation of the oxide forming oxide-nitrides and eventually, with high excesses of ammonia, nitrides. In this case, partial nitridation occurs:
- $$2 \text{SrWO}_4 + 2 \text{NH}_3 \rightarrow \text{Sr}_2\text{W}_2\text{O}_5\text{N}_2 + 3 \text{H}_2\text{O}$$
- Sr<sub>2</sub>W<sub>2</sub>O<sub>5</sub>N<sub>2</sub> adopts the pyrochlore structure.
- T24.5** Delafossite is a mineral with chemical composition CuFeO<sub>2</sub>. Its structure has been described in Pabst, A. (1938) *American Mineralogist*, **23**, 175–176, and more recently revisited (with a look at electronic properties of this material) in Marquardt, M., Ashmore, N., & Cann, D. (2006). *Thin Solid Films*, **496**(1), 146–156. Connect this research with the fact that Fe<sub>2</sub>O<sub>3</sub> can also be used as a photocatalyst, as mentioned in Section 24.17 *Photocatalysis*.
- T24.7** The earliest reports of a superconducting material based on LnFeOAs structure were Kamihara, Y. et al. (2008). *J. Am. Chem. Soc.* **130**, 3296, and Takahashi, H. et al. (2008). *Nature* **453**, 376, both reporting the structure and superconducting properties of La[O<sub>1-x</sub>F<sub>x</sub>]FeAs. Sm, Ce, Nd, Gd, and Pr analogues were all reported in the same year as well. Some useful references are: Chen, X. H. et al. (2008). *Nature* **354**, 761 (for Sm), Chen, G. F. et al. (2008). *Phys. Rev. Lett.* (Ce analogue); Ren, Z. A. et al. (2008). *Europhysics Lett.* **82**, 57002, (Nd analogue); Ren, Z. A. et al. (2008). arXiv:0803.4283. (Pd analogue). These are historically interesting, and you should look up more current sources as well.
- T24.9** Two relatively recent sources are useful: Hischer, M. (ed.). (2010). *Hydrogen Storage: New Materials for Future Energy Storage*. Hoboken: John Wiley & Sons, Incorporated; and Godula-Jopek, A. et al. (2012). *Hydrogen Storage Technologies: New Materials, Transport, and Infrastructure*. Weinheim: Wiley-VCH.
- T24.11** A very good starting point for this research is Guo, J., Chen, X. (2012). *Solar Hydrogen Generation: Transition Metal Oxides in Water Photoelectrolysis*. New York: McGraw-Hill Professional.

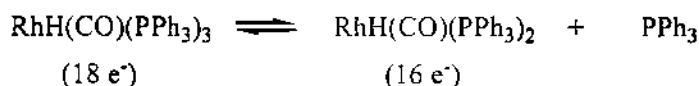
## Chapter 25 Catalysis

### Self-Test Exercises

- S25.1** In the case of cyclohexene, only one hydroformylation product is possible: cyclohexanecarboxaldehyde. Unlike the unsaturated compounds mentioned in the text and in Example 25.1, cyclohexene, due to its cyclic structure, cannot produce linear and branched isomers.

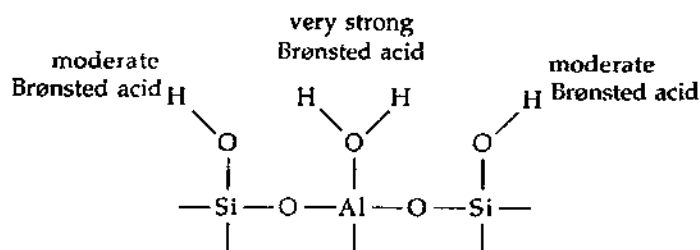


- S25.2** The complex  $[\text{RhH}(\text{CO})(\text{PPh}_3)_3]$  is an 18-electron species that must lose a phosphine ligand before it can enter the catalytic cycle:

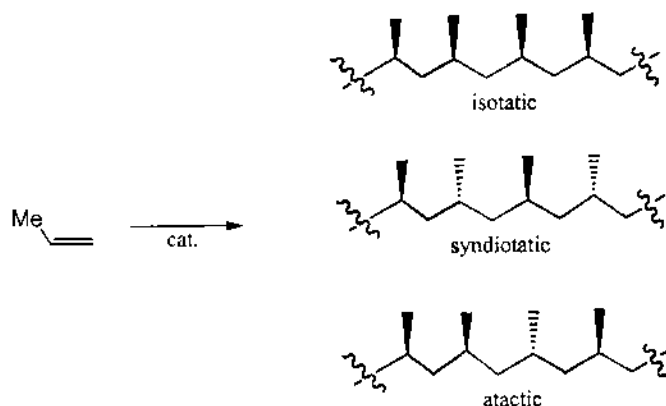


The coordinatively and electronically unsaturated complex  $[\text{RhH}(\text{CO})(\text{PPh}_3)_2]$  can add the alkene that is to be hydroformylated. Added phosphine will shift the above equilibrium to the left, resulting in a lower concentration of the catalytically active 16-electron complex. Thus, you can predict that the rate of hydroformylation will be decreased by added phosphine.

- S25.3** Heating alumina to  $900^\circ\text{C}$  results in complete dehydroxylation. Therefore, only Lewis acid sites are present after the heating process. The IR spectrum of a sample of dehydroxylated  $\gamma$ -alumina exposed to pyridine will exhibit bands near  $1465\text{ cm}^{-1}$  (indicating the formation of  $\text{Al}^{3+}\text{-NC}_5\text{H}_5$  adduct). It will not exhibit bands near  $1540\text{ cm}^{-1}$  because these are due to pyridine that is hydrogen bonded to the surface  $\text{-OH}$  groups ( $\text{-OH}$  groups have been removed during the treatment).
- S25.4** A pure silica analogue of ZSM-5 would contain  $\text{Si-OH}$  groups, which are only moderate Brønsted acids, and not strongly acidic  $\text{Al-OH}_2$  groups found in aluminosilicates. Only strong Brønsted acids can protonate an alkene to form the carbocations that are necessary intermediates in benzene alkylation. Therefore, a pure silica analog of ZSM-5 would not be an active catalyst for benzene alkylation.



- S25.5** The polymerization of mono-substituted alkenes introduces stereogenic centres along the carbon chain at every other position. Without R groups attached to the Zr centre there is no preference for specific binding of new alkenes during polymerization and thus the repeat is random or atactic (shown below).



As you can see, the atactic is the most random polymer, meaning that nothing is driving the stereochemistry of the polymer.  $[\text{Cp}_2\text{ZrCl}_2]$  has simple cyclopentadienes as ancillary ligands, which generally do not have enough steric bulk to drive the formation of a specific isomer; therefore primarily atactic polypropene is produced. Placing bulking alkyl groups on the  $\text{Cp}^-$  rings offers one way to obtain a specific geometry and thus mediate the properties of polypropene.

### End-of-Chapter Exercises

- E25.1 (a)  $\text{H}_2$  and  $\text{C}_2\text{H}_4$  in contact with Pt.** This is a genuine example of catalysis. The formation of ethane ( $\text{H}_2 + \text{C}_2\text{H}_4 \rightarrow \text{C}_2\text{H}_6$ ) has a very high activation barrier due to the very high H–H bond dissociation energy. The presence of platinum causes the reaction to proceed at a useful rate because it can help break  $\text{H}_2$  molecule. Furthermore, the platinum can be recovered unchanged after many turnovers, so it fits the two criteria of a catalyst: a substance that increases the rate of a reaction but is not itself consumed. Also note that Pt does not show up in the above chemical reaction.
- (b)  $\text{H}_2$  plus  $\text{O}_2$  plus an electrical arc.** This gas mixture will be completely converted into  $\text{H}_2\text{O}$  once the electrical arc is struck. Nevertheless, it does not constitute an example of catalysis. The arc provides activation energy to initiate the reaction. Once the reaction is started, the heat liberated by the reaction provides enough energy to sustain the reaction. The activation energy of the reaction has *not* been lowered by an added substance, so catalysis has not occurred.
- (c) The production of  $\text{Li}_3\text{N}$  and its reaction with  $\text{H}_2\text{O}$ .** This is not an example of catalysis. Lithium and nitrogen are both consumed in the formation of  $\text{Li}_3\text{N}$ , which occurs at an appreciable rate even at room temperature. Water and  $\text{Li}_3\text{N}$  react rapidly to produce  $\text{NH}_3$  and  $\text{LiOH}$  at room temperature. As in the formation of  $\text{Li}_3\text{N}$ , both substances are consumed.
- E25.2 (a) Turnover frequency** is the *amount* of product formed per unit time per unit *amount* of catalyst. In homogeneous catalysis, the turnover frequency is the rate of formation of product, given in  $\text{mol L}^{-1} \text{s}^{-1}$ , divided by the concentration of catalyst used, in  $\text{mol L}^{-1}$ . This gives the turnover frequency in units of  $\text{s}^{-1}$ . In heterogeneous catalysis, the turnover frequency is typically the amount of product formed per unit time, given in  $\text{mol s}^{-1}$ , divided by the number of moles of catalyst present. In this case, the turnover frequency also has units of  $\text{s}^{-1}$ . Since one mole of a finely divided heterogeneous catalyst is more active than one mole of the same catalyst with a small surface area, the turnover frequency is sometimes expressed as the amount of product formed per unit time divided by the surface area of the catalyst. This gives the turnover frequency in units of  $\text{mol s}^{-1} \text{cm}^{-2}$ . Often one finds the turnover frequency for commercial heterogeneous catalysts expressed in rate per gram of catalyst.
- (b) Selectivity** is a measure of how much of the desired product is formed relative to undesired by-products. Unlike enzymes (see Chapter 26), man-made catalysts rarely are 100% selective. The catalytic chemist usually has to deal with the often difficult problem of separating the various products. The separations, by distillation, fractional crystallization, or chromatography, are generally expensive and are always time-consuming. Furthermore, the by-products represent a waste of raw materials. Recall that an



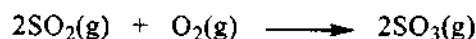
expensive rhodium hydroformylation catalyst is sometimes used industrially instead of a relatively inexpensive cobalt catalyst because the rhodium catalyst is more selective.

(c) A **catalyst** is a substance that increases the rate of a reaction but is not itself consumed. This does not imply that the added catalyst does not change during the course of the reaction. Frequently, the substance that is added is a *catalyst precursor* that is transformed under the reaction conditions into the active catalytic species.

(d) The **catalytic cycle** is a sequence of chemical reactions, each involving the catalyst, that transform the reactants into products. It is called a cycle because the actual catalytic species involved in the first step is regenerated during the last step. Note that the concept of a “first” and “last” step may lose its meaning once the cycle is started.

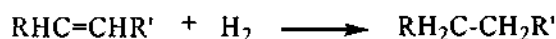
(e) **Catalyst support.** In cases where a heterogeneous catalyst does not remain a finely divided pure substance with a large surface area under the reaction conditions, it must be dispersed on a support material, which is generally a ceramic-like  $\gamma$ -alumina or silica gel. In some cases, the support is relatively inert and only serves to maintain the integrity of the small catalyst particles. In other cases, the support interacts strongly with the catalyst and may affect the rate and selectivity of the reaction.

**E25.3** (a) The increased rate of  $\text{SO}_2$  oxidation in the presence of  $\text{NO}$ . The balanced equation for  $\text{SO}_2$  oxidation is:



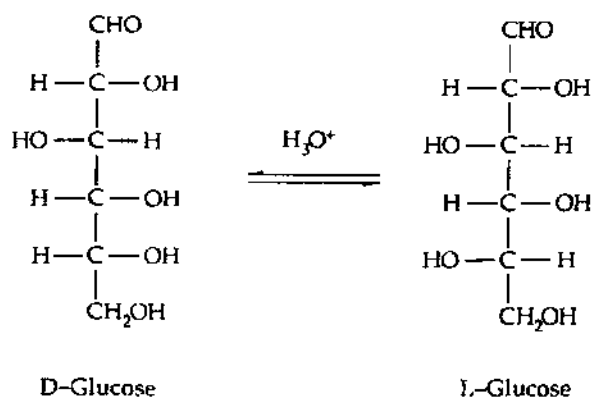
All of these substances, as well as the catalyst  $\text{NO}$ , are gases. Since they are all present in the same phase, this is an example of homogeneous catalysis.

(b) The hydrogenation of oil using a finely divided  $\text{Ni}$  catalyst. In this case, the balanced overall equation is:



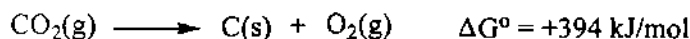
The reactants and the products are all present in the liquid phase (the hydrogen is dissolved in the liquid oil and hence is in a solution or in a liquid phase), but the  $\text{Ni}$  catalyst is a solid. Therefore, this is an example of heterogeneous catalysis.

(c) The conversion of **D-glucose to a D,L mixture by  $\text{HCl}$** ? The catalyst for the racemization of **D-glucose** is  $\text{HCl}$  (really  $\text{H}_3\text{O}^+$ ), which is present in the same aqueous phase as the **D-glucose**. Therefore, since the substrate and the catalyst are both in the same phase, this is homogeneous catalysis.



**E25.4** (a) The splitting of  $\text{H}_2\text{O}$  into  $\text{H}_2$  and  $\text{O}_2$ . A catalyst does not affect the free energy ( $\Delta G$ ) of a reaction, only the activation free energy ( $\Delta G^\ddagger$ ). A thermodynamically unfavourable reaction (one with a positive  $\Delta G$ ) will not result in a useful amount of products unless energy in the form of light or electric current is added to the reaction mixture. Since water is a thermodynamically stable compound ( $\Delta_f G^\circ(\text{H}_2\text{O}) = -237 \text{ kJ mol}^{-1}$ ), it would not be a worthwhile endeavour to try to develop a catalyst to split water into hydrogen and oxygen.

(b) **The decomposition of CO<sub>2</sub> into C and O<sub>2</sub>.** As in part (a), you would be trying to catalyze the decomposition of a very stable compound into its constituent elements. Under the conditions given, it would be a waste of time.

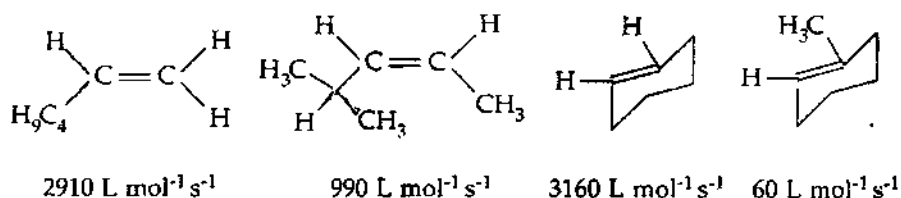


(c) **The combination of N<sub>2</sub> with H<sub>2</sub> to produce NH<sub>3</sub>.** This would be a very worthwhile reaction to try to catalyze efficiently at 80°C. Ammonia is a stable compound with respect to nitrogen and hydrogen. Furthermore, it is a compound that is important in commerce, since it is used in many types of fertilizers.  $\Delta_r G^\circ$  is  $-16.5 \text{ kJ mol}^{-1}$  for the reaction  $\text{N}_2 + 3\text{H}_2 \rightarrow 2\text{NH}_3$ . The high temperatures usually required for ammonia synthesis ( $\sim 400^\circ\text{C}$ ) make  $\Delta G$  less negative and result in a smaller yield. An efficient *low temperature* synthesis of ammonia from nitrogen and hydrogen that could be carried out on a large scale would probably make you and your industrialist rich.

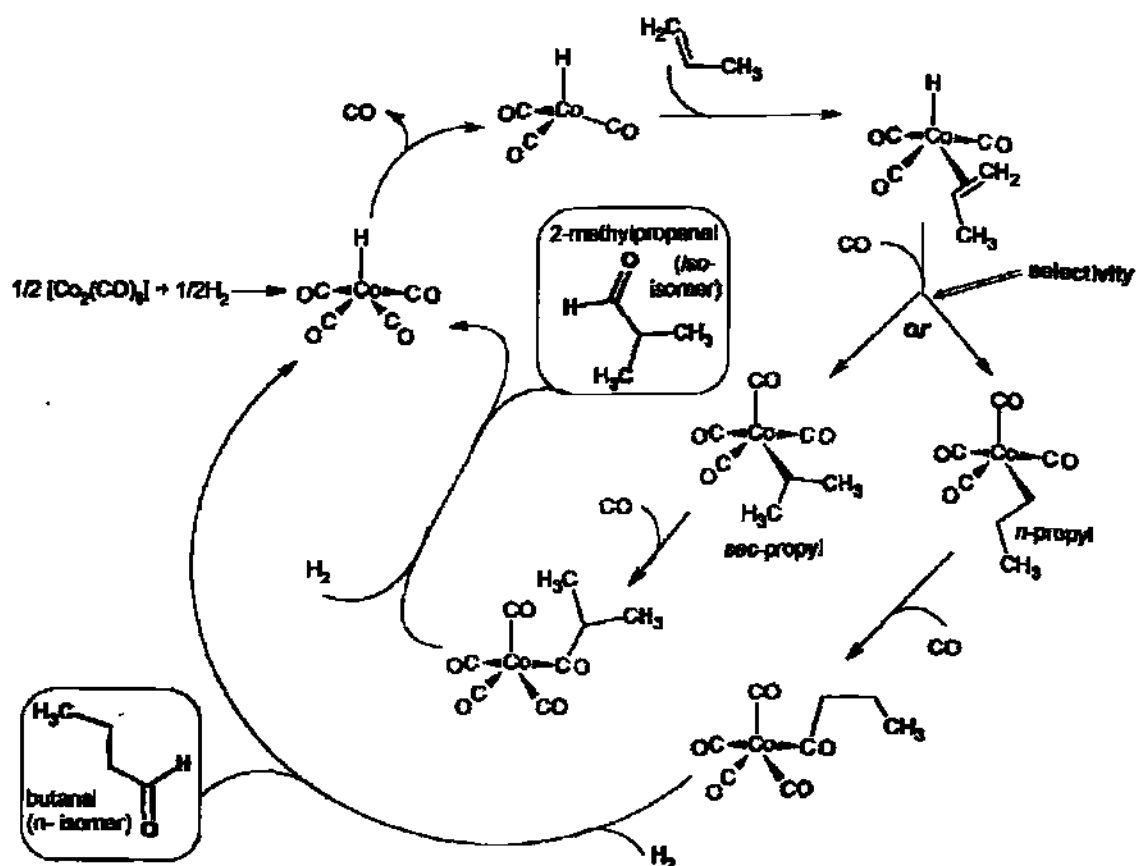
(d) **The hydrogenation of double bonds in vegetable oil.** The reaction  $\text{RHC}=\text{CHR} + \text{H}_2 \rightarrow \text{RH}_2\text{C}-\text{CH}_2\text{R}$  has a negative  $\Delta_r G^\circ$ . Therefore, the hydrogenation of vegetable oil would be a candidate for catalyst development. However, there are many homogeneous and heterogeneous catalysts for olefin hydrogenation, including those that operate at low temperatures (i.e.,  $\sim 80^\circ\text{C}$ ). For this reason, the process can be readily set up with existing technology.

**E25.5** The catalytic cycle for homogeneous hydrogenation of alkenes by Wilkinson's catalyst,  $[\text{RhCl}(\text{PPh}_3)_3]$ , is shown in Figure 25.5. In order for the olefin substrate to coordinate to the Rh centre in complex C (a 16-electron species), complex B (an 18-electron species) must first lose one  $\text{PPh}_3$  ligand. Although this is not usually shown when depicting catalytic cycles, we have to keep in mind that all steps are (generally) reversible, and complex C and free  $\text{PPh}_3$  are in equilibrium with complex B. Increasing the concentration of  $\text{PPh}_3$  shifts the equilibrium toward complex B, which is not able to bind the olefin and the hydrogenation rate will drop.

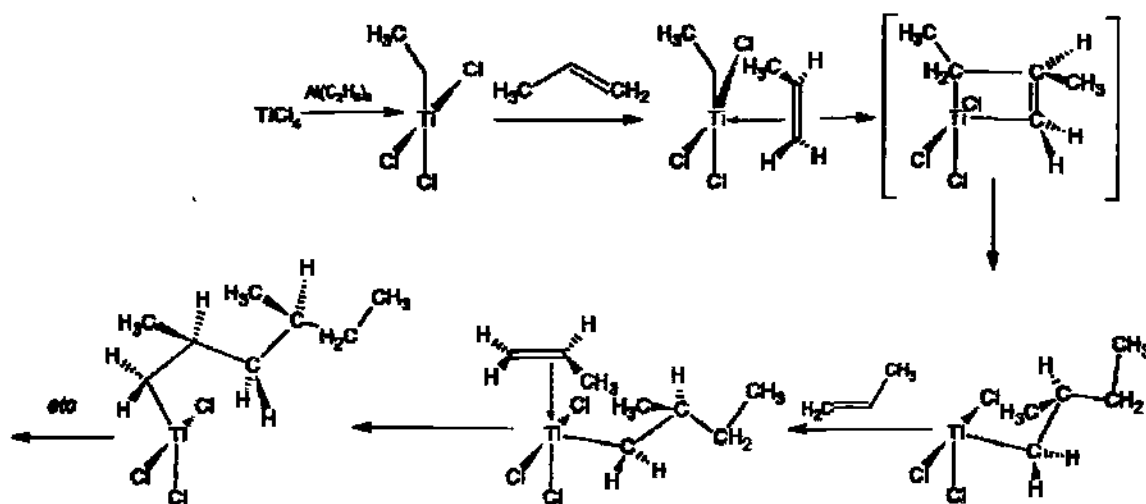
**E25.6** The data show that hydrogenation is faster for hexene than for *cis*-4-methyl-2-pentene (a factor of  $2910/990 \approx 3$ ). It is also faster for cyclohexene than for 1-methylcyclohexene (a factor of  $3160/60 \approx 53$ ). In both cases, the alkene that is hydrogenated slowly has a greater degree of substitution and so is sterically more demanding—hexene is a monosubstituted alkene, whereas *cis*-4-methyl-2-pentene is a disubstituted alkene; cyclohexene is a disubstituted alkene, whereas 1-methylcyclohexene is a trisubstituted alkene. According to the catalytic cycle for hydrogenation shown in Figure 26.5, different alkenes could affect the equilibrium (B)  $\rightarrow$  (C) or the reaction (C)  $\rightarrow$  (D). A sterically more demanding alkene could result in (i) a smaller equilibrium concentration of (D)  $[\text{RhClH}_2\text{L}_2(\text{alkene})]$ , or (ii) a slower rate of conversion of (C) to (D). Since the reaction (C)  $\rightarrow$  (D) is the rate-determining step for hydrogenation by  $\text{RhCl}(\text{PPh}_3)_3$ , either effect would lower the rate of hydrogenation.



**E25.7** The catalytic cycle for the formation of both *n* (linear) and *iso* (branched) products is shown below. The starting point of the cycle is the active catalyst  $[\text{HCo}(\text{CO})_4]$  formed from hydrogenolysis of  $[\text{Co}_2(\text{CO})_8]$ . The linear product (*n* isomer) is butanal, whereas the branched product (*iso* isomer) is 2-methylpropanal. The selectivity step is the hydride migration onto the coordinated prop-1-en in  $[\text{HCo}(\text{CO})_4(\text{H}_2\text{C}=\text{CHCH}_3)]$  complex. Note that migration can produce either primary (outer path) or secondary (inner path) alkyl coordinated to the Co centre.



**E25.8** The catalytic cycle for the Ziegler Natta polymerization of propene is shown below. In this case the catalyst is prepared from  $\text{TiCl}_4$ , but  $\text{TiCl}_3$  also produces the active catalyst in the similar fashion. Either are commonly bound to  $\text{MgCl}_2$  as a support (note that  $\text{TiCl}_4$  is a very moisture-sensitive liquid, hence easier to handle when supported).



The mechanism starts with alkylation of a Ti atom on the catalyst surface. The alkylating agent is usually  $\text{AlEt}_3$ . The Ti on the surface of the catalyst is coordinatively unsaturated and an alkene molecule (in this case propene) coordinates. The ethyl group bonded to titanium migrates, probably via a cyclic intermediate

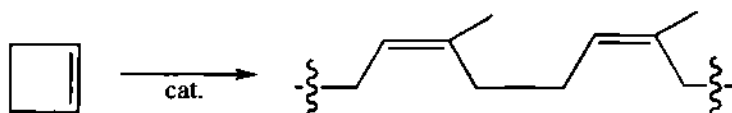
shown in square brackets, to the coordinated propene. This not only initiates the propagation of polymer chain but also opens a new coordination site on Ti. Another propene molecule coordinates to this position and undergoes the migratory insertion; consequently, a new coordination spot opens and the chain lengthens and the process continues.

The resulting polymer is going to be isotactic: it is going to have a high melting point and will be semicrystalline.

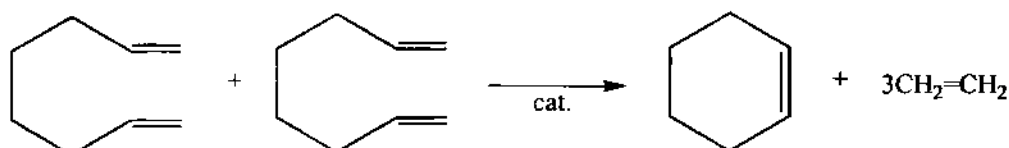
**E25.9** Since compound (E) in Figure 26.7 is observed under catalytic conditions, its formation must be faster than its transformation into products. If this were not true, a spectroscopically observable amount of it would not build up. Therefore, the transformation of (E) into  $[\text{CoH}(\text{CO})_4]$  and product must be the rate-determining step in the absence of added  $\text{PBU}_3$ . In the presence of added  $\text{PBU}_3$ , neither compound (E) nor its phosphine-substituted equivalent, that is,  $[\text{Co}(\text{C}=\text{O})\text{C}_4\text{H}_9(\text{CO})_3(\text{PBU}_3)]$ , is observed, requiring that their formation must be slower than their transformation into products. Thus, in the presence of added  $\text{PBU}_3$ , the formation of either (A) or (E), or their phosphine-substituted equivalents, is the rate-determining step.

**E25.10** The key difference between two reactions is that HI would hydrolyse  $\text{MeCOOMe}$  and produce  $\text{MeI}$  and  $\text{MeCOOH}$  (instead of water). The reaction of the ethanoic acid with the acetyl iodide (produced at the end of the catalytic cycle) leads to ethanoic anhydride. See the catalytic cycle in Figure 25.13.

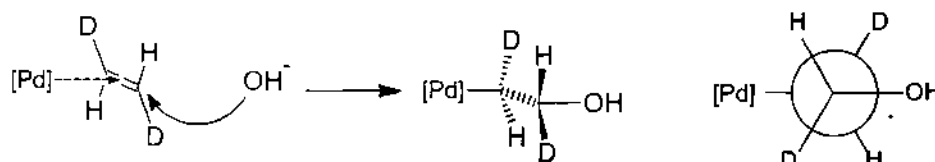
**E25.11 (a) Ring opening alkene metathesis polymerization.** ROMP can result in reduced steric strain, thereby providing a thermodynamic driving force for the reaction.



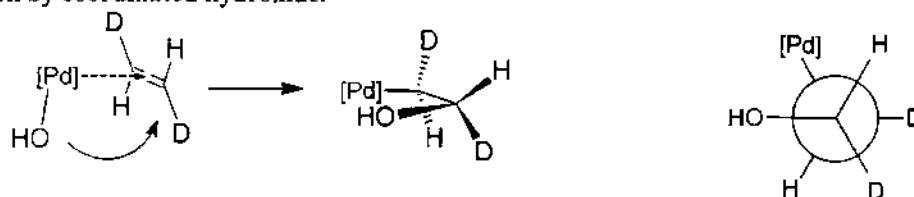
**(b) Ring-closing metathesis (RCM).** RCM results in the loss of ethane, and by removing this gas, the position of equilibrium can easily be driven to favour the ring product.



**E25.12 (a) Attack by dissolved hydroxide.**



**(b) Attack by coordinated hydroxide.**

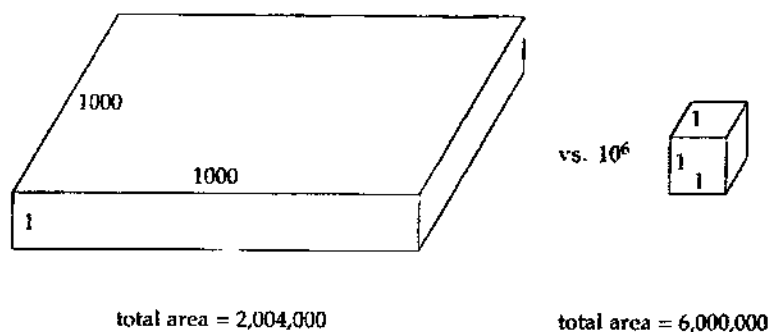


**(c) Differentiate of the stereochemistry.** Yes. Detailed stereochemical studies indicate that the hydration of the alkene-Pd(II) complexes occurs by attack of water from the solution on the coordinated ethene rather than the insertion of coordinated OH.

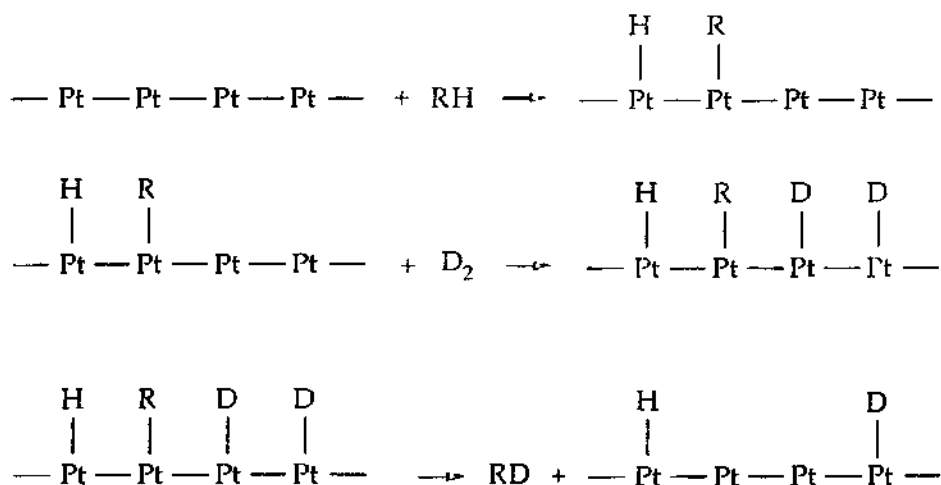
**E25.13 (a) Enhanced acidity.** When  $\text{Al}^{3+}$  replaces  $\text{Si}^{4+}$  on lattice site, the charge is balanced by  $\text{H}_3\text{O}^+$ , increasing the acidity of the solid catalyst.

**(b) Three other ions.** Other 3+ ions—for example  $\text{Ga}^{3+}$ ,  $\text{Co}^{3+}$ , or  $\text{Fe}^{3+}$ , would have similar effect as  $\text{Al}^{3+}$ .

**E25.14** Special measures are required in heterogeneous catalysis to ensure that the reactants achieve contact with catalytic sites. For a given amount of catalyst, as the surface area increases, there are a greater number of catalytic sites. A thin foil of platinum-rhodium will not have as much surface area as an equal amount of small particles finely dispersed on the surface of a ceramic support. The diagram below shows this for a “foil” of catalyst that is 1000 times larger in two dimensions than in the third dimension (i.e., the thickness is 1; note that the diagram is not to scale). If the same amount of catalyst is broken into cubes that are 1 unit on a side, the surface area of the catalyst is increased by nearly a factor of three.

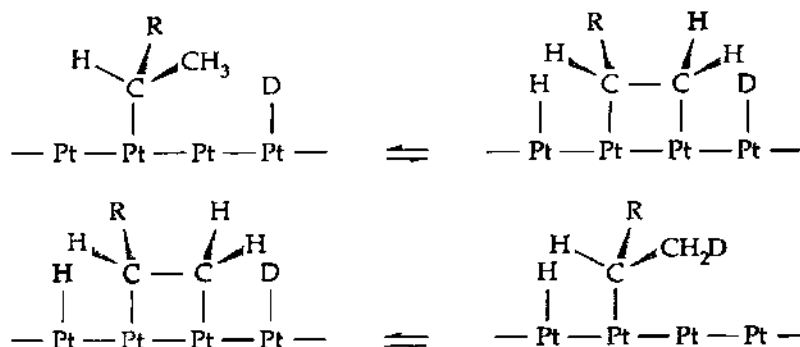


**E25.15** Two observations must be explained in this catalytic deuteration of C–H bonds. The first is that ethyl groups are deuterated before methyl groups. The second observation is that a given ethyl group is completely deuterated before another one incorporates *any* deuterium. Let's consider the first observation first. The mechanism of deuterium exchange is probably related to the reverse of the last two reactions in Figure 26.20, which shows a schematic mechanism for the hydrogenation of an olefin by  $\text{D}_2$ . The steps necessary for deuterium substitution into an alkane are shown below and include the dissociative chemisorption of an R–H bond, the dissociative chemisorption of  $\text{D}_2$ , and the dissociation of R–D. This can occur many times with the same alkane molecule to effect complete deuteration.

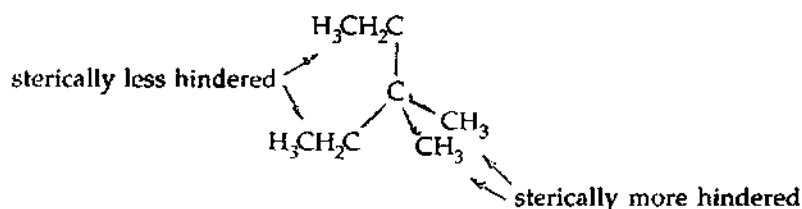


Since the  $-\text{CH}_2\text{CH}_3$  groups are deuterated before the  $-\text{CH}_3$  groups, one possibility is that dissociative chemisorption of a C–H bond from a  $-\text{CH}_2-$  group is faster than dissociative chemisorption of a C–H bond from a  $-\text{CH}_3$  group. The second observation can be explained by invoking a mechanism for rapid deuterium exchange of the methyl group in the chemisorbed  $-\text{CHR}(\text{CH}_3)$  group ( $\text{R} = \text{C}(\text{CH}_3)_2(\text{C}_2\text{H}_5)$ ). The

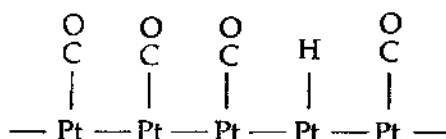
scheme below shows such a mechanism. It involves the successive application of the equilibrium shown in Figure 25.20. If this equilibrium is maintained more rapidly than the dissociation of the alkane from the metal surface, the methyl group in question will be completely deuterated before dissociation takes place.



Another possibility, not shown in the scheme above, is that the terminal  $-\text{CH}_3$  groups undergo more rapid dissociative chemisorption than the sterically more hindered internal  $-\text{CH}_3$  groups.



- E25.16** The reduction of hydrogen ions to  $\text{H}_2$  on Pt surface probably involves the formation of the surface hydride species. Dissociation of  $\text{H}_2$  by reductive elimination would complete the catalytic cycle. However, platinum not only has a strong tendency to chemisorb  $\text{H}_2$ , but it also has a strong tendency to chemisorb CO. If the surface of platinum is covered with CO, the number of catalytic sites available for  $\text{H}^+$  reduction will be greatly diminished and the rate of  $\text{H}_2$  production will decrease.



- E25.17** Electrocatalysts are compounds that are capable of reducing the kinetic barrier for electrochemical reactions (barrier known as overpotential). While platinum is the most efficient electrocatalyst for accelerating oxygen reduction at the fuel cell cathode, it is expensive (recall Section 25.18 Electrocatalysis). Current research is focused on the efficiency of a platinum monolayer by placing it on a stable metal or alloy clusters; your book mentions the use of the alloy  $\text{Pt}_3\text{N}$ . An example would be a platinum monolayer fuel-cell anode electrocatalyst, which consists of ruthenium nanoparticles with a sub-monolayer of platinum. Other areas of research include using tethered metalloporphyrin complexes for oxygen activation and subsequent reduction.

- E25.18** Statement (a) should be corrected: while it is true that a catalyst introduces a new reaction pathway (i.e., changes the mechanism of the reaction), it does so by lowering the Gibbs energy of activation, not enthalpy of activation. Recall that the Gibbs energy is dictated by not only the change in enthalpy but also the change in entropy and the reaction temperature.

Statement (b) can also be corrected: first, the catalyst does not make the Gibbs energy of a reaction more favourable (as the statement might imply), but rather the Gibbs energy of activation (i.e., it lowers the activation energy of a slow step). Second, even if the Gibbs energy of activation was implied, a catalyst is not only reducing the Gibbs energy, but as you have seen it can also dictate the formation of a specific product. For example, chiral catalysts can favour the production of one enantiomer over another. There are

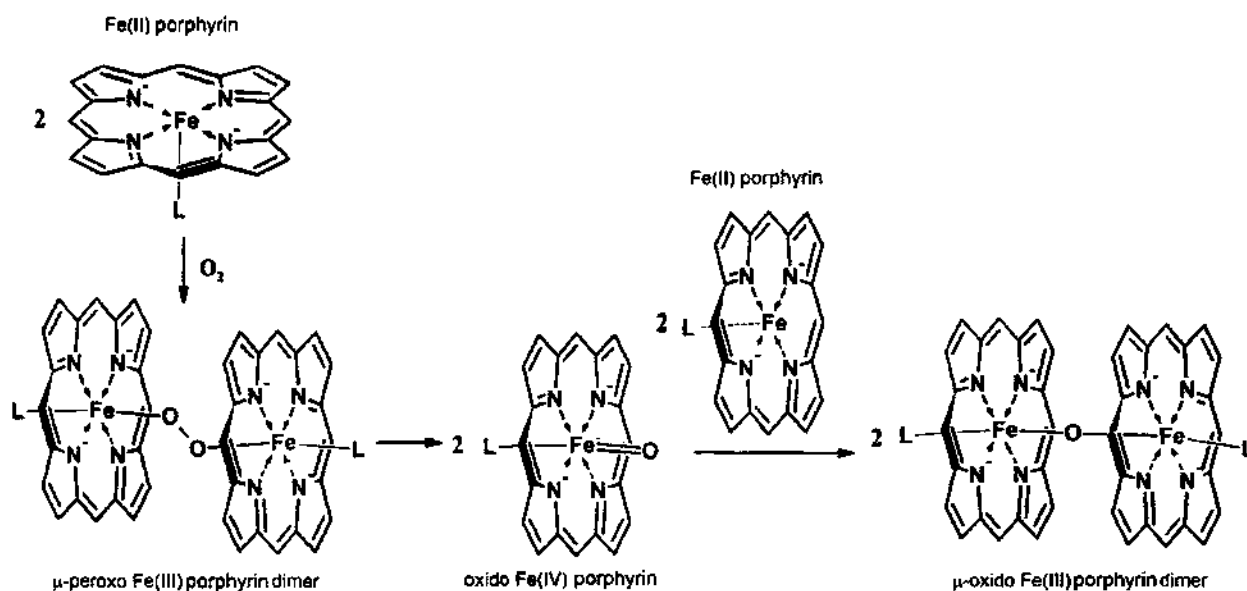
cases in which the enantioselective step is not the rate-determining step. Thus, the increase in yield of a desired enantiomer in this instance has nothing to do with a more favourable Gibbs energy of the reaction. Statement (c) should be corrected: the Ziegler–Natta catalyst is made from two liquids, but it is a heterogeneous catalyst because the  $\text{TiCl}_4$  and  $\text{AlEt}_3$  are usually reacted with a solid support and then with a carrier. This makes the two immobilized on a solid. Alkenes (the monomers) are either gases or liquids, that is, in a different phase.

Statement (d) is incorrect: highly favourable Gibbs energies for the attachment of reactants and products to a catalyst are not good for catalysis at all. In the case when the attachment of reactants is highly favourable, the product would be thermodynamically very stable and would likely be unreactive—our catalytic cycle would stop at the very beginning with the reaction between a catalyst and reactants. On the other hand, a highly favourable Gibbs energy for the attachment of products to a catalyst would halt the elimination of products and regeneration of the active catalyst.

## Chapter 26 Biological Inorganic Chemistry

### Self-Test Exercises

- S26.1** Uncomplexed  $\text{Fe}^{2+}$  is present at very low concentrations (approximately  $10^{-7}$  M). By contrast,  $\text{Fe}^{3+}$  is strongly complexed (relative to  $\text{Fe}^{2+}$ ) by highly specific ligands such as ferritin and by smaller polyanionic ligands, particularly citrate. Free  $\text{Fe}^{2+}$  is therefore easily oxidized.
- S26.2** The protein's tertiary structure can place any particular atom or group in a suitable position for axial coordination. Thus, the protein folding is responsible for bringing the unusual methionine sulfur atoms (recall that sulfur is a soft donor) in axial sites. This prevents water molecules (which would be the natural choice for  $\text{Mg}^{2+}$ , a hard cation) from occupying the axial sites.
- S26.3** Blood plasma contains 0.1 M  $\text{Na}^+$  but very little  $\text{K}^+$ ; the opposite is true inside cells (see Table 26.1). This differential results in an electrical potential that is used to drive reactions. If a patient was given an intravenous fluid containing KCl instead of NaCl, the potential across the cell membrane would collapse, with severe consequences.
- S26.4** Calmodulin does not bind to the pump unless  $\text{Ca}^{2+}$  is coordinated to it. As the  $\text{Ca}^{2+}$  concentration increases in the cell, the Ca-calmodulin complex is formed. The binding of this Ca-calmodulin complex to the pump is thus a signal informing the pump that the cytoplasmic  $\text{Ca}^{2+}$  level has risen above a certain level and to start pumping  $\text{Ca}^{2+}$  out.
- S26.5** A possible reaction sequence is shown below. Starting from a Fe(II) porphyrin complex (L is a neutral axial ligand throughout the sequence) we first obtain a peroxo bridged Fe(III) porphyrin dimer. Peroxo bridge can oxidatively cleave producing two equivalents of oxido Fe(IV) porphyrin monomers. This rather reactive species (recall that +4 is not a stable oxidation state for Fe and that Fe compounds with oxidation states above +3 are strong oxidizing agents) can react with another equivalent of the starting Fe(II) porphyrin complex producing an oxido-bridged Fe(III) porphyrin dimer. Note that all complexes are neutral species.



- S26.6** Hydrogen bonding and replacement of one cysteine with a histidine should lead to an increase in the reduction potential of an Fe-S cluster. Hydrogen bonding should stabilize the more reduced, electron-rich oxidation level of an Fe-S cluster. Two His-for-Cys substitutions raise the reduction potential in the Rieske centres because



imidazole is a better ligand to Fe(II) than Fe(III) sites. Surrounding a cluster with negatively charged protein residues would likely decrease the cluster's reduction potential because it will be more difficult to add an electron to a site that is already negatively charged in a low dielectric medium.

- S26.7** There is greater covalence in blue Cu centres than in simple Cu(II) compounds. The unpaired electron is delocalized onto the cysteine sulphur and spends more time away from the Cu nucleus, decreasing the coupling. In most of the Cu blue centres, the reduced form is Cu(I), which is a soft acid, so it makes sense that it bonds well with sulfur-containing ligands such as a cysteine residue.
- S26.8** Cu(III) is a  $d^8$  metal centre. It is likely to be highly oxidizing, and probably diamagnetic with a preference for square-planar geometry, a favoured geometry for the  $d^8$  electronic configuration.
- S26.9** Species such as  $\text{CH}_3\text{Hg}^+$  and  $(\text{CH}_3)_2\text{Hg}$  are hydrophobic and can penetrate cell membranes. Cobalamins are very active methyl-transfer reagents that can methylate anything in the cell, which is bad news for the human body. Unlike many other mercury compounds, methylmercury is soluble in water. Methylation of  $\text{Hg}^{2+}$  thus increases concentration of this cation in body fluids.
- S26.10** Spectroscopic measurements that are metal specific, such as EPR, which detects the number of unpaired electrons, could be used on both enzyme and isolated cofactor. Attempts could be made to grow single crystals from the solution and perform single-crystal X-ray diffraction and EXAFS to reveal molecular geometry, bond distances, and angles between Fe or Mo and the sulphur ligands. Both these techniques can be carried out on the enzyme and cofactor dissolved in DMF. Of all of these, single-crystal X-ray diffraction is our most powerful technique for determining structure. Mössbauer spectroscopy could also be useful in determining (average) oxidation states and geometries at Fe centres.
- S26.11** Cu(I) has an ability to undergo linear coordination by sulphur-containing ligands. The only other metals with this property are Ag(I), Au(I), and Hg(II), but these are not common in biology. Cu(I) can also be found in trigonal planar and tetrahedral coordination environments. Binding as Cu(II) would be less specific because it shows a strong preference for square planar or tetragonal geometries. Also, importantly, Cu(II) is able to oxidise thiolates ( $\text{R-S}^-$ ) to  $\text{RS-SR}$ .

### End-of-Chapter Exercises

- E26.1** We should compare the ions in question with what we know about  $\text{K}^+$  and the potassium channel. In comparison to  $\text{K}^+$ ,  $\text{Na}^+$  is smaller and consequently has a higher charge density. Thus, for a channel or ionophore to be  $\text{Na}^+$  specific it must have smaller cavity than K-channel. The preferred donor atoms for  $\text{Na}^+$  binding are the same as for  $\text{K}^+$  binding—both atoms form more stable complexes with electronegative oxygen donor atoms. Since both are s-block elements, and lack LFSE (no d orbitals), neither has a clear geometry preference. Consequently the geometry of an  $\text{Na}^+$  binding site is dictated by the size—if the K-channel provides eight O donors in cubic arrangement, an equivalent for  $\text{Na}^+$  should provide (for example) 6 or 7 O donors in octahedral or pentagonal bipyramidal geometry.  $\text{Ca}^{2+}$  is the smallest of the three cations, and having also a 2+ charge, it has the highest charge density. Consequently,  $\text{Ca}^{2+}$  is going to bind more tightly than either  $\text{Na}^+$  or  $\text{K}^+$  to the residues that have negative charge—for example deprotonated  $-\text{OH}$  groups. It is also a cation of a s-block element and has no LFSE that could dictate a preferred geometry.  $\text{Cl}^-$  is obviously different from the other three by being an anion (and also significantly bigger than all others). Thus, to move  $\text{Cl}^-$  we would need to have a large cavity and rely on hydrogen bonds formed with  $-\text{NH}$  and  $-\text{OH}$  functional groups.
- E26.2** Calcium-binding proteins can be studied using lanthanide ions ( $\text{Ln}^{3+}$ ) because, like calcium ions, they are hard Lewis acids and prefer coordination by hard bases such as anionic oxygen-containing ligands like carboxylates. The larger size of lanthanides is compensated for by their higher charge, although they are likely to have higher coordination numbers. Many lanthanide ions have useful electronic and magnetic properties. For example,  $\text{Gd}^{3+}$  has excellent fluorescence, which is quenched when it binds close to certain amino acids such as tryptophan.
- E26.3** Co(II) commonly adopts distorted tetrahedral and five-coordinate geometries typical of Zn(II) in enzymes. When substituted for Zn(II) in the parent enzyme, the enzyme generally retains catalytic activity. Zn(II) is  $d^{10}$  and therefore colourless; however, Co(II) is  $d^7$ , and its peaks in the UV-Vis spectrum are quite intense (see Chapter 20) and report on the structure and ligand-binding properties of the native Zn sites. Furthermore, it is almost impossible to use  $^1\text{H}$  NMR to study the active site of zinc enzymes because of all of the interferences and overlaps

one gets with the amino acids themselves. Fortunately, Co(II) is paramagnetic, enabling Zn enzymes to be studied by EPR after substitution.

- E26.4** Acidity of coordinated water molecules is in the order  $\text{Fe(III)} > \text{Zn(II)} > \text{Mg(II)}$ . Ligand-binding rates are  $\text{Mg(II)} > \text{Zn(II)} > \text{Fe(III)}$ . Mg(II) is usually six-coordinate, so it can accommodate more complex reactions (such as rubisco). It is also the weakest Lewis acid of the three, has the highest mobility, and has a clear preference for hard donors. Zn(II) has low mobility because it binds strongly to amino acid residues in proteins but has excellent polarizing power, fast ligand exchange rate, and no preference for any particular coordination geometry. These features, combined with no redox activity, make Zn(II) a perfect choice for substrates that are not readily activated but should not be reduced or oxidized. The redox activity of Fe(III) makes its use in metalloenzymes relatively limited (in comparison to Zn(II)).
- E26.5** Since iron(V) would have the electron configuration of  $[\text{Ar}]3d^3$ , the ion would have three unpaired electrons. The logical choice would be either EPR (electron paramagnetic resonance) or Mössbauer spectroscopy. See Chapter 8, Physical Techniques in Inorganic Chemistry, for more discussion on both of these instruments.
- E26.6** Ferredoxins contain Fe-S clusters, see structures 25, 26 and 27. The oxidized spectrum is consistent with all iron atoms in the cluster being Fe(III)—there are two peaks (as a result of quadrupole coupling) centred at about 0.3 mm/s with small coupling. The reduced spectrum has four lines, two of which are almost identical to the lines observed for the oxidized form and two new ones on each side. The two central lines still correspond to  $\text{Fe}^{3+}$ . The two new ones show a larger quadrupole coupling and a higher isomer shift, characteristics consistent with high-spin  $\text{Fe}^{2+}$ . Since the signals from  $\text{Fe}^{2+}$  and  $\text{Fe}^{3+}$  in the reduced form are well separated, the electron received during the reduction is localized on one iron atom only; that is, there is no delocalization.
- E26.7** The structural changes accompanying oxidation of the P-cluster raise the possibility that the P-cluster may be involved in coupling of electron and proton transfer in nitrogenase. Among the important changes in the structures is the change in coordination of the cluster. The oxidized form of the P-cluster has a serine and the amide nitrogen of a cystine residue coordinated to Fe atoms which dissociate in the reduced form. Since both of these ligands might be protonated in their free states and may be deprotonated in their bound states, this raises the possibility that two-electron oxidation of the P-cluster simultaneously releases two protons. Transfer of electrons and protons to the FeMo-cofactor active site of nitrogenase needs to be synchronized; the change in structure suggests that the coupling of proton and electron transfer can also occur at the P-cluster by controlling protonation of the exchangeable ligands.
- E26.8** Transfer of a  $-\text{CH}_3$  group (transfer as  $\text{CH}_3^+$ , binding as  $\text{CH}_3^-$ ) is expected to involve Co(I) and Co(III), which is allowed by active site of cobalamin. Transfer and activation of CO is expected to involve an electron-rich metal such as the bioactive metals Fe(II) or Zn(II). Most likely the mechanism involves an insertion of a coordinated carbonyl into a metal alkyl bond.
- E26.9** The discovery of substantial amounts of  $\text{O}_2$  would indicate the presence of photosynthesis and consequently some life-form that is capable of photosynthesis. On Earth, the plants are organisms capable of photosynthesis, but this does not preclude a possibility of some other photosynthetic life form.
- E26.10** There are several possibilities. For example, EPR spectroscopy is a very good method to follow the changes in oxidation states—it can be used to distinguish between different electronic states of the Mo centre. Use of isotopically labelled water molecules, for example  $\text{H}_2^{17}\text{O}$ , can be combined with Raman and IR spectroscopies to monitor the movement (transfer) of oxygen atoms.

### Guidelines for Selected Tutorial Problems

- T26.2** Consider what is meant by the term “efficiency” in catalysis (you might want to consult Chapter 25 as well). In terms of mechanistic questions, consider the complexity of the process for production of  $\text{NH}_3$  from  $\text{N}_2$  as well as the complexity of the nitrogenase cofactor. For example, can the 3D structure help to decide on the binding site of

$N_2$ ? Does it reveal much about the electron flow within the cofactor? What happens to a produced  $NH_3$  molecule (how is it removed from the active site)? Consider also the details about the active site structure we are missing.

## Chapter 27 Inorganic Chemistry in Medicine

### Self-Test Exercises

**S27.1** A general structure of semithiocarbazide ligand is shown below. The easiest and most straightforward way to fine-tune the reduction potentials of Cu(II) complexes is by modifying R substituents ( $R^1$ – $R^3$ ) on the ligand backbone. The Cu semithiocarbazide complexes used in medicine usually contain tetradentate versions of the general structure shown.

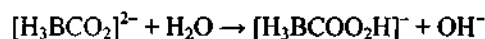


### End-of-Chapter Exercises

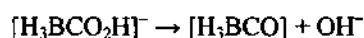
**E27.1** Au(III) is in many ways similar to Pt(II), with similarities mostly arising because the two are isoelectronic species with  $d^8$  electronic configuration. Thus, both have a preference for square planar geometry that seems to be necessary for the activity of Pt(II) anticancer drugs. Au(III) is also a soft Lewis acid, meaning that it has low preference for  $Cl^-$  and O-donor ligands. The major difference between Pt(III) and Au(III) is that Au(III) is easily reduced under hypoxic conditions to Au(I), which prefers linear geometry as in  $[AuCl_2]^-$ . Au(I) can also disproportionate to Au(0) and Au(III).

**E27.2** Although copper is a relatively inert element, it does slowly oxidize on air, producing copper oxides (and upon longer exposure to the atmosphere, basic copper carbonates malachite and azurite). Both  $Cu_2O$  and  $CuO$  are basic oxides. Epidermis, the outermost layer of skin, is slightly acidic (pH about 5). When oxidized parts of the bracelet get in touch with acidic epidermis, a small amount of oxides dissolve and produce  $Cu^{2+}$ , which is water soluble and can pass through the skin.

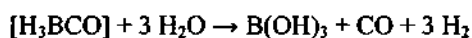
**E27.3** Likely products of the  $[H_3BCO_2]^{2-}$  decomposition are  $B(OH)_3$ ,  $H_2$ ,  $CO$ , and  $OH^-$ . By analogy to carbonate, you can expect boranocarbonate to be a rather good base. Consequently it can be stable in a basic medium (just like carbonate), but in neutral or mildly acidic medium it would be protonated to produce hydrogenboranocarbonate:



Hydrogenboranocarbonate can eliminate  $OH^-$  to produce  $[H_3BCO]$  adduct (boranocarbonyl):



$[H_3BCO]$  is unstable when not under  $CO$  atmosphere and  $CO$  can be easily displaced by water molecules. The intermediate aquo adduct  $[H_3B(OH_2)]$  rapidly decomposes to give  $H_2BOH$  and  $H_2$ .  $H_2BOH$  reacts rapidly with another two water molecules to produce the final products  $B(OH)_3$  and two more equivalents of  $H_2$ . The overall reaction is:



**E27.4** Choose a trace element (not CHNOPS); list what its important chemical properties are, including aqueous chemistry, redox chemistry; identify proteins in which such an element appears; discuss how the element's chemical properties suit it for its task.

**E27.5** Gallium(III) can bind to transferrin and lactoferrin, and can even be incorporated into ferritin (a biological "iron storage"). These enzymes use nitrogen and oxygen donors to bind iron. Since Ga(III) also has a good affinity for the same donors, it can compete with Fe(III) for the binding sites. One major difference between Fe(III) and Ga(III) is their redox chemistry. While Fe(III) can be reduced to Fe(II), Ga(III) cannot. This is an important

difference because the reduction is used to liberate Fe from ferritin—Fe(II) is more labile and hence can easily be released from the complex. Ga(III) cannot be reduced and would remain bound in ferritin.

**E27.6** Bismuth(III) compounds frequently used in treatment of gastritic ailments are bismuth subsalicylate and bismuth subcitrate. In the strongly acidic environment (pH ~ 3) that abounds in organic acids, these Bi(III) compounds form polymeric species and clusters that can form a protective layer (or coating) on the stomach. The Bi(III) polymers and clusters slowly release Bi<sup>3+</sup>, which pathogens can uptake. Once in the system, Bi(III) interferes with many bacterial proteins (e.g., transferrin and urease) and inhibits many important cellular functions resulting in the pathogen's death.

### Guidelines for Selected Tutorial Problems

**T27.2** Some useful sources (and references cited within) are:

- I. Bratsos, T. Gianferrara, E. Alessio, C. G. Hartinger, M. A. Jakupec, and B. K. Keppler. (2011). Chapter 5: Ruthenium and other non-platinum anticancer compounds. In Alessio, E. (ed.), *Bioinorganic Medicinal Chemistry*. Weinheim: Wiley-VCH Verlag & Co.
- G. Gasser, I. Ott, N. Metzler-Nolte. (2011). Organometallic anticancer compounds. *Journal of Medicinal Chemistry* 54(1), 3–25.
- C. G. Hartinger, P. J. Dyson. (2009). Bioorganometallic chemistry—from teaching paradigms to medicinal applications. *Chemical Society Reviews* 38(2), 391–401.